settings_hc.m

Table of Contents

High-Level Steps	1
Code	1

Summary: Script to set up the helicopter scenario

High-Level Steps

- 1. Define state and important indices
- 2. Set up scenario
- 3. Set up the plant structure
- 4. Set up the policy structure
- 5. Set up the cost structure
- 6. Set up the GP dynamics model structure
- 7. Parameters for policy optimization
- 8. Plotting verbosity
- 9. Some array initializations

Code

```
warning('on','all'); format short; format compact
% Include some paths
try
  rd = '../../';
  addpath([rd 'base'],[rd 'util'],[rd 'gp'],[rd 'control'],[rd 'loss']);
catch
end
basename = 'helicopter_'; % filename used for saving data
trainerDir = '/home/pmediano/Downloads/RL/helicopter/trainers/';
agentDir = '/home/pmediano/Downloads/RL/helicopter/agents/';
setenv('AGENTDIR', agentDir);
codecDir = '/home/pmediano/Downloads/RL/helicopter/src/';
pilcoDir = '/home/pmediano/Downloads/RL/pilcoV0.9/';
addpath([agentDir 'GPAgentMatlab']);
rand('seed',1); randn('seed',1); format short; format compact;
% 1. Define state and important indices
```

```
% la. State representation
% 1 u_err forward velocity
% 2 v err sideways velocity
% 3 w_err downward velocity
  4 x_err forward error
% 5 y_err sideways error
  6 z err downward error
  7 p_err
            angular rate around forward axis
  8 q_err angular rate around sideways (to the right) axis
% 9 r_err angular rate around vertical (downward) axis
% 10 qx_err quaternion entries, x,y,z,w q = [ sin(theta/2) * axis; cos(theta
              where axis = axis of rotation; theta is amount of rotation around
% 11 qy err
              [recall: any rotation can be represented by a single rotation arou
% 12 qz_err
observationIdx = 1:12;
nVar = 12;
% Action representation
% 13 longitudinal cyclic pitch
% 14 latitudinal (left-right) cyclic pitch
% 15 main rotor collective pitch
% 16 tail rotor collective pitch
actionIdx = 13:16;
nU = 4;
\max U = [1, 1, 1, 1];
% 17 reward
rewardIdx = 17;
% 1b. Important indices
                             % indicies for the ode solver
odei = observationIdx;
augi = [];
                            % indicies for variables augmented to the ode variab
dyno = observationIdx;
                           % indicies for the output from the dynamics model an
angi = [];
                            % indicies for variables treated as angles (using si
dyni = observationIdx;
                            % indicies for inputs to the dynamics model
                            % indicies for variables that serve as inputs to the
poli = observationIdx;
difi = observationIdx;
                            % indicies for training targets that are differences
% 2. Set up the scenario
                                   % initial state mean (column vector)
mu0 = zeros([nVar 1]);
% S0 = diag(zeros([1 nVar]));
                                     % initial state covariance
S0 = 0.0001 * eye(nVar);
mu0Sim(odei,:) = mu0; S0Sim(odei,odei) = S0;
                                                 % Specify initial state distri
mu0Sim = mu0Sim(dyno); S0Sim = S0Sim(dyno,dyno);
                                                 % in this case, the origin.
n init = 100;
                                 % no. of initial data points (computed with rand
max_last_size = 100;
                                % max no. of data points added to the dataset in
N = 20;
                                % max no. of controller optimizations
% 3. Set up the plant structure
```

```
% controler is zero-order-hold
%plant.ctrl = @zoh;
                                  % indices to the varibles for the ode solver
plant.odei = odei;
plant.augi = augi;
                                  % indices of augmented variables
plant.angi = angi;
plant.poli = poli;
plant.dyno = dyno;
plant.dyni = dyni;
plant.difi = difi;
plant.prop = @propagated;  % handle to function that propagates state over time
% 4. Set up the policy structure
policy.fcn = @(policy,m,s)conCat(@conlin,@qSat,policy,m,s);% controller
                                                        % representation
policy.maxU = maxU;
                                                   % max. amplitude of
                                                       % actions
[mm, ss, cc] = gTrig(mu0, S0, plant.angi);
                                                         % represent angles
mm = [mu0; mm]; cc = S0*cc; ss = [S0 cc; cc' ss];
                                                      % in complex plane
% Uncomment the following lines if policy is @conlin
% bias
policy.p.b = zeros(length(policy.maxU),1);
% Uncomment the following lines if policy is @congp
% nc = 100;
                                     % size of controller training set
% policy.p.inputs = gaussian(mm(poli), ss(poli,poli), nc)'; % init. location of
                                                          % basis functions
% policy.p.targets = 0.1*randn(nc, length(policy.maxU));
                                                         % init. policy targets
                                                          % (close to zero)
                                                          % initialize policy
% policy.p.hyp = ...
% repmat(log([1 1 1 1 1 1 1 1 1 1 1 1 1 0.01]'), 1, 4);  % hyper-parameters
% 5. Set up the cost structure
cost.fcn = @loss_hc;
                                          % cost function
                                          % discount factor
cost.gamma = 1;
                                        % cost function width
cost.width = 1;
cost.expl = 0;
                                          % exploration parameter (UCB)
                                          % index of angle (for cost function)
cost.angle = plant.angi;
cost.target = zeros(nVar, 1);
                                              % target state
% Alternatively, define a function to translate RL-Glue rewards to cost
reward2loss = @(r) - exp(r/5);
% 6. Set up the GP dynamics model structure
dynmodel.fcn = @gp1d;
                                   % function for GP predictions
dynmodel.train = @train;
                                   % function to train dynamics model
dynmodel.induce = zeros(5000,0,1);
                                   % shared inducing inputs (sparse GP)
trainOpt = [300 300];
                                   % defines the max. number of line searches
                                   % when training the GP dynamics models
```

```
% trainOpt(1): full GP,
                                     % trainOpt(2): sparse GP (FITC)
% 7. Parameters for policy optimization
                                        % max. number of line searches
opt.length = 50;
opt.MFEPLS = 7;
                                        % max. number of function evaluations
                                         % per line search
opt.verbosity = 3;
                                         % verbosity: specifies how much
                                         % information is displayed during
                                         % policy learning. Options: 0-3
% 8. Plotting verbosity
plotting.verbosity = 3;
                                   % 0: no plots
                                   % 1: some plots
                                   % 2: all plots
% 9. Some initializations
fantasy.mean = cell(1,N); fantasy.std = cell(1,N);
realCost = cell(1,N); M = cell(N,1); Sigma = cell(N,1);
newdata = [];
```

Published with MATLAB® R2014a