

Syntax Directed Translation

I

A. Syntax-Directed Derivation (SDD)

A SDD is a kind of abstract specification. It is a combination of CFG and semantic rules.

$$SDD = CFG + \text{Semantic rules.}$$

Attributes are associated with grammar symbols and semantic rules are associated with productions.

If x is a symbol and 'a' is one of its attributes then $x.a$ denotes value at index a . Attributes may be number, string, references, datatypes etc.

Production

Semantic rule

$$\{ E \cdot val = E \cdot val + T \cdot val \}$$

$$E \rightarrow ETT$$

$$\{ E \cdot val = T \cdot val \}$$

$$E \rightarrow T$$

Semantic rules are fragments of code which are embedded usually at the end of production and enclosed in curly braces.

Types of attributes:

1. Synthesized Attributes: These are those attributes which derive their values from their ^{children} parent nodes i.e., value of synthesized attribute at node is computed from the values of attributes at children node.

Ex: $A \rightarrow BCD$
Parent Children.

$$\begin{aligned} A.S &= B.S \\ A.S &= C.S \\ A.S &= D.S \end{aligned} \quad \left. \begin{array}{l} \text{Parent node of } A \\ \text{taking value from} \\ \text{its children } B, C, D \end{array} \right\}$$

2. Inherited Attribute: These are the attributes which derive their values from their parent ^{and} sibling nodes. i.e., value of inherited attributes are computed by value of parent ^{and} sibling nodes.

Ex: $A \rightarrow BCD$

$$\begin{aligned} C.P &= A.P \\ C.P &= B.P \\ C.P &= D.P \end{aligned}$$

Types of SDD:

1. S-Attributed SDD (or) S-Attributed Definition
2. S-Attribute grammar

1. It uses only synthesized attributes & called S-Attributed SDD.
2. Semantic actions are always placed at right end of the production.
3. Attributes are evaluated with bottom up parsing.
4. It is also called "postfix SDD"

I-Attributed SDD:

1. SDD that uses both synthesized (or) inherited attributes & called as I-Attributed SDD.
2. In I-Attributed SDD each inherited attributes is restricted to inherit from parent (or) left sibling only.
3. Semantic actions are placed on only where (or) R.H.S
4. Attributes are evaluated by depth first Top down parsing.

Ex: $A \rightarrow XYZ$

$$\{ A \rightarrow S \quad Y.S = A.S, \quad Y.S = X.S, \\ Y.Z = Z.S \}$$

B: Evaluation Orders of SDD :-

Dependency Graphs

A) Dependency graph provides information about the order of evaluation of attributes with the help of edges. It is used to determine the order of evaluation of attributes according to the semantic rules of production. Evaluation Order of SDD includes how SDD is evaluated with the help of attributes, dependency graphs, semantic rules, and S and D attributes.

→ Dependency Graphs represents the flow of information among one attributes in a parse tree.

→ Dependency Graphs are useful for determining evaluation orders for attributes in a parse tree.

→ While Annotated parse tree shows the values of attributes, a DG determines how those values can be computed.

$E \rightarrow E + T$

$E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow F$

$F \rightarrow \text{digit}$

$E.\text{val} = E.\text{val} + T.\text{val}$

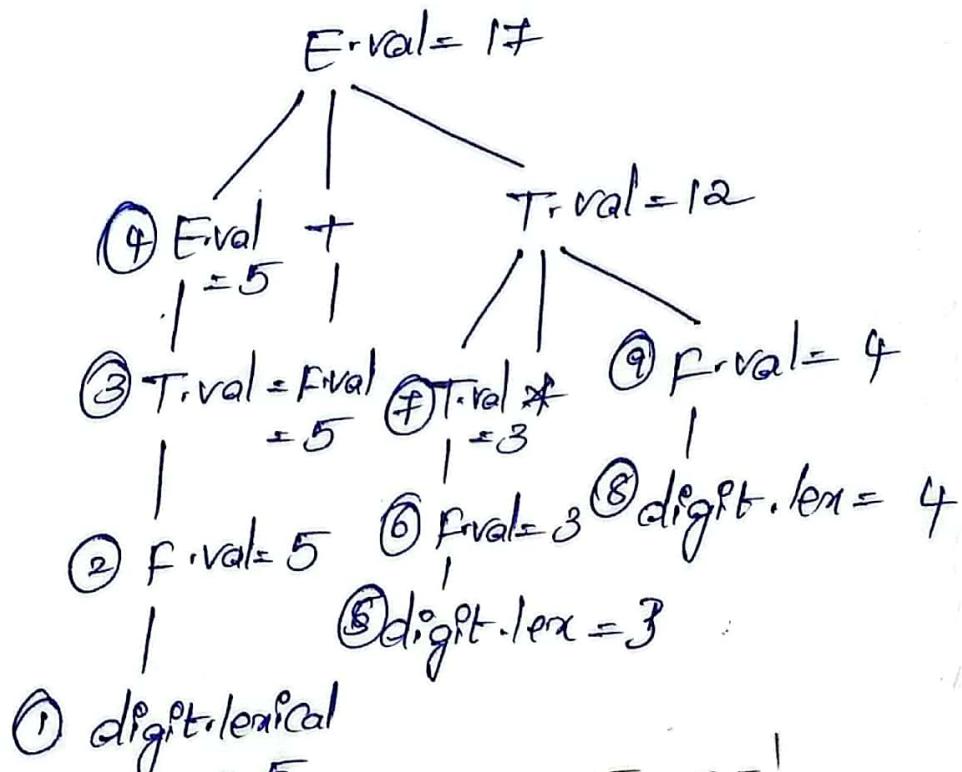
$E.\text{val} = T.\text{val}$

$T.\text{val} = T.\text{val} * F.\text{val}$

$T.\text{val} = F.\text{val}$

$F.\text{val} = \text{digit.lex}$

$5 + 3 * 4$



$$T^1.\text{Syn} = F.\text{val} \quad \left\{ \begin{array}{l} T \rightarrow FT \\ T \rightarrow *FT \end{array} \right.$$

$$T^1.\text{val} = T^1.\text{Syn} \quad T^1 \rightarrow \epsilon$$

$$T^1.\text{Syn} = T^1 \text{ } * \text{ } F.\text{val} \quad F \rightarrow \text{digit}$$

$$T^1.\text{Syn} = T^1 \text{ } * \text{ } T^1.\text{Syn}$$

$$T^1.\text{Syn} = T^1.\text{Syn}$$

$$T^1.\text{Syn} = T^1.\text{Syn}$$

$$F.\text{val} = \text{digit.lex}$$

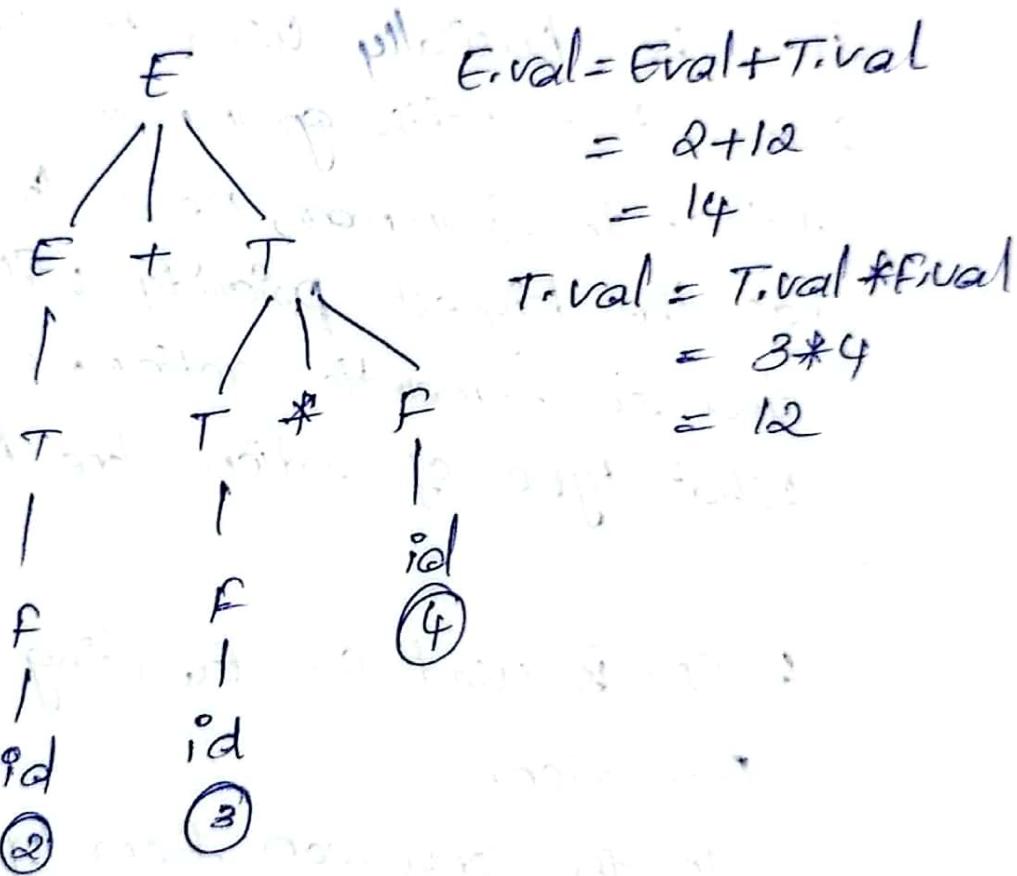
C) Applications of Syntax Directed Translation:

It is used for semantic analysis and SDT is basically used to construct the parse tree with grammars and semantic action. In Grammar, need to decide who has the highest priority will be done first and in semantic actions, will decide what type of action done by grammar.

1. SDT is used for executing Arithmetic Expression.
2. In the conversion from infix to postfix expression.
3. It is also used for Binary to decimal conversion.
4. In creating syntax tree.
5. SDT is used to generate intermediate code.
6. SDT is commonly used for type checking also.

Input : $2+3*4$

O/P : 14



Semantic Action :

$E \rightarrow E + T \quad \{ E.\text{val} = \text{Eval} + T.\text{val} \}$

then point $E.\text{val}$ $\}$

$T \rightarrow T * F \quad \{ T.\text{val} = T.\text{val} * F.\text{val} \}$

$F \rightarrow \text{id} \quad \{ F.\text{val} = \text{id} \}$

$F \rightarrow \text{id} \quad \{ F.\text{val} = \text{id} \}$

$F \rightarrow \text{id} \quad \{ F.\text{val} = \text{id} \}$

Translation Scheme to Convert Infix to Postfix Expression.

Method is $2+3*4$

Production Semantic Action

$E \rightarrow E + T$ { point('+') ; }

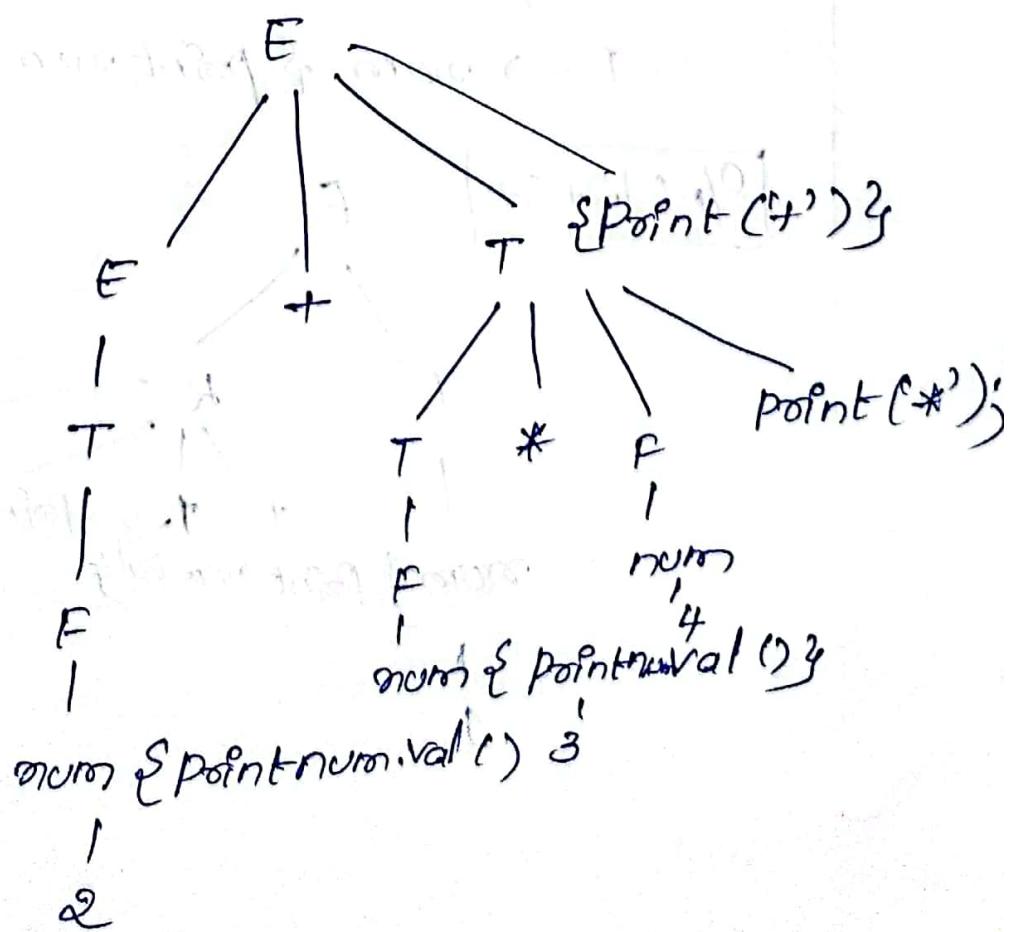
$E \rightarrow T$

$E \rightarrow T * F$ { point('*'); }

$T \rightarrow F$

$F \rightarrow \text{num}$ { point(num.val) ; }

%p: 234*+



Ex: 1+2+3

$E \rightarrow E + T \quad \{ \text{point } (+) ; 3 / T\}$
 $T \rightarrow \frac{A}{B} \quad \{ \text{num } \alpha \text{ Point denom. val } \beta \}$

$A \rightarrow A \alpha / B$

$A \rightarrow B A'$

$A' \rightarrow \alpha A' / C$

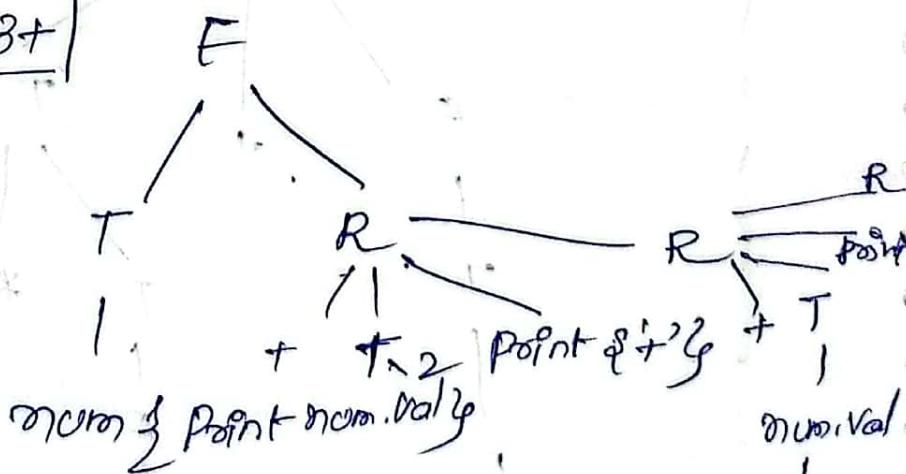
$E \rightarrow TR$

$R \rightarrow + T \quad \{ \text{point } (+) ; 3 R\}$

$R \rightarrow C$

$T \rightarrow \text{num } \{ \text{Point num. Val } 3\}$

O/p: 12+3+



⇒ Syntax Directed Translation Schemes :

Syntax Directed Translation is a set of productions that have semantic rules embedded inside it. The SDT helps in the semantic analysis phase in the compiler. The types of SDT schemes are

- Postfix Translation Schemes.
- Parser^{Stack} Implementation of Postfix SDTs:
- SDT with action inside the production
- Eliminating left Recursion from SDT.

1. Post Translation Schemes :

* The Syntax directed translation which has its semantic actions at the end of the production is called the Postfix Translation Scheme.

* This type of translation of SDT has its corresponding semantics at the last in the RHS of production.

Ex: $S \rightarrow A * B \quad \{ S.val = A.val * B.val \}$
 $A \rightarrow B + 1 \quad \{ A.val = B.val + 1 \}$
 $B \rightarrow \text{num} \quad \{ B.val = \text{num} \}$

↓
↓
↓

2. Parser Stack Implementation of Postfix SDFs:

Postfix SDF are implemented when the semantic actions are at the right end of production and with bottom up parser with non terminals having synthesized attributes.

→ The parser stack contains the record for the nonterminals in the grammar and their corresponding attributes.

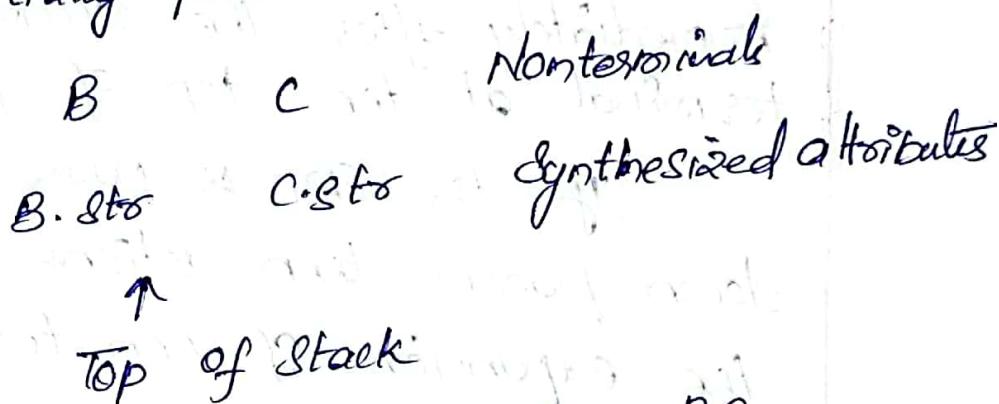
→ The non terminal symbols of the production are pushed onto the parser stack.

→ If the attributes are synthesized and semantic actions are at right hand then attributes of nonterminals are evaluated for the symbol of in the top of the stack.

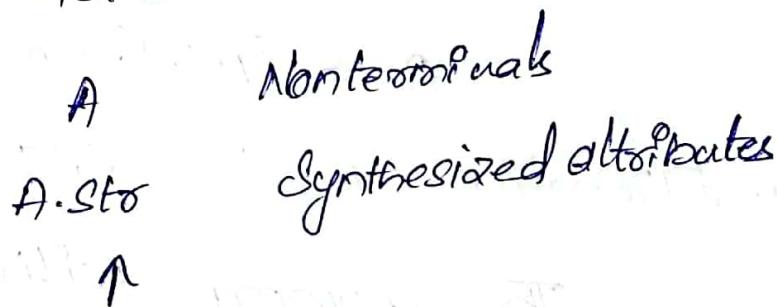
→ When the reduction occurs at the top of stack the attributes are available in the stack and after the action occurs these attributes are replaced by corresponding RHS non terminal and its attribute.

Ex: $A \rightarrow BC$ if A Sto = B Sto. C Sto &

Initially parser stack



After reduction occurs $A \rightarrow BC$



3. SDT with ^{action} inside the Production:

when the semantic actions are present anywhere on the right side of production then it is SDT with action inside the production.

It is evaluated and actions are performed immediately after the left non-terminal is processed.

This type of SDT includes sand L attributed SDTs.

If the SPT is passed into bottom up parser then actions are performed immediately after the occurrence of non-terminal at the top of parser stack.

If the SPT is passed into top down parser then actions are before the expansion of non-terminal

$$\text{Ex: } S \rightarrow A + \text{point}'\{B$$

$$A \rightarrow \text{point}''\{B$$

4. Elimination of LR from SPT:

The grammar with LR cannot be parsed by topdown parser. So left recursion should be eliminated and the grammar can be transformed by eliminating it.

Grammar with LR

$$P \rightarrow P\alpha/q$$

Grammar without LR

$$P \rightarrow q\alpha/A$$
$$A \rightarrow \alpha A / \epsilon$$

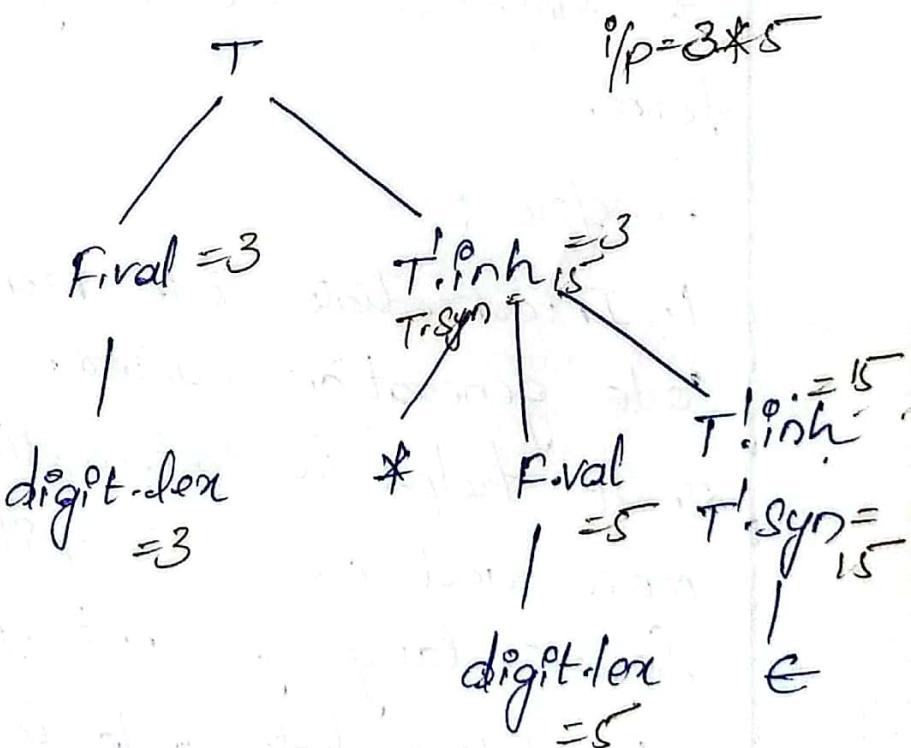
⇒ Implementation of d-Attributed SDD's:

$$\text{Ex: } T \rightarrow FT' \quad \left\{ \begin{array}{l} T.\text{val} = T'.\text{Syn} \\ T'.\text{Pnh} = T'.\text{Syn} \end{array} \right\}$$

$$T' \rightarrow *FT'' \quad \left\{ \begin{array}{l} T'.\text{Pnh} = T''.\text{Inh} \neq \text{F}.val \\ T'.\text{Syn} = T''.\text{Syn} \end{array} \right\}$$

$$T \rightarrow e \quad \left\{ \begin{array}{l} T'.\text{Syn} = T'.\text{Inh} \end{array} \right\}$$

$$F \rightarrow \text{digit} \quad \left\{ \begin{array}{l} F.\text{val} = \text{digit.lexical} \end{array} \right\}$$



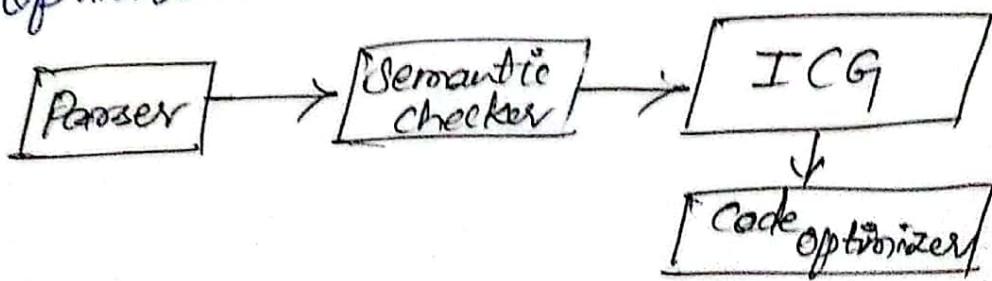
II Intermediate Code Generation

A) Variants of Syntax Trees:

The Intermediate Code is useful representation when compilers are designed as two pass system i.e., as front end and back end. The Intermediate Code can be generated by modifying the Syntax directed Translation rules to represent the programs in intermediate form.

Benefits:

1. Intermediate Code makes the target code generation easier.
2. It helps in retargeting, creating more and more compilers for the same source language but for different machine.
3. As Intermediate Code is machine independent, it helps in machine independent code optimization.



A Syntax tree is a graphical representation of source program. Each internal node represents operators and leaf node represents operands.

1. root node (Op, left, right)

2. root leaf (id, entry to SymbolTable)

3. root leaf (Num, value)

1. It uses for create a operator, left child and right child address.

2. root leaf is used to create node for identifiers. are stored in symbol table/ pointers (addr) address.

3. root leaf is used to create num it represents a numbers , value represents value of numbers.

Ex: Construct Syntax tree for

$x * y - 5 + z$.

States to construction of syntax tree

$x * y - 5 + z$.

Symbol sort instant Operation

x $P_1 = \text{mkleaf}(\text{id}, \text{entoyto}x)$

y $P_2 = \text{mkleaf}(\text{id}, \text{entoyto}y)$

$*$ $P_3 = \text{mknode}(*, P_1, P_2)$

5 $P_4 = \text{mkleaf}(\text{num}, 5)$

$-$ $P_5 = \text{mknode}(-, P_3, P_4)$

α $P_6 = \text{mkleaf}(\text{id}, \text{entoyto}\alpha)$

$+$ $P_7 = \text{mknode}(+, P_5, P_6)$

SDD for $x * y - 5 + \alpha$

$E \rightarrow E_1 + T$ $E.\text{node} = \text{mknode}(+, E_1.\text{node}, T.\text{node})$

$E \rightarrow E_1 - T$ $E.\text{node} = \text{mknode}($

$E \rightarrow E_1 * T$ $- , E_1.\text{node}, T.\text{node})$

$E \rightarrow T$ $E.\text{node} = \text{mknode}($

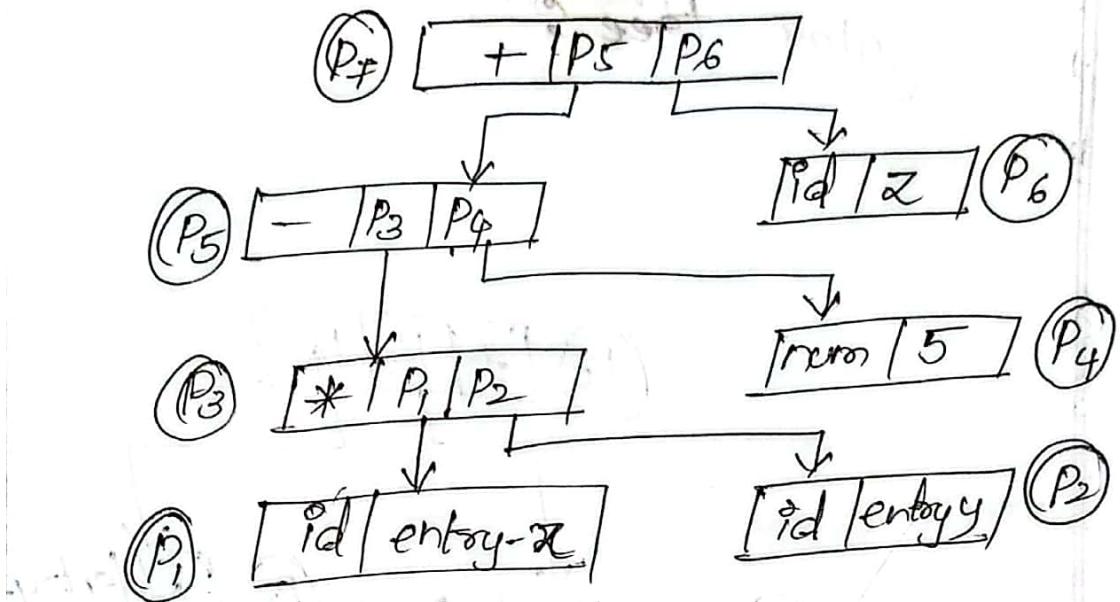
$T \rightarrow \text{id}$ $* , E_1.\text{node}, T.\text{node})$

$\text{id} \rightarrow \text{num}$

$E.\text{node} = T.\text{node}$

$T.\text{node} = \text{mkleaf}(\text{id}, \text{id}.\text{entoy})$

$T.\text{node} = \text{mkleaf}(\text{num}, \text{num}.\text{val})$



Ex: Construct a syntax tree for

$a - 4 * c$

a $\quad P_1 = \text{mkleaf}(\text{id}, \text{entry of } a)$

- $P_2 = \text{mkleaf}(\text{num}, 4)$

$P_3 = \text{mknode}(-, P_1, P_2)$

c $P_4 = \text{mkleaf}(\text{id}, \text{entry of } c)$

$+ \quad P_5 = \text{mknode}(+, P_3, P_4)$

SDD:

$E \rightarrow E + T$

$\{ E.\text{node} = \text{mknode}(+, E.\text{node}, T.\text{node}) \}$

$E \rightarrow E - T$

$E.\text{node} = \text{mknode}(-, E.\text{node}, T.\text{node})$

$E \rightarrow T$

$E.\text{node} = \text{mkleaf}(T.\text{node})$

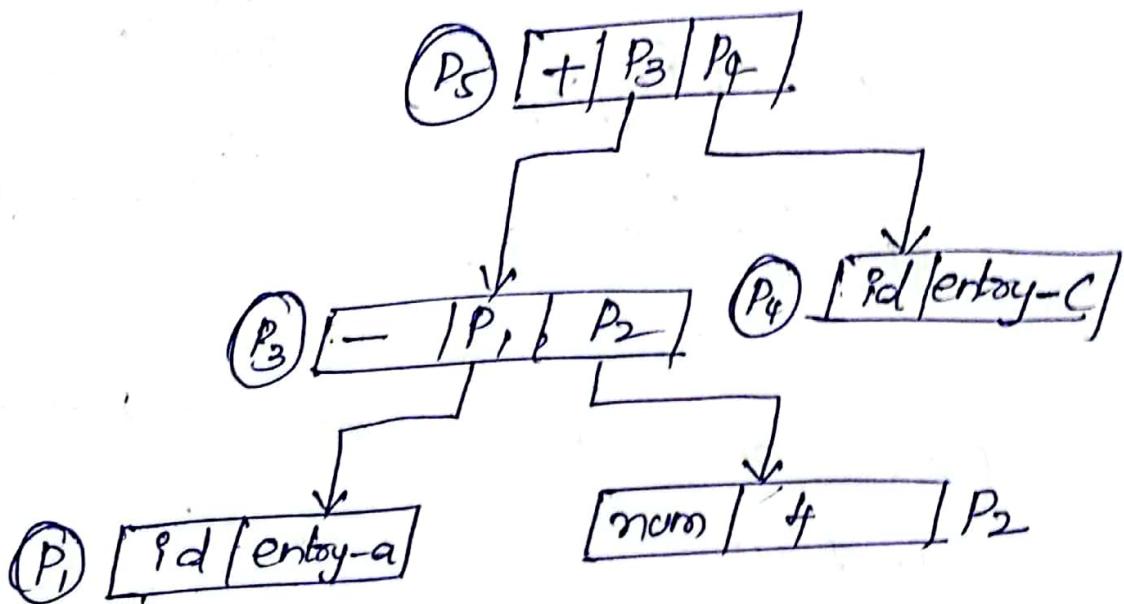
$T \rightarrow \text{id}$

$| T \rightarrow \text{num}$

$T.\text{node} = \text{mkleaf}(\text{id}, \text{entry})$

$T.\text{node} = \text{mkleaf}(\text{num}, \text{numval})$

Syntax tree



2. Directed Acyclic Graph(DAG)

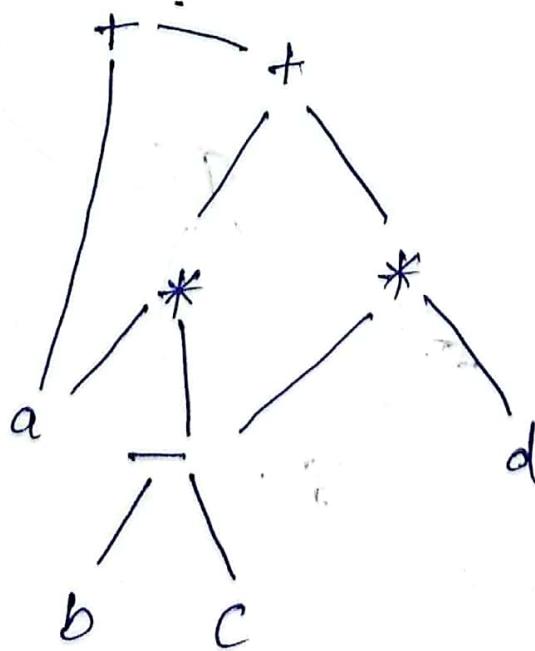
1. In a DAG, Internal node represents operators.(Parent node)
 2. Leaf node represents Identifiers, Constants.
 3. Internal node also represents result of expressions.
- DAG represents the structure of basic block.

Applications :

- Determining the common subexpressions
- Determining which names are used inside the block and computed outside the block.
- Determining which statements of the block could have their computed value outside the block.
- Simplifying the list of quadruples by eliminate common subexpressions

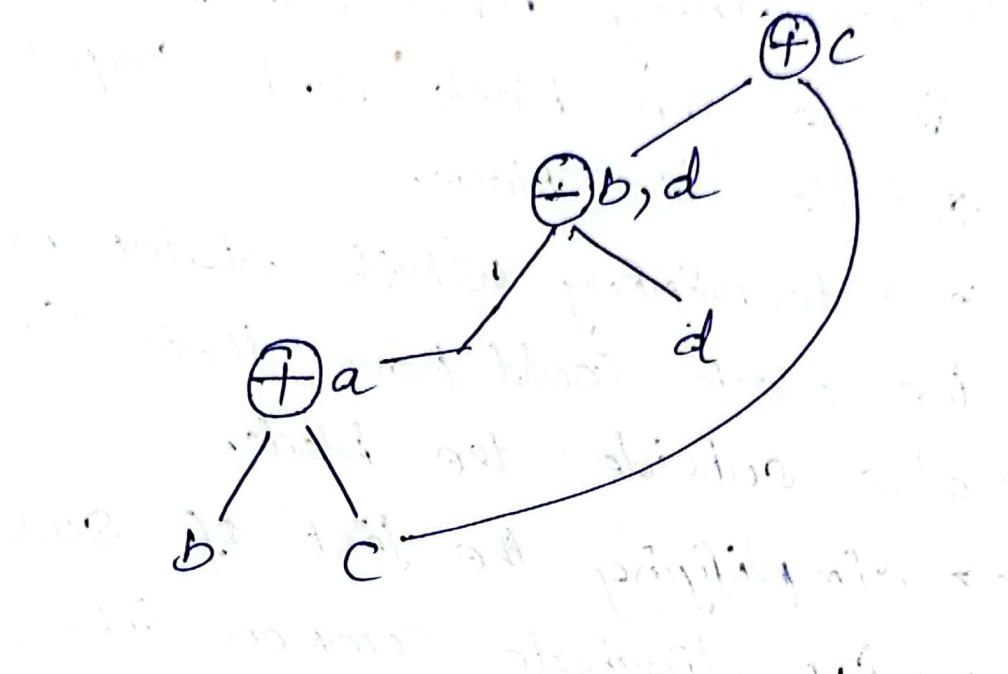
Ex: $a + a * (b - c) + (b - c) * d$

Paranthesis has highest priority.



$$\text{Ex: } 1. a = b + c \quad 3. c = b + c$$

$$2. b = a - d \quad 4. d = a - b$$



$$\text{Ex: } a = b + c$$

$$b = b - d$$

$$c = c + d$$

$$e = b + c$$

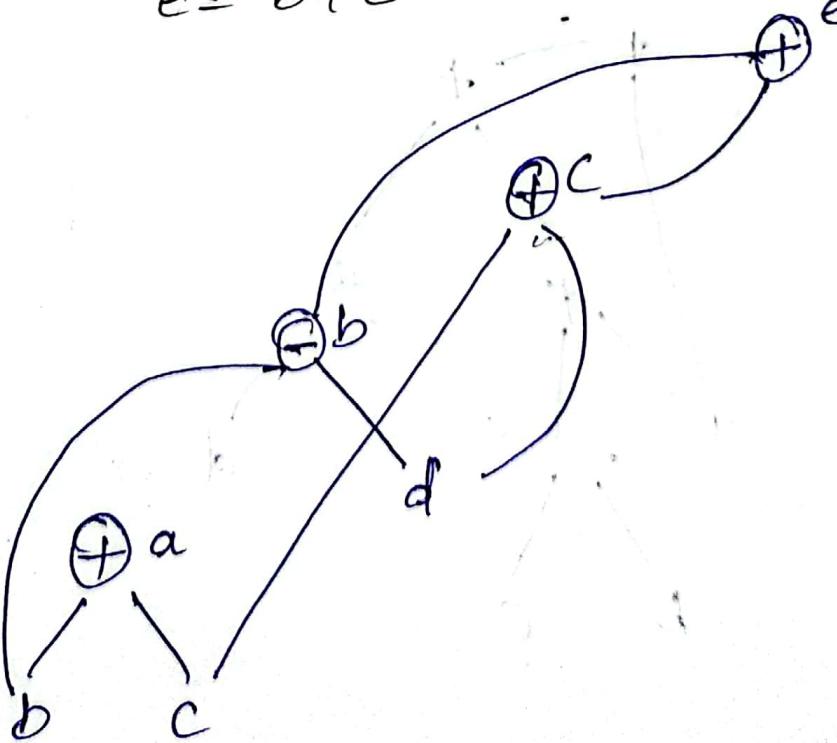
$$\text{Ex: } d = b * c$$

$$e = a + b$$

$$b = b * c$$

$$a = e - d$$

$$e$$

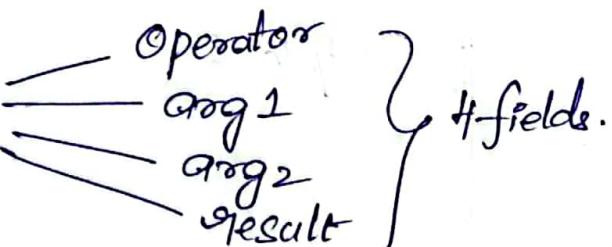


By

3. Three Address Code Representations:

→ Each Instruction contain atmost three address.

→ Atmost 1 operator on R.H.S

- 1. Quadruple 
- 2. Triple
- 3. Incomplete triple

$$a = b * -c + b * -c$$

Unary minus has highest priority

$$t_1 = -c$$

$$t_2 = b * t_1 \quad (\text{or})$$

$$t_3 = -c$$

$$t_4 = b * t_3$$

$$t_5 = t_2 + t_4$$

$$t_3 = b * t_1$$

$$t_4 = t_2 + t_3$$

result,

(0)

Op arg1

- c

arg 2

t₁

?

(1)

* b

t₁

t₂

(2) - c t_3 t_3 Disadv?

(3) * b t_3 t_4 \rightarrow too many temporary variables.

(4) + t_2 t_4 t_5 temporary variables.

Triple:

Op arg1 arg 2

(0) - c

(1) * b EO)

(2) - c

(3) * b $t_3(2)$

(4) + c (3)

Indirect Triple: Pointers

100 (0)

101 (1)

102 (2)

103 (3)

104 (4)

1. Assignment Instructions of the form
 $x = y \text{ op } z$ where op is binary operator

ex: $x = y + z$, $x = y > z$, $x = y \& z$

2. Assignment of the form $x = op y$

where op is unary operator.

such as binary, incr, decre, logical not

ex: $x = -y$

$x = !y$

3. Copy Instructions of the form $x = y$
where value of y is assigned to x.

ex: $x = y ;$

$y = 10 ;$

4. Unconditional jump goto L.

ex: $\text{goto } L ;$

L: statements to be executed.

5. Conditional jump of the form

if $x \text{ relop } y \text{ goto } L$.

ex: if $x > y \text{ goto } L$

6. Procedure calls and returns are implemented using following

Parameter x .

$y = \text{Call } P, \cancel{x} n$

Return y ;

7. Address and pointers assignments of the form

$x = \&y$

$x = *y$

$*x = y$

8. Implemented Copy Instruction

$a = y[i]$

$a[i] = y$

Ex: Construct Quadruples, triples, Indirect triples for $(a+b)*((c+d) - (a+b+c))$

$$t_1 = a + b$$

$$t_2 = c + d$$

$$t_3 = t_1 * t_2$$

$$t_4 = t_1 + c$$

$$t_5 = t_3 - t_4$$

Op Arg₁ Arg₂ result

- (0) + a b t₁
(1) + c d t₂
(2) * t₁ t₂ t₃
(3) + t₁ c t₄
(4) - t₃ t₄ t₅

Op Arg₁ Arg₂

- (0) + a b
(1) + c d
(2) * (0) (1)
(3) + (0) c
(4) - (2) (3)

Pointers

100 (0)

101 (1)

102 (2)

103 (3)

104 (4)

c) Types and Declarations :-

Typical basic types and declarations for a language contain boolean, char, integer, float and void.

A type name is a type expression we can form a type expression by applying the array type constructor to a number and a type expression.

Declaration involves allocating space in memory and name in the symbol table. Memory allocation is consecutive, and it assigns names to memory in the sequence they are declared in pgrm.

Applications of Types and Declarations:

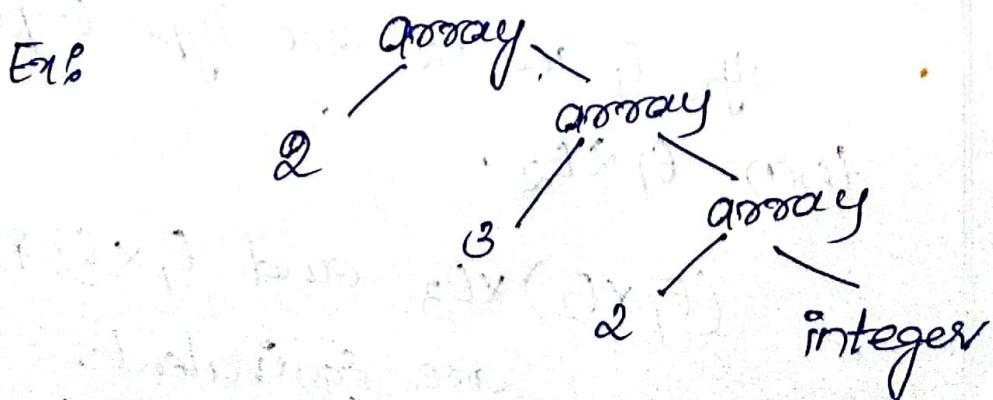
* Type Checking : It uses a logical rules to reason regarding the behaviour of a program at runtime. It ensures that the operands match the type that an operation expects.

* Translation Application : A compiler can determine the storage that we will need for that name at runtime from the type of name.

Type Expressions:

A primary type is a type of expression. Typical basic types for a language contain boolean, char, integer, float, void (represents the value in absence)

we form a type expression by applying array type constructor to a number and a type expression.



The array type $\text{int}[2][3][2]$ can be
read as "array of 2 arrays each of
3 arrays of 2 integers each"
type expression $\text{array}(2, \text{array}(3,
\text{array}(2, \text{integer}))$.

Basic types:

char, int, double, float are type
expressions.

Type names:

It is convenient to consider that
names of types are type expressions.

Arrays

If E is a type expression and n
is an int, then
 $\text{array}(n, E)$

Product:

If E_1 and E_2 are type expressions

then $E_1 \times E_2$

$(E_1 \times E_2) \times E_3$ and $E_1 \times E_2 \times E_3$
are equivalent.

Records:

The only difference b/w a record and product is that the fields of record have names.

If abc and xyz are type names if E_1 and E_2 are type expressions then record (abc. E_1 , xyz. E_2)

Pointers

Let E is a type expression then $\text{pointer}(E)$ is a type expression denoting that type pointer to an object of type T .

Function types:

If E_1 and E_2 are type expressions then $E_1 \rightarrow E_2$ is a type expression from E_1 with an element from E_2 .

Declarations :-

When we encounter declarations, we need to layout storage for declared variables. For every local name in a procedure we create a symbol table entry including

1. The type of name.
2. How much storage the name requires

Grammar:

$D \rightarrow \text{real}, id$

$D \rightarrow \text{Pinteger}, id$

$D \rightarrow D_1, id$

we use Enter to enter the symbol
table and ATTR to trace the datatype.

Production
rule

Semantic Action

$D \rightarrow \text{real}, id$

ENTER (id. PLACE,
real)

D. ATTR = real

$D \rightarrow \text{Pinteger}, id$

ENTER (id. PLACE,
Integer)

D. ATTR = Integer

$D \rightarrow D_1, id$

ENTER (id. PLACE,
D₁. ATTR)

D. ATTR = D₁. ATTR,

D) Type Checking in ICG:

Type checking is the process of verifying and enforcing constraints of types in values. A compiler must check that the source program should follow the syntactic and semantic conventions of the source language. It allows the programmers to exempt what types may be used in certain circumstances and assign types to values.

Conversion:

Conversion from one type to another type is known as implicit / automatic.

Coeversion:

Ex: Real is not converted to Int
but Int converted to Real.

Conversion is said to be explicit if the programmers writes some thing to do conversion.

Type Checking Types:

1. Static Type Checking
2. Dynamic Type Checking

Static type checking:

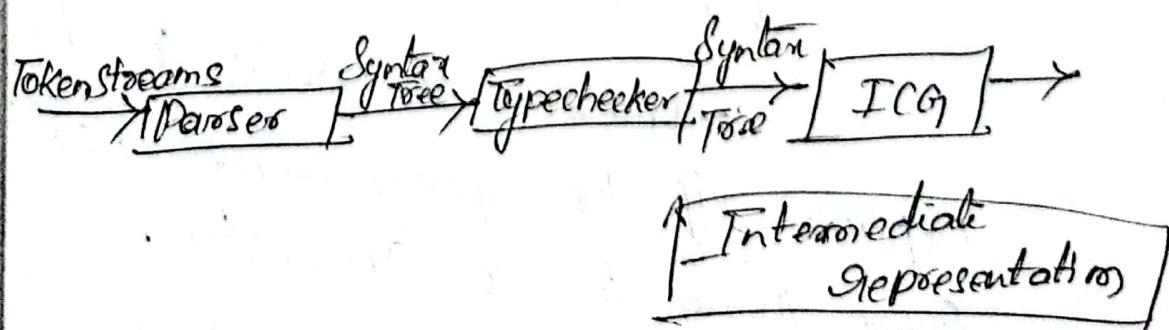
It is defined as type checking performed at compile time. It checks the type variables at compile time.

Benefits:

1. Runtime Error Protection.
2. It catches syntactic errors.
3. It catches wrong names.
4. Detects incorrect argument types.

Dynamic type checking:

It is defined as the type checking being done at runtime. In Dynamic type checking types are associated with values not variables.



D) Control Statements & — Flow:

$S \rightarrow \text{if}(B) \text{ then } S_1$

Code for simple If

Semantic Rules:

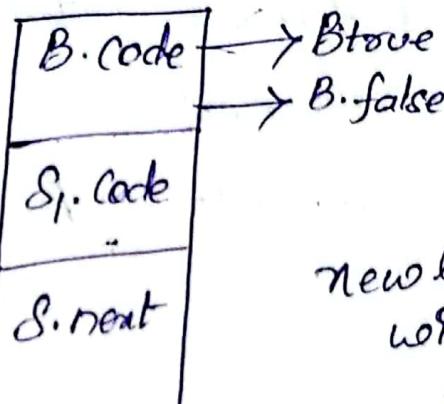
$$B.\text{true} = \text{newlabel}()$$

$$S_1.\text{next} = S_1.\text{ent}$$

$$B.\text{false} = S_1.\text{next}$$

$$S_1.\text{code} = B.\text{code} ||$$

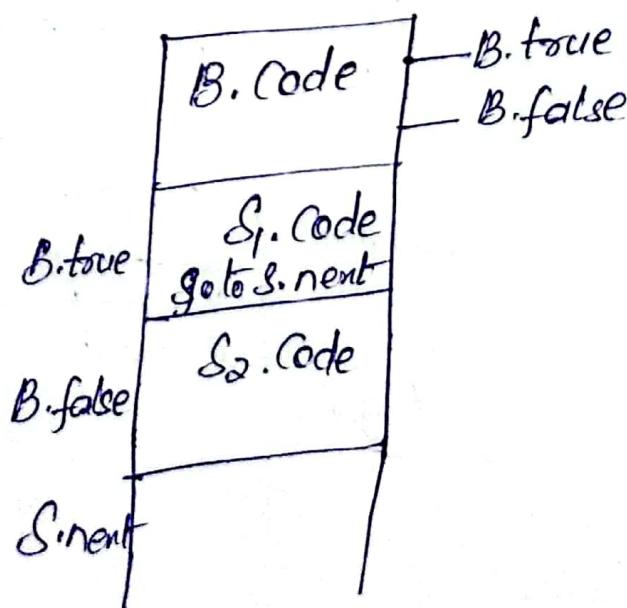
label(B.true || S1.code)



newlabel()
will generate
three address
code.

$S \rightarrow \text{if}(B) \text{ then } S_1 \text{ else } S_2$

Code for If else.



Semantic rules :-

$B.\text{true} = \text{newlabel}()$

$s_1.\text{next} = s.\text{next}$

$B.\text{false} = \text{newlabel}()$

$s_2.\text{next} = s.\text{next}$

$s.\text{Code} = B.\text{Code} \parallel \text{label}(B.\text{true}) \parallel$

Concatenation

$s_1.\text{Code} \parallel \text{generate('goto }$

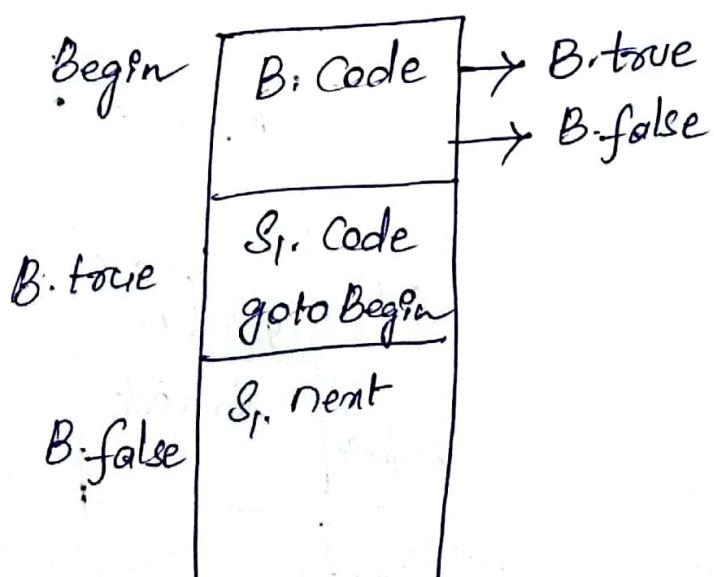
$s.\text{next}) \parallel \text{label}(B.\text{false})$

$\parallel s_2.\text{Code}$

Production :-

$S \rightarrow \text{while}(B) \text{ then } S_1$

Code for while



Semantic Rules:

Begin = new label()

B.true = new label()

S_i.next = Begin

B.false = S_i.next

S_i.code = label(Begin) || B_i.code || (B.true) label
|| S_i.code || 'goto' begin. || label(false)
|| S_i.code

FY

Switch Statements :

Syntax : Switch (E)

{

Case V₁ : S₁

Case V₂ : S₂

⋮

Case V_{n-1} : S_{n-1}

default : S_n

}

Statement block : S₁, S₂, S₃ ... S_n

Translation of Switch Statement

T stores the result of Expression.

Code to evaluate E into t

goto test

d_1 : code for S_1 test : if $t = v_1$ goto d_1 ,
|| goto next if $t = v_2$ goto d_2

d_2 : code for S_2

goto next

;

if $t = v_{n-1}$ goto d_{n-1}

goto
next :

d_{n-1} : code for S_{n-1}

goto next

d_n : code for S_n

goto next

F) Intermediate Code for Procedures :

D → define T id(F) { S }

F → E/T id, F

S → Return E ;

E → id(A) ;

A → E/E , + ;

F → formal parameters

T → type name