

**Course Title** : Digital Signal Processing LAB  
**Course Code** : EEE 321L / ETE 324L [New]; ECR 305L [Old]  
**Instructor** : Dr. Kh Shahriya Zaman  
**Experiment No.** : 03  
**Experiment Name** : Study on signal manipulation.

## Objectives:

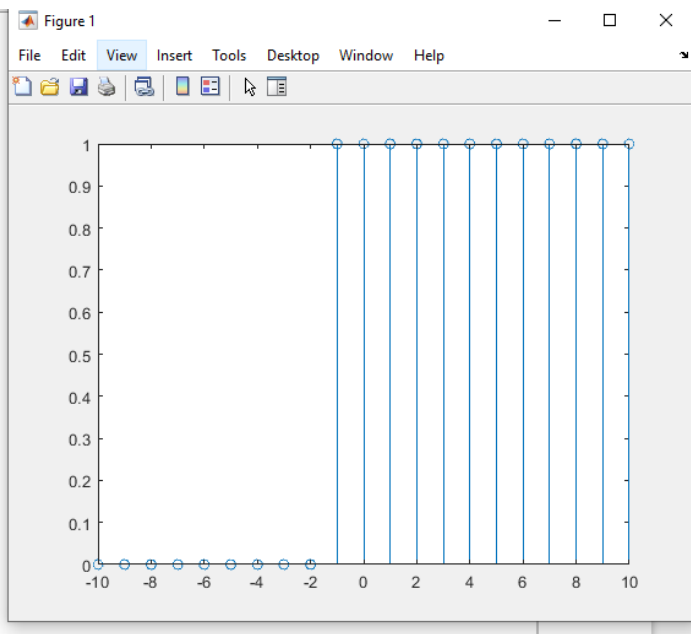
1. Performing the signal addition, multiplication, division and scaling using MATLAB.
2. Obtaining the magnitude, real part, imaginary part and phase angle of a complex signal using MATLAB.

## Lab work:

1. (i) **Generate the following signals:**
  - a.  $x[n] = u(n+1)$  where  $-10 \leq n \leq 10$

**Comment:** This signal is a unit step function shifted 1 unit to the left.

```
% Name: Hemal Sharma  
%ID: 2221855  
  
%x[n] = u(n+1) where -10 ≤ n ≤ 10  
  
n = -10:10  
x = stepseq(-1,-10,10)  
stem(n,x)
```



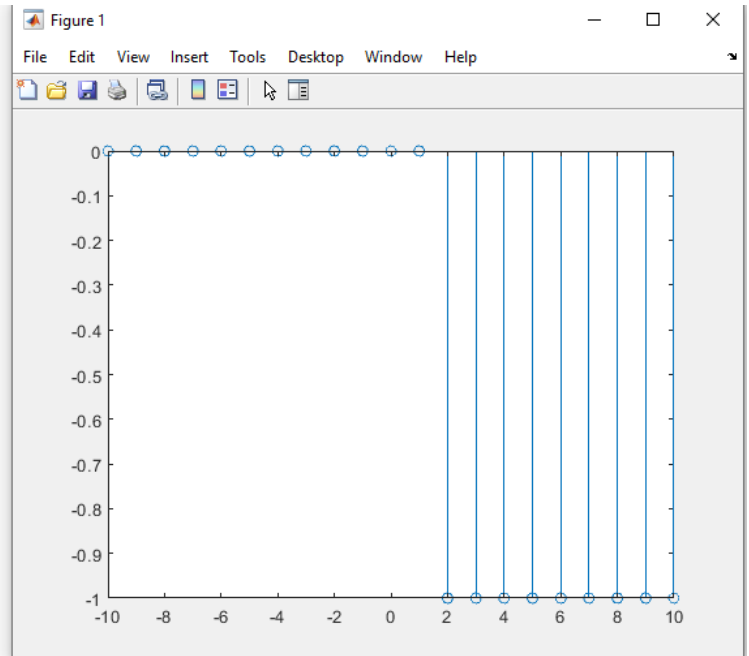
b.  $x[n] = -u(n-2)$  where  $-10 \leq n \leq 10$

**Comment:** This signal is a unit step function shifted 2 units towards the right and the amplitude is scaled by a factor of -1 hence the signal is reflected about the n axis.

```
% Name: Hemal Sharma
%ID: 2221855

%x[n] = -u(n-2) where -10 ≤ n ≤ 10

n = -10:10
x = -1*stepseq(2,-10,10)
stem(n,x)
```



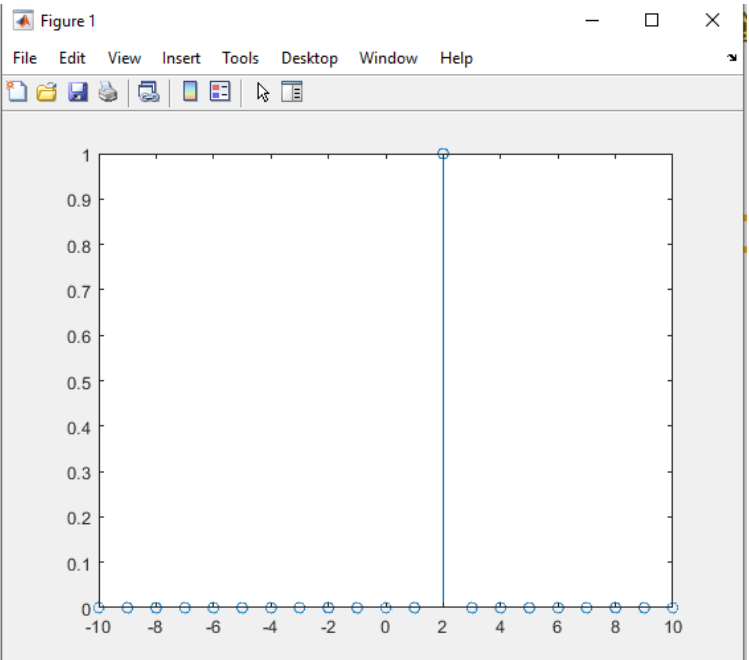
c.  $x[n] = \delta(n-2)$  where  $-10 \leq n \leq 10$

**Comment:** The signal is a unit impulse function shifted 2 units toward the left.

```
% Name: Hemal Sharma
%ID: 2221855

%x[n] = δ(n-2) where -10 ≤ n ≤ 10

n = -10:10
x = impseq(2,-10,10)
stem(n,x)
```



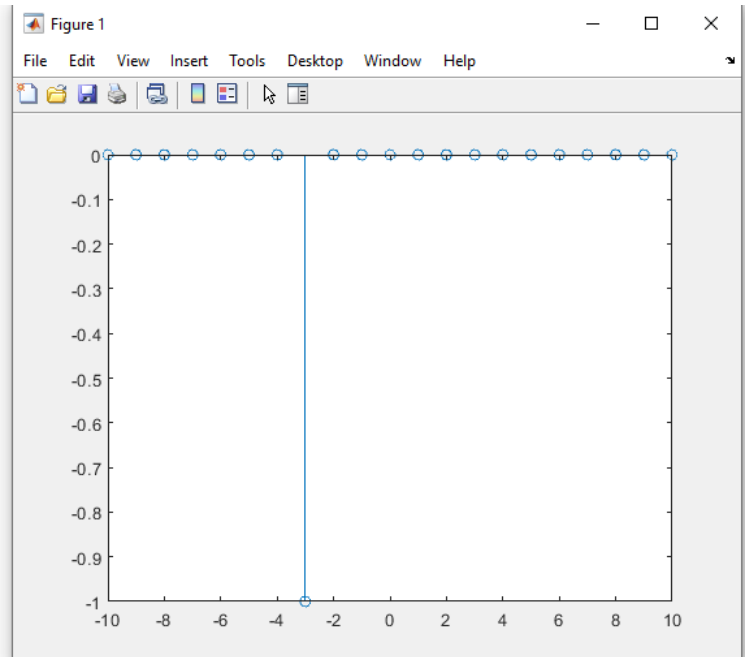
d.  $x[n] = -\delta(n+3)$  where  $-10 \leq n \leq 10$

**Comment:** The unit impulse function is shifted 3 units towards the left and the amplitude is scaled by a factor of -1 hence the signal is reversed about the n axis.

```
% Name: Hemal Sharma
%ID: 2221855

%x[n] = -δ(n+3) where -10 ≤ n ≤ 10

n = -10:10
x = -1*impseq(-3,-10,10)
stem(n,x)
```



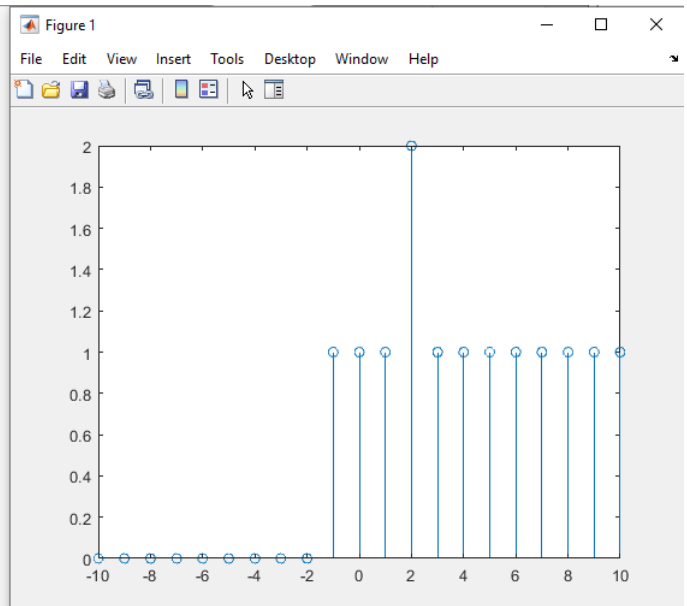
e.  $x[n] = u(n+1) + \delta(n-2)$  where  $-10 \leq n \leq 10$

**Comment:** The unit step function and the unit impulse function is summed. However, the unit step function is shifted 1 unit towards the left and the unit impulse function is shifted 2 unit toward the right.

```
% Name: Hemal Sharma
%ID: 2221855

%x[n] = u(n+1) + δ(n-2) where -10 ≤ n ≤ 10

n = -10:10
x = stepseq(-1,-10,10) + impseq(2,-10,10)
stem(n,x)
```

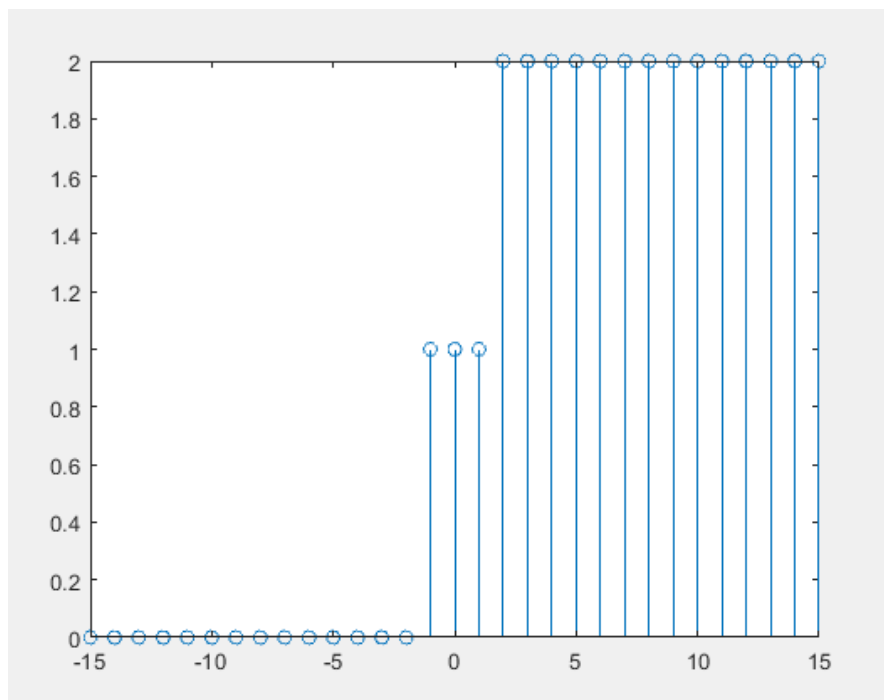


2. Generate the following signals. Use *stem* function to plot  $x[n]$  and **comment** on the results in each case.

[a]  $x[n] = u[n + 1] + u[n - 2]$ , where  $-15 \leq n \leq 15$  [addition]

**Comment:** The two unit step functions are added however, the first unit step function is shifted 1 unit towards the left and the second unit step function is shifted 2 units towards the right

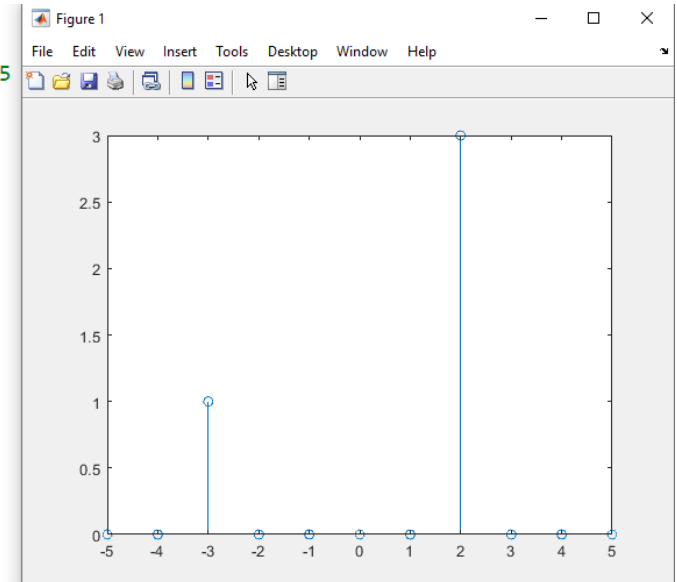
```
%Hema1 Sharma  
%ID: 2221855  
%x[n] = u[n + 1] + u[n - 2], where -15 ≤ n ≤ 15 [addition]  
n = -15:15;  
x = unitstep(-1,-15,15) + unitstep(2,-15,15);  
stem(n,x)
```



[b]  $x[n] = \delta[n + 3] + 3\delta[n - 2]$ , where  $-5 \leq n \leq 5$  [addition and scaling]

**Comment:** The two unit impulse functions are added. The first function is shifted 3 units toward the left and the second impulse function is shifted 2 units toward the right and the amplitude of it is scaled by a factor of 3

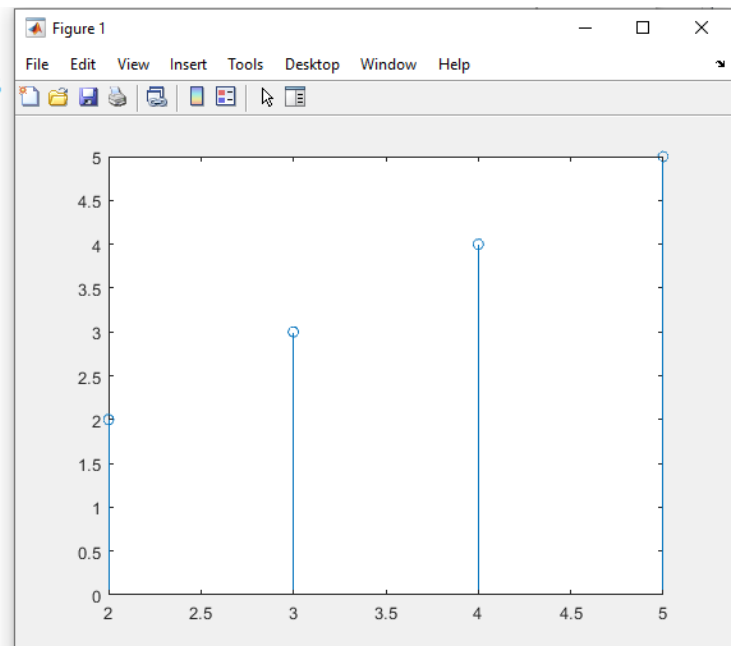
```
%Hemal Sharma  
%ID: 2221855  
%x[n] =  $\delta[n + 3] + 3\delta[n - 2]$ , where  $-5 \leq n \leq 5$   
n = -5:5;  
x = impseq(-3,-5,5) + 3*impseq(2,-5,5);  
stem(n,x)
```



[c]  $x[n] = n/u[n - 2]$ , where  $-5 \leq n \leq 5$  [division]

**Comment:**  $n$  is divided with a unit step function shifted 2 units towards the right.

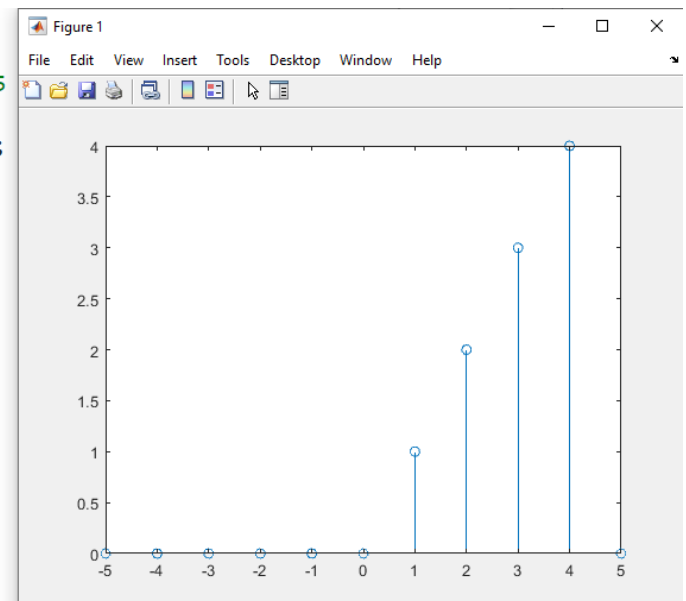
```
%Hemal Sharma  
%ID: 2221855  
% x[n] =  $n/u[n - 2]$ , where  $-5 \leq n \leq 5$   
n = -5:5;  
x = n./unitstep(2,-5,5);  
stem(n,x)
```



[d]  $x[n] = n(u[n] - u[n - 5])$ , where  $-5 \leq n \leq 5$  [multiplication]

**Comment:** Firstly, the unit step function shifted 5 units toward the right is subtracted from a unit step function. And then the amplitude of entire function is by a factor of  $n$ .

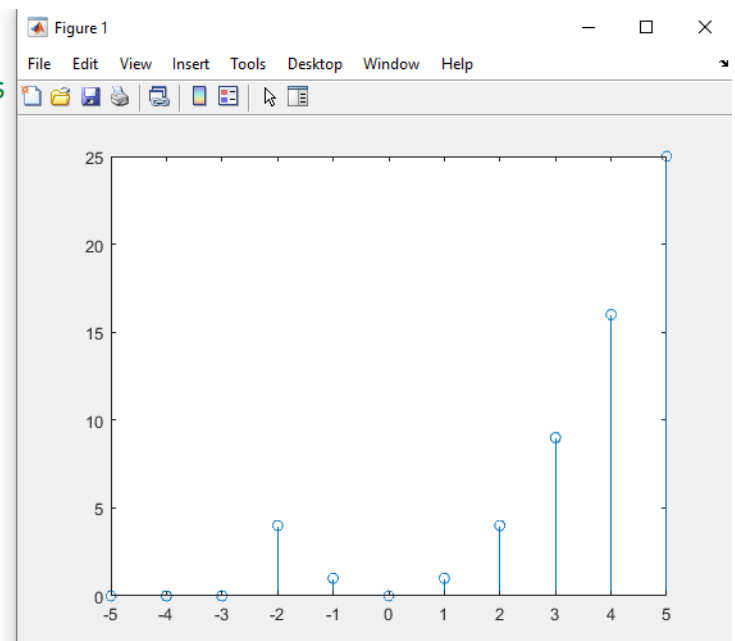
```
%Hemal Sharma  
%ID: 2221855  
%  $x[n] = n(u[n] - u[n - 5])$ , where  $-5 \leq n \leq 5$   
n = -5:5;  
x = n.*(unitstep(0,-5,5) - unitstep(5,-5,5));  
stem(n,x)
```



[e]  $x[n] = n^2 u[n + 2]$ , where  $-5 \leq n \leq 5$  [scaling]

**Comment:** The unit step function is shifted toward the left by 2 units and the amplitude is scaled by a factor of  $n$  squared.

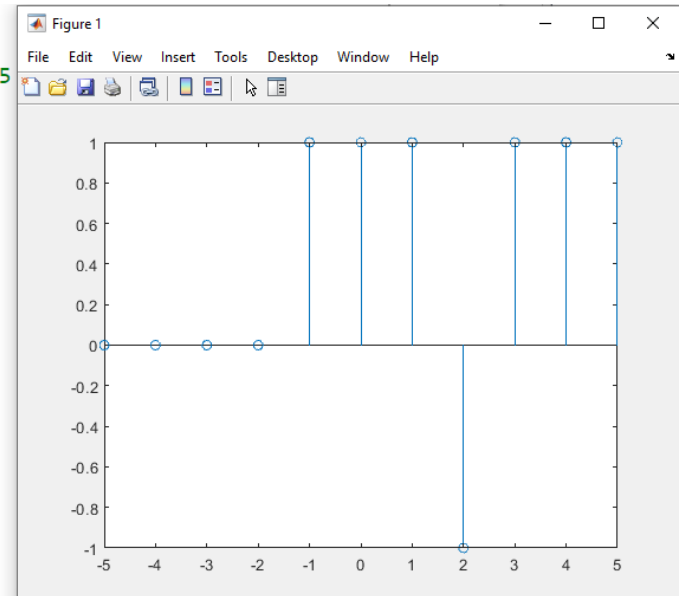
```
%Hemal Sharma  
%ID: 2221855  
%  $x[n] = n^2 u[n + 2]$ , where  $-5 \leq n \leq 5$   
n = -5:5;  
x = n.^2.*(unitstep(-2,-5,5));  
stem(n,x)
```



[f]  $x[n] = u[n + 1] - 2\delta[n - 2]$ , where  $-5 \leq n \leq 5$  [addition and scaling]

**Comment:** The unit impulse function is shifted 2 units towards the right and the amplitude of it is scaled by a factor of 2. Then the function is subtracted from a unit step function shifted 1 unit toward the left.

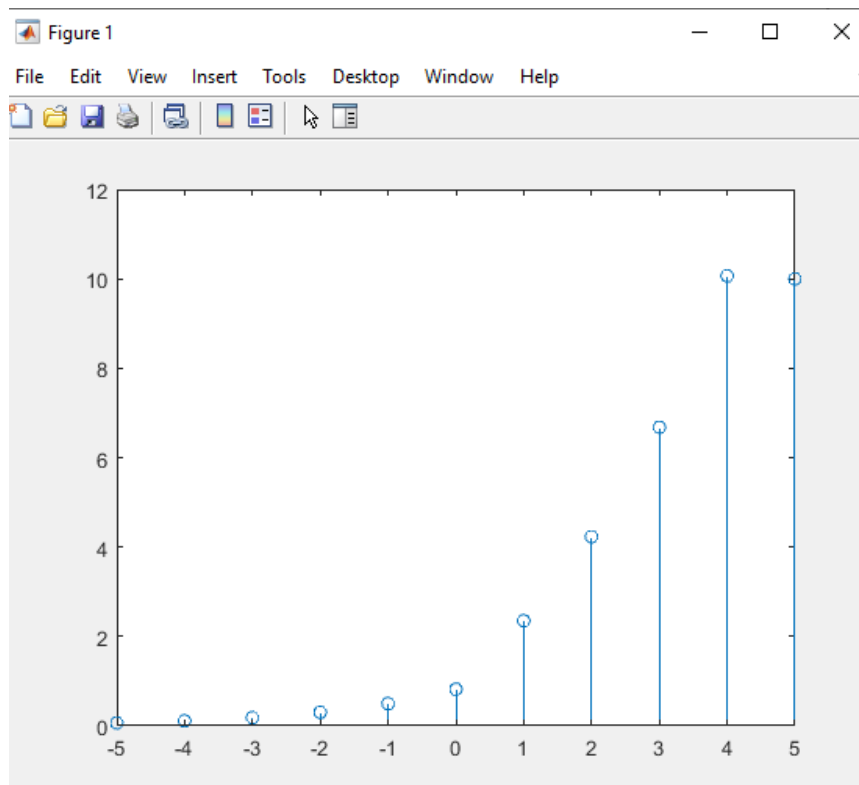
```
%Hemal Sharma
%ID: 2221855
%x[n] = u[n + 1] - 2δ[n - 2], where -5 ≤ n ≤ 5
n = -5:5;
x = unitstep(-1,-5,5) - 2.* impseq(2,-5,5);
stem(n,x)
```



[g]  $x[n] = n(u[n] - u[n - 5]) + 10e^{0.5[n - 5]}$ , where  $-5 \leq n \leq 5$  [scaling]

**Comment:** The unit step function shifted 5 units toward the right is subtracted from another unit step function and the entire function is scaled by a factor of n. Then it is added with an exponential function shifted 5 units toward the right and the time is scaled by a factor of 0.5 and the amplitude is scaled by a factor of 10.

```
%Hemal Sharma
%ID: 2221855
%[g] x[n] = n(u[n] - u[n - 5]) + 10e 0.5[n - 5] , where -5 ≤ n ≤ 5 [scaling]
n = -5:5;
x = n.*(unitstep(0,-5,5) - unitstep(5,-5,5)) +10*exp(0.5*(n-5));
stem(n,x)
```



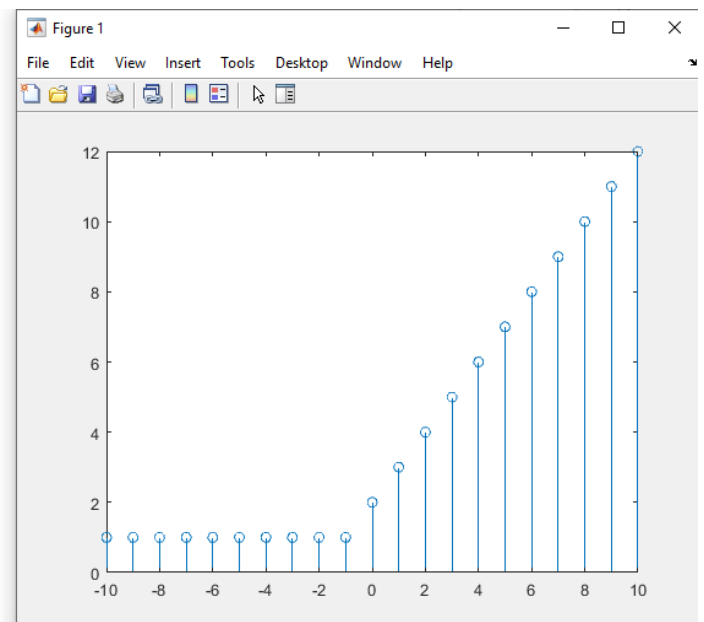
### Lab Assignment-3:

If  $r[n]$  is a ramp function, plot the following functions using the *stem* function:

- (i)  $x[n] = r[n + 1] + 1$ , where  $-10 \leq n \leq 10$

**Comment:** The ramp signal is shifted 1 unit towards the left and is added with 1.

```
%Hemal Sharma
%ID: 2221855
%x[n] = r[n + 1] + 1, where -10 ≤ n ≤ 10
n = -10:10;
x = rampseq(-1,-10,10) + 1;
stem(n,x)
```





(ii)  $x[n] = n - r[n - 2]$ , where  $-15 \leq n \leq 15$

**Comment:** The ramp signal is shifted 2 units toward the right and is subtracted from  $n$ .

```
%Hemal Sharma  
%ID: 2221855  
%  $x[n] = n - r[n - 2]$ , where  $-15 \leq n \leq 15$   
n = -15:15;  
x = n - rampseq(2,-15,15) + 1;  
stem(n,x)
```

