1 Variables

2 root

	var	symbol	documentation	type	units	eqs
2	$F_{N,A}$	F	incidence matrix of directed graph	network		
1	t_N	t	time	frame	s	
88	to_N	to	initial time	frame	s	63
89	te_N	te	end time	frame	s	64
5	#	value	a value	constant		
6	$1\backslash 2$	half	one half	constant		1
7	0	zero	zero	constant		2
8	$\partial t_{N,dt}$	dt	differential time	*diffFrame	s	3

3 physical

	var	symbol	documentation	type	units	eqs
30	$F_{NS,AS}$	F_NS_AS	incidence matrix for species network	network		
41	$P_{N,A,dt}$	P_N_A_dt	projection of node to arc (used for mapping transport system material to application arc)	projection		
49	$P_{NS,AS,dt}$	P_NS_AS_dt	projection of node to arc (used for mapping transport system material to application arc)	projection		
9	r_{xN}	rx	spatial coordinate x	frame	m	
20	r_{y_N}	ry	spatial coordinate y	frame	m	
21	r_{zN}	rz	spatial coordinate z	frame	m	
10	n_{NS}	n	species mass in moles	state	mol	65
11	U_N	U	internal energy	state	kgm^2s^{-2}	

	var	symbol	documentation	type	units	eqs
12	S_N	S	entropy	state	$kg m^2 K^{-1} s^{-2}$	
13	V_N	V	volume	state	m^3	
92	m_N	m	mass	state	kg	
66	R	R	gas constant	constant	$kg^{-1} m^{-2} mol K^{-1} s^2$	
17	H_N	Н	definition of enthalpy	secondaryState	kgm^2s^{-2}	7
18	v_{xN}	vx	definition of velocity in x direction	secondaryState	ms^{-1}	8
22	A_{xN}	Ax	area at location x	secondaryState	m^2	10
14	T_N	T	definition of temperature	effort	K	4
15	p_N	p	definition of pressure	effort	$kg m^{-1} s^{-2} \\ kg m^2 mol^{-1} s^{-2}$	5
31	μ_{NS}	mu	definition of chemical potential	effort	$kg m^2 mol^{-1} s^{-2}$	18

4 control

	var	symbol	documentation	type	units	eqs
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5 macroscopic

	var	symbol	documentation	type	units	eqs
54	$\hat{q}_{N,dt}$	fq	heat flow	transport	$kg m^2 s^{-3}$	39
81	$\hat{V}_{A,dt}$	fV	volumetric flow	transport	$m^3 s^{-1}$	56
82	d_A	dir	direction of flow relative to reference coordinate	transport		57
83	$S_{NS,AS}$	S_NS_AS	selection of the flow sources	transport		58
84	c_{AS}	c_AS	concentration in the convective flows	transport	$m^{-3} mol$	59
85	$\hat{n}^v_{NS,dt}$	fnv	convective species flow	transport	$mol s^{-1}$	60
86	$\hat{n}_{NS,dt}^d$	fnd	diffusional species flows	transport	$mol s^{-1}$	61

	var	symbol	documentation	type	units	eqs
57	$P_{NS,KS}$	P_NS_KS	projection of node species onto reaction species	projection		
58	$P_{K,NK}$	P_K_NK	projection reaction on node x reactions	projection		
59	$P_{N,NK}$	P_N_NK	projection node to node x reactions	projection		
74	$P_{NK,KS}$	P_NK_KS	projection node x conversion to conversion x species	projection		
56	n^0_{NS}	n0	initial condition	state	mol	41
87	$\dot{n}_{NS,dt}$	dn		state	$mol s^{-1}$	62
62	$N_{K,KS}$	N_KS_K	stoichiometry for reaction k	constant		
64	$K^{o}{}_{K,dt}$	Ко	Arrhenius prexponential factor (matrix)	constant	$m^{-3} mol s^{-1}$	
65	$E^A{}_K$	ka	Arrhenius activation energy	constant	$kg^{-1} m^{-2} mol s^2$	
78	$k_x^{n_d}{}_{AS,dt}$	knd_x	species diffusivity in x-direction	constant	$kg^{-1} m^{-4} mol^2 s$	
79	$k_{x\ A,dt}^{V}$	kv_x	convective flow coefficient	constant	$kg^{-1}m^2s$	
61	c_{KS}	c_KS	molar concentrations assigned to reaction K	conversion	$m^{-3} mol$	43
63	$N_{NS,NK}$	N_NS_NK	global stoichiomety block matrix	conversion		44
67	T_{NK}	T_NK	temperature for reactions	conversion	K	45
68	$K_{NK,dt}$	K	reaction "constants"	conversion	$m^{-3} mol s^{-1}$	46
69	$c^o{}_{KS}$	c_KS_o	norming concentration – probability must have no units!	conversion	$m^{-3} mol$	47
71	x_{KS}	x_KS	normed concentration little like more fractions	conversion		49
75	ϕ_{NK}	phi	probability for the reactions to occur	conversion		52
76	$\xi_{NK,dt}$	xi	dyamic extend of reaction	conversion	$m^{-3} mol s^{-1}$	53
77	$ ilde{n}_{NS,dt}$	pn	production term	conversion	$mol s^{-1}$	54
60	c_{NS}	С	molar concentration	secondaryState	$m^{-3} mol$	42

6 materialDB

	var	symbol	documentation	type	units	eqs
94	mm_S	mm	molecular masses	constant	$kg mol^{-1}$	
26	c_{p_N}	ср	heat capacity at constant pressure	property	$kg m^2 K^{-1} s^{-2}$	14
45	$k^{q_x}{}_{A,dt}$	kq_x	heat transfer coefficient for an event-dynamic transfer system	property	$kg K^{-1} s^{-3}$	31
93	kd_x	kd_x	diffusional mass diffusivity per area.	property	$kg^{-1} m^{-4} mol^2 s$	72
95	kc_{xN}	kc_x	convective mass diffusivity per area	property	$m^{-1} s$	74
96	rho_N	rho	mass density	property	$kg m^{-3}$	71

7 fluid

var symbol documentation type	units eqs
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8 solid

	var	symbol	documentation	type	units	eqs
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9 liquid

var	symbol	documentation	type	units	eqs

10 gas

	var	symbol	documentation	type	units	eqs
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11 control-gas

	1	I	I			<u> </u>	
	var	symbol	documentation	type	units	eqs	
12	gas-control						
	var	symbol	documentation	type	units	eqs	
13							
	var	symbol	documentation	type	units	eqs	
14	liquid-control						
	var	symbol	documentation	type	units	eqs	
15	control-materi	alDB					
	var	symbol	documentation	type	units	eqs	
16	16 materialDB-control						
	var	symbol	documentation	type	units	eqs	

17 control-solid

		T	T	Γ	Γ	1	
	var	symbol	documentation	type	units	eqs	
18	18 solid-control						
	var	symbol	documentation	type	units	eqs	
19	19 gas-materialDB						
	var	symbol	documentation	type	units	eqs	
20	$0 { m material DB-gas}$						
	var	symbol	documentation	type	units	eqs	
21 liquid-materialDB							
	var	symbol	documentation	type	units	eqs	
22 materialDB-liquid							
	var	symbol	documentation	type	units	eqs	
46	$k^{q_x} A_{,dt}$	kq_x	link to get heat transfer coefficient	transform	$kg K^{-1} s^{-3}$	32	

23 materialDB-solid

	var	symbol	documentation	type	units	eqs	
24	$\operatorname{solid-materialDB}$						
	var	symbol	documentation	type	units	eqs	
25	$25~{ m gas-liquid}$						
	var	symbol	documentation	type	units	eqs	
26	26 gas–solid						
	var	symbol	documentation	type	units	eqs	
27	27 liquid-solid						
	var	symbol	documentation	type	units	eqs	

28 Equations

28.1 Model equations

	no	equation	documentation	layer
1	1	$1\backslash 2:=Set(\#,-)$	one half	root
2	2	0 := Set(#, -)	zero	root
3	3	$\partial t_{N,dt} := diffSpace(t_N)$	differential time	root
65	65	$n_{NS} := \int_{to_N}^{te_N} \dot{n}_{NS,dt} \ dt_N + n^0_{NS}$	integration of differential species balances	macroscopic
		$T_N := \frac{\partial U_N}{\partial S_N}$	definition of temperature	physical
5	5	$p_N := \left(-\frac{\partial U_N}{\partial V_N}\right)$ $H_N := U_N + p_N \cdot V_N$ $v_{xN} := \frac{\partial r_{xN}}{\partial t_N}$	definition of pressure	physical
7	7	$H_N := U_N + p_N \cdot V_N$	definition of enthalpy	physical
8	8	$v_{xN} := \frac{\partial r_{xN}}{\partial t_N}$	definition of velocity in x direction	physical
10	10	$A_{xN} := r_{y_N} \cdot r_{z_N}$	area at location x	physical
14	14	$c_{p_N} := \frac{\partial H_N}{\partial T_N}$	heat capacity at constant pressure	materialDB
18	18	$\mu_{NS} := \frac{\partial U_N}{\partial n_{NS}}$	definition of chemical potential	physical
31	31	$k^{q_x}{}_{A,dt} := \left(-P_{N,A,dt}\right) \stackrel{N}{\star} \left(\left(V_N\right)^{-1} \cdot \frac{\partial U_N}{\partial T_N} \cdot v_{xN}\right)$	heat transfer coefficient for an event- dynamic transfer system	materialDB
32	32	$k^{q_x}{}_{A,dt} := k^{q_x}{}_{A,dt}$	link to get heat transfer coefficient	materialDB »> liquid
39	39	$\hat{q}_{N,dt} := F_{N,A} \stackrel{A}{\star} \left(\left(-k^{q_x}{}_{A,dt} \right) . A_{xN} . F_{N,A} \stackrel{N}{\star} T_N \right)$	heat flow	macroscopic
41	41	$n^0{}_{NS} := Set(n_{NS}, -)$	initial condition	macroscopic

	no	equation	documentation	layer
42	42	$c_{NS} := \left(V_N\right)^{-1} \odot n_{NS}$	molar concentration	macroscopic
43	43	$c_{KS} := P_{NS,KS} \stackrel{NS}{\star} c_{NS}$	molar concentrations assigned to reaction K	macroscopic
44	44	$N_{NS,NK} := P_{NS,KS} \stackrel{KS}{\star} N_{K,KS} \stackrel{K}{\star} P_{K,NK}$	global stoichiomety block matrix	macroscopic
45	45	$T_{NK} := P_{N,NK} \stackrel{N}{\star} T_N$	temperature for reactions	macroscopic
46	46	$K_{NK,dt} := K^o{}_{K,dt} \odot exp(E^A{}_K \odot (R \cdot T_{NK})^{-1})$	reaction "constants"	macroscopic
47	47	$c^o{}_{KS} := Set(c_{KS}, -)$	norming concentration – probability must have no units!	macroscopic
49	49	$x_{KS} := \left(c^o_{KS}\right)^{-1} \cdot c_{KS}$	normed concentration little like more fractions	macroscopic
52	52	$\phi_{NK} := P_{NK,KS} \overset{KS}{\star} \left(\prod \left(x_{KS}^{N_{K,KS}} \right) \right)$	probability for the reactions to occur	macroscopic
53	53	$\xi_{NK,dt} := K_{NK,dt} \cdot \phi_{NK}$	dyamic extend of reaction	macroscopic
54	54	$ ilde{n}_{NS,dt} := V_N \odot \left(N_{NS,NK} \stackrel{NK}{\star} \xi_{NK,dt} \right)$	production term	macroscopic
56	56	$\hat{V}_{A,dt} := F_{N,A} \stackrel{A}{\star} \left(-k_{x}^{V}_{A,dt} \right) . A_{xN} . F_{N,A} \stackrel{N}{\star} p_{N}$	volumetric flow	macroscopic
57	57	$d_A := \operatorname{sign}\left(F_{N,A} \stackrel{N}{\star} p_N\right)$	direction of flow relative to reference co- ordinate	macroscopic
58	58	$S_{NS,AS} := 1 \backslash 2 \cdot (F_{NS,AS} - d_A \odot F_{NS,AS})$	selection of the flow sources	macroscopic
59	59	$c_{AS} := S_{NS,AS} \stackrel{NS}{\star} c_{NS}$	concentration in the convective flows	macroscopic
60	60	$\hat{n}_{NS,dt}^{v} := F_{NS,AS} \overset{AS}{\star} \left(\hat{V}_{A,dt} \odot c_{AS} \right)$	convective species flow	macroscopic
61	61	$\hat{n}_{NS,dt}^{d} := A_{xN} \odot F_{NS,AS} \overset{AS}{\star} \left(\left(-k_{x}^{n_{d}} {}_{AS,dt} \right) \cdot F_{NS,AS} \overset{NS}{\star} \mu_{NS} \right)$	diffusional species flows	macroscopic

	no	equation	documentation	layer
62	62	$\dot{n}_{NS,dt} := \hat{n}_{NS,dt}^v + \hat{n}_{NS,dt}^d + \tilde{n}_{NS,dt}$	differential species balances	macroscopic
63		$to_N := Set(t_N, -)$	initial time	root
64	64	$te_N := Set(t_N, -)$	end time	root
72	72	$kd_x := \left(v_{xN} \cdot (V_N)^{-1} \odot (\mu_{NS})^{-1}\right) \cdot \frac{\partial U_N}{\partial \mu_{NS}}$ $kc_{xN} := \left(mm_S \overset{S \in NS}{\star} (\mu_{NS})^{-1}\right) \cdot (V_N)^{-1} \cdot \frac{\partial U_N}{\partial p_N} \cdot v_{xN}$	diffusional mass diffusivity per area.	materialDB
74	74	$kc_{xN} := \left(mm_S \overset{S \in NS}{\star} (\mu_{NS})^{-1}\right) \cdot (V_N)^{-1} \cdot \frac{\partial U_N}{\partial p_N} \cdot v_{xN}$	convective mass diffusivity per area	materialDB
71	71	$rho_N := m_N \cdot (V_N)^{-1}$	mass density	materialDB

28.2 Instantiations