

Modular Operation(Math.floorMod(), %)

Code:

```
System.out.println("-17 mod 12 = " + Math.floorMod(-17, 12));
System.out.println("-17 mod 12 = " + (-17 % 12));
System.out.println("-5 mod 2 = " + Math.floorMod(-5, 2));
System.out.println("-5 mod 2 = " + (-5 % 2));
System.out.println("-5 mod 2 = " + Math.abs(-5 % 2));
```

Output:

```
-17 mod 12 = 7
-17 mod 12 = -5
-5 mod 2 = 1
-5 mod 2 = -1
-5 mod 2 = 1
```

Modular Arithmetic in Java

Expression	Dividend	Divisor	Result	Calculation
				$17 \div 12 = 1$ (truncated).
$17 \% 12$	17	12	5	Remainder = $17 - (1 \times 12) = 5$. Positive dividend \rightarrow positive result.
				$17 \div 12 = 1$ (floor = 1).
$\text{Math.floorMod}(17, 12)$	17	12	5	Remainder = $17 - (1 \times 12) = 5$. Matches % for positive dividend.
				$-17 \div 12 = -1$ (truncated toward 0).
$-17 \% 12$	-17	12	-5	Remainder = $-17 - (-1 \times 12) = -5$. Sign follows dividend.
				$-17 \div 12 = -2$ (floor = -2).
$\text{Math.floorMod}(-17, 12)$	-17	12	7	Remainder = $-17 - (-2 \times 12) = 7$. Always non-negative if divisor > 0 .
				$-5 \div 2 = -2$ (truncated).
$-5 \% 2$	-5	2	-1	Remainder = $-5 - (-2 \times 2) = -1$.

Expression	Dividend	Divisor	Result	Calculation
				Sign follows dividend.
				$-5 \div 2 = -3$ (floor = -3).
Math.floorMod(-5, 2)	-5	2	1	Remainder = $-5 - (-3 \times 2) = 1$.
				Positive result.
Math.abs(-5 % 2)	-5	2	1	Compute $-5 \% 2 = -1$, then absolute $\rightarrow 1$.
				Works here, but fails if divisor is negative.

Key Takeaways

- For **positive dividends**, % and floorMod give the **same result**.
- For **negative dividends**, % keeps the sign of the dividend, while floorMod ensures the result stays **non-negative** (if divisor > 0).
- Never rely on Math.abs(a % b) as a replacement for floorMod.

Use-Cases

- % \rightarrow **signed remainder** (useful for *profit/loss type calculations*).
- Math.floorMod() \rightarrow **true modulus** (useful for *clock arithmetic, array wrapping, parity checks*).

Demo:

```
public class ModulusDemo {
    public static void main(String[] args) {
        // =====
        // 1. Profit/Loss Example (% is correct)
        // =====
        int profitLoss = -17 % 12; // the remainder keeps sign
        System.out.println("Profit/Loss calculation:");
        System.out.println("-17 % 12 = " + profitLoss);
        // Output: -5 → means loss of 5
        System.out.println();

        // =====
        // 2. Clock Arithmetic (floorMod is correct)
        // =====
        System.out.println("Clock calculation (2 o'clock - 5
hours):");
        int hour = Math.floorMod(2 - 5, 12);
```

```

        System.out.println("Math.floorMod(2-5, 12) = " + hour);
        // Output: 9 → valid hour on a clock
        System.out.println();

        // =====
        // 3. Array Index Wrapping (floorMod is correct -
Circular Way)
        // =====
        int arraySize = 10;
        int index = Math.floorMod(-1, arraySize);
        System.out.println("Array index wrapping:");
        System.out.println("Math.floorMod(-1, 10) = " + index);
        // Output: 9 → valid last index
    }
}

```

Output:

Profit/Loss calculation:

$-17 \% 12 = -5$

Clock calculation (2 o'clock - 5 hours):

$\text{Math.floorMod}(2-5, 12) = 9$

Array index wrapping:

$\text{Math.floorMod}(-1, 10) = 9$

Java floorMod() Logic

```

public static int floorMod(int x, int y) {
    final int r = x % y;
    // if the signs are different and modulo not zero, adjust result
    if ((x ^ y) < 0 && r != 0) {
        return r + y;
    }
    return r;
}

```

What is XOR?

- \wedge in Java is **bitwise XOR** (exclusive OR).
- Rule: For each bit, result is 1 if bits differ, 0 if bits are same.
- So:

$$1 \wedge 1 = 0$$

$$0 \wedge 0 = 0$$

$$1 \wedge 0 = 1$$

$$0 \wedge 1 = 1$$

Example 1: floorMod(-17, 12)

- Step 1: $r = -17 \% 12 = -5$
- Step 2: $(x \wedge y) < 0 \rightarrow (-17 \wedge 12)$ is negative \rightarrow signs differ
- Step 3: $r \neq 0 \rightarrow -5 \neq 0$
- Step 4: return $r + y = -5 + 12 = 7$

Result: 7

Example 2: floorMod(17, 12)

- Step 1: $r = 17 \% 12 = 5$
- Step 2: $(17 \wedge 12)$ is positive \rightarrow signs same
- Skip adjustment.
- Return $r = 5$

Result: 5

Example 3: floorMod(-20, 5)

- Step 1: $r = -20 \% 5 = 0$
- Step 2: $(x \wedge y)$ negative \rightarrow signs differ
- Step 3: But $r == 0$
- Return 0

Result: 0 (divides evenly, no adjustment needed)
