

Name: Hemal Sharma

ID: 2221855

Sec: 02

Course Title : Digital Signal Processing LAB
Course Code : EEE 321L / ETE 324L (New); ECR 305L (Old)
Instructor : Dr. Kh Shahriya Zaman
Experiment No. : 04
Experiment Name : Study on signal decomposition, down-sampling, folding and shifting.

Objectives:

1. To make a MATLAB function so that signal decomposition into even and odd symmetry can be done.
2. To make a MATLAB function so that down-sampling of a signal can be done.

Theory

1. Even & Odd Function:

A function f is even if the graph of f is symmetric with respect to the y -axis. Algebraically, f is even if and only if $f(-x) = f(x)$ for all x in the domain of f .

A function f is **odd** if the graph of f is symmetric with respect to the origin. Algebraically, f is odd if and only if $f(-x) = -f(x)$ for all x in the domain of f . In other words, a non-imaginary valued sequence $x_e(n)$ is called even (symmetric) if

$$x_e(-n) = x_e(n)$$

Similarly, a non-imaginary valued sequence $x_o(n)$ is called odd (antisymmetric) if

$$x_o(-n) = -x_o(n)$$

Then any arbitrary real-valued sequence $x(n)$ can be decomposed into the even and odd components

$$x(n) = x_e(n) + x_o(n)$$

where,

$$x_e(n) = \frac{1}{2} [x(n) + x(-n)]$$
$$x_o(n) = \frac{1}{2} [x(n) - x(-n)]$$

2. Up sampling:

To enhance the sampling rate, up sampling is the act of inserting zero-valued samples between original samples. This is sometimes referred to as "zero-stuffing."

3. Down sampling:

Down sampling is the process of lowering a signal's sampling rate in signal processing. This is typically done to minimize the data rate or data size.

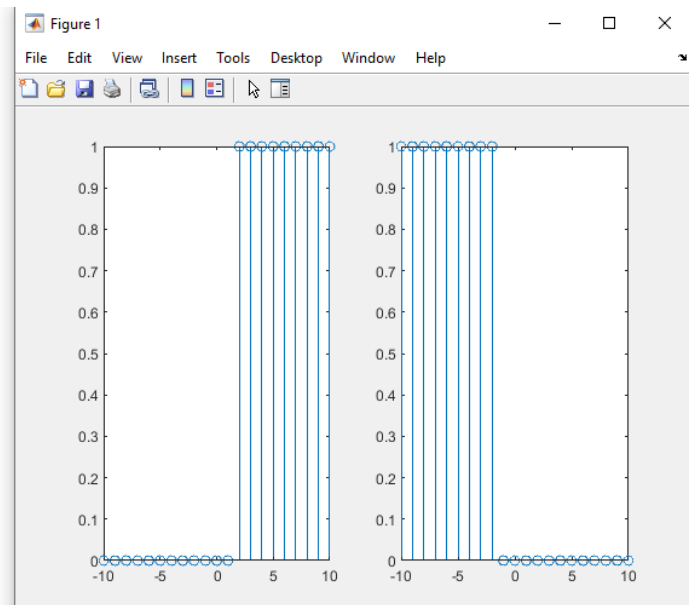
4. Fliplr:

$B = \text{fliplr}(A)$ returns A with its columns reversed from left to right. $\text{fliplr}(A)$ produces a vector of the same length with the order of its elements reversed if A is a row vector. $\text{fliplr}(A)$ just returns A if A is a column vector.

Lab work:

1. Use **fliplr** function to generate the signal $x[-n]$, if $x[n] = u(n-2)$, for $-10 \leq n \leq 10$.

```
%Hemal Sharma
%ID: 2221855
% $x[-n]$ , if  $x[n] = u(n-2)$ , for  $-10 \leq n \leq 10$ .
n = -10:10;
x = stepseq(2,-10,10);
subplot(1,2,1)
stem(n,x)
subplot(1,2,2)
x2 = fliplr(x);
stem(n,x2)
```



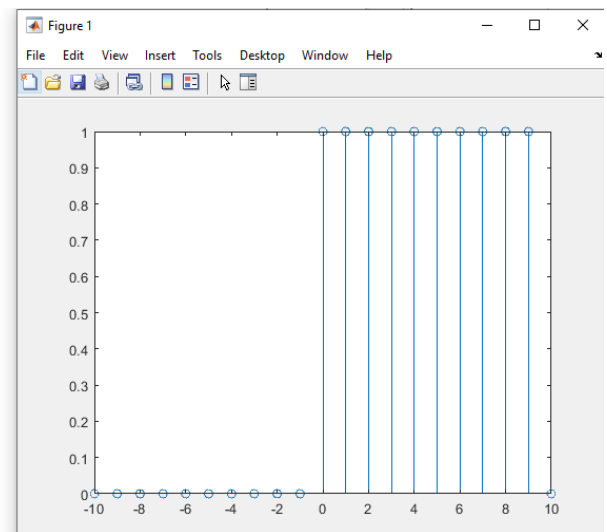
2. Develop a **MATLAB** function named "**evenodd**" that has a form;

function [xe,xo,m] = evenodd(x,n)

```
%Hemal Sharma
%ID: 2221855
function [xe,xo,m] = evenodd(x,n)
    m=n;
    xe = (1/2)*(x+fliplr(x));
    xo = (1/2)*(x-fliplr(x));
end
```

3. (i) Generate $x[n] = u[n] - u[n-10]$ where $-10 \leq n \leq 10$.

```
%Hemal Sharma  
%ID: 2221855  
% Generate  $x[n] = u[n] - u[n-10]$  where  $-10 \leq n \leq 10$ .  
n = -10:10;  
x = stepseq(0,-10,10)- stepseq(10,-10,10);  
stem(n,x)
```



(ii) Decompose $x[n]$ to generate $x_e[n]$ and $x_o[n]$.

```
%Hemal Sharma  
%ID: 2221855  
n = -10:10;  
x = stepseq(0,-10,10)- stepseq(10,-10,10);  
%Decompose x to odd(xo) and even(xe)  
[xe,xo,m] = evenodd(x,n);  
subplot(1,3,1)  
stem(n,x)  
subplot(1,3,2)  
stem(n,xe)  
subplot(1,3,3)  
stem(n,xo)
```

(iii) Plot both $\mathbf{x[n]}$, $\mathbf{x_e[n]}$ and $\mathbf{x_o[n]}$ and **comment** on the result.

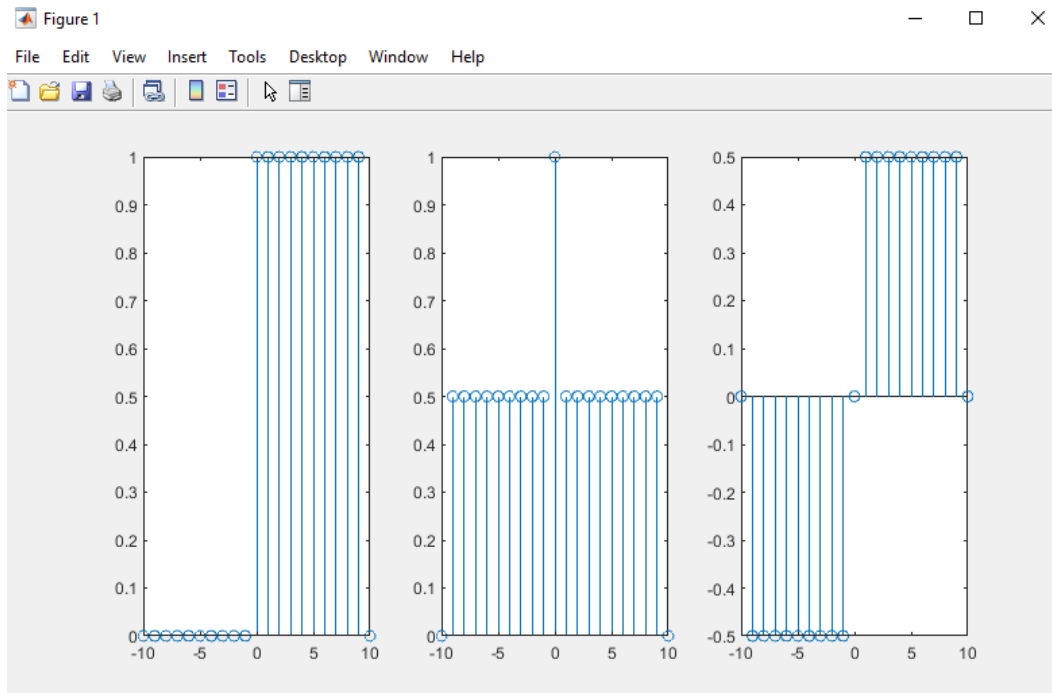


Fig 1: $\mathbf{x[n]}$

Fig 2: $\mathbf{x_e[n]}$

Fig 3: $\mathbf{x_o[n]}$

The second signal is the even signal, and the third signal is the odd signal. When we add the even and the odd signal, we get back the original signal $\mathbf{x[n]}$.

4. Use "**dnsample**" function to develop a function that has a form;

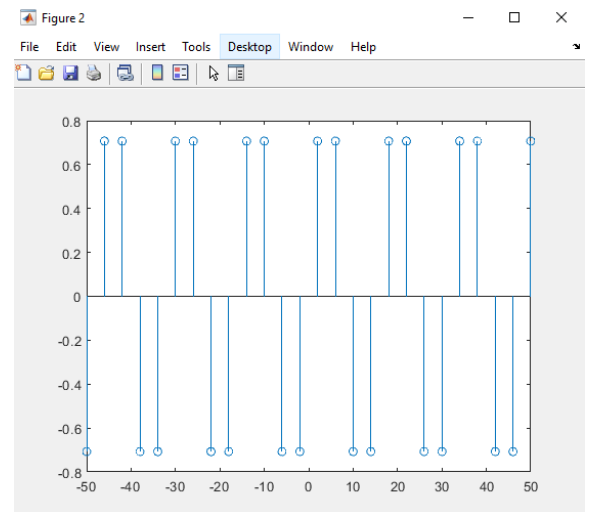
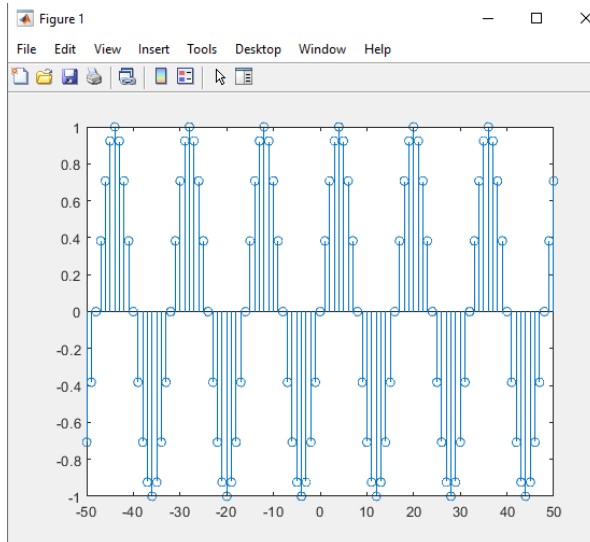
" function [y,m] = dnsample(x, n, M)"

```
%Hemal Sharma
%ID:2221855
function [y,m] = dnsample(x,n,M)
    m = downsample(n,M); %horizontal coordinate
    y = downsample(x,M); %vert coord
end
```

5. (i) Generate $\mathbf{x[n] = \sin(0.125\pi n)}$ where $\mathbf{-50 \leq n \leq 50}$.

```
%Hemal Sharma
%ID:2221855
%Generate x[n] = sin(0.125πn) where -50 ≤ n ≤ 50.
n = -50:50;
x = sin(0.125*pi*n);
stem(n,x)
figure(2);
[y,m] = dnsample(x,n,4);
stem(m,y)
|
```

(ii) **Decimate / down-sample $x[n]$ by a factor of 4 to generate $y[n]$.**



(iii) Here, the function is reducing the sampling rate by a factor of 4. Therefore, the number of samples in the second graph decrease by a factor of 4.

Lab Assignment-4:

(a) Develop a MATLAB function that will generate $x[n^2]$ of a signal.

```
%Hemal Sharma
%ID:2221855
% function to generate  $x(n^2)$  from  $x(n)$ 
function [y, m] = n_square(x, n)
    m = []; % domain
    y = []; % range
    c = abs(min(n)); % to set reference value (0)
    % iterate over positive domain (>0) for square numbers
    for i=1:max(n)
        r = sqrt(i);
        if floor(r) == r % check for perfect square
            % append m (absolute) and y (relative to reference)
            m(end+1) = r;
            y(end+1) = x(c+i+1);
        end
    end
    % correct for negative and 0 positions
    m = [-fliplr(m) 0 m];
    y = [fliplr(y) x(c) y];
end
```

Example:

```
%Hemal Sharma
%ID:2221855
%  $x(n) = u(n+1) + u(n-2)$ , -5:5
n = -5:5;
x = stepseq(-1,-5,5) + stepseq(2,-5,5);
stem(n,x); grid;
[y, m] = n_square(x,n);
figure(2); stem(m,y); grid;
```

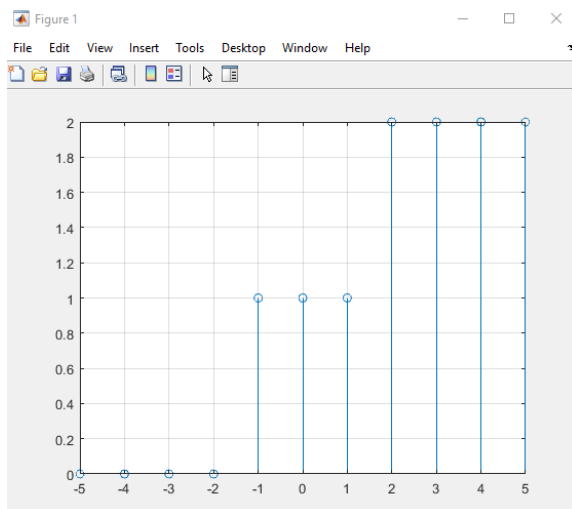


Figure 1: $x[n]$

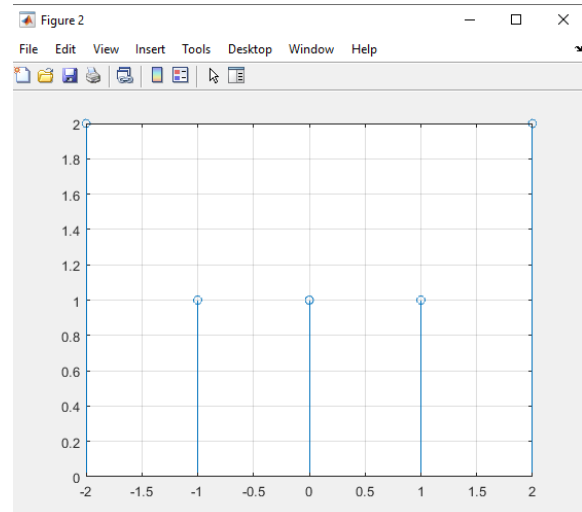


Figure 2: $x[n^2]$

(b) Develop a MATLAB function that will “upsample” a signal.

```
%Hemal Sharma
%ID: 2221855
function [y,m] = upsample(x,n,M)
    m = interp(n,M);
    y = interp(x,M);
end
```

