

Spatial sensitivity analysis

Course and practical application

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OpenMOLE

June 14, 2019

- 1 Introduction
- 2 Spatial synthetic data
- 3 Perturbation of data
- 4 Spatial indicators for model outputs
- 5 Application: sensitivity to spatial configuration

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Classical problems in geography / spatial sciences : MAUP, scale dependency, spatial non-stationarity

- => spatial configuration are parameters too
- Space matters - Synthetic generators - Sensitivity to data noise

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At the microscopic scale (district): building layouts
[Raimbault and Perret, 2019]

At the mesoscopic scale: population grid

[Raimbault, 2018]

- Reaction-diffusion model - Urban form measures

At the macroscopic scale: systems of cities

- Evolutive urban theory: systems of cities follow general stylized facts - rank-size law - central place theory

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How does noise in real data impacts the result ?

- WIP

How does perturbation of real data allows to explore scenario -

Forcity example

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*In the spatial approach, spatial model indicators are also important: what kind of spatial structure does the model produce?
?*

- previous form indicators at different scales - spatial statistics

spatial correlations ?

(examples)

Spatial autocorrelation at a given range

Given spatial weights w_{ij}

$$I = \frac{N}{\sum_{i,j} w_{ij}} \cdot \frac{\sum_{i,j} w_{ij} \cdot (X_i - \bar{X})(X_j - \bar{X})}{\sum_i (X_i - \bar{X})^2}$$

Quantifying level of clustering regarding a null model

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Relative distance of phase diagrams

$$d_r(\mu_{\vec{\alpha}_1}, \mu_{\vec{\alpha}_2}) = 2 \cdot \frac{d(\mu_{\vec{\alpha}_1}, \mu_{\vec{\alpha}_2})^2}{\text{Var}[\mu_{\vec{\alpha}_1}] + \text{Var}[\mu_{\vec{\alpha}_2}]}$$

Why could the Schelling model be sensitive to space ?

[Banos, 2012]

A model of resource collection



Banos, A. (2012).

Network effects in schelling's model of segregation: new evidence from agent-based simulation.

Environment and Planning B: Planning and Design, 39(2):393–405.



Raimbault, J. (2018).

Calibration of a density-based model of urban morphogenesis.

PloS one, 13(9):e0203516.



Raimbault, J. and Perret, J. (2019).

Generating urban morphologies at large scales.

Forthcoming in proceedings of Artificial Life 2019.
arXiv:1903.06807.