

1) bne \$t0, \$s0, 0x20.

bne is I-type.

opcode	rs	rt	immediate
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opcode is $4_{16} = 000100_2$ $\$t0 = 8_{10} = 01000_2$, $\$s0 = 16_{10} = 10000_2$

$0x20 = 000000000010000_2$

Hence binary equivalent is: 000100 01000 10000 000000000010000₂

hex equivalent is: 11100020

2) addi \$a0, \$t4, 16

addi is I-type. opcode is $8_{16} = 001000_2$

$\$a0 = 4_{10} = 00100_2$, $\$t4 = 12_{10} = 01100_2$, $16_{10} = 0000000000010000_2$

Hence binary equivalent is: 001000 01100 00100 0000000000010000₂

hex equivalent is: 21840010

3) 70BB50CC₁₆ = 0111 0000 1011 1011 0101 0000 1100 1100₂

Big endia: store most significant byte in lower address.

0x00400000 store 70.

----- BB

----- 50

0x00400003 ----- CC

4) jr \$ra

jr is R-type. opcode = 000000_2 $\$ra = 31_{10} = 11111_2$ funct = 001000_2

Hence, binary equivalent is: 000000 11111 00000 00000 00000 001000

hex equivalent is: 03E00008

5)

101011	^{rs} 01000	^{rt} 10000	^{immediate} 0000000000100000
= 2B ₁₆	8 ₁₀	16 ₁₀	32 ₁₀

SW \$t0 \$s0

SW \$s0, 32(\$t0)

Refer to Green sheet,

6) 000000 01010 01011 01001 00000 100101
 0_{16} 10_{16} 11_{16} 9_{16} 0_{16} 25_{16}

Refer to Green Sheet

or \$3, \$2, \$1

7) 000 010 00000000 10010 00010 01000 01001000
 2_{16} add 4bits add 2bits

0x00484848

8.) sign bit is 1 because the number is negative.
 $40_{10} = 101000_2$

$$\begin{cases} 0.5625 \times 2 = 1.125 \dots 1 \\ 0.125 \times 2 = 0.25 \dots 0 \\ 0.25 \times 2 = 0.5 \dots 0 \\ 0.5 \times 2 = 1.0 \dots 1 \end{cases}$$

Combining together, $40.5625 = 101000.1001 = 1.010001001 \times 2^5$

exponent $e = 5 + 12 = 17_{10} = 10001001_2$

fraction $f = 9$ bits + 14 zeros
 $= 0100 0100 1000 0000 0000 0000$

Combine together, -40.5625 in binary is

1 10001001 0100 0100 1000 0000 0000 0000

In hex format = C2224000

9.)
$$\begin{array}{c} 0 \quad 10000101 \quad 000011101100000000000000 \\ \hline s \quad e \quad f \end{array}$$

sign bit is zero so number is positive.

exponent $e \quad 10000101_2 = 133_{10} \quad 133 - 127 = 6 \Rightarrow 2^6$

fraction $f \quad 2^{-5} + 2^{-6} + 2^{-7} + 2^{-8} + 2^{-9} = 0.0576171875$

decimal = $(-1)^0 \times (1 + 0.0576171875) \times 2^6 = 67.6875$

$$22.) \quad 119_{10} = 01110111_2$$

$$\Rightarrow \text{One's complement} \quad -119_{10} = 0001000_2$$

$$23.) \quad 74 = 01001010$$

$$\Rightarrow \text{one's comp.} \quad 0110101$$

$$\Rightarrow \text{two's comp.} \quad \begin{array}{r} 0110101 \\ + \quad 1 \\ \hline 0110110 \end{array}$$

$$29.) \cdot X \text{ NAND } Y = \text{NOT}(X \text{ AND } Y) = \text{NOT}(\text{true}) = \boxed{\text{false}}$$

$$\cdot X \text{ XOR } Z = \text{NOT}(X \text{ OR } Z) = \text{NOT}(\text{false}) = \boxed{\text{true}}$$

$$\cdot \text{NOT}(X \text{ AND } Y) \text{ NOR } (W \text{ OR } (X \text{ XOR } Z))$$

$$= \text{NOT}(\text{true}) \text{ NOR } (W \text{ OR } (\text{true}))$$

$$= \text{false NOR true} = \text{NOT}(\text{false OR true}) = \boxed{\text{true}}$$

$$\cdot (X \text{ NAND } Z) \text{ OR } Z = \text{NOT}(X \text{ AND } Z) \text{ OR } Z = \text{true OR false} = \boxed{\text{true}}$$

$$\cdot \text{NOT}((W \text{ AND } Y) \text{ NOR } (W \text{ OR } Y))$$

$$= \text{NOT}(\text{false NOR true}) = \text{NOT}(\text{NOT}(\text{false OR true})) = \boxed{\text{true}}$$

$$\cdot Z \text{ AND } Y \text{ OR } X \text{ NAND } W = \text{false OR true NAND } W$$

$$= \text{true NAND false}$$

$$= \text{NOT}(\text{true AND false}) = \boxed{\text{true}}$$