1 Variables

2 root

| | var | symbol | documentation | type | units | eqs |
|----|------------|------------|---------------------------------------|------------|-------|-----|
| 10 | $F_{N,A}$ | F | basic directed graph incidence matrix | network | | |
| 48 | $I_{N,A}$ | I_N_A | project node on arc | projection | | |
| 97 | I_A | I_A | vector of ones of length arcs | projection | | |
| 96 | I_N | I_N | vector of ones of length nodes | projection | | |
| 6 | t^e | te | time end | frame | s | 4 |
| 9 | Δ | pulse | pulse of length time interval | frame | | 7 |
| 4 | t | t | time | frame | s | |
| 7 | Δt | t_interval | time interval | frame | s | 5 |
| 5 | t^o | to | time zero | frame | s | 3 |
| 1 | # | value | numerical value | constant | | |
| 3 | 0 | zero | numerical value zero | constant | | 2 |
| 8 | 0.5 | onehalf | numerical one half | constant | | 6 |
| 2 | 1 | one | numerical one | constant | | 1 |

3 physical

| | var | symbol | documentation | type | units | eqs |
|-----|-------------|---------|-------------------------------------|------------|-------------------------------------|------------------|
| 98 | I_S | I_S | vector of ones of length sepecies | projection | | |
| 170 | S_S | S_S | species selection | projection | | |
| 11 | ℓ_N | 1 | length | frame | m | |
| 12 | r_{xN} | r_x | x-direction | frame | m | 8 |
| 189 | h_N | height | height | frame | m | 176 |
| 14 | r_{zN} | r_z | z-direction | frame | m | 10 |
| 13 | r_{yN} | r_y | y-direction | frame | $\mid m \mid$ | 9 |
| 17 | S_N | S | fundamental state - entropy | state | $kg m^2 K^{-1} s^{-2}$ | |
| 24 | G_N | G | Gibbs free energy | state | $kg m^2 s^{-2}$ | 18 |
| 18 | $n_{N,S}$ | n | fundamental state - molar mass | state | mol | 129 |
| 16 | U_N | U | fundamental state - internal energy | state | $kg m^2 s^{-2}$ | |
| 25 | C_N | С | fundamental state - charge | state | A s | |
| 15 | V_N | V | fundamental state - volume | state | m^3 | 11 |
| 23 | A_N | A | Helmholts energy | state | $kg m^2 s^{-2}$ | 17 |
| 22 | H_N | н | Enthalpy | state | $kg m^2 s^{-2}$ | 15 128 161 |
| 34 | R_N | R | Gas constant | constant | $kg m^2 mol^{-1} K^{-1} s^{-2}$ | 25 |
| 190 | g | g | gravitational constant | constant | ms^{-2} | |
| 33 | B_N | Boltz | Boltzmann constant | constant | $kg m^2 K^{-1} s^{-2}$ | 24 |
| 32 | A^v | Av | Avogadro number | constant | mol^{-1} | |
| 19 | T_N | Т | temperature | effort | K | 16 162 |
| 21 | $\mu_{N,S}$ | chemPot | chemical potential | effort | $kg m^2 mol^{-1} s^{-2}$ | 14 88 |

| | var | symbol | documentation | type | units | eqs |
|----|-----------|--------|--------------------------------|----------------|------------------------|-----|
| 20 | p_N | р | pressure | effort | $kg m^{-1} s^{-2}$ | 13 |
| 35 | $U^e{}_N$ | Ue | electrical potential – voltage | effort | $kg m^2 A^{-1} s^{-3}$ | 26 |
| 29 | v_{zN} | v_z | velocity in z-direction | secondaryState | ms^{-1} | 21 |
| 27 | v_{xN} | v_x | velocity in x-direction | secondaryState | ms^{-1} | 19 |
| 28 | v_{yN} | v_y | velocity in y-direction | secondaryState | ms^{-1} | 20 |

4 reactions

| | var | symbol | documentation | type | units | eqs |
|-----|------------------|------------------------|---|-------------------------|-----------------------------|-----|
| 113 | $P_{N,K}$ | P_N_K | what node has what reaction | projection | | |
| 114 | $T_{N,K}$ | T_K | temparature of the nodes with reactions | effort | K | 99 |
| 129 | $ar{n}_{N,S,K}$ | cn_NK | normed concentration – context node and conversion | ${\bf secondary State}$ | | 113 |
| 128 | $ar{n}_{N,S}$ | cn | normed concentration | ${\bf secondary State}$ | | 112 |
| 118 | $N_{S,K}$ | N | stoichiometric matrix | properties | | |
| 126 | $c^n{}_{N,S}$ | c_norming | norming concentration used in the definition of the species interaction probability | properties | $m^{-3} mol$ | 110 |
| 131 | $\phi_{N,K}$ | interactionProbability | probability for the species to meet to undergo reaction | properties | | 115 |
| 134 | $K^o{}_K$ | Ко | Arrhenius frequency factor – a strange construction | properties | $m^{-3} mol s^{-1}$ | 118 |
| 135 | $K_{N,K}$ | K | reaction"constant | properties | $m^{-3} mol s^{-1}$ | 119 |
| 115 | $E_{aN,K}$ | Ea | Arrhenius activation energy | properties | $kg m^2 mol^{-1} s^{-2}$ | 100 |
| 136 | $	ilde{n}_{N,S}$ | nProd | production term for differential component mass balance | conversion | $mol s^{-1}$ | 120 |

5 material

| | var | symbol | documentation | type | units | eqs |
|-----|------------------------|-----------|--|----------|-----------------------------|-----|
| 47 | $h_{N,S}$ | h | partial molar enthalpies | property | $kg m^2 mol^{-1} s^{-2}$ | 38 |
| 55 | k_{xA}^q | kq_x_A | thermal conductivity in x-direction in arc | property | $kg K^{-1} s^{-3}$ | 45 |
| 26 | λ_S | Mm | species' molecular mass | property | $kg mol^{-1}$ | |
| 61 | $k_x^{d,Fick}{}_{A,S}$ | kd_x_Fick | Fick's diffusivity in arc and x-direction | property | ms^{-1} | 51 |
| 57 | k_{zA}^{q} | kq_z_A | thermal conductivity in z-direction in arc | property | $kg K^{-1} s^{-3}$ | 47 |
| 60 | v_S | v | molar volume of species | property | $m^3 mol^{-1}$ | 50 |
| 172 | cp_N | ср | specific heat capacity at constant pressure | property | $m^2 K^{-1} s^{-2}$ | 156 |
| 44 | k_{xN}^c | kc_x | convective mass conductivity in x-direction | property | $m^{-1} s$ | 35 |
| 53 | $k_{yA,S}^d$ | kd_y_A | diffusional mass conductivity in y-direction in arc | property | $kg^{-1} m^{-4} mol^2 s$ | 43 |
| 37 | C_{vN} | Cv | total heat capacity at constant volume | property | $kg m^2 K^{-1} s^{-2}$ | 28 |
| 59 | $ ho_N$ | density | density | property | $kg m^{-3}$ | 49 |
| 43 | $k_{zN,S}^d$ | kd_z | diffusional mass conductivity in z-direction | property | $kg^{-1} m^{-4} mol^2 s$ | 34 |
| 52 | $k_{xA,S}^d$ | kd_x_A | diffusional mass conductivity in x-direction in arc | property | $kg^{-1} m^{-4} mol^2 s$ | 42 |
| 89 | ρ_A | density_A | density of arc material | property | $kg m^{-3}$ | 78 |
| 58 | m_N | m | mass | property | kg | 48 |
| 62 | $k_y^{d,Fick}{}_{A,S}$ | kd_y_Fick | Fick's diffusivity in arc and y-direction | property | ms^{-1} | 52 |
| 51 | k_{zA}^{c} | kc_z_A | convective mass conductivity in z-direction in arc | property | $m^{-1} s$ | 41 |
| 50 | k_{yA}^c | kc_y_A | convective mass conductivity in y-direction in arc | property | $m^{-1} s$ | 40 |
| 171 | $k^{e,x}{}_N$ | kex | electrical conductivity – a simple model being a function of a selected set of species | property | $kg^{-1} m^{-2} A^2 s^3$ | 155 |
| 49 | k_{xA}^c | kc_x_A | convective mass conductivity in x-direction in arc | property | $m^{-1} s$ | 39 |
| 36 | C_{pN} | Ср | total heat capacity at constant pressure | property | $kg m^2 K^{-1} s^{-2}$ | 27 |
| 107 | $h_{A,S}$ | h_A | partial molar enthalpies of transport system | property | $kg m^2 mol^{-1} s^{-2}$ | 93 |

| | var | symbol | documentation | type | units | eqs |
|-----|------------------------|-----------|---|----------|-----------------------------|-----|
| 42 | $k_{yN,S}^d$ | kd_y | diffusional mass conductivity in z-direction | property | $kg^{-1} m^{-4} mol^2 s$ | 33 |
| 46 | k_{zN}^c | kc_z | convective mass conductivity in z-direction | property | $m^{-1} s$ | 37 |
| 39 | k_{yN}^q | kq_y | thermal conductivity in y-direction | property | $kg K^{-1} s^{-3}$ | 30 |
| 54 | $k_{zA,S}^d$ | kd_z_A | diffusional mass conductivity in z-direction in arc | property | $kg^{-1} m^{-4} mol^2 s$ | 44 |
| 38 | k_{xN}^q | kq_x | thermal conductivity in x-direction | property | $kg K^{-1} s^{-3}$ | 29 |
| 56 | k_{yA}^q | kq_y_A | thermal conductivity in y-direction in arc | property | $kg K^{-1} s^{-3}$ | 46 |
| 63 | $k_z^{d,Fick}{}_{A,S}$ | kd_z_Fick | Fick's diffusivity in arc and z-direction | property | ms^{-1} | 53 |
| 40 | k_{zN}^q | kq_z | thermal conductivity in z-direction | property | $kg K^{-1} s^{-3}$ | 31 |
| 41 | $k_{xN,S}^d$ | kd_x | diffusional mass conductivity in x-direction | property | $kg^{-1} m^{-4} mol^2 s$ | 32 |
| 45 | k_{yN}^c | kc_y | convective mass conductivity in y-direction | property | $m^{-1} s$ | 36 |
| 168 | $R^e{}_N$ | Re | electrical resistance | property | $kg m^2 A^{-2} s^{-3}$ | 154 |
| 102 | $\mu^o{}_{N,S}$ | chemPot_o | standard chemical potential | effort | $kg m^2 mol^{-1} s^{-2}$ | 86 |

6 macroscopic

| | var | symbol | documentation | type | units | eqs |
|-----|-----------------------|-----------------------------------|---|-----------|-------------------|------------|
| 104 | $\dot{n}^d{}_{N,S}$ | and | accumulation due to diffusional mass transfer | transport | $mol s^{-1}$ | 90 |
| 110 | $\hat{H}^d{}_A$ | fHd | enthalpy flow due to diffusive mass flow | transport | kgm^2s^{-3} | 96 |
| 206 | $\dot{E}^m{}_A$ | aE_mechanical | accumulation of mechanical work | transport | kgm^2s^{-3} | 192 |
| 196 | L_A | length_pipe | length of pipe | transport | m | 181 |
| 200 | $\dot{E}^k{}_A$ | aE_kinetic | net kinetic energy | transport | kgm^2s^{-3} | 185 |
| 101 | $\hat{n}^d{}_{A,S}$ | fnd | diffusional mass flow in arc | transport | $mol s^{-1}$ | 85 89 |
| 111 | $\dot{H}^c{}_N$ | aHc | enthalpy accumulation due to convective mass flow | transport | kgm^2s^{-3} | 97 |
| 93 | $\dot{n}^c{}_{N,S}$ | anc | accumulation due to convective mass flow | transport | $mol s^{-1}$ | 82 |
| 142 | \dot{w}_N | aw | enthalpy accumulation due to work flows | transport | kgm^2s^{-3} | 126 |
| 83 | \hat{q}_{xA} | fq_x | heat flow in arc and x-direction | transport | kgm^2s^{-3} | 72 |
| 87 | $c_{A,S}$ | c_A | concentration in convective mass flow | transport | $m^{-3} mol$ | 76 |
| 112 | $\dot{H}^d{}_N$ | aHd | enthalpy accumulation due to diffusive mass flow | transport | kgm^2s^{-3} | 98 |
| 86 | d_A | d | fow direction of convective flow | transport | | 75 |
| 188 | \hat{m}_A | fm | mass flow rate | transport | $kg s^{-1}$ | 174 |
| 201 | $\dot{E}^{p}{}_{A}$ | aE_potential | net potential energy | transport | kgm^2s^{-3} | 186 |
| 84 | \dot{q}_N | aq | accumulation due to conductive heat flow | transport | kgm^2s^{-3} | 73 |
| 205 | $\dot{w}^{V}{}_{A}$ | fw_V | net volume work | transport | kgm^2s^{-3} | 191 |
| 141 | \hat{w}_A | fw | just an numerical work flow term – as a starter | transport | $kg m^2 s^{-3}$ | 125 189 |
| 109 | $\hat{H}^c{}_A$ | fHc | enthalpy flow due to convective mass flow | transport | kgm^2s^{-3} | 95 |
| 207 | $residual_a E_m echa$ | m res lidual_aE_mechanical | residual form of differential mechanical energy balance | transport | $kg m^2 s^{-3}$ | 193 |

| | var | symbol | documentation | type | units | eqs |
|-----|---------------------|-----------------------|--|--------------------|---------------|-------------------------|
| 91 | \hat{V}_A | fV | volumetric flow | transport | $m^3 s^{-1}$ | 80 172 175 194 |
| 92 | $\hat{n}^c{}_{A,S}$ | fnc | convective mass flow in an arc | transport | $mol s^{-1}$ | 81 |
| 166 | I_N | I | electric current definition | transport | A | 152 |
| 65 | A_{xyN} | A_xy | cross sectional area xy | geometry | m^2 | 54 |
| 67 | A_{yzN} | A_yz | cross sectional area yz | geometry | m^2 | 56 |
| 69 | A_{xzA} | A_xz_A | cross sectional area xz of arc | geometry | m^2 | 58 |
| 68 | A_{xyA} | A_xy_A | cross sectional area yz of arc | geometry | m^2 | 57 |
| 66 | A_{xzN} | A_xz | cross sectional area xz | geometry | m^2 | 55 |
| 70 | A_{yzA} | A_yz_A | cross sectional area yz of arc | geometry | m^2 | 59 |
| 191 | f | friction_coeff | friction coefficient | properties | | |
| 203 | $f^l{}_A$ | friction_coeff_linear | friction coefficient for linear model | properties | $kgms^{-3}$ | 188 |
| 186 | $k^{valve}{}_A$ | valveConstant | valve constant – pressure difference must be dimensionless | properties | $m^3 s^{-1}$ | 171 |
| 64 | $D_{N,A}$ | D | difference operator | differenceOperator | | |
| 145 | $n^o{}_{N,S}$ | no | initial species masses | state | mol | 131 |
| 144 | $H^o{}_N$ | Но | initial enthalpy | state | kgm^2s^{-2} | 130 |
| 99 | $n^t{}_N$ | nt | total amount | secondaryState | mol | 83 |
| 148 | $c^o{}_{N,S}$ | c_norming | norming concentration | secondaryState | $m^{-3} mol$ | 134 |
| 146 | $T^o{}_N$ | T_norming | norming temperature | secondaryState | K | 132 |
| 100 | $x_{N,S}$ | x | concentration mole fraction | secondaryState | | 84 |
| 149 | $ar{T}^o{}_N$ | T_normed | normed temperature | secondaryState | | 135 |
| 150 | $ar{p}^o{}_N$ | p_normed | normed pressure | secondaryState | | 136 |
| 151 | $ar{c}^o{}_{N,S}$ | c_normed | normed concentration | secondaryState | | 137 |

| | var | symbol | documentation | type | units | eqs |
|-----|---------------------|--------------|--------------------------------|----------------|---------------------------|-----|
| 192 | v_{xA} | v_x_A | velocity in arc | secondaryState | ms^{-1} | 177 |
| 85 | $c_{N,S}$ | С | molar concentration | secondaryState | $m^{-3} mol$ | 74 |
| 174 | m_N | m | mass | secondaryState | kg | 158 |
| 175 | C_{pN} | Ср | total heat capacity | secondaryState | $kg m^2 K^{-1} s^{-2}$ | 159 |
| 176 | $T^{ref}{}_N$ | T_ref | reference temperature | secondaryState | K | 160 |
| 147 | $p^o{}_N$ | p_norming | normed pressure | secondaryState | $kg m^{-1} s^{-2}$ | 133 |
| 138 | $\dot{n}^p{}_{N,S}$ | anProduction | production term | conversion | $mol s^{-1}$ | 122 |
| 143 | \dot{H}_N | аН | differential enthalpy balance | diffState | $kg m^2 s^{-3}$ | 127 |
| 139 | $\dot{n}_{N,S}$ | an | differentional species balance | diffState | $mol s^{-1}$ | 123 |

7 control

| | var | symbol | documentation | type | units | eqs |
|-----|----------------------|--------------------|--------------------------------------|-----------|----------|------------|
| 185 | t_{sA} | t_switch_A | switching times | frame | S | 169 |
| 179 | x_N | x | controller state | state | | 165 |
| 183 | $x^o{}_N$ | xo | initial controller state | state | | 166 |
| 158 | $m^{m\star}{}_{A,S}$ | setpoint_matrix | setpoiint for measurment matrix | constant | | 145 |
| 159 | P | P | gain | constant | | |
| 181 | $I_{N,D}$ | I_N_D | map differential space to node space | constant | | |
| 157 | $m^{v\star}{}_A$ | setpoint_vector | setpoint for measurement vector | constant | | 144 |
| 178 | $B_{A,D}$ | В | LTIS B-matrix | constant | s^{-1} | |
| 177 | $A_{N,D}$ | A | LTIS A-matrix | constant | s^{-1} | |
| 182 | \dot{x}_D | dxdt | differential controller state | diffState | s^{-1} | 164 |
| 161 | $e^m{}_{A,S}$ | error_matrix | output error matrix | algebraic | | 147 |
| 155 | m_A | measurement_vector | normed measurements of temparatures | algebraic | | 141 142 |
| 162 | $u^{v}{}_{A}$ | u_vector | control ouput vector | algebraic | | 148 170 |
| 163 | $u^m{}_{A,S}$ | u_matrix | control output matrix | algebraic | | 149 |
| 160 | $e^{v}{}_{A}$ | error_vector | output error vector | algebraic | | 146 |
| 156 | $m_{A,S}$ | measurement_matrix | normed measurment of concentration | algebraic | | 143 |

8 control-macroscopic

| | var | symbol | documentation | type | units | eqs |
|-----|-----------------|------------------|---|------|-------|-----|
| 164 | $_m^m{}_{A,S}$ | _setpoint_matrix | link variable setpoint matrix to interface control »> macroscopic | get | | 150 |
| 165 | $_m^v{}_A$ | _setpoint_vector | link variable setpoint vector to interface control »> macroscopic | get | | 151 |
| 187 | $_u^v{}_A$ | _u_vector | link variable u vector to interface control »> macroscopic | get | | 173 |

9 reactions-macroscopic

| | var | symbol | documentation | type | units | eqs |
|-----|---------------------|--------|---|------|-----------------------------|-----|
| 137 | $_{	ilde{n}_{N,S}}$ | _nProd | link variable nProd to interface reactions $\gg>$ macroscopic | get | $mol s^{-1}$ | 121 |
| 123 | $_T_{N,K}$ | _T_K | link variable T K to interface reactions »> macroscopic | get | K | 107 |
| 119 | $_E^a{}_{N,K}$ | _Ea | link variable Ea to interface reactions »> macroscopic | get | $kg m^2 mol^{-1} s^{-2}$ | 103 |
| 122 | NS,K | _N | link variable N to interface reactions »> macroscopic | get | | 106 |

$10 \quad {\rm macroscopic-reactions}$

| | var | symbol | documentation | type | units | eqs |
|-----|-------------|--------|--|------|---------------|-----|
| 125 | $_c_{N,S}$ | _c | link variable c to interface macroscopic $\gg >$ reactions | get | $m^{-3} mol$ | 109 |

$11 \quad {\rm macroscopic-material}$

| | var | symbol | documentation | type | units | eqs |
|-----|-------------|--------|--|------|-------|-----|
| 167 | IN | _I | link variable I to interface macroscopic »> material | get | A | 153 |
| 103 | $_x_{N,S}$ | _x | link variable x to interface macroscopic »> material | get | | 87 |

$12 \quad \text{material-macroscopic} \\$

| | var | symbol | documentation | type | units | eqs |
|-----|--------------------------|------------|--|------|-----------------------------|-----|
| 88 | $_{-} ho_{N}$ | _density | link variable density to interface material $\gg>$ macroscopic | get | kgm^{-3} | 77 |
| 79 | $-k_z^{d,Fick}{}_{A,S}$ | _kd_z_Fick | link variable kd z Fick to interface material »> macroscopic | get | ms^{-1} | 68 |
| 72 | $-k_{yA}^c$ | _kc_y_A | link variable kc y A to interface material »> macroscopic | get | $m^{-1} s$ | 61 |
| 81 | $-k_{yA}^q$ | _kq_y_A | | get | $kg K^{-1} s^{-3}$ | 70 |
| 90 | _\rho_A | _density_A | link variable density A to interface material »> macroscopic | get | $kg m^{-3}$ | 79 |
| 74 | $-k_{xA,S}^d$ | _kd_x_A | link variable kd x A to interface material $\gg>$ macroscopic | get | $kg^{-1} m^{-4} mol^2 s$ | 63 |
| 77 | $-k_{yA,S}^d$ | _kd_y_A | link variable kd y A to interface material »> macroscopic | get | $kg^{-1} m^{-4} mol^2 s$ | 66 |
| 78 | $-k_z^d A,S$ | _kd_z_A | link variable kd z A to interface material »> macroscopic | get | $kg^{-1} m^{-4} mol^2 s$ | 67 |
| 76 | $-k_y^{d,Fick}{}_{A,S}$ | _kd_y_Fick | link variable kd y Fick to interface material »> macroscopic | get | ms^{-1} | 65 |
| 82 | $-k_z^q{}_A$ | _kq_z_A | link variable kq z A to interface material »> macroscopic | get | $kg K^{-1} s^{-3}$ | 71 |
| 30 | $_{-}\lambda_{S}$ | _Mm | link variable Mm to interface material »> macroscopic | get | $kg mol^{-1}$ | 22 |
| 106 | $_h_{N,S}$ | _h | link variable h to interface material »> macroscopic | get | $kg m^2 mol^{-1} s^{-2}$ | 92 |
| 75 | $_k_x^{d,Fick}{}_{A,S}$ | _kd_x_Fick | link variable kd x Fick to interface material »> macroscopic | get | ms^{-1} | 64 |
| 71 | $_k_{xA}^c$ | _kc_x_A | link variable kc x A to interface material $\gg>$ macroscopic | get | $m^{-1} s$ | 60 |

| | var | symbol | documentation | type | units | eqs |
|-----|---------------|---------|---|------|--------------------------|-----|
| 73 | $-k_{zA}^{c}$ | _kc_z_A | link variable kc z A to interface material $\gg>$ macroscopic | get | $m^{-1} s$ | 62 |
| 108 | $_h_{A,S}$ | _h_A | link variable h A to interface material »> macroscopic | get | $kg m^2 mol^{-1} s^{-2}$ | 94 |
| 80 | $-k_{xA}^{q}$ | _kq_x_A | link variable kq x A to interface material $\gg $ macroscopic | get | $kg K^{-1} s^{-3}$ | 69 |
| 173 | $_c_{pN}$ | _cp | link variable cp to interface material »> macroscopic | get | $m^2 K^{-1} s^{-2}$ | 157 |

13 macroscopic-control

| | var | symbol | documentation | type | units | eqs |
|-----|---------------|-----------|--|------|-------|-----|
| 152 | $-ar{p}_N$ | _p_normed | link variable p normed to interface macroscopic »> control | get | | 138 |
| 153 | $-ar{T}_N$ | _T_normed | link variable T normed to interface macroscopic »> control | get | | 139 |
| 154 | $ar{c}_{N,S}$ | _c_normed | link variable c normed to interface macroscopic »> control | get | | 140 |

14 Equations

15 Generic

| no | equation | documentation | layer |
|----|--|-------------------------------|----------|
| 1 | $1 := \mathbf{Instantiate}(\#, \#)$ | numerical one | root |
| 2 | $0 := \mathbf{Instantiate}(\#, \#)$ | numerical value zero | root |
| 3 | $t^o := \mathbf{Instantiate}(t, 0)$ | time zero | root |
| 4 | $t^e := \mathbf{Instantiate}(t, \#)$ | time end | root |
| 5 | $\Delta t := \mathbf{Instantiate}(t, \#)$ | time interval | root |
| 6 | $0.5 := \mathbf{Instantiate}(\#, \#)$ | numerical one half | root |
| 7 | $\Delta := \mathbf{sign} \left(t - t^o \right) - \mathbf{sign} \left(t - (t^o - \Delta t) \right)$ | pulse of length time interval | root |
| 8 | $r_{xN} := \mathbf{Instantiate}(\ell_N, \#)$ | x-direction | physical |
| 9 | $r_{yN} := \mathbf{Instantiate}(\ell_N, \#)$ | y-direction | physical |
| 10 | $r_{zN} := \mathbf{Instantiate}(\ell_N, \#)$ | z-direction | physical |
| 11 | $V_N := r_{xN} \cdot r_{yN} \cdot r_{zN}$ | volume | physical |
| 13 | $p_N := \frac{\partial U_N}{\partial V_N}$ | pressure | physical |
| 14 | $\mu_{N,S} := \frac{\partial U_N}{\partial n_{N,S}}$ | chemical potential | physical |
| 15 | $H_N := U_N - p_N \cdot V_N$ | Enthalpy | physical |
| 16 | $T_N := \frac{\partial U_N}{\partial S_N}$ | temperature | physical |
| 17 | $A_N := U_N - T_N \cdot S_N$ | Helmholts energy | physical |

| no | equation | documentation | layer |
|----|--|--|----------|
| 18 | $G_N := U_N + p_N \cdot V_N - T_N \cdot S_N$ | Gibbs free energy | physical |
| 19 | $v_{xN} := (t)^{-1} \cdot r_{xN}$ | velocity in x-direction | physical |
| 20 | $v_{yN} := (t)^{-1} \cdot r_{yN}$ | velocity in y-direction | physical |
| 21 | $v_{zN} := (t)^{-1} \cdot r_{zN}$ | velocity in z-direction | physical |
| 24 | $B_N := \mathbf{Instantiate}(S_N, \#)$ | Boltzmann constant | physical |
| 25 | $R_N := A^v \cdot B_N$ | Gas constant | physical |
| 26 | $U^e_N := \left(C_N\right)^{-1} . U_N$ | electrical potential – voltage | physical |
| 27 | $C_{pN} := rac{\partial H_N}{\partial T_N}$ | total heat capacity at constant pressure | material |
| 28 | $C_{vN} := rac{\partial U_N}{\partial T_N}$ | total heat capacity at constant volume | material |
| 29 | $k_{xN}^q := (V_N)^{-1} \cdot C_{pN} \cdot v_{xN}$ | thermal conductivity in x-direction | material |
| 30 | $k_{yN}^q := (V_N)^{-1} \cdot C_{pN} \cdot v_{yN}$ | thermal conductivity in y-direction | material |
| 31 | $k_{zN}^q := (V_N)^{-1} \cdot C_{pN} \cdot v_{zN}$ | thermal conductivity in z-direction | material |
| 32 | $k_{xN,S}^d := \left(\mu_{N,S}\right)^{-1} \cdot \left(v_{xN} \cdot \left(\left(V_N\right)^{-1} \cdot \frac{\partial U_N}{\partial \mu_{N,S}}\right)\right)$ | diffusional mass conductivity in x-direction | material |
| 33 | $k_{yN,S}^d := (\mu_{N,S})^{-1} \cdot \left(v_{yN} \cdot \left((V_N)^{-1} \cdot \frac{\partial U_N}{\partial \mu_{N,S}} \right) \right)$ | diffusional mass conductivity in y- direction | material |
| 34 | $k_{zN,S}^d := (\mu_{N,S})^{-1} \cdot \left(v_{zN} \cdot \left((V_N)^{-1} \cdot \frac{\partial U_N}{\partial \mu_{N,S}} \right) \right)$ | diffusional mass conductivity in z- direction | material |
| 35 | $k_{xN}^c := \left(\lambda_S \star (\mu_{N,S})^{-1}\right) \cdot (V_N)^{-1} \cdot \frac{\partial U_N}{\partial p_N} \cdot v_{xN}$ | convective mass conductivity in x-direction | material |

| no | equation | documentation | layer |
|----|---|---|----------|
| 36 | $k_{yN}^c := \left(\lambda_S \star (\mu_{N,S})^{-1}\right) \cdot (V_N)^{-1} \cdot \frac{\partial U_N}{\partial p_N} \cdot v_{yN}$ | convective mass conductivity in y-direction | material |
| 37 | $k_{zN}^c := \left(\lambda_S \star (\mu_{N,S})^{-1}\right) \cdot (V_N)^{-1} \cdot \frac{\partial U_N}{\partial p_N} \cdot v_{zN}$ | convective mass conductivity in z-direction | material |
| 38 | $h_{N,S} := H_N \cdot \left(n_{N,S} \right)^{-1}$ | partial molar enthalpies | material |
| 39 | $k_{xA}^c := I_{N,A} \star k_{xN}^c$ | convective mass conductivity in x-direction in arc | material |
| 40 | $k_{yA}^c := I_{N,A} \star k_{yN}^c$ | convective mass conductivity in y- direction in arc | material |
| 41 | $k_{zA}^c := I_{N,A} \star k_{zN}^c$ | convective mass conductivity in z-direction in arc | material |
| 42 | $k_{xA,S}^d := I_{N,A} \star k_{xN,S}^d$ | diffusional mass conductivity in x-direction in arc | material |
| 43 | $k_{yA,S}^d := I_{N,A} \star k_{yN,S}^d$ | diffusional mass conductivity in z-direction in arc | material |
| 44 | $k_{zA,S}^d := I_{N,A} \star k_{zN,S}^d$ | diffusional mass conductivity in z- direction in arc | material |
| 45 | $k_{xA}^q := I_{N,A} \star k_{xN}^q$ | thermal conductivity in x-direction in arc | material |
| 46 | $k_{yA}^q := I_{N,A} \star k_{yN}^q$ | thermal conductivity in y-direction in arc | material |
| 47 | $k_{zA}^q := I_{N,A} \star k_{zN}^q$ | thermal conductivity in z-direction in arc | material |
| 48 | $m_N := \lambda_S \star n_{N,S}$ | mass | material |

| no | equation | documentation | layer |
|----|--|---|-------------|
| 49 | $\rho_N := (V_N)^{-1} \cdot m_N$ | density | material |
| 50 | $v_S := V_N \star (n_{N,S})^{-1}$ | molar volume of species | material |
| 51 | $k_x^{d,Fick}{}_{A,S} := I_{N,A} \star \left(v_{xN} \cdot \frac{\partial U_N}{\partial \mu_{N,S}} \cdot (n_{N,S})^{-1} \right)$ | Fick's diffusivity in arc and x-direction | material |
| 52 | $k_y^{d,Fick}_{A,S} := I_{N,A} \star \left(v_{yN} \cdot \frac{\partial U_N}{\partial \mu_{N,S}} \cdot (n_{N,S})^{-1} \right)$ | Fick's diffusivity in arc and y-direction | material |
| 53 | $k_z^{d,Fick}{}_{A,S} := I_{N,A} \star \left(v_{zN} \cdot \frac{\partial U_N}{\partial \mu_{N,S}} \cdot (n_{N,S})^{-1} \right)$ | Fick's diffusivity in arc and z-direction | material |
| 54 | $A_{xyN} := r_{xN} \cdot r_{yN}$ | cross sectional area xy | macroscopic |
| 55 | $A_{xzN} := r_{xN} \cdot r_{zN}$ | cross sectional area xz | macroscopic |
| 56 | $A_{yzN} := r_{yN} . r_{zN}$ | cross sectional area yz | macroscopic |
| 57 | $A_{xyA} := I_{N,A} \star A_{xyN}$ | cross sectional area yz of arc | macroscopic |
| 58 | $A_{xzA} := I_{N,A} \star A_{xzN}$ | cross sectional area xz of arc | macroscopic |
| 59 | $A_{yzA} := I_{N,A} \star A_{yzN}$ | cross sectional area yz of arc | macroscopic |
| 72 | $\hat{q}_{xA} := A_{yzA} \cdot \underline{k_{xA}^q} \cdot (D_{N,A} \star T_N)$ | heat flow in arc and x-direction | macroscopic |
| 73 | $\dot{q}_N := F_{N,A} \star \hat{q}_{xA}$ | accumulation due to conductive heat flow | macroscopic |
| 74 | $c_{N,S} := \left(V_N\right)^{-1} . n_{N,S}$ | molar concentration | macroscopic |
| 75 | $d_A := \mathbf{sign}\left(D_{N,A} \star p_N\right)$ | fow direction of convective flow | macroscopic |
| 76 | $c_{A,S} := (0.5 \cdot (D_{N,A} - d_A \cdot D_{N,A})) \star c_{N,S}$ | concentration in convective mass flow | macroscopic |
| 78 | $ ho_A := I_{N,A} \star ho_N$ | density of arc material | material |
| 80 | $\hat{V}_A := (-\rho_A)^{-1} \cdot -k_{xA}^c \cdot A_{yzA} \cdot (D_{N,A} \star p_N)$ | volumetric flow | macroscopic |

| no | equation | documentation | layer |
|----|---|--|-------------|
| 81 | $\hat{n}^c{}_{A,S} := \hat{V}_A \cdot c_{A,S}$ | convective mass flow in an arc | macroscopic |
| 82 | $\dot{n}^c{}_{N,S} := F_{N,A} \star \hat{n}^c{}_{A,S}$ | accumulation due to convective mass flow | macroscopic |
| 83 | $n^t{}_N := I_S \star n_{N,S}$ | total amount | macroscopic |
| 84 | $x_{N,S} := \left(n^t{}_N\right)^{-1} \cdot n_{N,S}$ | concentration mole fraction | macroscopic |
| 85 | $\hat{n}^d{}_{A,S} := A_{yzA} \cdot \left(- k_x^{d,Fick}{}_{A,S} \right) \cdot \left(D_{N,A} \star c_{N,S} \right)$ | diffusional mass flow in arc | macroscopic |
| 86 | $\mu^o{}_{N,S} := \mathbf{Instantiate}(\mu_{N,S}, \#)$ | standard chemical potential | material |
| 88 | $\mu_{N,S} := \mu^o{}_{N,S} + R_N \cdot T_N \cdot \ln\left(\underline{x}_{N,S}\right)$ | chemical potential standard model with mole fraction | material |
| 89 | $\hat{n}^d{}_{A,S} := A_{yzA} \cdot \left(- k_{xA,S}^d \right) \cdot \left(D_{N,A} \star \mu_{N,S} \right)$ | diffusional mass flow in arc | macroscopic |
| 90 | $\dot{n}^d{}_{N,S} := F_{N,A} \star \hat{n}^d{}_{A,S}$ | accumulation due to diffusional mass transfer | macroscopic |
| 93 | $h_{A,S} := I_{N,A} \star h_{N,S}$ | partial molar enthalpies of transport system | material |
| 95 | $\hat{H}^c{}_A := I_S \star (h_{A,S} \cdot \hat{n}^c{}_{A,S})$ | enthalpy flow due to convective mass flow | macroscopic |
| 96 | $\hat{H}^d{}_A := I_S \star \left(\underline{\ } h_{A,S} \cdot \hat{n}^d{}_{A,S} \right)$ | enthalpy flow due to diffusive mass flow | macroscopic |
| 97 | $\dot{H}^c{}_N := F_{N,A} \star \hat{H}^c{}_A$ | enthalpy accumulation due to convective mass flow | macroscopic |
| 98 | $\dot{H}^d{}_N := F_{N,A} \star \hat{H}^d{}_A$ | enthalpy accumulation due to diffusive mass flow | macroscopic |
| 99 | $T_{N,K} := T_N \cdot P_{N,K}$ | temparature of the nodes with reactions | reactions |

| no | equation | documentation | layer |
|-----|--|---|-------------|
| 100 | $E_{aN,K} := \mathbf{Instantiate}(R_N . T_{N,K}, \#)$ | Arrhenius activation energy | reactions |
| 110 | $c^n{}_{N,S} := \mathbf{Instantiate}(_c_{N,S},\#)$ | norming concentration used in the def- inition of the species interaction proba- bility | reactions |
| 112 | $\bar{n}_{N,S} := (c^n{}_{N,S})^{-1} \cdot _c_{N,S}$ | normed concentration | reactions |
| 113 | $\bar{n}_{N,S,K} := P_{N,K} \cdot \bar{n}_{N,S}$ | normed concentration – context node and conversion | reactions |
| 115 | $\phi_{N,K} := \prod_S \bar{n}_{N,S,K}(N_{S,K})$ | probability for the species to meet to undergo reaction | reactions |
| 118 | $K^{o}_{K} := \mathbf{Instantiate}(I_{S} \star \left(P_{N,K} \star \left(\left(t\right)^{-1} . \left(V_{N}\right)^{-1} . n_{N,S}\right)\right), \#)$ | Arrhenius frequency factor – a strange construction | reactions |
| 119 | $K_{N,K} := K^o_K \cdot \exp\left((-E_{aN,K}) \cdot (R_N \cdot T_{N,K})^{-1}\right)$ | reaction"constant | reactions |
| 120 | $\tilde{n}_{N,S} := V_N \cdot (N_{S,K} \star (K_{N,K} \cdot \phi_{N,K}))$ | production term for differential component mass balance | reactions |
| 122 | $\left \left. \dot{n}^{p}{}_{N,S} := _{} \tilde{n}_{N,S} ight. ight.$ | production term | macroscopic |
| 123 | $\dot{n}_{N,S} := \dot{n}^c{}_{N,S} + \dot{n}^d{}_{N,S} + \dot{n}^p{}_{N,S}$ | differentional species balance | macroscopic |
| 125 | $\hat{w}_A := \mathbf{Instantiate}(\hat{H}^c{}_A, \#)$ | just an numerical work flow term – as a starter | macroscopic |
| 126 | $\dot{w}_N := F_{N,A} \star \hat{w}_A$ | enthalpy accumulation due to work flows | macroscopic |
| 127 | $\dot{H}_N := \dot{H}^c{}_N + \dot{H}^d{}_N + \dot{q}_N + \dot{w}_N$ | differential enthalpy balance | macroscopic |
| 128 | $H_N := \int_{t^o}^{t^e} \dot{H}_N \ dt + H^o{}_N$ | Enthalpy | macroscopic |

| no | equation | documentation | layer |
|-----|--|-------------------------------------|-------------|
| 129 | $n_{N,S} := \int_{t^o}^{t^e} \dot{n}_{N,S} \ dt + n^o{}_{N,S}$ | fundamental state - molar mass | macroscopic |
| 130 | $H^o{}_N := \mathbf{Instantiate}(H_N, \#)$ | initial enthalpy | macroscopic |
| 131 | $\left \ n^o{}_{N,S} := \mathbf{Instantiate}(n_{N,S},\#) \right $ | initial species masses | macroscopic |
| 132 | $T^o{}_N := \mathbf{Instantiate}(T_N, \#)$ | norming temperature | macroscopic |
| 133 | $p^o{}_N := \mathbf{Instantiate}(p_N, \#)$ | normed pressure | macroscopic |
| 134 | $c^o{}_{N,S} := \mathbf{Instantiate}(c_{N,S}, \#)$ | norming concentration | macroscopic |
| 135 | $\bar{T}^{o}{}_{N} := T_{N} \cdot (T^{o}{}_{N})^{-1}$ | normed temperature | macroscopic |
| 136 | $\bar{p}^o{}_N := (p_N)^{-1} \cdot p_N$ | normed pressure | macroscopic |
| 137 | $\bar{c}^{o}{}_{N,S} := (c^{o}{}_{N,S})^{-1} \cdot c_{N,S}$ | normed concentration | macroscopic |
| 141 | $m_A := F_{N,A} \star \bar{T}_N$ | normed measurements of temparatures | control |
| 142 | $m_A := F_{N,A} \star _ar{p}_N$ | normed measurements of pressures | control |
| 143 | $m_{A,S} := F_{N,A} \star _\bar{c}_{N,S}$ | normed measurment of concentration | control |
| 144 | $m^{v\star}{}_{A} := \mathbf{Instantiate}(m_{A}, \#)$ | setpoint for measurement vector | control |
| 145 | $m^{m\star}{}_{A,S} := \mathbf{Instantiate}(m_{A,S}, \#)$ | setpoiint for measurment matrix | control |
| 146 | $e^{v}_{A} := m^{v\star}_{A} - m_{A}$ | output error vector | control |
| 147 | $e^m{}_{A,S} := m^{m\star}{}_{A,S} - m_{A,S}$ | output error matrix | control |
| 148 | $\left u^{v}_{A} := P \cdot e^{v}_{A} \right $ | control ouput vector | control |
| 149 | $u^m{}_{A,S} := P \cdot e^m{}_{A,S}$ | control output matrix | control |

| no | equation | documentation | layer |
|-----|--|--|-------------|
| 152 | $I_N := \frac{dC_N}{dt}$ | electric current definition | macroscopic |
| 154 | $R^e{}_N := ({}_{IN})^{-1} . U^e{}_N$ | electrical resistance | material |
| 155 | $k^{e,x}{}_{N} := (R^{e}{}_{N})^{-1} \cdot (S_{S} \star {}_{x}N,S)$ | electrical conductivity – a simple model being a function of a selected set of species | material |
| 156 | $cp_N := C_{pN} \cdot \left(m_N \right)^{-1}$ | specific heat capacity at constant pressure | material |
| 158 | $m_N := _\lambda_S \star n_{N,S}$ | mass | macroscopic |
| 159 | $C_{pN} := m_N \cdot _c_{pN}$ | total heat capacity | macroscopic |
| 160 | $T^{ref}{}_N := \mathbf{Instantiate}(T_N, \#)$ | reference temperature | macroscopic |
| 161 | $H_N := C_{pN} \cdot \left(T_N - T^{ref}{}_N\right)$ | Enthalpy | macroscopic |
| 162 | ${T}_{N}:=\mathbf{Root}\left({H}_{N} ight)$ | temperature | macroscopic |
| 164 | $\dot{x}_D := A_{N,D} \star x_N + B_{A,D} \star m_A$ | differential controller state | control |
| 165 | $x_N := \int_{t^o}^{t^e} I_{N,D} \star \dot{x}_D \ dt + x^o_N$ | controller state | control |
| 166 | $x^o{}_N := \mathbf{Instantiate}(x_N, \#)$ | initial controller state | control |
| 169 | $t_{sA} := \mathbf{Instantiate}(I_A . t, \#)$ | switching times | control |
| 170 | $u^{v}_{A} := 0.5 \cdot (I_{A} \cdot 1 - \mathbf{sign}((I_{A} \cdot t) - t_{sA}))$ | control ouput vector – switches | control |
| 171 | $k^{valve}{}_A := \mathbf{Instantiate}(\hat{V}_A, \#)$ | valve constant – pressure difference must be dimensionless | macroscopic |
| 172 | $\hat{V}_{A} := \underline{u}^{v}_{A} \cdot k^{valve}_{A} \cdot \mathbf{sqrt}\left(\left(D_{N,A} \star \left(p_{N} \cdot \left(p^{o}_{N}\right)^{-1}\right)\right)\right)$ | volumetric flow | macroscopic |

| no | equation | documentation | layer |
|-----|--|---|-------------|
| 174 | $\hat{m}_A := _ ho_A \cdot \hat{V}_A$ | mass flow rate | macroscopic |
| 175 | $\hat{V}_A := (I_{N,A} \star v_{xN}) \cdot A_{yzA}$ | volumetric flow | macroscopic |
| 176 | $h_N := \mathbf{Instantiate}(\ell_N, \#)$ | height | physical |
| 177 | $v_{xA} := I_{N,A} \star v_{xN}$ | velocity in arc | macroscopic |
| 181 | $L_A := I_{N,A} \star \ell_N$ | length of pipe | macroscopic |
| 185 | $\dot{E}^k{}_A := \hat{m}_A \cdot D_{N,A} \star (v_{xN} \cdot v_{xN})$ | net kinetic energy | macroscopic |
| 186 | $\dot{E}^p{}_A := \hat{m}_A \cdot g \cdot D_{N,A} \star h_N$ | net potential energy | macroscopic |
| 188 | $f^l{}_A := \mathbf{Instantiate}(\dot{E}^p{}_A \cdot \left(I_{N,A} \star (\ell_N)^{-1}\right), \#)$ | friction coefficient for linear model | macroscopic |
| 189 | $\hat{w}_A := f^l{}_A . L_A$ | a linear model | macroscopic |
| 191 | $\dot{w}^{V}{}_{A} := \hat{V}_{A} \cdot (D_{N,A} \star p_{N})$ | net volume work | macroscopic |
| 192 | $\dot{E}^{m}{}_{A} := \dot{E}^{k}{}_{A} + \dot{E}^{p}{}_{A} + \dot{w}^{V}{}_{A} + \hat{w}_{A}$ | accumulation of mechanical work | macroscopic |
| 193 | $residual_a E_m echanical_A := \dot{E}^m{}_A - \left(\dot{E}^k{}_A + \dot{E}^p{}_A + \dot{w}^V{}_A + \hat{w}_A\right)$ | residual form of differential mechanical energy balance | macroscopic |
| 194 | $\hat{V}_A := \mathbf{Root}\left(residual_a E_mechanical_A\right)$ | volumetric flow as a root of the pressure distribution | macroscopic |

16 Interface Link Equation

| no | equation | documentation | layer |
|----|--|--------------------|------------------------------|
| 22 | $_\lambda_S := \lambda_S$ | interface equation | material -> macro- scopic |
| 60 | $_k_{xA}^c := k_{xA}^c$ | interface equation | material -> macro- scopic |
| 61 | $_k_{yA}^c := k_{yA}^c$ | interface equation | material -> macro- scopic |
| 62 | $_k_{zA}^c := k_{zA}^c$ | interface equation | material -> macro- scopic |
| 63 | $_k_{xA,S}^d := k_{xA,S}^d$ | interface equation | material -> macro- scopic |
| 64 | $_k_x^{d,Fick}{}_{A,S} := k_x^{d,Fick}{}_{A,S}$ | interface equation | material -> macro- scopic |
| 65 | $_k_y^{d,Fick}{}_{A,S} := k_y^{d,Fick}{}_{A,S}$ | interface equation | material -> macro- scopic |
| 66 | $_k_{yA,S}^d := k_{yA,S}^d$ | interface equation | material -> macro- scopic |
| 67 | $_k_{zA,S}^d := k_{zA,S}^d$ | interface equation | material -> macro- scopic |
| 68 | $_k_z^{d,Fick}{}_{A,S} := k_z^{d,Fick}{}_{A,S}$ | interface equation | material -> macro- scopic |
| 69 | $_k_{xA}^q := k_{xA}^q$ | interface equation | material -> macro- scopic |

| no | equation | documentation | layer |
|-----|--------------------------------------|--------------------|------------------------------|
| 70 | $_k_{yA}^q := k_{yA}^q$ | interface equation | material -> macro- scopic |
| 71 | $_k_{zA}^q := k_{zA}^q$ | interface equation | material -> macro- scopic |
| 77 | $_ ho_N := ho_N$ | interface equation | material -> macro- scopic |
| 79 | $_{-} ho_{A}:= ho_{A}$ | interface equation | material -> macro- scopic |
| 87 | $_x_{N,S} := x_{N,S}$ | interface equation | macroscopic -> material |
| 92 | $_h_{N,S} := h_{N,S}$ | interface equation | material -> macro- scopic |
| 94 | $_h_{A,S} := h_{A,S}$ | interface equation | material -> macro- scopic |
| 103 | $_{-}E^{a}{}_{N,K} := E_{aN,K}$ | interface equation | reactions -> macroscopic |
| 106 | $N_{S,K} := N_{S,K}$ | interface equation | reactions -> macroscopic |
| 107 | $_T_{N,K} := T_{N,K}$ | interface equation | reactions -> macroscopic |
| 109 | $_c_{N,S} := c_{N,S}$ | interface equation | macroscopic -> reactions |
| 121 | $_{\tilde{n}_{N,S}}:=	ilde{n}_{N,S}$ | interface equation | reactions -> macroscopic |

| no | equation | documentation | layer |
|-----|--|--------------------|------------------------------|
| 138 | $_{ar{p}_{N}}:=ar{p}^{o}{}_{N}$ | interface equation | macroscopic -> control |
| 139 | $oxed{-ar{T}_N := ar{T}^o}_N$ | interface equation | macroscopic -> control |
| 140 | $oxed{ar{c}_{N,S} := ar{c}^o}_{N,S}$ | interface equation | macroscopic -> control |
| 150 | $\boxed{ m^m{}_{A,S} := m^{m\star}{}_{A,S}}$ | interface equation | control -> macro- scopic |
| 151 | $igg _{-m^v{}_A := m^{v\star}{}_A}$ | interface equation | control -> macro- scopic |
| 153 | $oxed{I_N := I_N}$ | interface equation | macroscopic -> material |
| 157 | $_c_{pN} := cp_N$ | interface equation | material -> macro- scopic |
| 173 | $_u^v{}_A := u^v{}_A$ | interface equation | control -> macro- scopic |