

ASSIGNMENT 6

CPG Parsing

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1. Show the constraint graph and solution graph(s) for each of the following sentences in Hindi.

KARAKA SHARING RULES USED IN THE ASSIGNMENT:¹

Rule S1: Karta of intermediate verb with TAM label 'kara' is the same as the karta of the verb modified by the intermediate verb.

Rule S2: If an intermediate verb with the TAM label 'kara' takes a karma (as specified in its default karaka chart) while none has been obtained using karaka vibhakti mapping, then it shares its karma with the karta or the karma of the verb modified by the intermediate verb.

Rule S3: An intermediate verb with TAM label 'taa_huaa' shares its karta with the karta of the verb modified by the intermediate verb.

Rule S4: If a verb with TAM label taa_huaa modifies a noun, then that noun is its karta.

- a. Raama phala khaakara mohana ko bulaataa hai

Required karaka Charts:

I. khaataa_hai -> k1(Φ), k2(Φ)²

II. bulaataa_hai -> k1(Φ), k2(ko)

Required transformation Charts:

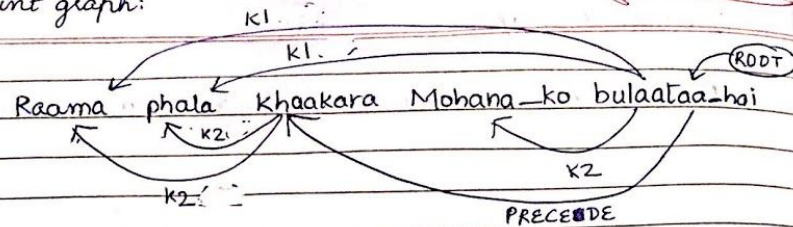
¹ NLP: A Paninian Perspective Book

² Notation followed: karaka(vibhakti)

I. kara \rightarrow k1 must not be present; k2 is optional; add PRECEDE to parent verb(main verb)/ to the verb being modified

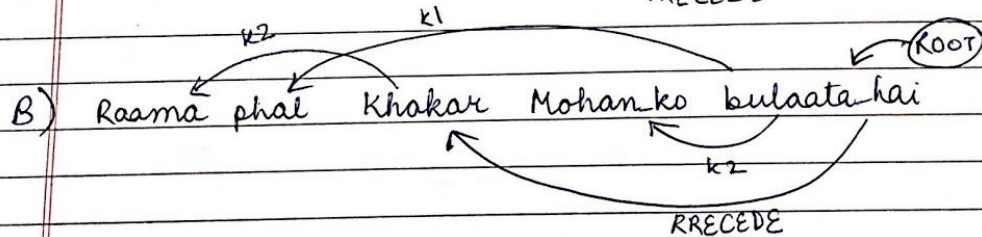
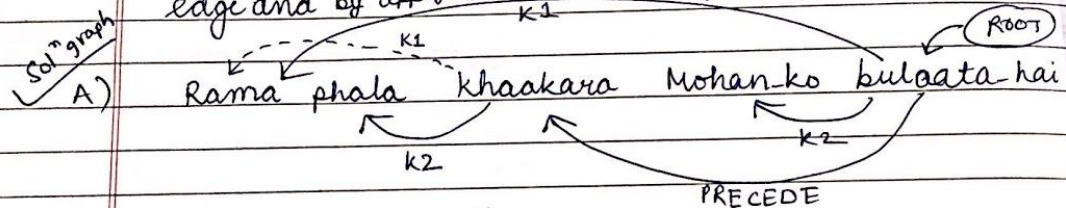
Constraint Graph and Solution Graph:

Constraint graph:



Solution graph after applying rules of karaaka sharing:

Possible graphs considering ~~a~~ ~~mandatg~~ \neq each node can have only one incoming edge and by applying karaaka sharing rules:



But, option B ~~has~~ shows planarity ~~hence~~ and B has crossing edges so it is a bad graph. \therefore solution graph is (A).

opt B has crossing edges. So only A is solutⁿ graph.

b. Raama ne phala kaaTakara khaaya.

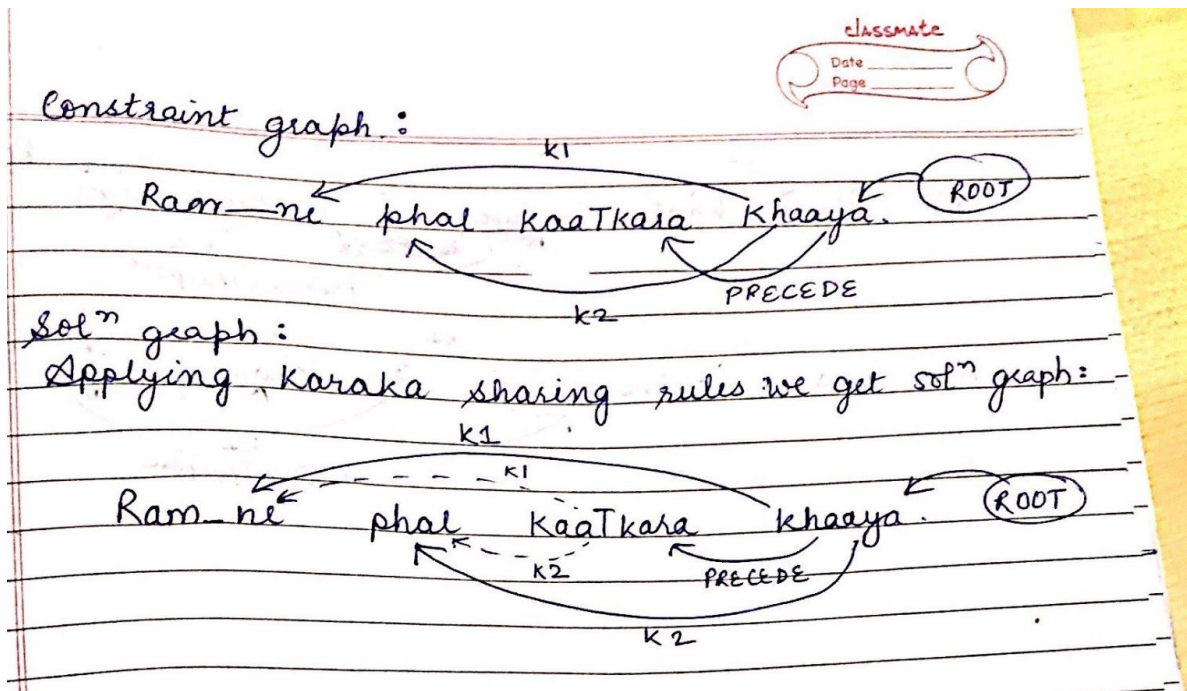
Required karaka Charts:

- I. kaaTtaa_hai $\rightarrow k1(\Phi), k2(ko/\Phi)$
- II. khaataa_hai $\rightarrow k1(\Phi), k2(ko/\Phi)$

Required transformation Charts:

- I. kara $\rightarrow k1$ must not be present; $k2$ is optional; add PRECEDE to parent verb(main verb)/ to the verb being modified
- II. yaa $\rightarrow k1(ne)$

Constraint Graph and Solution Graph:



c. phala kaaTane ke liye usane caakuu liyaa

Required karaka Charts:

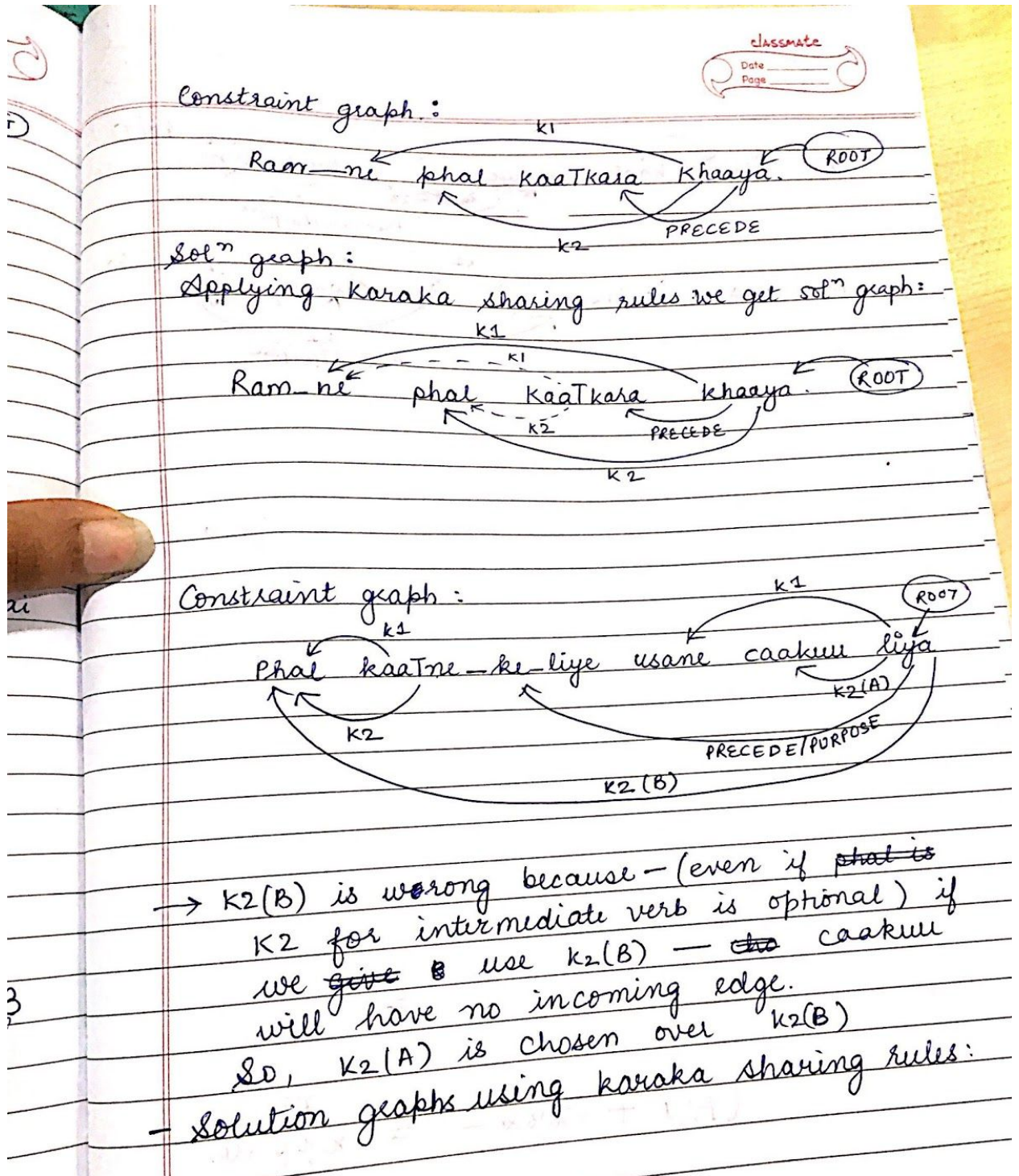
- I. kaaTtaa_hai $\rightarrow k1(\Phi), k2(ko/\Phi)$
- II. letaa_hai $\rightarrow k1(\Phi), k2(\Phi)$

Required transformation Charts:

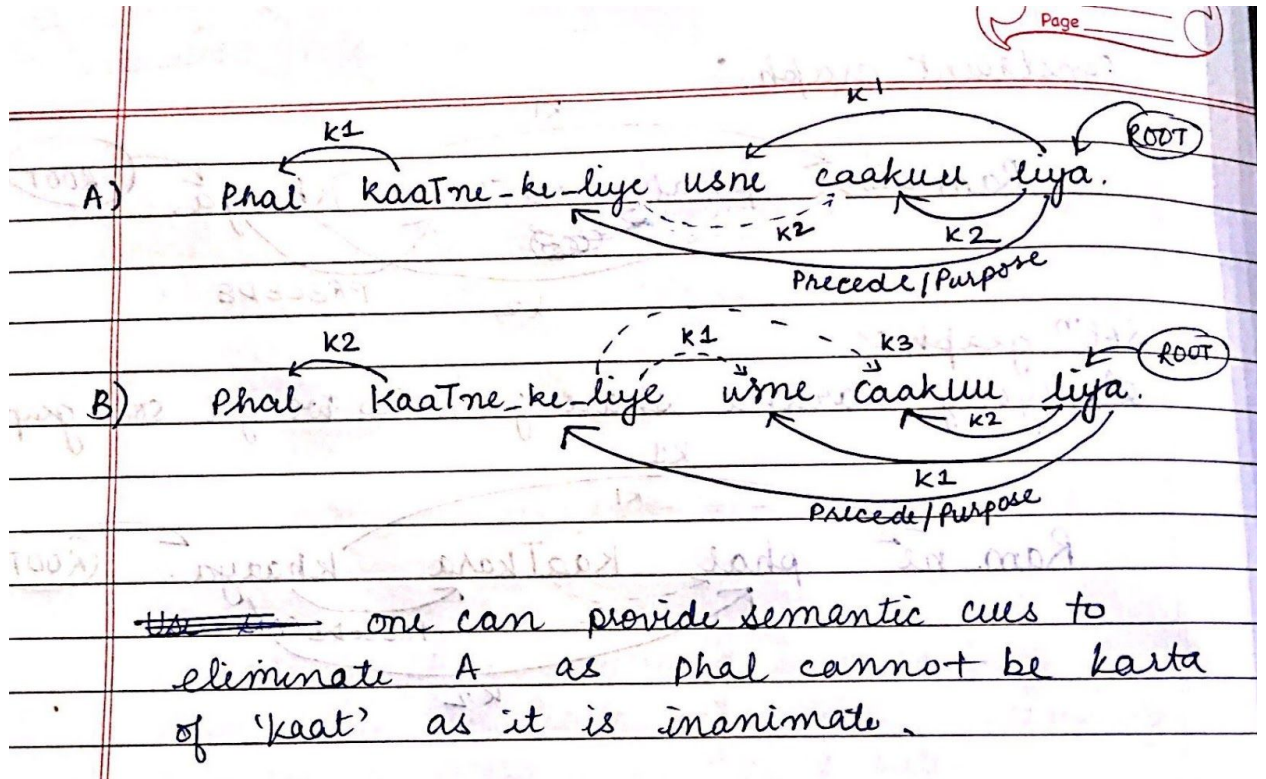
- I. naa $\rightarrow k1$ is optional; $k2$ is optional, add PURPOSE to the verb being modified

II. yaa -> k1(ne)

Constraint Graph:



Solution Graph:



2. Show the constraint graph and solution graph(s) for each of the following sentences in Hindi.

a. shikaarii ne bhaagaa hue shera ko dekhaa

Required karaka Charts:

I. bhaagtaa_hai -> k1(Φ)

II. dekhtaa_hai -> k1(Φ), k2(ko/ Φ)

Required transformation Charts:

I. taa_hua -> k1 is optional; k2 is optional; add SIMULTANEITY to the verb being modified

II. yaa -> k1(ne)

Constraint Graph and Solution Graph:

Constraint graph:

shiikarii — ne bhāgti hue shera ko dekha.

ROOT

K1

K2

SIMULTANEITY

By karaka sharing rule:

shikarii-ne bhagti-hue shera-ko dekha. (using S3)

K1 K2 ROOT

K1 SIMULTANEITY

B) shikarii-ne bhaagli-hue shira-ko dikha. (using s4)

```
graph TD
    ROOT --> shira_ko[shira-ko]
    ROOT --> dikha[dikha.]
    shira_ko --> shikarii_ne[shikarii-ne]
    shira_ko --> bhaagli_hue[bhaagli-hue]
    dikha --> shikarii_ne
    dikha --> bhaagli_hue
    shikarii_ne -- SIMULTANEITY --> bhaagli_hue
    shikarii_ne -- K1 --> shira_ko
    shira_ko -- K2 --> dikha
```

~~Using rule S4, TAM label 'taa-hya'~~ verb 'bhagti-hue' with
modifies 'shera' hence it is its KI.

So (D) is correct solution graph.

Hence there are 2 possible solution graphs.

b. raama ne haatha se chiilkara kelaa khaate hue bandara ko dekhaa

Required karaka Charts:

I. dekhata_hai $\rightarrow k_1(\Phi)$, $k_2(k_0/\Phi)$

II. khaataa hai $\rightarrow k_1(\Phi), k_2(k_0/\Phi)$

III. chilltaa_hai \rightarrow $k1(\Phi)$, $k2(ko/\Phi)$

Required transformation Charts:

I. kara \rightarrow $k1$ must not be present; $k2$ is optional; add PRECEDE to verb being modified

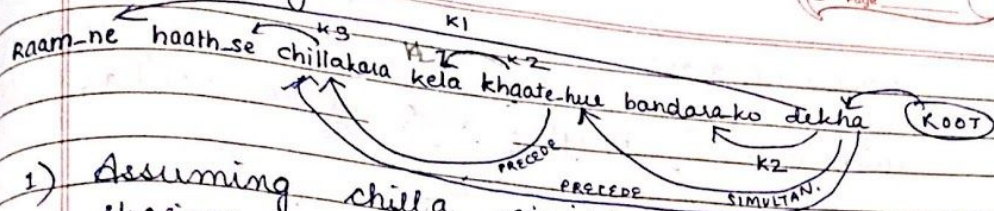
II. yaa \rightarrow $k1(ne)$

III. taa_hua \rightarrow $k1$ is optional; $k2$ is optional; add SIMULTANEITY to verb being modified

Constraint Graph and Solution Graph:

constraint graph:

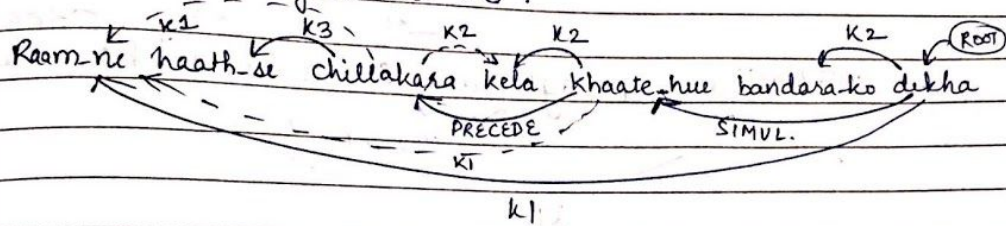
classmate
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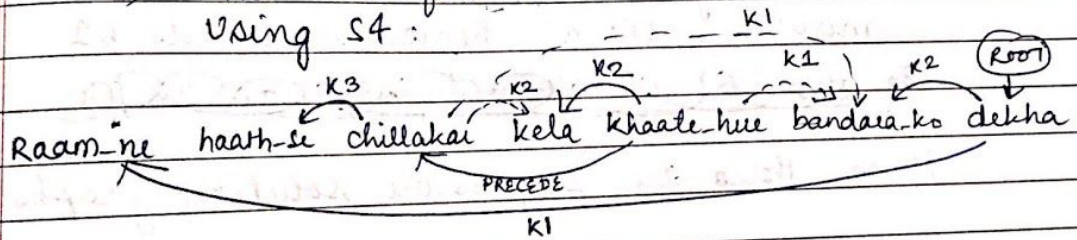
1) Assuming chilla modifies kha using sharing rule:

$chilla(karta) = kha(karta)$
 $chilla(k2) = kha(k2)$

a) kha modifies dekha
 Using rule S3:



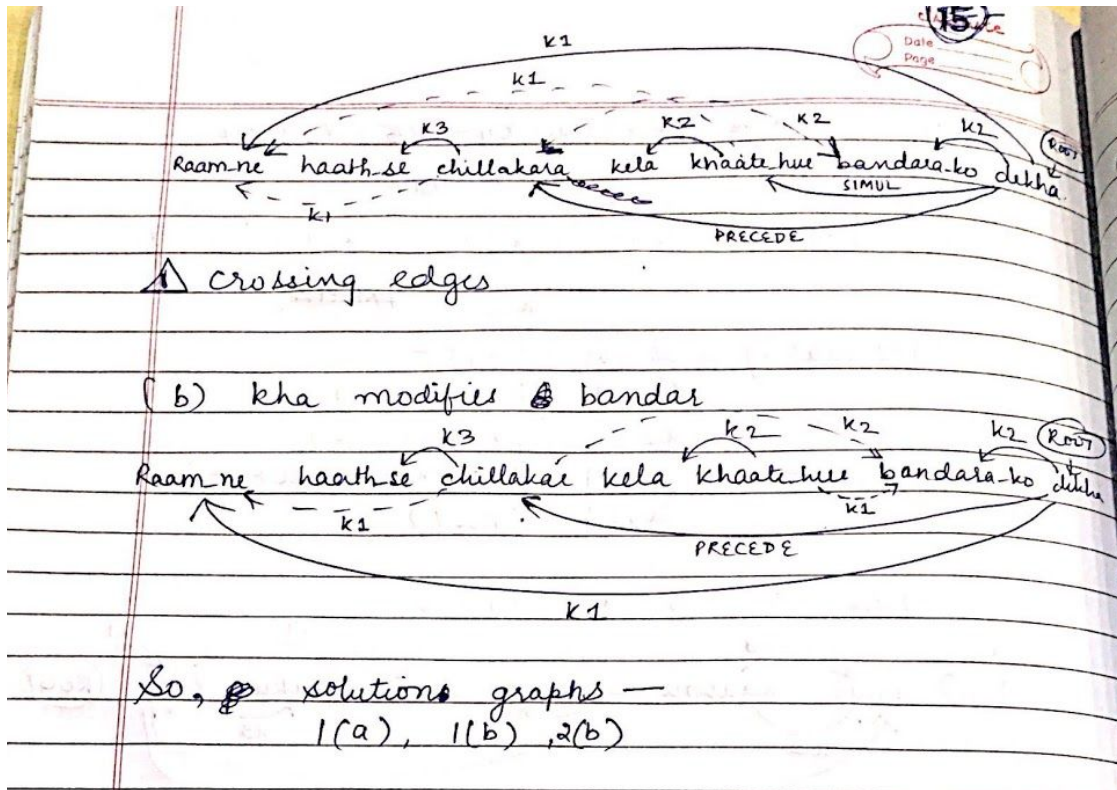
b) kha modifies bandar
 Using S4:



2) Assuming chilla modifies dekha.

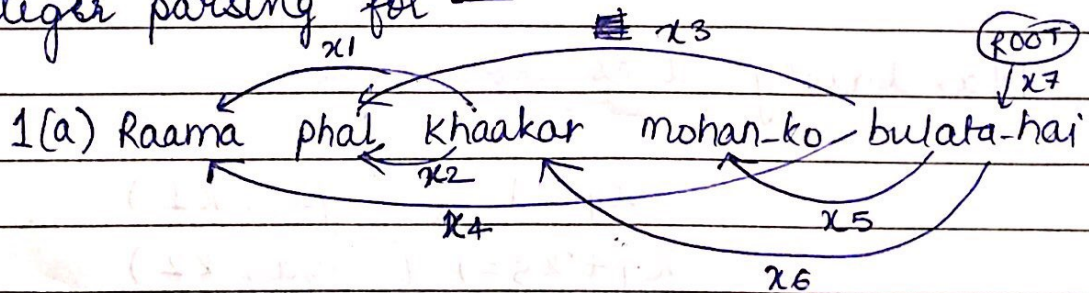
$chilla(k1) = dekha(k1)$
 $chilla(k2) = dekha(k2)$

a) kha modifies dekha



Q3 and Q4: PTO

3. Integer parsing for —



Mandatory arcs for 'bula' — x_5 , x_4 , x_3

~~$x_4 + x_3 = 1$~~ $x_4 + x_3 = 1$ (bula, k_1)

$x_5 = 1$ (bula, k_2)

~~Mandatory~~ Arcs for 'kha' — x_1 and x_2 and x_6

$x_2 + x_1 = 1$ (kha, k_2)

$x_6 = 1$ (kha, PRECEDE)

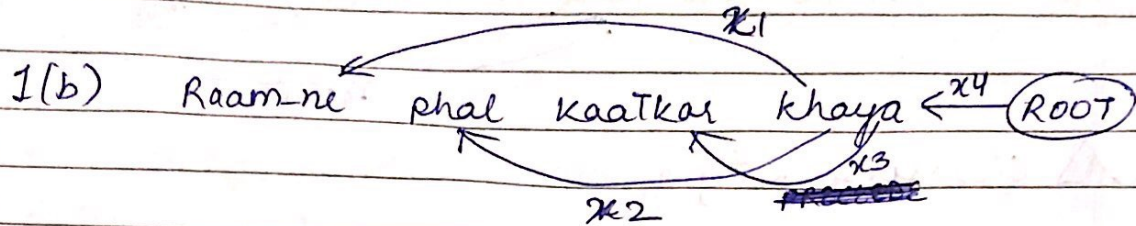
For nodes —

$\text{bachcha} \rightarrow x_4 + x_6 = 1$

$\text{phala} \rightarrow x_3 + x_5 = 1$

$\text{bula} \rightarrow x_7 = 1$

Max. $U = x_1 + x_2 + x_3 + x_4 + x_5 + x_6 + x_7$



Mandatory arcs for khaaya -

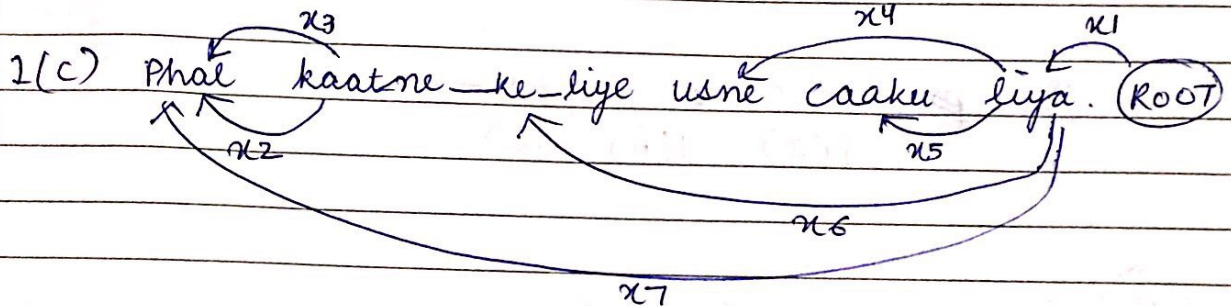
$$x_1 = 1 \quad (\text{khaaya}, k_1)$$

$$x_2 = 1 \quad (\text{khaaya}, k_2)$$

Nodes - $x_3 = 1 \quad (\text{kaatkar}, \text{PRECEDENCE})$

$$x_4 = 1 \quad (\text{ROOT})$$

Max. $x_1 + x_2 + x_3 + x_4 = U$



Mandatory arcs for liya:

$$x_4 = 1 \quad (\text{liya}, k_1)$$

$$x_7 + x_5 = 1 \quad (\text{liya}, k_2)$$

~~Mandatory arcs~~

For nodes -

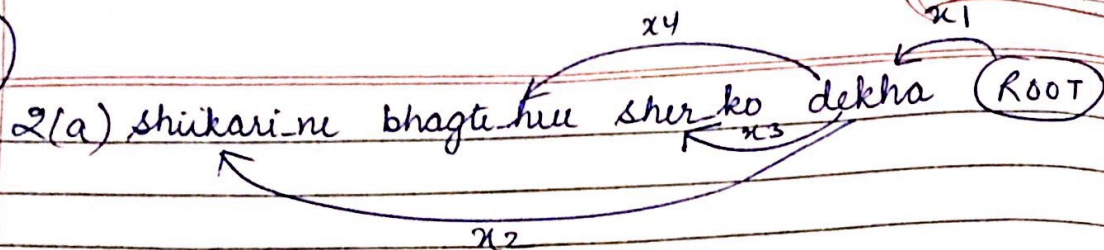
$$x_7 + x_2 + x_3 = 1 \quad (\text{Phala})$$

$$x_1 = 1 \quad (\text{Root})$$

$$x_6 = 1 \quad (\text{PRECEDENCE, Purpose Simultaneous})$$

Max $x_1 + x_2 + x_3 + x_4 + x_5 + x_6 + x_7 = U$

4.



Mandatory arcs for dekha -

$$x_2 = 1 \quad (\text{dekha}, k_1)$$

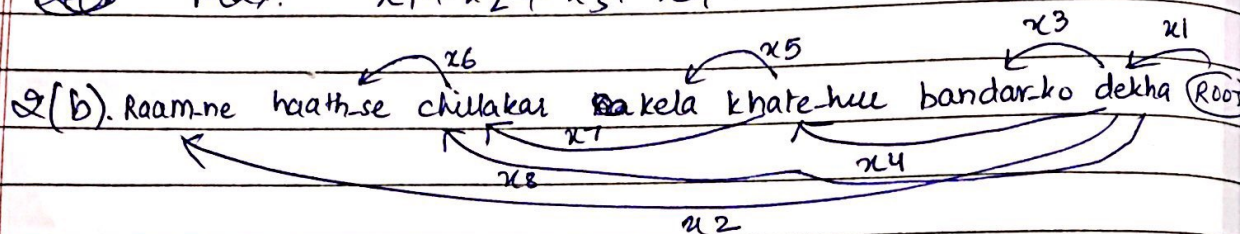
$$x_3 = 1 \quad (\text{dekha}, k_2)$$

Nodes -

$$x_1 = 1 \quad (\text{ROOT})$$

$$x_4 = 1 \quad (\text{SIMUL})$$

Max. $x_1 + x_2 + x_3 + x_4 = U$



Mandatory arcs for dekha -

$$x_2 = 1 \quad (\text{dekh}, k_1)$$

$$x_3 = 1 \quad (\text{dekh}, k_2)$$

Arcs for khate-hue -

$$x_4 = 1 \quad (\text{Simultaneity})$$

$$x_5 = 1 \quad (\text{khate-hue}, k_2)$$

Arcs for chillkar

$$x_6 = 1 \quad (\text{child}, k_3)$$

Nodes -

$$x_7 + x_8 = 1 \quad (\text{chillkar})$$

$$x_1 = 1 \quad (\text{ROOT})$$

Max. $x_1 + x_2 + x_3 + x_4 + x_5 + x_6 + x_7 + x_8 = U$