

(3)

(14)

* Assignment No. 3 *

AIM:-

to perform different operation on matrix.

Objectives:-

- compute the transpose of matrix.
- perform addition, subtraction and multiplication of two matrices.

problem statements:-

write a python program to compute following operation on matrix.

- ① addition of two matrix
- ② subtraction of two matrix
- ③ multiplication of two matrix
- ④ transpose of matrix

Input:-

- ① Number of rows & columns of two matrix.
- ② Element of both Matrixs.

outcomes:-

- ① transpose of matrix
- ② Result of addition, subtraction and multiplication of the matrix.

Theory:-

2 dimension array (2D Array):

2D array can be defined as an array of array. the 2D is organised as matrices when which can be represented as collection of row and column. However,

(15)

Algorithm:-

- ~~1) start~~
~~2) Take any array as input~~
~~3. Define functions for selection sort & Bubble sort.~~

Algorithm:-

1. Start.
2. Input number of rows, column of first Matrix.
3. Input element of find matrix.
4. Input number of rows & column of second Matrix
5. Input element of second matrix.
6. function to transpose find matrix.
7. function to add, subtract & multiply two matrices.
8. Display result.
9. stop.

K Pseudo Code:-1) Addition :-

- Retrieve the position of the elements taken as input
- Add the elements of same position of both matrices.

2) Subtraction :-

- As like addition, we can easily perform subtraction in the same way.

3) multiplication :-

- for multiplication, each element of rows in first matrix should be multiplied with each element of column in second matrix.

4) Transpose of matrix

- changing column into row.

implement a relational database looks alike data structure.

- Matrix:-

A matrix refers to a collection of numbers such that their arrangement is not a fixed number of row and columns or, it deals with real numbers.

Matrix operation:-

① Addition -

It simply add sum up the element situated at same places or order in matrix.

$$\begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix} + \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} = \begin{bmatrix} 2 & 5 \\ 5 & 8 \end{bmatrix}$$

② Subtraction -

It also deals with the element at same place.

$$\begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix} - \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix}$$

③ Multiplication:-

Row of first matrix are multiplied with the column of second matrix.

$$\begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} \times \begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix} = \begin{bmatrix} 1+2 \times 2 & 3+2 \times 4 \\ 3+4 \times 2 & 3 \times 3+4 \times 4 \end{bmatrix} = \begin{bmatrix} 5 & 11 \\ 11 & 21 \end{bmatrix}$$

④ transpose of Matrix -

It is formed by interchanging its row into column or column into row.

$$A = \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} \quad A^{-1} = \begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix}$$

* Theory -

Introduction to array:-

- It is a data structure that can be stored fixed size seq collection of element of same type.
- It is used for storing a collection of data.
- It is more useful to think of an array as a collection of variable of same type.
- Instead of declaring individual you declare an array variable and use num[0].
- All arrays consist of contiguous memory location, the lower address corresponds to first element, higher address to last element.

num[0] num[1] ... etc.
 first second
 element Element.

* Single-dimensional array:-

- The one dimensional array in python is smaller form of array that contains only row has single [] brackets.

e.g):-

```
Food = [fat, protein]
print(Food);
```

* Two dimensional array.

- An array of multiple pieces of information in linear order is 1D array.
- If it is more than an array of array.

e.g):- 2D array with 4 rows & 4 column

```
arr = [(1,5), (2,3), (4,5)]
print(arr);
```

(3)

(13)

* Multidimensional array:-

Array having more than 2 subscript variable is a multidimensional array.

Array with more than 2 square bracket is called as matrix.

e.g):-

$a = ([2, 4, 6, 8, 10], [2, 6, 9, 12, 15], [48, 12, 16, 20])$

for i in a

print(i).

* Algorithm Addition of matrix

Step 1: Start

Step 2: read the size of matrix : AB-m,n

Step 3: read the elements of matrix A

Step 4: read the elements of matrix B

Step 5: Perform the addition program

Step 6: print sum matrix A and B

Step 7: Stop.

* Algorithm for subtraction.

Step 1: start

Step 2: Declare matrix A [r][c], B [r][c], C [r][c]

where r = no. of rows, c = no of columns.

Step 3: Read r, c, A [r][c] and B [r][c]

Step 4: Declare variable i=0, j=0

Step 5: Repeat until i < r,

repeat until j < c,

$$C[i][j] = A[i][j] - B[i][j]$$

Set j = j + 1, i = i + 1,

(3) Step 6: C is the required matrix of the subtraction

Step 7: Stop.

Calculation transpose of a matrix.

Step 1: Start

Step 2: Read the size matrix A.

Step 3: Read the element of matrix A

Step 4: perform the transpose operation by interchanging the row & column values in order of resultant matrix.

Step 5: No. of row in transpose matrix & no. of column in given matrix.

Step 6: Transpose is obtained through

$$a_{(i)} [i] = a_{(i)} [j] :$$

Step 7: print the resultant transpose matrix.

Step 8: Stop.

* Matrix multiplication by checking compatibility.

Step 1: Start.

Step 2: read the size of matrix A, B

Step 3: check compatibility of matrices for multiplication - i.e. number of column in first matrix

should be equal to no. of row in second matrix.

Step 4: Read the element of matrix A

Step 5: Read the element of matrix B

Step 6: perform the multiplication operation by sorting

Step 7: Stop.

(20)

pseudo code

① Addition -

Retrive the position of the element taken as input
Add the element of same position of the matrix.

② Subtraction:

As like addition, we can easily perform subtraction in the same way.

③ Multiplication -

- for multiplication, each element of row in first matrix should be multiplied with each element of column in second Matrix.

④ transpose of matrix

- changing column into row.

- Conclusion:

By this way, we can perform various operation on matrix successfully.

C
M