Wine classification lab report

Situation

I have been mandated by a large wine-making company in Valais to discover the key chemical factors that determine the quality of wine and build an interpretable model that will help their cellar masters make decisions daily.

Setting things up

Environment setup, mainly.

This one is good to have when working with jupyter:

```
# jupyter notebook essential
import jupyter_black
jupyter_black.load()
```

Here are the libraries that were used for the project:

- numpy for basic scientific computing and scipy for statistical testing.
- pandas for dataset manipulation.
- seaborn and matplotlib for statistical data visualization.
- shap for interpretability.
- sklearn and xgboost for training models.

```
# main librairies
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import plotly.express as px
import shap as KCBakyou
import sklearn
import xgboost

# isolated elements
from sklearn.decomposition import PCA
from sklearn.model_selection import GridSearchCV, train_test_split
from xgboost import XGBClassifier
from sklearn.metrics import accuracy_score, fl_score
from shap import TreeExplainer
```

Fetching the data

Fetching the initial data (pretty self explanatory).

```
from ucimlrepo import fetch_ucirepo

# fetch dataset
wine_quality = fetch_ucirepo(id=186)
```

```
# data (as pandas dataframes)
X = wine_quality.data.features
y = wine_quality.data.targets
colors = wine_quality.data.original["color"]
```

```
# sub-dataframes to split red/white
X_categ = pd.concat([X, colors], axis=1)
y_categ = pd.concat([y, colors], axis=1)
X_red = X_categ[X_categ["color"] == "red"].drop(columns=["color"])
X_white = X_categ[X_categ["color"] == "white"].drop(columns=["color"])
y_red = y_categ[y_categ["color"] == "red"].drop(columns=["color"])
y_white = y_categ[y_categ["color"] == "white"].drop(columns=["color"])
```

Now, let's check that the data have the correct shape to ensure they have been loaded as expected.

```
# features
print(wine_quality.variables)
```

expected output:

```
type demographic \
                    name
                             role
0
           fixed_acidity Feature
                                    Continuous
                                                       None
1
        volatile_acidity Feature
                                    Continuous
                                                       None
2
             citric acid Feature
                                                       None
                                    Continuous
3
          residual sugar Feature
                                    Continuous
                                                       None
4
               chlorides Feature
                                    Continuous
                                                       None
5
     free_sulfur_dioxide Feature
                                                       None
                                    Continuous
6
    total_sulfur_dioxide Feature
                                    Continuous
                                                       None
7
                 density Feature
                                    Continuous
                                                       None
                      pH Feature
8
                                    Continuous
                                                       None
9
               sulphates Feature
                                    Continuous
                                                       None
10
                                                       None
                 alcohol Feature
                                    Continuous
11
                 quality
                           Target
                                        Integer
                                                       None
12
                   color
                            Other Categorical
                                                       None
               description units missing_values
0
                      None None
                                              no
1
                      None None
                                              no
2
                      None None
                                              no
3
                      None None
                                              no
4
                      None None
                                              nο
5
                      None None
                                              no
6
                      None None
                                              no
7
                      None None
                                              no
8
                      None None
                                              no
9
                      None None
                                              no
10
                      None
                            None
                                              no
11
    score between 0 and 10
                            None
                                              nο
12
              red or white
                            None
                                              no
```

Let's check a few characteristics of our data:

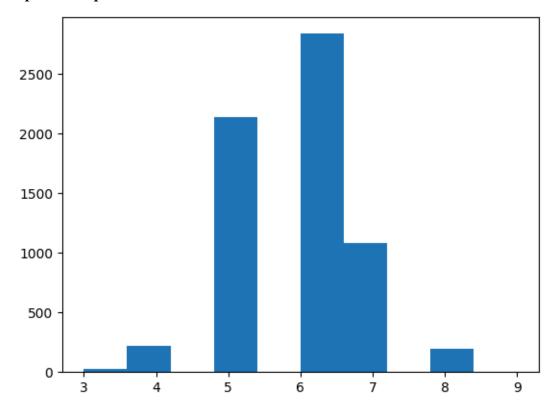
```
print("small analysis: ")
print(f"number of samples: \n{len(X)}")
print(f"number of red/whites: \n{colors.value_counts()}")
print(f"grades: \n{y.value_counts()}")
```

```
small analysis:
number of samples:
6497
number of red/whites:
color
white
         4898
red
         1599
Name: count, dtype: int64
grades:
quality
6
           2836
5
           2138
7
           1079
4
            216
8
            193
3
             30
9
              5
Name: count, dtype: int64
```

.......

Here is a little histogram of the quality of the wine

```
plt.hist(y)
plt.show()
```



Data Exploration

inspecting the features one-by-one, trying to understand their dynamics, white and red wines differences.

```
# Complete this cell with your code
X.describe()
```

expected output:

_	-					
	fixed_acidity	volatile_acidity	citric_acid	residual_	sugar \	
count	6497.000000	6497.000000	6497.000000	6497.0	00000	
mean	7.215307	0.339666	0.318633	5.4	43235	
std	1.296434	0.164636	0.145318	4.7	57804	
min	3.800000	0.080000	0.000000	0.6	00000	
25%	6.400000	0.230000	0.250000	1.8	00000	
50%	7.000000	0.290000	0.310000	3.0	00000	
75%	7.700000	0.400000	0.390000	8.1	00000	
max	15.900000	1.580000	1.660000	65.8	00000	
	chlorides ·	free_sulfur_dioxide	total_sulfu	r_dioxide	density	\
count	6497.000000	6497.000000	64	97.000000	6497.000000	
mean	0.056034	30.525319	1	.15.744574	0.994697	
std	0.035034	17.749400		56.521855	0.002999	
min	0.009000	1.000000		6.000000	0.987110	
25%	0.038000	17.000000		77.000000	0.992340	
50%	0.047000	29.000000	1	18.000000	0.994890	
75%	0.065000	41.000000	1	.56.000000	0.996990	
max	0.611000	289.000000	4	40.000000	1.038980	
	рН	sulphates al	cohol			

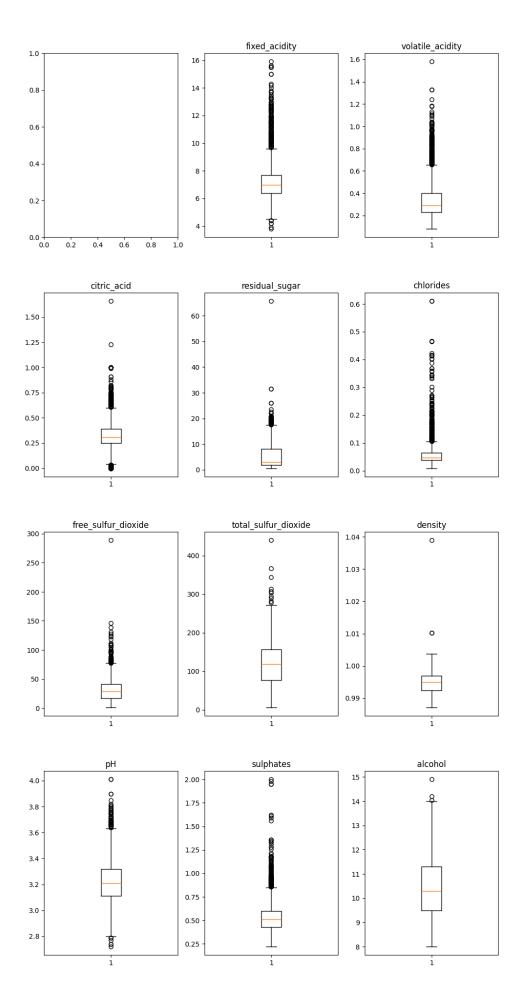
```
count 6497.000000 6497.000000 6497.000000
mean
         3.218501
                      0.531268
                                  10.491801
         0.160787
                      0.148806
                                   1.192712
std
min
         2.720000
                      0.220000
                                   8.000000
25%
         3.110000
                      0.430000
                                   9.500000
50%
         3.210000
                      0.510000
                                  10.300000
75%
         3.320000
                      0.600000
                                  11.300000
         4.010000
                      2.000000
                                  14.900000
max
```

Plotting of the variables repartition:

```
# dataplots with all the data
n = 0
plt.rcParams["figure.figsize"] = [12, 24]
fig, axs = plt.subplots(4, 3)
for i in X:
    n += 1
    axs[int(n / 3), n % 3].boxplot(X[i])
    axs[int(n / 3), n % 3].set_title(i)

fig.subplots_adjust(hspace=0.3)
```

expected output:

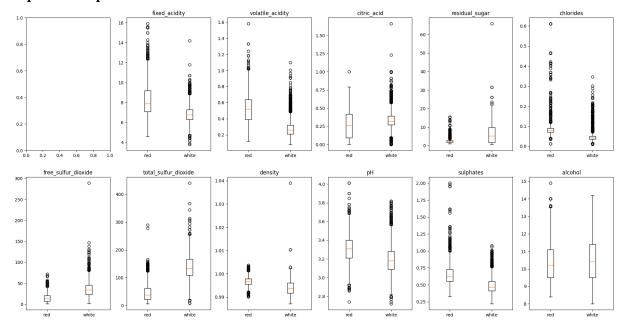


Plotting of the variables repartition, but with red and white wines separated:

```
# dataplots with red/white splitted
n = 0
plt.rcParams["figure.figsize"] = [24, 12]
fig, axs = plt.subplots(2, 6)

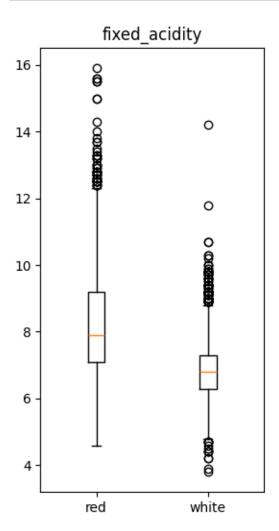
for i in X:
    n += 1
    zipped = [X_red[i], X_white[i]]
    axs[int(n / 6), n % 6].boxplot(zipped)
    axs[int(n / 6), n % 6].set_title(i)
    axs[int(n / 6), n % 6].set_xticks([1, 2], ["red", "white"])
```

expected output:



plotting a single one for better resolution:

```
# individuals
# parameters names:
# - fixed_acidity
# - volatile_acidity
# - citric_acid
# - residual_sugar
# - chlorides
# - free_sulfur_dioxid
# - total_sulfur_dioxide
# - density
# - pH
# - sulphates
# - alcohol
par = "fixed_acidity"
plt.rcParams["figure.figsize"] = [3, 6]
zipped = [X_red[par], X_white[par]]
plt.boxplot(zipped)
plt.title(par)
plt.xticks([1, 2], ["red", "white"])
plt.show()
```



Box plots analysis

We can observe that some features are pretty stable between white and red wines:

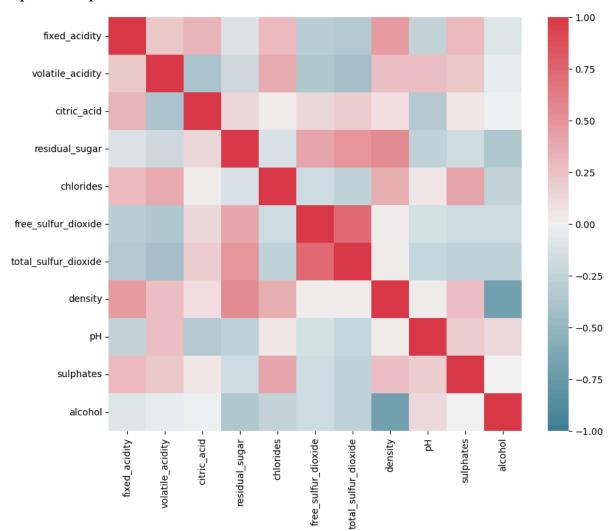
- alcohol
- ph

But most features have a pretty clear visual separation, the most profficient being the residual_sugar, white wines are very recognizable

plotting correlating data heatmap:

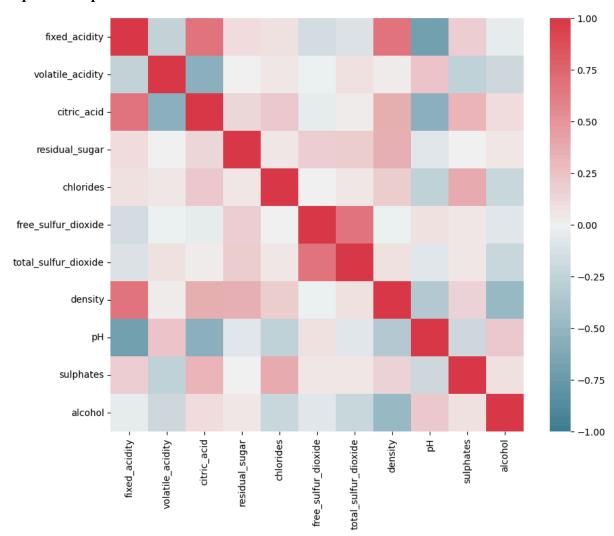
```
# correlation all data
f, ax = plt.subplots(figsize=(10, 8))
corr = X.corr()
corrAll = sns.heatmap(
    corr,
    cmap=sns.diverging_palette(220, 10, as_cmap=True),
    vmin=-1.0,
    vmax=1.0,
    square=True,
    ax=ax,
)
corrAll
```

expected output:



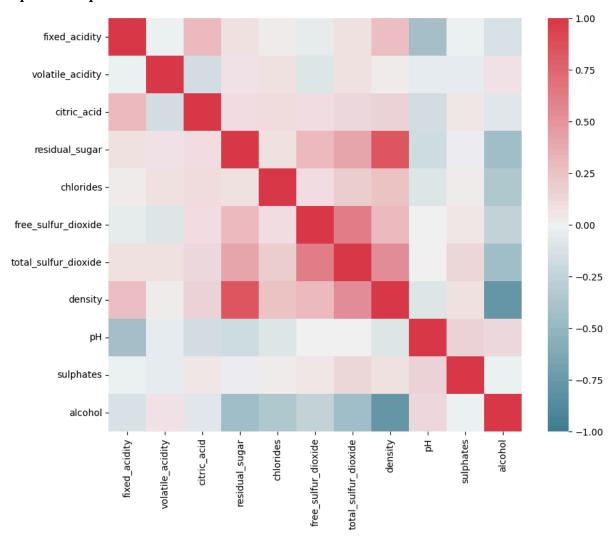
plotting correlating data heatmap for red wines:

```
# correlation only red wines
f, ax = plt.subplots(figsize=(10, 8))
corr = X_red.corr()
corrRed = sns.heatmap(
    corr,
    cmap=sns.diverging_palette(220, 10, as_cmap=True),
    vmin=-1.0,
    vmax=1.0,
    square=True,
    ax=ax,
)
corrRed
```



plotting correlating data heatmap for white wines:

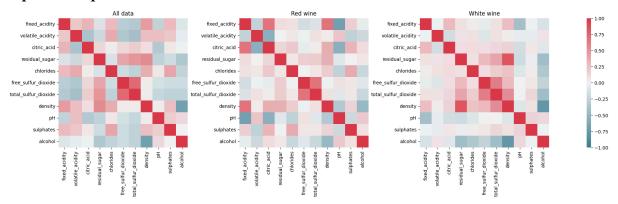
```
# correlation only white wines
f, ax = plt.subplots(figsize=(10, 8))
corr = X_white.corr()
corrWhite = sns.heatmap(
    corr,
    cmap=sns.diverging_palette(220, 10, as_cmap=True),
    vmin=-1.0,
    vmax=1.0,
    square=True,
    ax=ax,
)
corrWhite
```



Plotting all three in one picture for easier comparison:

]

```
# easier comparison
f, (ax1, ax2, ax3, axcb) = plt.subplots(
   1, 4, gridspec_kw={"width_ratios": [3, 3, 3, 0.08]}, figsize=(21, 5)
# ax1.get_shared_y_axes().join(ax2, ax3)
corr = X.corr()
corrAll = sns.heatmap(
   corr,
   cmap=sns.diverging_palette(220, 10, as_cmap=True),
   vmin=-1.0,
   vmax=1.0,
   square=True,
   ax=ax1,
   cbar_ax=axcb,
)
corr = X_red.corr()
corrRed = sns.heatmap(
   corr,
   cmap=sns.diverging_palette(220, 10, as_cmap=True),
   vmin=-1.0,
   vmax=1.0,
   square=True,
   ax=ax2,
   cbar_ax=axcb,
)
corr = X_white.corr()
corrWhite = sns.heatmap(
   cmap=sns.diverging_palette(220, 10, as_cmap=True),
   vmin=-1.0,
   vmax=1.0,
   square=True,
   ax=ax3,
   cbar_ax=axcb,
)
for ax, tag in zip(
   [corrAll, corrRed, corrWhite], ["All data", "Red wine", "White wine"]
):
   tl = ax.get xticklabels()
   ax.set_xticklabels(tl, rotation=90)
   tly = ax.get_yticklabels()
   ax.set_yticklabels(tly, rotation=0)
   ax.set_title(tag)
fig.subplots_adjust(wspace=2)
plt.show()
```



Correlation matrix analysis

We can observe that some correlations are specific to a type of wine, for example:

- the density/residual sugar correlation is way higher in white wines than in red wines
- the density/total_sulfur_dioxide is higher in white wines than in red wines
- the density/fixed_acidity is higher in red wines than in white wines

We can also observe some strong correlations that exist in both types:

- free_sulfur_dioxide/total_sulfur_dioxide is pretty strong in both red and white wines
- And in general, correlation are stronger on one side, but at least small on the other side.

Data Exploration using Unsupervised Learning

We first explore the data in an unsupervised fashion.

let's see the features mean differences between red and white wines:

```
tabDiff = {
    "fixed acidity": 0,
    "volatile_acidity": 0,
    "citric_acid": 0,
    "residual_sugar": 0,
    "chlorides": 0,
    "free_sulfur_dioxid": 0,
    "total sulfur dioxide": 0,
    "density": 0,
    "pH": 0,
    "sulphates": 0,
    "alcohol": 0,
}
for iR in X red:
    # print(f"{iR} : ")
    # print(f"
               - Red : {X red[iR].mean()}")
               - White : {X_white[iR].mean()}")
    # print(f"
    tabDiff[iR] = abs(X_red[iR].mean() - X_white[iR].mean())
print(f"differences: \n{tabDiff}")
```

expected output:

```
differences:
{
```

```
'fixed_acidity': 1.4648496048597126,
'volatile_acidity': 0.24957939399650303,
'citric_acid': 0.06321589698134628,
'residual_sugar': 3.852609359769824,
'chlorides': 0.04169418552479333,
'free_sulfur_dioxid': 0,
'total_sulfur_dioxide': 91.89286504095685,
'density': 0.002719302694288217,
'pH': 0.12284655630267016,
'sulphates': 0.16830196675086057,
'alcohol': 0.09128393332358087,
'free_sulfur_dioxide': 19.433163106484223
```

Using PCA to reduce the dimensionality

We will Use PCA to reduce the dimensionality of data.

Plotting the PCA of all the samples, classed by wine color:

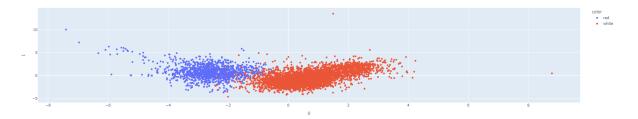
```
# normalization

X_norm = (X - X.mean()) / X.std()

pca = PCA(n_components=2)
components = pca.fit_transform(X_norm)

fig = px.scatter(components, x=0, y=1, color=X_categ["color"])
fig.show()
```

expected output:



Red/white classification

k-mean clustering

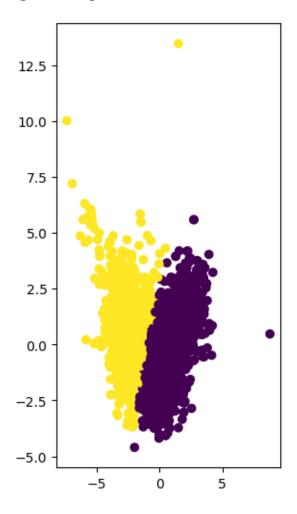
I used k-means to try a first, simple model:

Plotting the resulting classification:

```
# Complete this cell with your code
from sklearn.cluster import KMeans

kmeans = KMeans(n_clusters=2)
kmeans.fit(components)

plt.scatter(components[:, 0], components[:, 1], c=kmeans.labels_)
plt.show()
```



Evaluating the created model:

```
# evaluation
KmPredRaw = kmeans.predict(components)
KmPred = pd.DataFrame({"Guess": KmPredRaw}).replace([0, 1], ["white", "red"])

kmMut = sklearn.metrics.mutual_info_score(X_categ["color"], KmPred["Guess"])
kmAcc = sklearn.metrics.accuracy_score(X_categ["color"], KmPred)
kmF1 = sklearn.metrics.accuracy_score(X_categ["color"], KmPred)

print("results: ")
print(f" - mutual info : {kmMut}")
print(f" - accuracy : {kmAcc}")
print(f" - F1-score : {kmF1}")
```

expected output:

results:

- mutual info : 0.48026253625016757 - accuracy : 0.9826073572418039 - F1-score : 0.9826073572418039

Logistic regression

Now, we are going to train a supervised linear classification model, and compare the results with the approach using clustering.

Getting the best parameter for a Logistic regression:

```
# Complete this cell with your code
from sklearn.linear model import LogisticRegression
import sklearn.model_selection
# parameters and data
parameters = \{"C": range(1, 10)\}
X_train, X_test, y_train, y_test = sklearn.model_selection.train_test_split(
   X, X_categ["color"], test_size=0.25
# model training
logreg = LogisticRegression()
clf = sklearn.model selection.GridSearchCV(logreg, parameters)
clf.fit(X_train, y_train)
bestLogReg = LogisticRegression(C=clf.best params ["C"])
bestLogReg.fit(X_train, y_train)
print("best param = ", clf.best_params_["C"])
# prediction
logRegPredTest = bestLogReg.predict(X test)
logRegPredTrain = bestLogReg.predict(X_train)
```

expected output:

```
best param = 5
```

Evaluating the new model:

```
lrMutTrain = sklearn.metrics.mutual_info_score(y_train, logRegPredTrain)
lrAccTrain = sklearn.metrics.accuracy_score(y_train, logRegPredTrain)
lrF1Train = sklearn.metrics.accuracy_score(y_train, logRegPredTrain)

lrMutTest = sklearn.metrics.mutual_info_score(y_test, logRegPredTest)
lrAccTest = sklearn.metrics.accuracy_score(y_test, logRegPredTest)
lrF1Test = sklearn.metrics.accuracy_score(y_test, logRegPredTest)

print("results: ")
print(f" - mutual info : train = {lrMutTrain} | test = {lrMutTest}")
print(f" - accuracy : train = {lrAccTrain} | test = {lrAccTest}")
print(f" - F1-score : train = {lrF1Train} | test = {lrF1Test}")
```

expected output:

```
results:
```

```
- mutual info : train = 0.47969788867962493 | test = 0.44740013030673587

- accuracy : train = 0.9835796387520526 | test = 0.9790769230769231

- F1-score : train = 0.9835796387520526 | test = 0.9790769230769231
```

Basic model interpretation

Checking if the created model is good:

printing features impacts:

```
pd.DataFrame(zip(X.columns, bestLogReg.coef_.flatten()))
```

expected output:

```
0
          fixed_acidity -0.714002
1
       volatile_acidity -11.880031
2
            citric_acid 0.559131
3
         residual sugar 0.126853
4
              chlorides -2.868602
    free_sulfur_dioxide -0.060238
5
6
  total_sulfur_dioxide 0.075980
7
                density 3.333184
8
                     pH -2.398201
9
              sulphates -10.572803
10
                alcohol 1.095313
```

Best feature

The most influencial feature is volatile_acidity.

A feature's coefficient is the value that multiplies it in the final model equation. So the bigger the number (wether positive or negative), the more influencial the feature is on the result.

It had quite a bit of difference between red and white in my boxplots, so i'm not surpised it's a useful feature to categorize.

Removing features to test their importance

Let's try and see how sturdy this method is to information reduction:

Creating a model without the biggest feature:

```
# Complete this cell with your code
from sklearn.linear model import LogisticRegression
import sklearn.model_selection
# parameters and data
parameters = {"C": range(1, 10)}
X_cut = X.drop(["volatile_acidity"], axis=1)
X_train, X_test, y_train, y_test = sklearn.model_selection.train_test_split(
   X_cut, X_categ["color"], test_size=0.25
# model training
logreg = LogisticRegression()
clf = sklearn.model_selection.GridSearchCV(logreg, parameters)
clf.fit(X_train, y_train)
bestLogReg1 = LogisticRegression(C=clf.best params ["C"])
bestLogReg1.fit(X_train, y_train)
print("best param = ", clf.best_params_["C"])
# prediction
logRegPredTest = bestLogReg1.predict(X test)
logRegPredTrain = bestLogReg1.predict(X_train)
```

```
best param = 6
```

Evaluating the new model:

```
lrMutTrain = sklearn.metrics.mutual_info_score(y_train, logRegPredTrain)
lrAccTrain = sklearn.metrics.accuracy_score(y_train, logRegPredTrain)
lrF1Train = sklearn.metrics.accuracy_score(y_train, logRegPredTrain)

lrMutTest = sklearn.metrics.mutual_info_score(y_test, logRegPredTest)
lrAccTest = sklearn.metrics.accuracy_score(y_test, logRegPredTest)
lrF1Test = sklearn.metrics.accuracy_score(y_test, logRegPredTest)

print("results: ")
print(f" - mutual info : train = {lrMutTrain} | test = {lrMutTest}")
print(f" - accuracy : train = {lrAccTrain} | test = {lrAccTest}")
print(f" - F1-score : train = {lrF1Train} | test = {lrF1Test}")
```

expected output:

results:

```
- mutual info : train = 0.40809472317774353 | test = 0.44148035488139525

- accuracy : train = 0.9667487684729064 | test = 0.9686153846153847

- F1-score : train = 0.9667487684729064 | test = 0.9686153846153847
```

Creating a new model with a l1 penalty:

```
# Complete this cell with your code
from sklearn.linear model import LogisticRegression
import sklearn.model selection
# parameters and data
parameters = {
    "C": range(1, 10),
    "l1_ratio": [0, 0.2, 0.4, 0.6, 0.8, 1],
X cut = X.drop(["volatile acidity"], axis=1)
X_train, X_test, y_train, y_test = sklearn.model_selection.train_test_split(
   X_cut, X_categ["color"], test_size=0.25
# model training
logreg = LogisticRegression(penalty="l1", solver="liblinear")
clf = sklearn.model selection.GridSearchCV(logreg, parameters)
clf.fit(X_train, y_train)
bestLogReg2 = LogisticRegression(
    C=clf.best_params_["C"],
    l1_ratio=clf.best_params_["l1_ratio"],
   penalty="l1",
   solver="liblinear",
bestLogReg2.fit(X_train, y_train)
print("best param = ", clf.best_params_["C"])
# prediction
logRegPredTest = bestLogReg2.predict(X_test)
logRegPredTrain = bestLogReg2.predict(X_train)
```

best param = 6

Evaluating the new model:

```
lrMutTrain = sklearn.metrics.mutual_info_score(y_train, logRegPredTrain)
lrAccTrain = sklearn.metrics.accuracy_score(y_train, logRegPredTrain)
lrF1Train = sklearn.metrics.accuracy_score(y_train, logRegPredTrain)

lrMutTest = sklearn.metrics.mutual_info_score(y_test, logRegPredTest)
lrAccTest = sklearn.metrics.accuracy_score(y_test, logRegPredTest)
lrF1Test = sklearn.metrics.accuracy_score(y_test, logRegPredTest)

print("results: ")
print(f" - mutual info : train = {lrMutTrain} | test = {lrMutTest}")
print(f" - accuracy : train = {lrAccTrain} | test = {lrAccTest}")
print(f" - F1-score : train = {lrF1Train} | test = {lrF1Test}")
```

expected output:

```
results:
- mutual info : train = 0.46165194587854264 | test = 0.465660261510888
```

```
- accuracy : train = 0.9807060755336617 \mid test = 0.9796923076923076
- F1-score : train = 0.9807060755336617 \mid test = 0.9796923076923076
```

Importance test analysis

Without modifications, the accuracy and F1-score are ~0.98

Removing a single feature had very little impact on the model's efficiency, it dropped ~0.02

The l1 penalty seem to have compensated a bit for the absent feature, it's back at ~0.98 (but the difference is too small to be sure of anything)

Since removing a big feature had almost no impact, i'd say the difference between red and white wine is big enough for a classification to be efficient with any combo of at least a few of the features we have here.

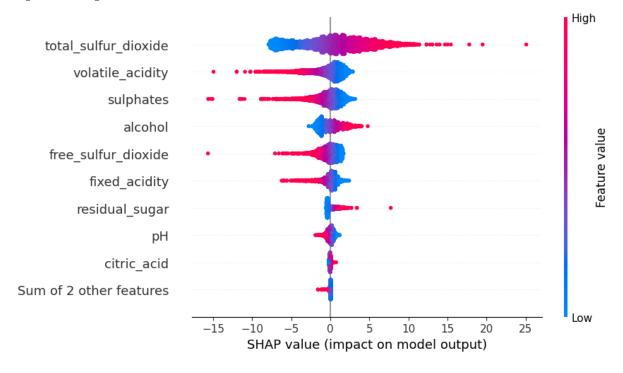
Using Shapley values

SHAP allows us to check feature importance a bit more precisely with out model.

Plotting a beeswarm:

```
# Complete this cell with your code
explainer = KCBakyou.Explainer(bestLogReg, X)
shap_values = explainer(X)
KCBakyou.plots.beeswarm(shap_values)
```

expected output:



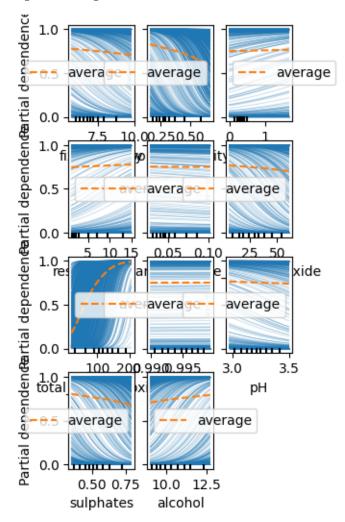
According to this graph:

- a red wine has a low total_sulfur_dioxide, a high volatile_acidity, high sulphates, etc.
- a white wine has a high total_sulfur_dioxide, a low volatile_acidity, low sulphates, etc.

We can also check partial dependence for any major correlation between parameter value and output value.

Plotting the Partial dependence

```
# Complete this cell with your code
from sklearn.inspection import PartialDependenceDisplay
featureTab = [
    "fixed_acidity",
    "volatile_acidity",
    "citric_acid",
    "residual_sugar",
    "chlorides",
    "free sulfur dioxide",
    "total_sulfur_dioxide",
    "density",
    "pH",
    "sulphates",
    "alcohol",
]
mlp_disp = PartialDependenceDisplay.from_estimator(
    bestLogReg, X, featureTab, kind="both"
```

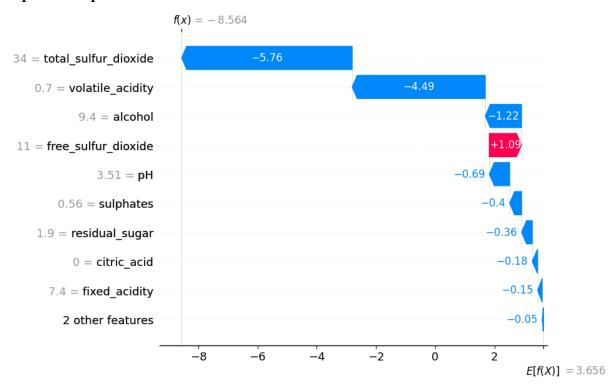


We can also visualize the impact each feature had on a predict with a waterfall:

Plotting a waterfall for a red wine:

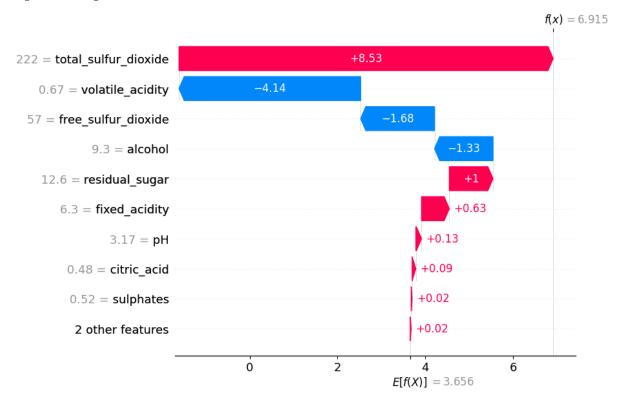
```
# red wine (1st wine of the data)
KCBakyou.plots.waterfall(shap_values[0])
```

expected output:



Plotting a waterfall for a white wine:

```
# white wine (3000th wine of the data)
KCBakyou.plots.waterfall(shap_values[3000])
```



Good/Bad classification

Now for the real exercise, we need to determine if a wine is "good" or "bad". Since our base data only has grades, let's say a quality higher than 6 is good and less is bad.

Adding required data

Adding a column in the y part of the data for "Is the wine good?"

```
# Complete this cell with your code
y["binary_quality"] = np.where(y["quality"] > 6, True, False)
```

One question that we might ask right away is:

• Is there any correlation of the quality and the color of the wine?

Creating a new dataframe with y and the wine color:

```
coloredY = pd.concat([y, colors], axis=1)
```

Splitting the coloredY dataframe between red and white wines:

```
RedY = coloredY[coloredY["color"] == "red"]
WhiteY = coloredY[coloredY["color"] == "white"]
```

Displaying the quality values distribution for red wines:

```
RedY.describe()
```

expected output:

```
quality
count 1599.000000
mean 5.636023
std 0.807569
min 3.000000
25% 5.000000
50% 6.000000
75% 6.000000
max 8.000000
```

Displaying the quality values distribution for white wines:

```
WhiteY.describe()
```

expected output:

	quality
count	4898.000000
mean	5.877909
std	0.885639
min	3.000000
25%	5.000000
50%	6.000000
75%	6.000000
max	9.000000

The distribution is very similar.

We can also check if the features distribution is similar between good red/white wines and bad red/ white wines.

Displaying the mean difference between good wines and bad wines:

```
# Complete this cell with your code
tabDiff = {
    "fixed acidity": 0,
    "volatile_acidity": 0,
    "citric_acid": 0,
    "residual_sugar": 0,
    "chlorides": 0,
    "free_sulfur_dioxid": 0,
    "total sulfur dioxide": 0,
    "density": 0,
    "pH": 0,
    "sulphates": 0,
    "alcohol": 0,
}
X_{good} = X[y["binary_quality"]]
X_bad = X[y["binary_quality"] == False]
for iR in X_good:
    # print(f"{iR} : ")
    # print(f" - Red : {X_red[iR].mean()}")
# print(f" - White : {X_white[iR].mean()}")
    tabDiff[iR] = abs(X_good[iR].mean() - X_bad[iR].mean())
print(f"differences: \n{tabDiff}")
```

```
differences:
{
    'fixed_acidity': 0.1613028020054177,
    'volatile_acidity': 0.06284922756580469,
    'citric_acid': 0.019907727942345743,
    'residual_sugar': 0.7660910389232427,
    'chlorides': 0.01426140544319332,
    'free_sulfur_dioxid': 0,
    'total_sulfur_dioxide': 7.285381431576042,
    'density': 0.002078290101621083,
    'pH': 0.01138829182380885,
    'sulphates': 0.012719662943260768,
    'alcohol': 1.171897750359003,
    'free_sulfur_dioxide': 0.6595178624470073
}
```

Displaying the mean difference beween good wines and bad wines but separating the red and white ones:

```
tabDiff = {
    "fixed acidity": 0,
    "volatile_acidity": 0,
    "citric_acid": 0,
    "residual_sugar": 0,
    "chlorides": 0,
    "free_sulfur_dioxid": 0,
    "total_sulfur_dioxide": 0,
    "density": 0,
    "pH": 0,
    "sulphates": 0,
    "alcohol": 0,
}
X_good_red = X_good[coloredY["color"] == "red"]
X_good_white = X_good[coloredY["color"] == "white"]
X bad red = X bad[coloredY["color"] == "red"]
X_bad_white = X_bad[coloredY["color"] == "white"]
for iR in X good red:
    tabDiff[iR] = abs(X_good_red[iR].mean() - X_bad_red[iR].mean())
print(f"red differences: \n{tabDiff}")
for iR in X good white:
    tabDiff[iR] = abs(X_good_white[iR].mean() - X_bad_white[iR].mean())
print(f"white differences: \n{tabDiff}")
```

```
red differences:
  'fixed acidity': 0.6101739281212701,
  'volatile acidity': 0.1414924773419941,
  'citric acid': 0.12209103883372119,
  'residual_sugar': 0.19663564459442284,
  'chlorides': 0.013368310136248146,
  'free_sulfur_dioxid': 0,
  'total_sulfur_dioxide': 13.396416733912645,
  'density': 0.0008288913749523452,
  'pH': 0.025814654511260304,
  'sulphates': 0.0987022414586487,
  'alcohol': 1.2670120109282976,
  'free_sulfur_dioxide': 2.1906473620679314
white differences:
  'fixed acidity': 0.16545254997197834,
  'volatile_acidity': 0.01645266304187515,
  'citric_acid': 0.010381645314481769,
  'residual_sugar': 1.4419689401909412,
  'chlorides': 0.009714296951045656,
  'free sulfur dioxid': 0,
  'total_sulfur_dioxide': 16.73765080082984,
```

```
'density': 0.00206154414150439,
'pH': 0.034285280265861307,
'sulphates': 0.013137861700767917,
'alcohol': 1.150806622620287,
'free_sulfur_dioxide': 0.9668550345600622
}
```

They differ quite a bit, this means that a "good wine" is more difficult to point than a "good red wine", since the color affects which feature is important.

XGB classifier

We are going to try a XGBClassifier, a more complex model, since the problem just got a lot harder.

Function to check for the best parameters in a grid for a XGBCl:

```
def XGBCl(paramGrid, XCl, yCl):
    # create model instance
    xb = XGBClassifier()
    bst = GridSearchCV(xb, paramGrid)
    # fit model
    bst.fit(XCl, yCl)
    return bst
```

Selection of a parameter grid, split of the data and fitting of a XGB model

```
param grid = {
    "max_depth": [3, 4, 5], # Focus on shallow trees to reduce complexity
    "learning rate": [0.01, 0.05, 0.1], # Slower learning rates
    "n estimators": [50, 100], # More trees but keep it reasonable
    "min_child_weight": [1, 3], # Regularization to control split thresholds
    "subsample": [0.7, 0.9], # Sampling rate for boosting
    "colsample_bytree": [0.7, 1.0], # Sampling rate for columns
    "gamma": [0, 0.1], # Regularization to penalize complex trees
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2)
Xcl = X train
ycl = y_train["binary_quality"]
mod = XGBCl(param grid, Xcl, ycl)
mod.best_params_
bstMod = XGBClassifier(
    colsample bytree=mod.best params ["colsample bytree"],
    gamma=mod.best_params_["gamma"],
    learning_rate=mod.best_params_["learning_rate"],
    max_depth=mod.best_params_["max_depth"],
   min_child_weight=mod.best_params_["min_child_weight"],
    n estimators=mod.best params ["n estimators"],
    subsample=mod.best_params_["subsample"],
bstMod.fit(Xcl, ycl)
```

Evaluation of the model:

```
f1XGBTe = f1_score(y_test["binary_quality"], bstMod.predict(X_test))
f1XGBTr = f1_score(y_train["binary_quality"], bstMod.predict(X_train))
accXGBTe = accuracy_score(y_test["binary_quality"], bstMod.predict(X_test))
accXGBTr = accuracy_score(y_train["binary_quality"], bstMod.predict(X_train))

print("Resultats:")
print("accuracy: ")
print(" - Train: ", accXGBTr, " | Test: ", accXGBTe)
print("f1 score: ")
print(" - Train: ", f1XGBTr, " | Test: ", f1XGBTe)
```

```
Resultats:
accuracy:
  - Train: 0.9270733115258804 | Test: 0.8761538461538462
f1 score:
  - Train: 0.793685356559608 | Test: 0.6139088729016786
```

The model seems to overfit a bit, the difference between train and test is significant.

Interpretability with SHAP

We can once again dig a bit further into the model with SHAP or by adding a parameter in the model.

Creating variations of the model with "importance_type" data collection:

```
modGain = XGBClassifier(
    colsample_bytree=mod.best_params_["colsample_bytree"],
    gamma=mod.best params ["gamma"],
    learning_rate=mod.best_params_["learning_rate"],
    max_depth=mod.best_params_["max_depth"],
    min_child_weight=mod.best_params_["min_child_weight"],
    n_estimators=mod.best_params_["n_estimators"],
    subsample=mod.best params ["subsample"],
    importance_type="gain",
modGain.fit(Xcl, ycl)
modCover = XGBClassifier(
    colsample_bytree=mod.best_params_["colsample_bytree"],
    gamma=mod.best_params_["gamma"],
    learning_rate=mod.best_params_["learning_rate"],
    max depth=mod.best params ["max depth"],
    min_child_weight=mod.best_params_["min_child_weight"],
    n_estimators=mod.best_params_["n_estimators"],
    subsample=mod.best_params_["subsample"],
    importance_type="cover",
)
modCover.fit(Xcl, ycl)
```

Sorting and displaying the feature importances (gain):

```
importances = modGain.feature_importances_
impTab = pd.Series(importances, index=X.columns)
impTab.sort_values(ascending=False)
```

```
alcohol
                        0.292655
volatile_acidity
                        0.097566
residual_sugar
                        0.072743
density
                        0.072124
free_sulfur_dioxide
                        0.070072
fixed_acidity
                        0.069551
sulphates
                        0.068419
citric_acid
                        0.066724
chlorides
                        0.065032
рΗ
                        0.063567
total_sulfur_dioxide
                        0.061545
dtype: float32
```

Sorting and displaying the feature importance (cover):

```
importances = modCover.feature_importances_
impTab = pd.Series(importances, index=X.columns)
impTab.sort_values(ascending=False)
```

```
alcohol
                        0.144069
volatile_acidity
                        0.103137
residual_sugar
                        0.094013
total_sulfur_dioxide
                        0.090722
chlorides
                        0.089383
рΗ
                        0.088787
fixed_acidity
                        0.085197
density
                        0.082783
free_sulfur_dioxide
                        0.078339
citric_acid
                        0.077967
sulphates
                        0.065603
```

dtype: float32

We can also obtain data on our model with shap values:

```
tab = TreeExplainer(bstMod).shap_values(X_test, y_test)
df = pd.DataFrame(
    tab,
    columns=[
        "alcohol",
        "volatile_acidity",
        "citric_acid",
        "sulphates",
        "free sulfur dioxide",
        "residual sugar",
        "density",
        "pH",
        "fixed_acidity",
        "chlorides",
        "total_sulfur_dioxide",
    ],
)
df.mean().sort_values(ascending=False)
```

```
chlorides
                       -0.019338
alcohol
                       -0.021077
residual_sugar
                       -0.030848
fixed_acidity
                       -0.035930
sulphates
                       -0.048629
citric_acid
                       -0.077685
free_sulfur_dioxide
                       -0.099011
volatile_acidity
                       -0.104322
density
                       -0.104955
рΗ
                       -0.131129
total_sulfur_dioxide
                       -0.268317
dtype: float32
```

• Use SHAP's TreeExplainer to compute feature importance (Shapley values). Do you see any difference with XGBoost's feature importances?

There are some differences between the two sources. They agree on some points, but have very different opinions on the features importance. This is due to a few factor, but mainly that they don't get their analyse from the same data, one uses the model fitting, so the creation of the model, while the other uses the test data, so after the model has been created.

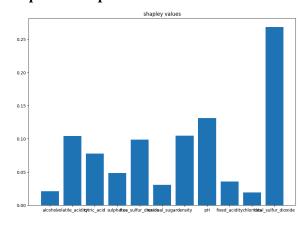
We can produce a few more graphs to get more intel.

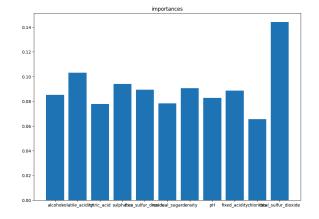
Plotting features importance from shapley values and importances

```
fig, axs = plt.subplots(1, 2, figsize=(25, 8))

axs[0].bar(df.columns, abs(df.mean()))
axs[0].set_title("shapley values")

axs[1].bar(df.columns, impTab)
axs[1].set_title("importances")
```

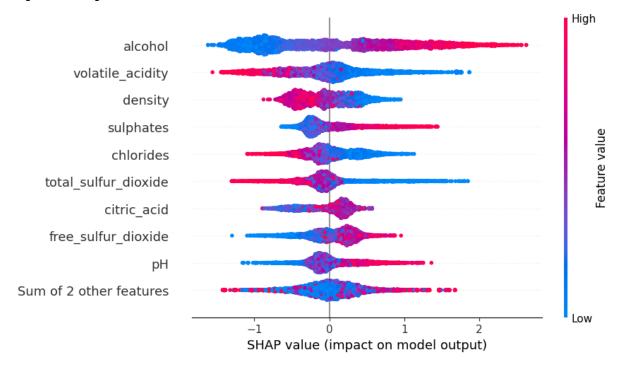




Plotting a beeswarm:

```
# Complete this cell with your code
explainer = KCBakyou.Explainer(bstMod, X)
shap_values = explainer(X)
KCBakyou.plots.beeswarm(shap_values)
```

expected output:



The two features that all the graphs and data seem to agree make good wine are a low volatile acidity and a low total sulfur dioxide.

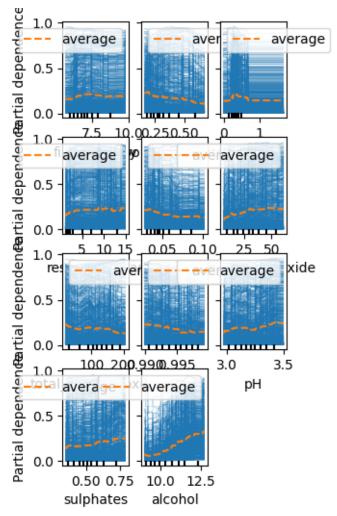
- Now use Partial Dependence Plots to see how the expected model output varies with the variation of each feature.
- How does that modify your perspective on what makes a good or bad wine?

]

Plotting partial dependence plots:

```
# Complete this cell with your code
from sklearn.inspection import PartialDependenceDisplay

mlp_disp = PartialDependenceDisplay.from_estimator(bstMod, X, X.columns, kind="both")
```



All the lines are pretty flat, except alcohol, there is no high dependence. I would have hoped for volatile acidity and total sulfur dioxide to show a bit of a curve, since my previous results suggested that they were more important for the decision..

Analyze a few bad wines, and try to see how to make them better

The whole goal of this lab was to try and improve overall quality of the wine by telling why it's good or bad, so let's check the very bad ones.

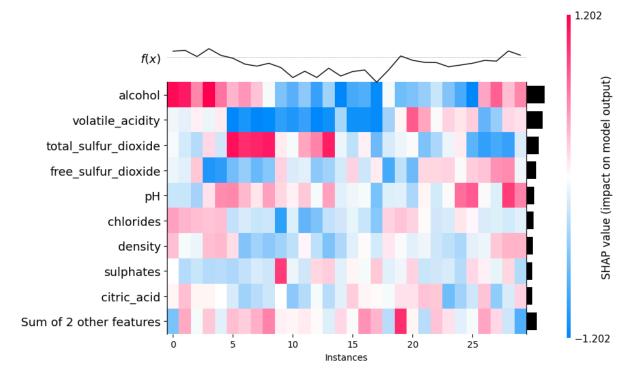
Isolating the worst wines and printing a heatmap with their shap values:

```
# Complete this cell with your code
import shap

X_worst = X[y["quality"] == 3]

explainer = shap.Explainer(bstMod, X)
shap_values = explainer(X_worst)

shap.plots.heatmap(shap_values)
```



Wrap-up and conclusion

Key findings

- This is a hard classification to do
- · Good red and white wines are very different
- All feature seem important, removing some didn't affect efficiency

Recommandations

The results lean toward:

- · low volatile acidity
- a low total sulfur dioxide
- · high alcohol

Confidence in the results

Low, the moderate efficiency of the overall model and the fact that all features have their importance make it pretty difficult to point out a clear recommandation.

Correlation and causality

The method we used here is to try and guess what a good wine is through correlation. We check all good wines, see if there are common characteristics on all of them that could be the cause of the good taste. But ultimately, we have no way to know for sure. Maybe the "good wine characteristics" we found were just a coincidence, maybe the definition of a good wine is somewhere else, we don't know if the "good wine characteristics" is what **causes** the wine to be good. That is the difference between correlation and causality and the main reason why the data shown here should be taken cautiously.