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CHENNAI - 25

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Name : A S SIVA MARI

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Date of Exam : 19/08/21 Session : FE/AN ;

Subject code : CS6301 Subject Title : MACHINE LEARNING

| PART A | | | PART B and C | | | | | | Grand Total (in words) |
|-----------------|---|-------|-----------------|---|-----------|------------|-------------|-------------|---------------------------|
| Question number | ✓ | Marks | Question number | ✓ | (i) Marks | (ii) Marks | (iii) Marks | Total marks | |
| 1 | | | 11 | a | | | | | |
| 2 | | | | b | | | | | |
| 3 | | | 12 | a | | | | | |
| 4 | | | | b | | | | | |
| 5 | | | 13 | a | | | | | |
| 6 | | | | b | | | | | |
| 7 | | | 14 | a | | | | | Grand Total: |
| 8 | | | | b | | | | | |
| 9 | | | 15 | a | | | | | |
| 10 | | | | b | | | | | |
| TOTAL | | | 16 | | | | | | |

DATE :

NAME OF THE EXAMINER:

SIGN OF
EXAMINER:

PART-A

1.

Supervised Learning

- (i) Supervised learning algorithms are trained using labeled data
- (ii) Supervised learning model takes direct feedback to check if it is predicting output or not.
- (iii) Supervised learning can be categorized in classification, regression problems

Unsupervised learning

- (i) Unsupervised learning algorithms are trained using unlabeled data
- (ii) Unsupervised learning model does not take any feedback
- (iii) They can be classified in clustering and association problems

2.

Correlation between the decision boundary and the weight vectors

- (a) If two weight vectors have different norms, the decision boundary is drawn leaning towards the weight vector with smaller norm.
- (b) If they have identical norms, the decision boundary is drawn in the middle.

- 3
- i) Momentum can smooth the progression of the learning algorithm that, in turn can accelerate the training process.
 - ii) Momentum is set to a value greater than 0.0 and less than one, where common values such as 0.9 and 0.99 are used in practice. Common values of [momentum] used in practice include 0.5, 0.9 and 0.99.
 - iii) A validation dataset is a sample of data held back from training the model that is used to give an estimate of model skill tuning model's hyperparameters.

4.

MLP

- (i) The activation function can be any non-linear function which can serve the purpose

- (ii) The final layer in MLP also uses the activation function before linearly combining it.

RBF

- (i) The activation function is a function of the euclidean distance of input vector and a certain vector.

- (ii). The final layer of RBF don't use activation function. it rather linearly combines the output of the previous neuron.

(ii) There can be more than one hidden layer in MLP

(iii) The final layer have only one neuron.

5. Factor analysis

Factor analysis is one of the unsupervised machine learning algorithms which is used for dimensionality reduction. This algorithm creates factors from the observed variables to represent the common variance i.e variance due to correlation among the observed variables.

6. SVM are applied on binary classification, dividing data points either in 1 or 0. For multiclass classification, the same principle is utilized. The multiclass problem is broken down to multiple binary classification cases, which is also called one-vs-one. It basically divides in class x and rest.

The number of classifiers necessary for one-vs-one multiclass classification can be retrieved with following formula (n being no. of classes)

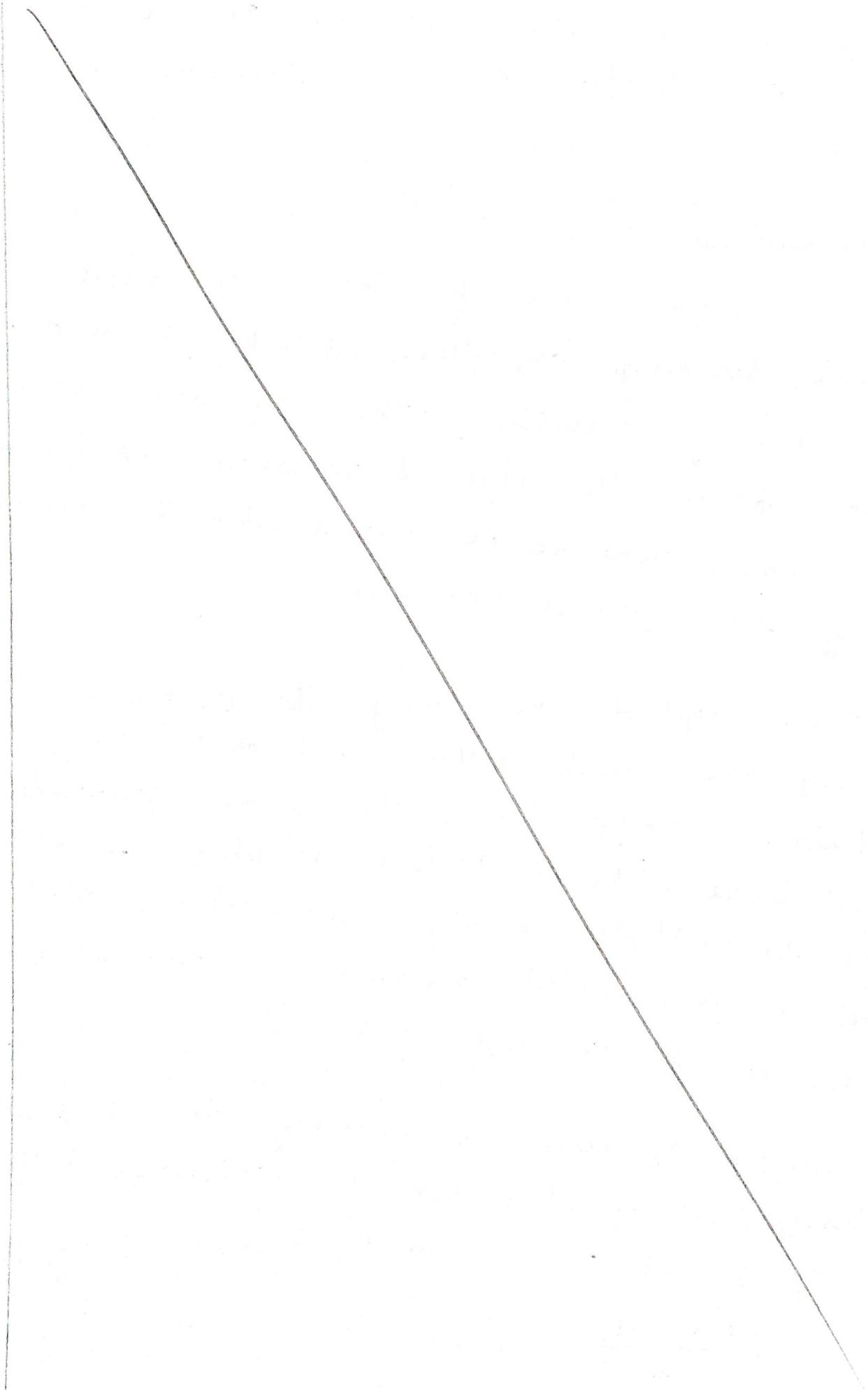
$$\frac{n \times (n-1)}{2}$$

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7. A Markov process is a random process in which the future is independent of the past, given the present. Thus, Markov processes are the natural stochastic analogs of the deterministic processes described by differential and difference equations. They form one of the most important classes of random processes.

8. Bagging and Boosting

- (i) Bagging and Boosting are ensemble methods focused on getting N learners from a single learner
- (ii) Bagging and Boosting make random sampling and generate several training data sets
- (iii) Bagging is a method or merging the same type of predictions. Boosting is a method of merging different types of prediction

9. Sensitivity is the metric that evaluates a model's ability to predict true positives of each available category.

Specificity is the metric that evaluates a model's ability to predict true negatives of each available category.

$$\text{sensitivity} : \frac{\text{True positives}}{\text{True positives} + \text{False negatives}}$$

$$\text{specificity} : \frac{\text{True negatives}}{\text{True negatives} + \text{False positives.}}$$

10. Recurrent neural networks, also known as RNN's are a class of neural networks that allow previous outputs to be used as inputs while having hidden states. RNN's are specialized for processing a sequence of values They are distinguished by their "memory" as they take information from prior inputs to influence the current input and output

Types based on input and output

- (1) One to one
- (2) One to many
- (3) Many to many
- (4) Many to one.

Applications of RNN model :

- 1) Language translation
- 2) Music generation
- 3) Speech Recognition

11. No of Instances \Rightarrow no of categories (education qualification)
 $= 2$
 \Rightarrow no. of categories (exp)
 $= 2$
 \Rightarrow no. of categories (technical)
 $= 2$
 \Rightarrow no. of categories (gender)
 $= 2$
 \Rightarrow no. of categories (marital) = 3
- \therefore No of instances = $2 \times 2 \times 2 \times 2 \times 3$
 $= 48$.

Find(s) algorithm

- 1) start with most specific hypothesis
 - 2) If the example is positive, we make the hypothesis more general.
 - 3) If hypothesis is too specific
 - 4) If example is negative, no of changes are done
- Repeat it for all example.

Initial hypothesis = ($\phi, \phi, \phi, \phi, \phi$)

\downarrow 1st training example
 (pg, yes, good, male, married)

\downarrow 2nd example

(pg, yes, good, ?, ?)

↓ 3rd example

No change

↓ 4th example

(pg, yes, good, ?, ?) → Final hypothesis.

Syntactically distinct hypothesis

$$= 4 \times 4 \times 4 \times 4 \times 5 = 1280$$

Semantically distinct hypothesis

$$= (3 \times 3 \times 3 \times 3 \times 4) + 1$$

$$= 325.$$

If - then Elimination Algorithm

i) Create version space of all hypothesis

2) for each training example

remove hypothesis $h(x)$ for which
 $h(x) \neq c(x)$ where x is training
 example.

3) output contains the list of hypothesis for
 dataset.

The algorithm consumes time as it has to
 generate all possible hypothesis in the
 versions space, when the data set is
 small or insufficient the algorithm might
 output the active set of hypothesis in the
 version space.

14. RBF network for solving a XOR problem

Gaussian functions:

We need 4 RBF since hidden space is 4D.

$$c_{11} \rightarrow t_1 = (0, 0), \sigma_1$$

$$c_{12} \rightarrow t_2 = (0, 1), \sigma_2$$

$$c_{13} \rightarrow t_3 = (1, 0), \sigma_3$$

$$c_{14} \rightarrow t_4 = (1, 1), \sigma_4$$

where p = neighbours

p = 2 (here) given

$$\sigma_1 = \sqrt{\frac{1}{2} [(t_1 - t_3)^2 + (t_1 - t_2)^2]}$$

$$= \sqrt{\frac{1}{2} \{ [(1-0)^2 + (0-1)^2] + [(1-0)^2 + (0-0)^2] \}}$$

$$\boxed{\sigma_1 = 1}$$

Similarly,

$$\sigma_2 = 1$$

$$\sigma_3 = 1$$

$$\sigma_4 = 1$$

$$c_{11}(x) = e^{\frac{-1(x-t_1)^2}{2}}$$

$$c_{12}(x) = e^{\frac{-1(x-t_2)^2}{2}}$$

$$c_{13}(x) = e^{\frac{-1(x-t_3)^2}{2}}$$

$$c_{14}(x) = e^{\frac{-1(x-t_4)^2}{2}}$$

| x_p | c_{11} | c_{12} | c_{13} | c_{14} | $\sum w_{kj} c_{ij}$ | y |
|-------|----------|----------|----------|----------|----------------------|-----|
| 0, 0 | 1 | 0.6 | 0.6 | 0.4 | 0.2 | 1 |
| 0, 1 | 0.6 | 1 | 0.4 | 0.6 | -0.2 | 0 |
| 1, 0 | 0.6 | 0.4 | 1 | 0.6 | -0.2 | 0 |
| 1, 1 | 0.4 | 0.6 | 0.4 | 1 | 0.2 | 1 |

$$w_{11} = 1, w_{12} = -1, w_{13} = -1, w_{14} = 1$$

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$$\sum w_{kj} \theta_j =$$

$$= (1 \times 1) + (1 \times 0.6)$$

$$+ (-1 \times 0.6) + (1 \times 0.4)$$

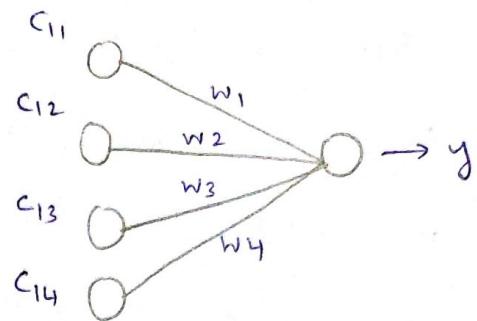
$$= 1 - 0.6 - 0.6 + 0.4$$

$$= 0.2$$

$$= 1 \times 0.6 + (-1) + (0.4 \times -1) + (0.6 \times 1)$$

$$= 0.6 - 1 - 0.4 + 0.6$$

$$= -0.2$$



$$y = c_{1a} (\sum w_{kj} \theta_j)$$

$$j = 1 \dots 4$$

$$k = 1 (1 \text{ or } 2)$$

20.

Build ID3 decision tree:

Formulae: Entropy (P) = $-\sum_i p_i \log_2 p_i$

$$\text{Gain}(S, F) = \text{Entropy}(S) - \frac{\sum |S_f|}{|S|} \text{Entropy}(S_f)$$

Sol: Let E be entropy and G be the

information gain

$$E(S) = -\frac{2}{8} \log_2 \frac{2}{8} - \frac{6}{8} \log_2 \frac{6}{8}$$

$$\Rightarrow E(S) = 0.811$$

Let us calculate gain for every attribute,

$G(S, \text{Educational qualification})$

$$= E(S) - \frac{|Spg|}{|S|} E(Spg) - \frac{|Sug|}{|S|} E(Sug)$$

$$= 0.811 - \frac{4}{8} \left(-\frac{2}{4} \log_2 \frac{2}{4} - \frac{2}{4} \log_2 \frac{2}{4} \right) - \frac{4}{8} \left(-\frac{4}{4} \log_2 \frac{4}{4} - \frac{0}{4} \log_2 \frac{0}{4} \right)$$

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$$\approx 0.311$$

$$G(s, \text{Exp} > 5 \text{ year}) = E(s) - \frac{|S_{\text{yes}}|}{|S|} E(S_{\text{yes}}) - \frac{|S_{\text{no}}|}{|S|} E(S_{\text{no}})$$

$$= 0.811 - \frac{4}{8} \left(-\frac{2}{4} \log_2 \frac{2}{4} - \frac{2}{4} \log_2 \frac{2}{4} \right) - \frac{4}{8} \left(-\frac{0}{4} \log_2 \frac{0}{4} - \frac{4}{4} \log_2 \frac{4}{4} \right)$$

$$= 0.311$$

$$G(s, \text{technical}) = E(s) - \frac{|S_{\text{good}}|}{|S|} E(S_{\text{good}}) - \frac{|S_{\text{bad}}|}{|S|} E(S_{\text{bad}})$$

$$= 0.811 - \frac{6}{8} \left(-\frac{2}{6} \log_2 \frac{2}{6} - \frac{4}{6} \log_2 \frac{4}{6} \right) - \frac{2}{8} \left(-\frac{0}{2} \log_2 \frac{0}{2} - \frac{2}{2} \log_2 \frac{2}{2} \right)$$

$$= 0.123$$

$$G(s, \text{gender}) = E(s) - \frac{|S_{\text{female}}|}{|S|} E(S_{\text{female}}) - \frac{|S_{\text{male}}|}{|S|} E(S_{\text{male}})$$

$$= 0.811 - \frac{5}{8} \left(-\frac{1}{5} \log_2 \frac{1}{5} - \frac{4}{5} \log_2 \frac{4}{5} \right) - \frac{3}{8} \left(-\frac{1}{3} \log_2 \frac{1}{3} - \frac{2}{3} \log_2 \frac{2}{3} \right)$$

$$= 0.016$$

$$G(s, \text{marital status}) = E(s) - \frac{|S_{\text{married}}|}{|S|} E(S_{\text{married}})$$

$$- \frac{|S_{\text{single}}|}{|S|} E(S_{\text{single}})$$

$$- \frac{|S_{\text{widow}}|}{|S|} E(S_{\text{widow}})$$

$$= 0.811 - \frac{4}{8} \left(-\frac{1}{4} \log_2 \frac{1}{4} - \frac{3}{4} \log_2 \frac{3}{4} \right) - \frac{2}{8} \left(-\frac{1}{2} \log_2 \frac{1}{2} - \frac{1}{2} \log_2 \frac{1}{2} \right)$$

$$- \frac{2}{8} \left(-\frac{0}{2} \log_2 \frac{0}{2} - \frac{2}{2} \log_2 \frac{2}{2} \right)$$

$$= 0.156.$$

As we can see educational qualification and exp > 5 years have highest gain. We can choose any one. Let us choose educational qualification as the root.

Repeat the process for every subtree



$$E(S_{pg}) = -\frac{2}{4} \log_2 \frac{2}{4} - \frac{2}{4} \log_2 \frac{2}{4} = 1$$

$$G(S, \text{Exp} > 5) = 1 - \frac{|S_{yes}|}{|S|} E(S_{yes}) - \frac{|S_{no}|}{|S|} E(S_{no}) = 1$$

$$G(S, \text{technical}) = 1 - \frac{3}{4} \left(-\frac{2}{3} \log_2 \frac{2}{3} - \frac{1}{3} \log_2 \frac{1}{3} \right) - \frac{1}{4} \left(-\frac{1}{1} \log_2 \frac{1}{1} \right)$$

$$= 0.311$$

Similarly,

$$G(S, \text{gender}) = 0$$

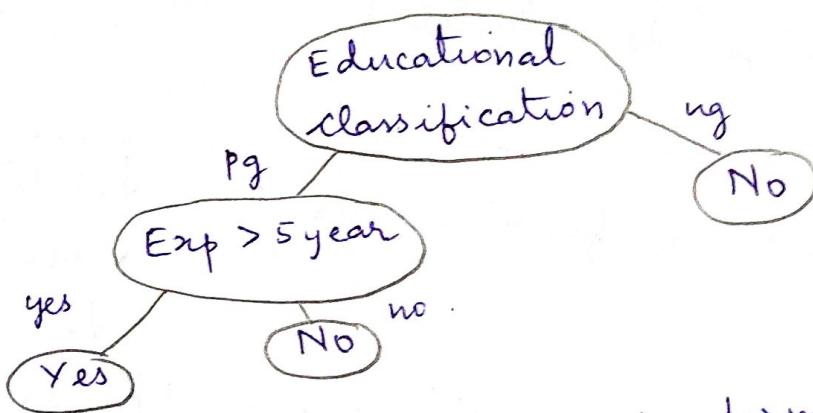
$$G(S, \text{marital}) = 0$$

$\therefore \text{Exp} > 5$ years has the highest gain

As we can see, this splits the data into values of some clear

\therefore Both can be written as a leaf

\therefore The ID₃ tree formed is,



Hence, the decision tree is formed for the given data.

21. K Means clustering.

Labelling the points

A(1,1), B(2,2), C(1,2), D(2,1), E(5,5), F(5,6)
G(6,5), H(6,6)

K = 2

Taking the initial centroids A(1,1) and E(5,5) for clusters 1 and 2 respectively.

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Iteration 1

$$A(1,1) \text{ Distance from cluster 1} = \sqrt{(1-1)^2 + (1-1)^2} \\ = 0.$$

$$\text{Distance from cluster 2} = \sqrt{(1-5)^2 + (1-5)^2} \\ = \sqrt{16+16} \\ = 4\sqrt{2}$$

'A' belongs to cluster 1.

Similarly,

$$B(2,2) \text{ Distance from cluster 1} = \sqrt{(2-1)^2 + (2-1)^2} \\ = \sqrt{1+1} \\ = \sqrt{2}$$

$$\text{Distance from cluster 2} = \sqrt{(2-5)^2 + (2-5)^2} \\ = \sqrt{9+9} \\ = 3\sqrt{2}$$

'B' belongs to cluster 1.

$$C(1,2) \text{ Cluster 1} = \sqrt{(1-1)^2 + (2-1)^2} \\ = 1 \\ \text{Cluster 2} = \sqrt{(1-5)^2 + (2-5)^2} \\ = \sqrt{16+9} \\ = 5.$$

$$D(2,1) : \text{Cluster 1} : \sqrt{(2-1)^2 + (1-1)^2} \\ = \sqrt{1} \\ = 1, \\ \text{Cluster 2} : \sqrt{(2-5)^2 + (1-5)^2} \\ = \sqrt{9+16} = 5.$$

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'D' belongs to cluster 1.

$$E(5,5) : \text{cluster 1} = \sqrt{(5-1)^2 + (5-1)^2}$$

$$= \sqrt{16+16} = 4\sqrt{2}$$

$$\text{cluster 2} = \sqrt{(5-5)^2 + (5-5)^2} = 0.$$

'E' belongs to cluster 2.

$$F(5,6) \quad \text{cluster 1} = \sqrt{(5-9)^2 + (6-1)^2}$$

$$= \sqrt{16+25} = \sqrt{41}$$

$$\text{cluster 2} = \sqrt{(5-5)^2 + (6-5)^2} = 1.$$

'F' belongs to cluster 2

$$G(6,5) \quad \text{cluster 1} : \sqrt{(6-1)^2 + (5-1)^2}$$

$$= \sqrt{25+16}$$

$$= \sqrt{41}$$

$$\text{cluster 2} : \sqrt{(6-5)^2 + (5-5)^2}$$

$$= 1.$$

'G' belongs to cluster 2

$$H(6,6)$$

$$\text{cluster 1} : \sqrt{(6-1)^2 + (6-1)^2}$$

$$= \sqrt{25+25}$$

$$= 5\sqrt{2}$$

$$\text{cluster 2} : \sqrt{(6-5)^2 + (6-5)^2}$$

$$= \sqrt{1+1}$$

$$= \sqrt{2}$$

'H' belongs to cluster 2

After iteration ¹ •

cluster 1 : A(1,1), B(2,2), C(1,2), D(2,1)

cluster 2 : E(5,5), F(5,6), G(6,5), H(6,6)

cluster 2 : E(5,5), F(5,6), G(6,5), H(6,6)

updating Centroids

$$\text{cluster 1} = \left(\frac{1+2+1+2}{4}, \frac{1+2+2+1}{4} \right) = (1.5, 1.5)$$

$$\text{cluster 2} = \left(\frac{5+5+6+6}{4}, \frac{5+6+5+6}{4} \right) = (5.5, 5.5)$$

Iteration 2 :

$$A(1,1) \quad \text{cluster 1} = \sqrt{(1-1.5)^2 + (1-1.5)^2} = \sqrt{0.25 + 0.25} = \sqrt{0.5}$$

$$\text{cluster 2} = \sqrt{(1-5.5)^2 + (1-5.5)^2} = \sqrt{20.25 + 20.25} = \sqrt{40.5}$$

'A' belongs to cluster 1.

$$B(2,2) \quad \text{cluster 1} : \sqrt{(2-1.5)^2 + (2-1.5)^2} = \sqrt{0.25 + 0.25} = \sqrt{0.5}$$

$$\text{cluster 2} : \sqrt{(2-5.5)^2 + (2-5.5)^2} = \sqrt{12.25 + 12.25} = \sqrt{24.5}$$

'B' belongs to cluster 1.

$$\text{cluster 1} \quad \sqrt{(1-1.5)^2 + (2-1.5)^2} = \sqrt{0.25 + 0.25} = \sqrt{0.5}$$

$$\text{cluster 2} : \sqrt{(1-5.5)^2 + (2-5.5)^2} = \sqrt{20.25 + 12.25} = \sqrt{32.5}$$

'C' belongs to cluster 1.

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$$D(2,1) \text{ cluster 1} : \sqrt{(2-1.5)^2 + (1-1.5)^2} = \sqrt{0.25 + 0.25} \\ = \sqrt{0.5}$$

$$\text{cluster 2} : \sqrt{(2-5.5)^2 + (1-5.5)^2} = \sqrt{12.25 + 20.25} \\ = \sqrt{32.5}$$

'D' belongs to cluster 1.

$$E(5,5) \text{ cluster 1} : \sqrt{(5-1.5)^2 + (5-1.5)^2} = \sqrt{12.25 + 12.25} \\ = \sqrt{24.5}$$

$$\text{cluster 2} : \sqrt{(5-5.5)^2 + (5-5.5)^2} = \sqrt{0.25 + 0.25} \\ = \sqrt{0.5}$$

'E' belongs to cluster 2.

$$F(5,6) : \text{cluster 1} \quad \sqrt{(5-1.5)^2 + (6-1.5)^2} = \sqrt{12.25 + 20.25} \\ = \sqrt{32.5}$$

$$\text{cluster 2} : \sqrt{(5-5.5)^2 + (6-5.5)^2} = \sqrt{0.25 + 0.25} = \sqrt{0.5}$$

'F' belongs to cluster 2.

$$G(6,5) \text{ cluster 1} = \sqrt{(6-5.5)^2 + (5-5.5)^2} = \sqrt{0.25 + 0.25} \\ = \sqrt{0.5}$$

$$\text{cluster 2} = \sqrt{(6+1.5)^2 + (5-1.5)^2} = \sqrt{20.25 + 12.25} \\ = \sqrt{32.5}$$

'G' belongs to cluster 2.

$$H(6,6) : \text{cluster 1} = \sqrt{(6-1.5)^2 + (6-1.5)^2} = \sqrt{20.25 + 20.25} \\ = \sqrt{40.5}$$

$$\text{cluster 2} : \sqrt{(6-5.5)^2 + (6-5.5)^2} = \sqrt{0.25 + 0.25} \\ = \sqrt{0.5}$$

'H' belongs to cluster 2
 clusters have not changed after iteration 2,
 hence the final clusters are
 cluster 1 : (1,1), (2,2), (1,2), (2,1)
 cluster 2 : (5,5), (5,6), (6,5), (6,6).

22.

CNN model

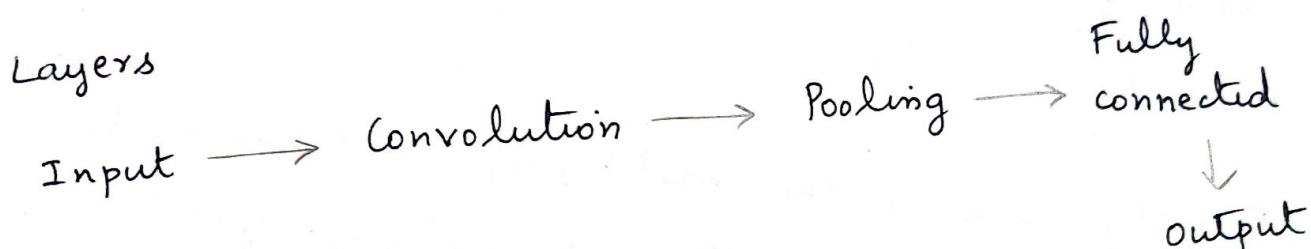
CNNs are a class of deep Neural Networks that can recognize and classify particular features from images and are widely used for analyzing visual images. Their applications range from image and video recognition - image classification, medical image analysis, computer vision and natural processing.

The term 'Convolution' in CNN denotes the mathematical function of convolution which is a kind of linear operation wherein two functions are multiplied to produce a third examination.

Basic Architecture

- (i) A convolutional tool that separates and identifies the various features of the image

(ii) A fully connected layer that utilizes the output from the convolution process and predicts the class of the image based on the features extracted in previous stages.



Convolutional layer

This layer is the first layer that is used to extract various features from the input images.

Pooling layer

In most cases, a convolutional layer is followed by a pooling layer. The primary aim of this layer is to decrease the size of the convolved feature map to reduce the computational costs.

Fully Connected layer

The Fully connected (FC) layer consists of the weights and biases along with the neurons and is used to connect the neurons between two different layers.

Dropout

Usually, when all the features are connected to the FC layer, it can cause overfitting in the training dataset. Overfitting occurs when a particular model works so well on the training data causing a negative impact.

Activation Functions

Finally, one of the most important parameters of the CNN model is the activation function. They are used to learn to learn and approximate any kind of continuous and complex between variables of the network.

Here $w = 227, h = 227, s = 4, \text{padding} = 0, 96 \text{ filters}$
and stride = 4.

$$(w = 57, h = 57, \text{Depth} = 96)$$

12. Candidate elimination algorithm incrementally builds the version space given a hypotheses space H and set of E of examples. The examples are added one by one - each example possibly shrinks the version space by removing the hypothesis that is inconsistent with the example.

Algorithm:

Step 1: Load Data Set

Step 2: Initialize General hypothesis and specific hypothesis.

Step 3: For each training example.

Step 4: If example is positive example

if attribute-value == hypothesis-value
Do nothing

else:
replace attribute value with '?'

(Basically generalizing it)

If example is negative example

Step 5: If example is negative example
make generalize hypothesis more specific

$$\text{e.g } h_0 = \{ ?, ?, ?, ?, ?, ? \}$$

$$s_0 = \{ \phi, \phi, \phi, \phi, \phi \}$$

$$s_1 = \{ pg, yes, good, male, married \}$$

$$g_1 = \{ ?, ?, ?, ?, ?, ? \}$$

$$s_2 = \{ pg, yes, good, ?, ? \}$$

$$g_2 = \{ ?, ?, ?, ?, ?, ? \}$$

$$s_3 = \{ pg, yes, good, ?, ? \}$$

$$g_3 = \{ < pg, ?? ?? >, < ? Yes ?? >, < ?? good ?? > \}$$

$$\text{Ans} \Rightarrow s_4 = \{ pg, yes, good, ?, ? \}$$

$$g_4 = \{ < pg, ?? ?? >, < ? Yes ?? >, < ?? good ?? > \}$$

7. Calculating probabilities for eligibility (assuming 'Male' in Martial status is meant to be 'Married')

$$P(\text{no}) = \frac{3}{4}, P(\text{yes}) = \frac{1}{4}$$

Educational qualification:

$$P(\text{pg/yes}) = 1, P(\text{pg/no}) = \gamma_3, P(\text{ug/yes}) = 0, P(\text{ug/no}) = \frac{2}{3}$$

Exp > 5 years

$$P(\text{yes/yes}) = 1, P(\text{yes/no}) = \gamma_3, P(\text{no/yes}) = 0, P(\text{no/no}) = \frac{2}{3}$$

Technical

$$P(\text{good/yes}) = 1, P(\text{good/no}) = \frac{2}{3}, P(\text{bad/yes}) = 0, P(\text{bad/no}) = \frac{1}{3}$$

Gender

$$P(\text{female/yes}) = \gamma_2, P(\text{female/no}) = \frac{2}{3}, P(\text{male/yes}) = \gamma_2, P(\text{male/no}) = \gamma_3.$$

Martial status

$$P(\text{married/yes}) = \gamma_2, P(\text{married/no}) = \gamma_2, P(\text{single/yes}) = \gamma_2 \\ P(\text{single/no}) = \gamma_6, P(\text{widow/yes}) = 0, P(\text{widow/no}) = \gamma_3$$

As an example is not given in the question. I am assuming candidate x to be

$$x = \langle \text{ug, yes, good, Male, single} \rangle$$

Eligible (yes):

$$P(x/\text{yes}) \cdot P(\text{yes}) = P(\text{ug/yes}) \times P(\text{yes/yes}) \times P(\text{good/yes}) \\ \times P(\text{male/yes}) \times P(\text{single/yes}) \times P(\text{yes})$$

$$= 0 \times 1 \times 1 \times \gamma_2 \times \gamma_4$$

$$= 0$$

Not Eligible (no)

$$P(x/\text{no}) \cdot P(\text{no}) = P(\text{ug/no}) \times P(\text{yes/no}) \times P(\text{good/no}) \\ \times P(\text{male/no}) \times P(\text{single/no}) \times P(\text{no})$$

$$= \frac{2}{3} \times \gamma_3 \times \frac{2}{3} \times \gamma_3 \times \gamma_6 \times \frac{3}{4}$$

$$= \gamma_{16}^2 = 0.0062 (> 0)$$

$$\boxed{\text{no} > \text{yes}} \quad (P(\text{no}) > P(\text{yes}))$$

x is not eligible.

18.

Gaussian Mixture Model

~~represent~~ There are k clusters Gaussian mixture models are a probabilistic model for representing normally distributed sub populations within a overall population.

Use * Feature extraction from speech data
* Object Tracking of multiple objects where

no. of mixture components and their means predict object locations at each frame in a video sequence

$$P(x_i \in C_m) = \frac{\hat{\lambda}_m \phi(x_i; \hat{\mu}_m; \hat{\Sigma}_m)}{\sum_{k=1}^n \hat{\lambda}_m \phi(x_i; \hat{\mu}_k; \hat{\Sigma}_k)}$$

$P(x_i \in C_m) \rightarrow$ Probability that x_i belongs to C_m
 $\phi(x_i; \mu_m, \Sigma_m) \rightarrow$ Gaussian function with mean μ_m and covariance matrix Σ_m .

$\alpha_m \Rightarrow$ weights with constraints $\sum_{m=1}^M \alpha_m = 1$

The problem is how to choose the weights α_m . The common approach is to aim for maximum likelihood situation using expectation maximisation algorithm.

Initialization :

- 1) set $\hat{\mu}_1$ and $\hat{\mu}_2$ as randomly chosen values from the dataset
- 2) select $\hat{\sigma}_1^2 = \hat{\sigma}_2^2 = \sum_{i=1}^N (y_i - \bar{y})^2 / N$ (\bar{y} - mean of entire dataset)

Repeat Until convergence

1) Expectation step $\hat{r}_i = \frac{\pi_1 \phi(y_i; \hat{\mu}_1, \hat{\sigma}_1^2)}{\pi_1 \phi(y_i; \hat{\mu}_1, \hat{\sigma}_1^2) + \pi_2 \phi(y_i; \hat{\mu}_2, \hat{\sigma}_2^2)}$ $i = 1..n$

2) Maximization $\hat{\mu}_1 = \frac{\sum_{i=1}^n (1 - \hat{r}_i) y_i}{\sum_{i=1}^n (1 - \hat{r}_i)}$

3) Maximization $\hat{\mu}_2 = \frac{\sum_{i=1}^n \hat{r}_i y_i}{\sum_{i=1}^n \hat{r}_i}$

4) Maximization $\hat{\sigma}_1^2 = \frac{\sum_{i=1}^n (1 - \hat{r}_i) (y_i - \hat{\mu}_1)^2}{\sum_{i=1}^n (1 - \hat{r}_i)}$

5) Maximization $\hat{\sigma}_2^2 = \frac{\sum_{i=1}^n \hat{r}_i (y_i - \hat{\mu}_2)^2}{\sum_{i=1}^n \hat{r}_i}$

6) Maximization (5) $\hat{\pi}_i = \sum_{i=1}^n \frac{\hat{r}_i}{N}$

General EM algorithm

Initialization, guess parameters $\hat{\theta}^{(0)}$. Repeat with convergence

\rightarrow (E-step) Computer the expectation $\mathbb{Q}(\theta'; \hat{\theta}^{(t)})$
 $= E(f(\theta'; \theta') | D, \hat{\theta}^{(t)})$

\rightarrow (m-step) Eliminate new parameters.

$\hat{\theta}^{(t+1)}$ as max _{θ} $\mathbb{Q}(\theta; \hat{\theta}^{(t)})$.

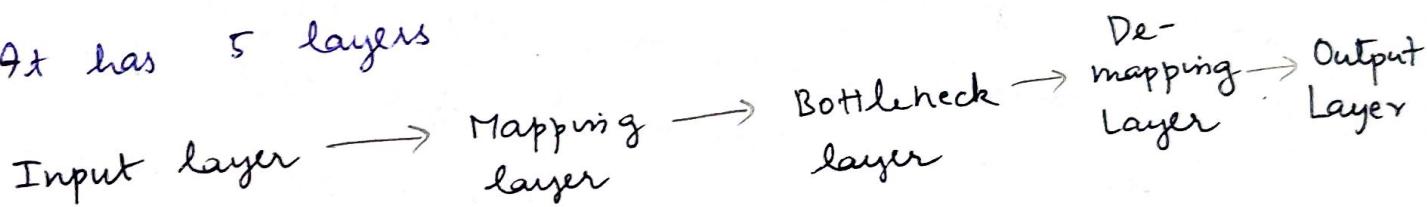
Example: In modeling human heights data height is modelled as a normal distribution for each gender with a mean 5'10" \rightarrow male, 5'5" \rightarrow female. Given only the height data and not the gender assignments for each data point the distributions of heights would follow the sum of 2 scaled (different variances and shifted) different mean) normal distributions. A model that makes this assumption is Gaussian Mixture Model (GMM) and hence is suitable for this example.

24.

Auto-associative Neural Network

Auto associative neural networks are one of the types of neural networks whose input and output vectors are identical. There are special kinds of neural networks that are used to stimulate simulate and explore the associative process. Association in this architecture comes from the instruction of a set of simple processing elements called units which are connected through weighted connections.

It has 5 layers



Auto associative neural networks can be used in many fields

- * Pattern recognition
- * Bio-informatics
- * Voice recognition
- * Signal validation etc.

Activation function

① ReLU

- Rectified linear activation function
- Simple to implement and effective at overcoming functions such as sigmoid and tanh

② Sigmoid

- Sigmoid is same as logistic regression and called logistic function
- It takes continuous values as input. Output values in the range 0 to 1. The bigger the input the closer value to 1.

③ tanh

- hyperbolic tangent activation function is very similar to sigmoid.

" All the answers in the answer script has been written by my own hand writing , no body has helped me "

Rishabh
19/8/21.