



Recursion

What and Why?

If you don't study recursion → Trees , DP , Graph
↓
DFS

Recursion is not a D.S. , it is an algo



We believe in Recursion

↓
Recurrence Relations



Big Problem → using Smaller ever subproblem

Function calls

↳

Methods → return statement
return type

parameters

```
public class FunctionCalls {  
    public static void apple(){  
        System.out.println("Hi, I am in apple");  
    }  
    public static void main(String[] args) {  
        System.out.println("Hi, I am in main method");  
        apple();  
    }  
}
```

- Hi , I am in main
- Hi, I am in apple

Function calls

```
public static void mango(){  
    7 System.out.println("Hi, I am in mango");  
}  
  
public static void banana(){  
    5 System.out.println("Hi, I am in banana");  
    6 mango();  
}  
  
✓ public static void apple(){  
    3 System.out.println("Hi, I am in apple");  
    4 banana();  
}  
  
✓ public static void main(String[] args) {  
    1 System.out.println("Hi, I am in main");  
    2 apple();  
}
```

Output

- Hi, I am in main
- Hi, I am in Apple
- Hi, I am in Banana
- Hi, I am in Mango
-

Function calls

```
public static void mango(){  
    5 System.out.println("Hi, I am in mango");  
}  
  
public static void banana(){  
    4 mango();  
    5 System.out.println("Hi, I am in banana");  
}  
  
public static void apple(){  
    3 banana();  
    6 System.out.println("Hi, I am in apple");  
    7 mango();  
}  
  
public static void main(String[] args) {  
    1 System.out.println("Hi, I am in main");  
    2 apple();  
}
```



Factorial Recurrence Relation

$$5! = 5 \times 4 \times 3 \times 2 \times 1$$

$$6! = 6 \times \underbrace{5 \times 4 \times 3 \times 2 \times 1}_{\cdot}$$

$$6! = 6 \times 5!$$

$$8! = 8 \times \underbrace{7 \times 6 \times 5 \times 4 \times 3 \times 2 \times 1}_{\cdot}$$

$$8! = 8 \times 7!$$

$$n! = n \times \underbrace{n-1 \times n-2 \times n-3 \times \dots 3 \times 2 \times 1}_{\cdot}$$

$$n! = n \times (n-1)!$$

↓ ↓ ↓

$$f(x) = x!$$

$$f(3) = 3!, \quad f(2) = 2!$$

$$f(n) = n * f(n-1)$$

Ques:

Q1: Make a function which calculates the factorial of n using recursion.

```
q s int fact(int n){  
    if( n==1) return 1;  
    ans = n * fact(n-1);  
    return ans;  
}
```

$$\text{fact}(n) = n * \text{fact}(n-1)$$

Ques:

Q1: Make a function which calculates using recursion.

```
public static int fact(int 3){
    int ans = 3 * fact(n1);
    return ans;
}
```

```
public static void main(String[] args) {
    Scanner sc = new Scanner(System.in);
    System.out.print("Enter n : ");
    int n = sc.nextInt(); → 3
    System.out.println(fact(3));
}
```

```
public static int fact(int 1){
    int ans = 1 * fact(n1);
    return ans;
}
```

```
public static int fact(int 2){
    int ans = 2 * fact(n1);
    return ans;
}
```

```
public static int fact(int n){
    int ans = n * fact(n-1);
    return ans;
}
```

Base Case

→ a a a a a not read.

Dry Run:

```
public static int fact(int 3 n){  
    if(3==1) return 1;  
    return 3 * fact(n-1);  
}
```

```
public static int fact(int 2 n){  
    if(2==1) return 1;  
    return 2 * fact(n-1);  
}
```

```
public static int fact(int 1 n){  
    if(1==1) return 1;  
    return 1 * fact(n-1);  
}
```

```
public static int fact(int 4 n){  
    if(n>1) return 1;  
    return 4 * fact(n-1);  
}
```

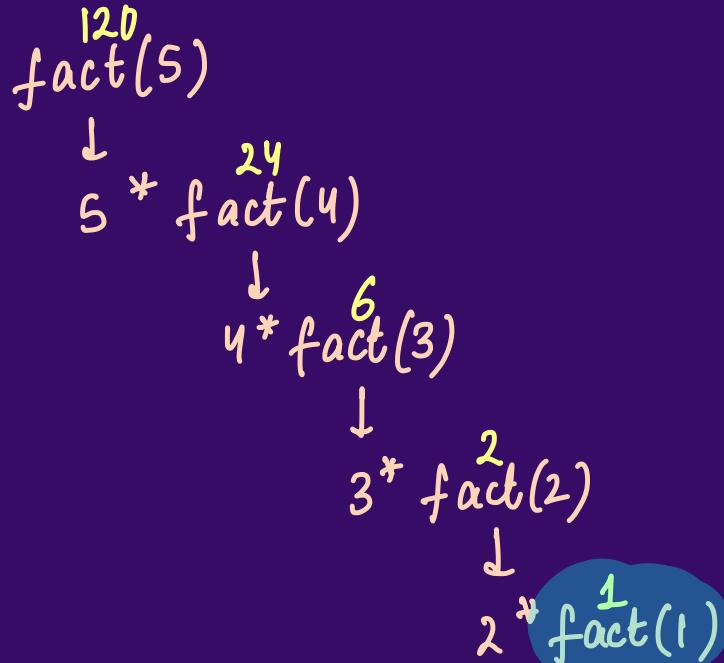
```
public static void main(String[] args) {  
    Scanner sc = new Scanner(System.in);  
    System.out.print("Enter n : ");  
    int n = sc.nextInt(); 4  
    System.out.println(fact(4));  
}
```

Ques:

$$11 = 1$$

Q1: Make a function which calculates the factorial of n using recursion.

$n = 5$



Base Case

Ques:

→ using Recursion

Q2 : Print n to 1

take a number 'n' as input & print n to 1.

$$n = 3 \quad \text{Output : } 3$$

2
1

Ques:

Q2 : Print n to 1

print(5)



5

print(4)

print(4)



4

print(3)

```
public static void print(int n){  
    if(n==0) return; // base case  
    System.out.println(n); // work  
    print(n-1); // call  
}  
  
public static void main(String[] args) {  
    Scanner sc = new Scanner(System.in);  
    System.out.print("Enter n : ");  
    int n = sc.nextInt();  
    print(n);  
}
```

Output

- 5
- 4
- 3
- 2
- 1
- .

```
public static void print(int n){
    ✓ if(n==0) return;
    ✓ System.out.println(n);
    ✓ print(n-1);
}
```

```
public static void print(int n){
    ✓ if(n==0) return;
    ✓ System.out.println(n);
    ✓ print(n-1);
}
```

```
public static void print(int n){
    ✓ if(n==0) return;
    ✓ System.out.println(n);
    ✓ print(n-1);
}
```

```
public static void print(int n){
    ✓ if(n==0) return;
    ✓ System.out.println(n);
    ✓ print(n-1);
}
```

```
public static void print(int n){
    ✓ if(n==0) return;
    ✓ System.out.println(n);
    ✓ print(n-1);
}
```

```
public static void print(int n){
    ✓ if(n==0) return;
    ✓ System.out.println(n);
    ✓ print(n-1);
}
```

Ques:

Q3 : Print 1 to n (extra parameter)

Take 'n' as input & print 1 to n

Ex = $n=4 \rightarrow \text{Output} = \begin{matrix} 1 \\ 2 \\ 3 \\ 4 \end{matrix}$

Ques:

Q3 : Print 1 to n (extra parameter)

Global variable

```
static int n;
public static void print(int x){
    if(x>n) return; // base case
    System.out.println(x); // work
    print(x+1); // call
}
public static void main(String[] args) {
    Scanner sc = new Scanner(System.in);
    System.out.print("Enter n : ");
    n = sc.nextInt();
    print(1);
}
```

Extra parameter

```
public static void print(int x, int n){
    if(x>n) return; // base case
    System.out.println(x); // work
    print(x+1,n); // call
}
public static void main(String[] args) {
    Scanner sc = new Scanner(System.in);
    System.out.print("Enter n : ");
    int n = sc.nextInt();
    print(1,n);
}
```

Ques:

Q4 : Print 1 to n (after recursive call)

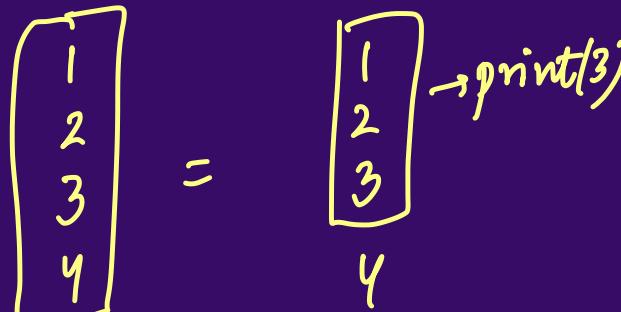
```
fun() {  
    |   base case  
    |       fun()  
    |       work  
    |       fun()  
    |   }  
}
```

```
public static void print(int n){  
    if(n==0) return; // base case  
    print(n-1); // call  
    System.out.println(n); // work  
}  
  
public static void main(String[] args) {  
    Scanner sc = new Scanner(System.in);  
    System.out.print("Enter n : ");  
    int n = sc.nextInt();  
    print(n);  
}
```

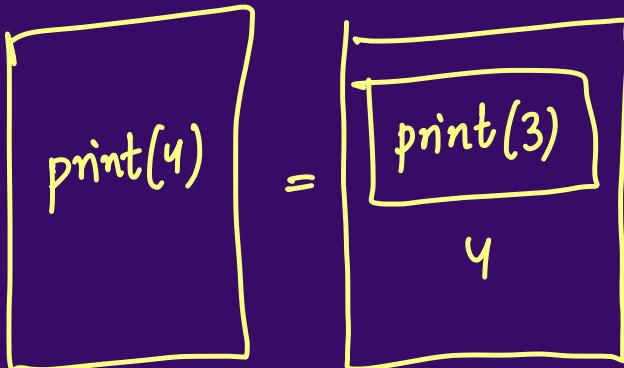
Ques: `print(n)` will output $\frac{1}{2} \dots \frac{n}{n}$

Q4 : Print 1 to n (after recursive call)

```
public static void print(int n){  
    if(n==0) return; // base case  
    print(n-1); // call  
    System.out.println(n); // work  
}
```



\downarrow
`print(4)`



Output

- 1
- 2
- 3
- 4
- 5

```
public static void print(int 0){  
    ✓ if(0==0) return; // base case  
    ✓ print(-1); // call  
    ✓ System.out.println(0); // work  
}
```



```
public static void print(int 1){  
    ✓ if(1==0) return; // base case  
    ✓ print(0); // call  
    ✓ System.out.println(1); // work  
}
```



```
public static void print(int 2){  
    ✓ if(2==0) return; // base case  
    ✓ print(1); // call  
    ✓ System.out.println(2); // work  
}
```



```
public static void print(int 5){  
    ✓ if(n<0) return; // base case  
    ✓ print(4); // call  
    ✓ System.out.println(5); // work  
}
```



```
public static void print(int 4){  
    ✓ if(4<0) return; // base case  
    ✓ print(3); // call  
    ✓ System.out.println(4); // work  
}
```



```
public static void print(int 3){  
    ✓ if(3<0) return; // base case  
    ✓ print(2); // call  
    ✓ System.out.println(3); // work  
}
```

Ques:

→ Recursion

Q5 : Print sum from 1 to n (Parameterised)

$$n = 5 \rightarrow \text{Sum} = 1+2+3+4+5 = 15 \rightarrow \text{ans}$$

or

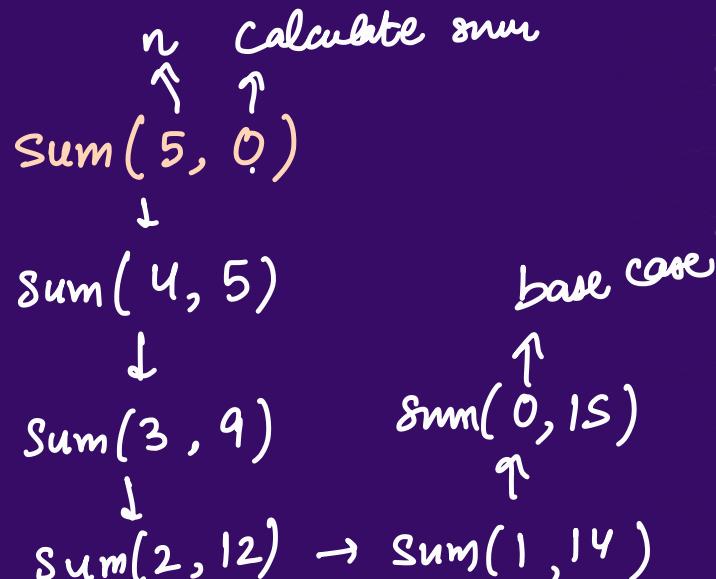
$$5+4+3+2+1$$

$$\text{Sum} = 0;$$

```
for(int i=1; i<=n; i++) {
```

```
    sum += i;
}
```

Iterative



Ques:

Q5 : Print sum from 1 to n (Parameterised)

```
public static void sum(int n, int s){  
    if(n==0){ // base case  
        System.out.println(s);  
        return;  
    }  
    sum(n-1,s+n); // call and work  
}  
  
public static void main(String[] args) {  
    Scanner sc = new Scanner(System.in);  
    System.out.print("Enter n : ");  
    int n = sc.nextInt();  
    sum(n,0);  
}
```

Printing the sum from
1 to n or n to 1

Ques:

Q6 : Print sum from 1 to n (Return type)



Recurrence Relation

$$\text{Sum}(n) = n + \underbrace{n-1 + n-2 + \dots + 3 + 2 + 1}_{\text{Sum}(n-1)}$$

$$\text{Sum}(n) = n + \text{Sum}(n-1)$$

```
int sum(int n){  
    if (n==0 || n==1) return n;  
    return n + sum(n-1);  
}
```

Ques:

Q7 : Make a function which calculates 'a' raised to the power 'b' using recursion. Take 'a' & 'b' input from user .

$\text{pow}(a, b)$



calculate a^b

$$a^b = \underbrace{a \times a \times a \times \dots \times a}_{b \text{ times}}$$

$$a^b = \underbrace{a \times \underbrace{a \times a \times a \dots \times a}_{b-1 \text{ times}}}_{1}$$

Hint

$$x^m \cdot x^n = x^{m+n}$$

$$a^b = a \times a^{b-1}$$

$$\text{pow}(a, b) = a * \text{pow}(a, b-1)$$

Ques:

Q7 : Make a function which calculates 'a' raised to the power 'b' using recursion.

$$T.C. = O(b)$$

Exponent
as in

a^b

$$\begin{aligned}
 & 3^5 \text{ 243} \\
 & \downarrow \\
 & 3^4 \times 3^1 \text{ 81} \\
 & \downarrow \\
 & 3^3 \times 3^2 \text{ 27} \\
 & \downarrow \\
 & 3^2 \times 3^3 \text{ 9} \\
 & \downarrow \\
 & 3^1 \times 3^4 \text{ 3} \\
 & \downarrow \\
 & 3^0 \text{ 1}
 \end{aligned}$$

```
if(b==0) return 1;
return a * pow(a,b-1);
```

Ques: # Hint : $x^{m+n} = x^m \cdot x^n$

Q8 : Power function (logarithmic) $a^b \rightarrow T.C. = O(\log_2 b)$

$$2^{64} = 2^4 \cdot 2^{63}$$

$$2^{63} = 2^4 \cdot 2^{62}$$

$$2^{62} = 2^4 \cdot 2^{61}$$

.

.

.

.

.

.

.

$$2^1 = 2^4 \cdot 2^0$$

very slow
64 calls (bekar slow)

$$2^{64} = 2^{32} + 2^{32}$$

$$2^{32} = 2^{16} + 2^{16}$$

$$2^{16} = 2^8 + 2^8$$

$$2^8 = 2^4 + 2^4$$

$$2^4 = 2^2 + 2^2$$

$$2^2 = 2^1 + 2^1$$

↓

$$6 \text{ calls} = \log_2 64$$

$$a^b = (a^{b/2})^2$$

Ques:

Q8 : Power function (logarithmic)

$$a^b = a^{b/2} * a^{b/2}$$

int ans = pow(a,b/2);

pow(a,b) = ans * ans;

↓

wrong

$$2^5 = 2^2 * 2^2 * 2 \rightarrow \text{extra}$$

$$3^7 = 3^3 * 3^3 * 3$$

$$3^8 = 3^4 * 3^4$$

Ques:

Q8 : Power function (logarithmic)

$$\begin{array}{c} 3^9 \\ \downarrow \\ (3^4)^2 * 3 \\ \downarrow 81 \\ ((2^2)^2)^2 \\ \downarrow 9 \\ ((3^1)^2)^2 \\ \downarrow 1 \\ (3^0)^2 * 3 \end{array}$$

The diagram illustrates the logarithmic nature of a power function. It starts with the expression 3^9 at the top. A vertical arrow points downwards through a series of nested parentheses and multiplication signs. The first step shows 3^9 being broken down into $(3^4)^2 * 3$. The next step shows $(3^4)^2$ being further broken down into $((2^2)^2)^2$, with the value 81 written next to it. The process continues with $((2^2)^2)^2$ being broken down into $((3^1)^2)^2$, and finally $((3^1)^2)^2$ being broken down into $(3^0)^2 * 3$, with the value 1 written next to it. Yellow arrows point from the labels 81 and 1 to their respective intermediate steps.

*Multiple Calls

Q9 : Write a function to calculate the nth fibonacci number using recursion.

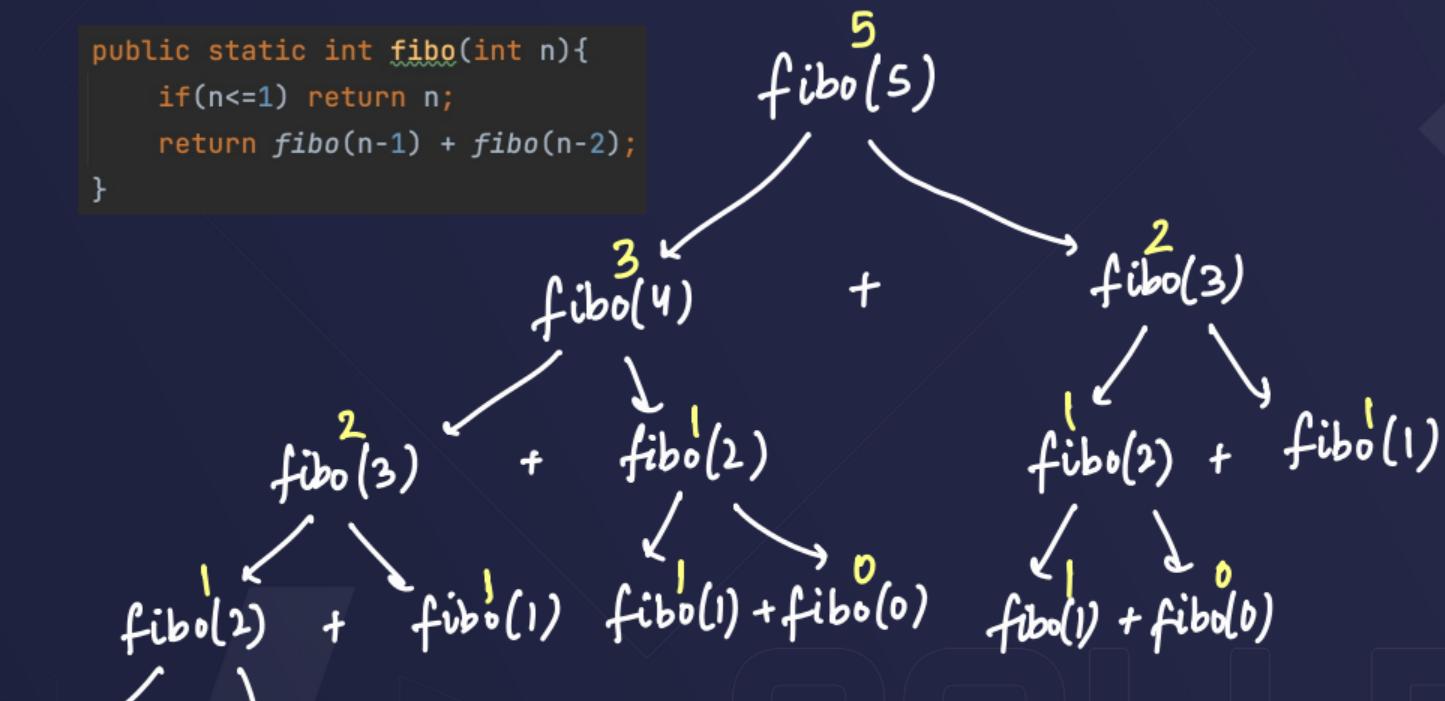
n =	0	1	2	3	4	5	6	7	8	9	10	11
	0	1	1	2	3	5	8	13	21	34	55	89 . . .

$$\text{fib}(n) = \text{fib}(n-1) + \text{fib}(n-2)$$

base case \Rightarrow if($n \leq 1$) return n ;

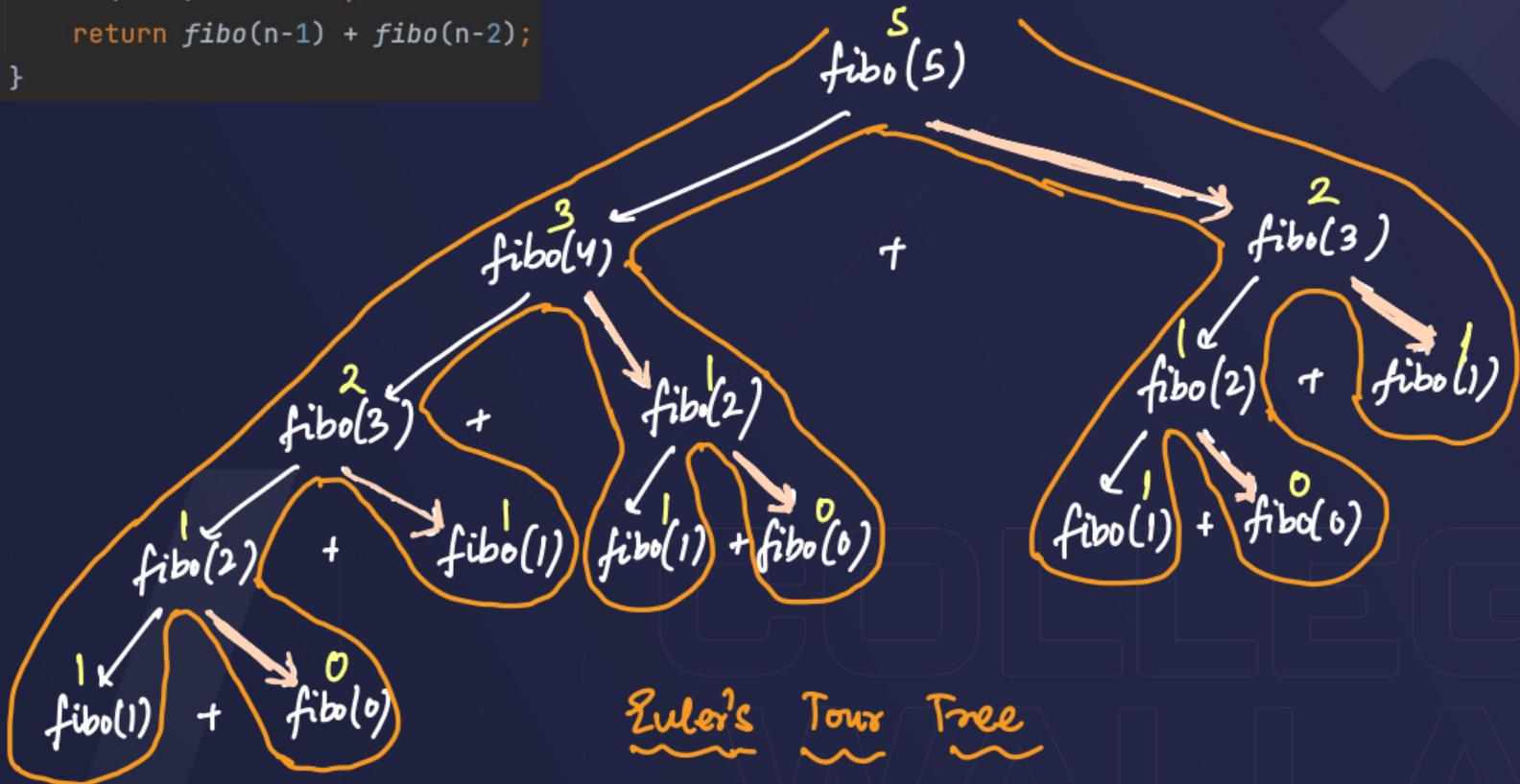
[Leetcode 509]

```
public static int fibo(int n){  
    if(n<=1) return n;  
    return fibo(n-1) + fibo(n-2);  
}
```



Recursive Tree

```
public static int fibo(int n){  
    if(n<=1) return n;  
    return fibo(n-1) + fibo(n-2);  
}
```



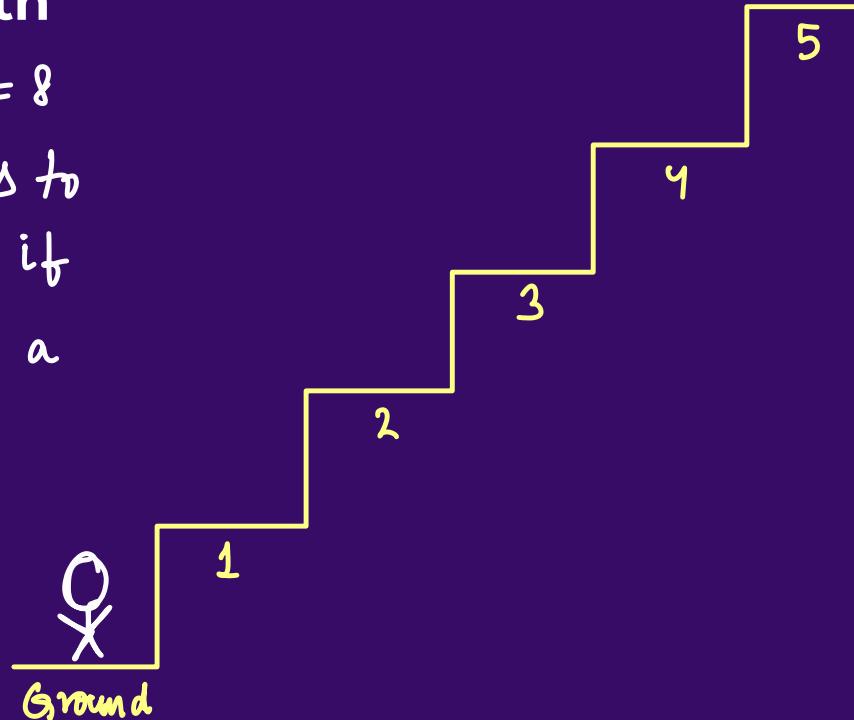
Ques:

Q3 : Stair Path

$$n = 5 \rightarrow \text{ways} = 8$$

Find no. of ways to reach n^{th} stair if

1 or 2 jump at a time is allowed



Ways :

1 1 1 1 1

1 1 1 2

1 1 2 1

1 2 1 1

2 1 1 1

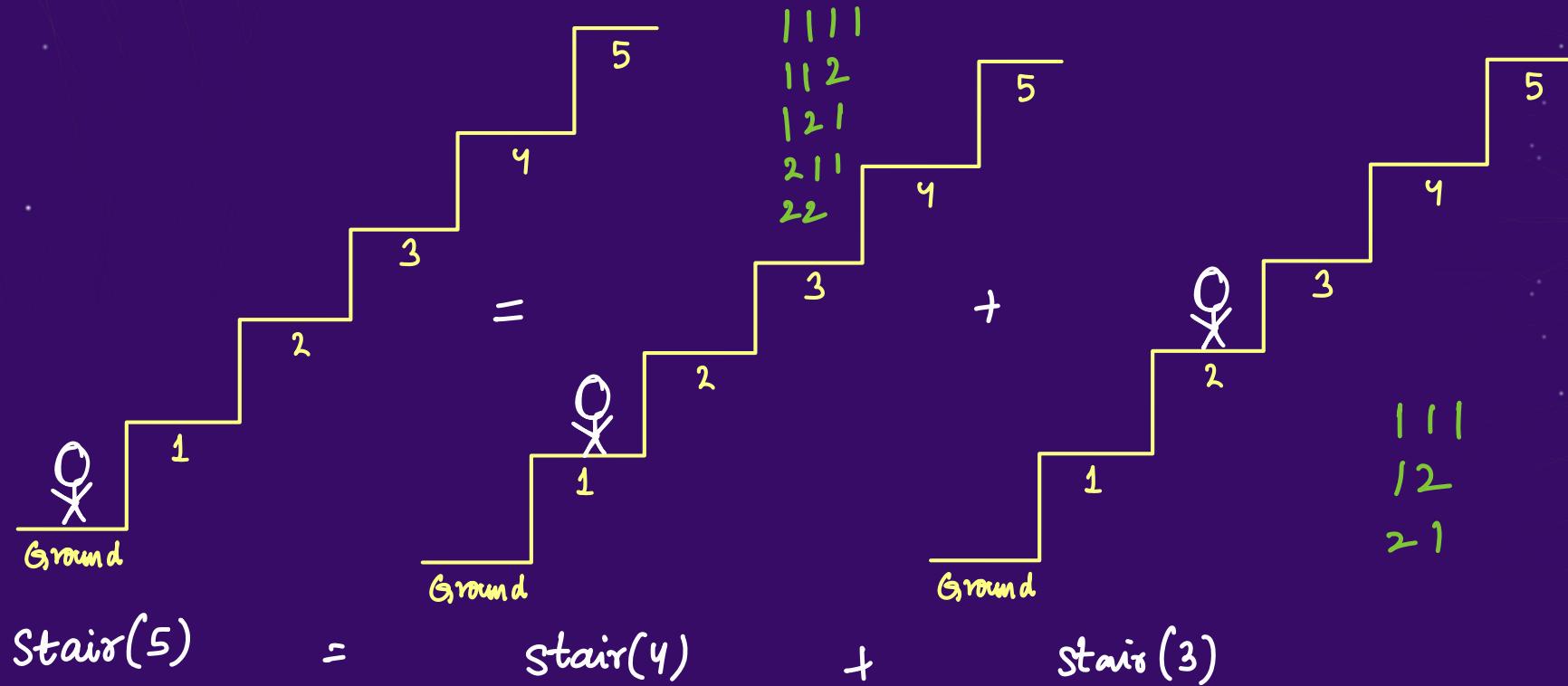
2 1 2

2 2 1

1 2 2

Ques:

Q3 : Stair Path

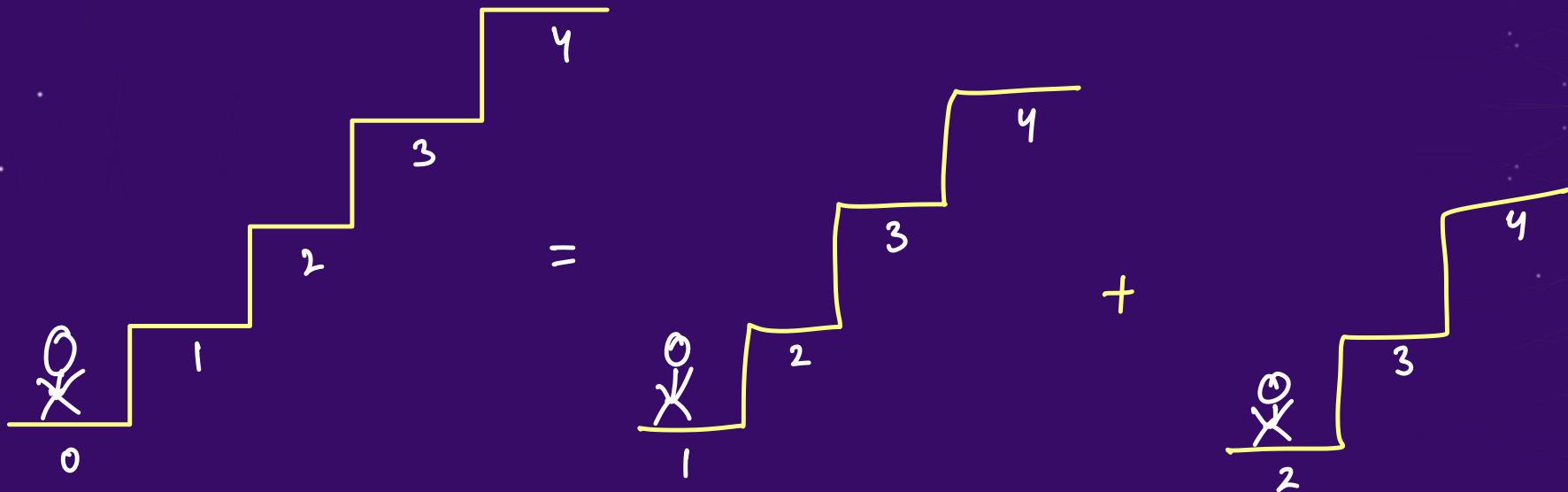


Ques:

$$\text{stair}(n) = \text{stair}(n-1) + \text{stair}(n-2)$$

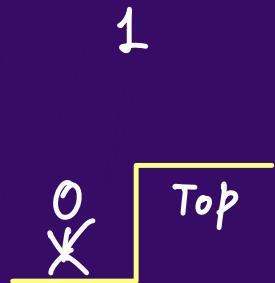
Q3 : Stair Path

Exactly same like fibonacci

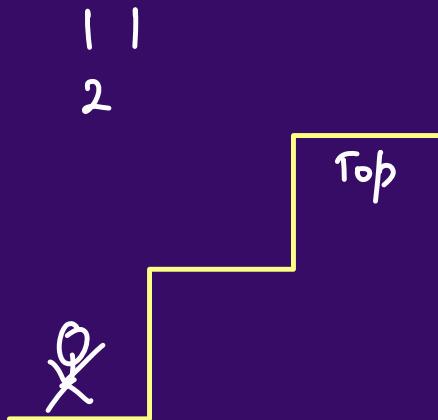


Ques:

Q3 : Stair Path



$$\text{stair}(1) = 1$$



$$\text{stair}(2) = 2$$

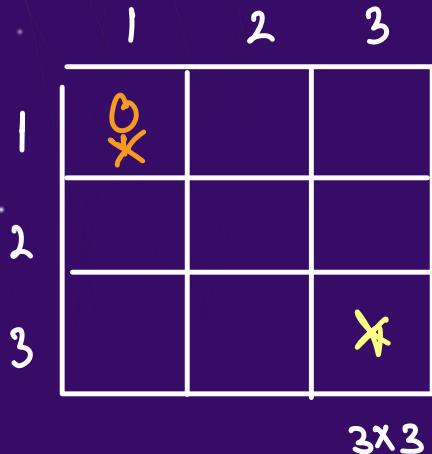
Homework

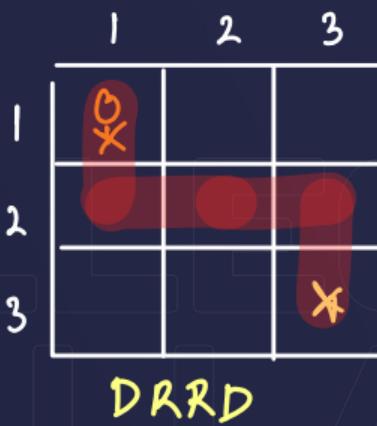
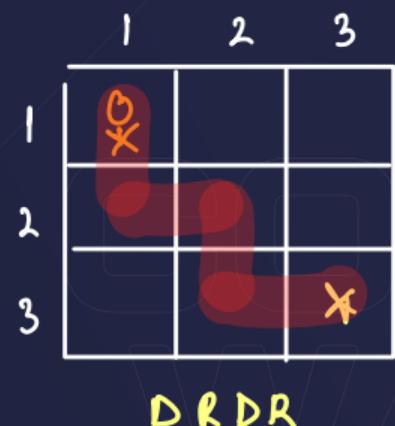
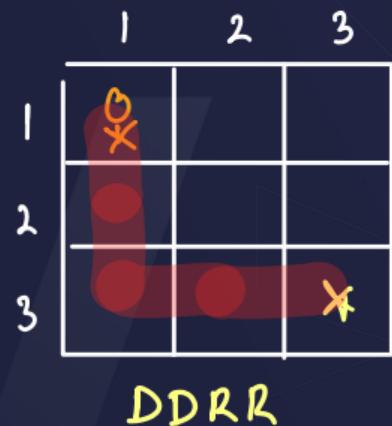
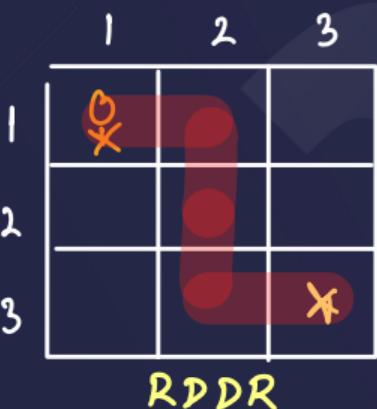
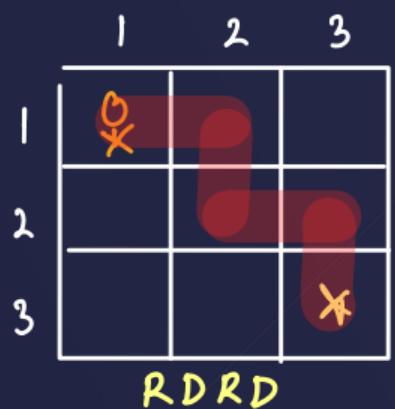
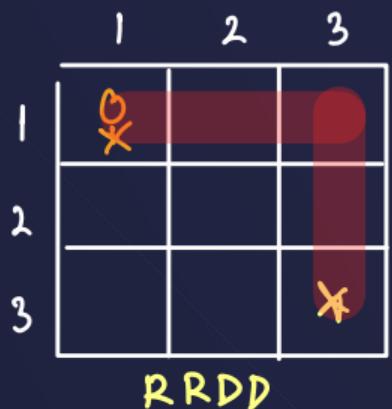
n^{th} stair (1 or 3 jumps)

Ques:

Rat in a maze

Q4 : Maze path [Very important] Given a $m \times n$ grid you have to reach from top left corner to bottom right corner. You can go either down or right at a time. Find the no. of paths.





	1	2	3
1	0 X		
2			
3		X	

=

	1	2	3
1	0 X		
2			
3		X	

+

	1	2	3
1	0 X		
2			
3		X	

 $(1,1) \rightarrow (3,3)$ $(1,1) \rightarrow (3,3)$

=

 $(1,2) \rightarrow (3,3)$

total ways

=

rightways

+

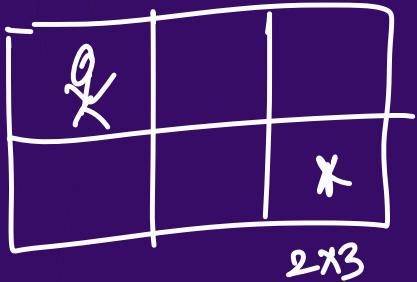
 $(2,1) \rightarrow (3,3)$

downways

Base Case \rightarrow if $(row == m \text{ or } col == n)$ return 1;

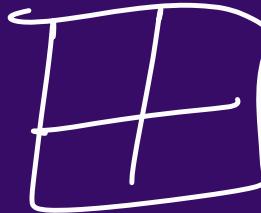
Ques:

Q4 : Maze path



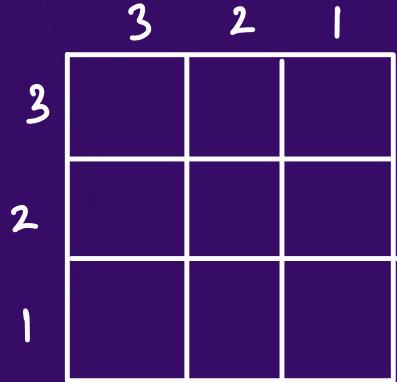
2x3

R R D
R D R
D & R
③



Ques:

Q4 : Maze path



$(m, n) \rightarrow (l, l)$

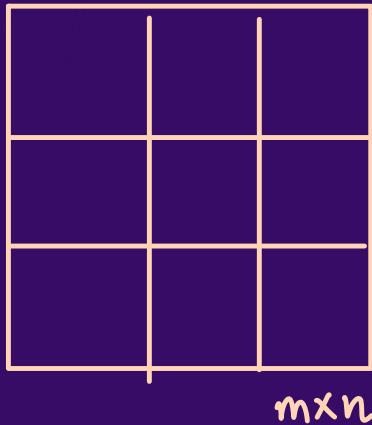
or

$(l, l) \rightarrow (m, n)$

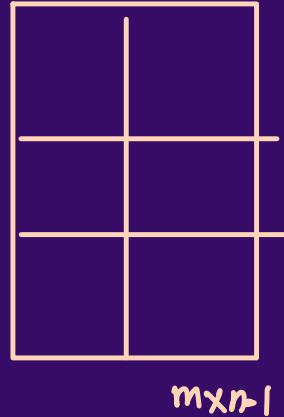
right \rightarrow col --

down \rightarrow row --

```
public static int maze2(int m, int n){  
    if(m==1 || n==1) return 1;  
    int rightWays = maze2(m,n-1);  
    int downWays = maze2(m-1,n);  
    return rightWays + downWays;  
}
```



=



+



Pre In Post

```
fun( ) {
```

base case

work

```
    fun()
```

work

```
        fun()
```

work

```
public static void pip(in 3 n){  
    1 if(n==0) return;  
    2 System.out.println(n);  
    3 pip(n-1);  
    4 System.out.println(n);  
    5 pip(n-1);  
    6 System.out.println(n);  
}
```

pip(3)

3 2 1 1 1 2 1 1 1 2 3 2 1 1 1 2 1 1 1 2 3

Call Stack



main

Call Stack

```
public static void pip(int n){
    if(n==0) return;
    System.out.println(1);
    pip(n-1);
    System.out.println(1);
    pip(n-1);
    System.out.println(1);
}
```

pip(1)

1 1 1

pip(3)

↓

3 2 1 1 1 2 1 1 1 2 3 2 1 1 1 2 1 1 1 2 3

pip(2)

↓

2 1 1 1 2 1 1 1 2

pip(0)

↓

base case → nothing

Ques:

Q5 : Print zig-zag (Already solved) pip

Input Output

1 111

2 211121112

3 321112111232111211123

4 432111211123211121112343211121112321112111234

↓

$n \rightarrow T.C. = O(2^n)$

Traversing an array using recursion

Print all the elements of an array

```
public static void print(int i, int[] arr){  
    if(i==arr.length) return;  
    System.out.print(arr[i]+" ");  
    print(i+1,arr);  
}  
  
public static void main(String[] args) {  
    int[] arr = {4,7,1,3,8,6,9};  
    print(0,arr);  
}
```

Skip a character

Remove all occurrences of 'a' from a string.

String s = "Raghav";

String ans = "Rghv";

T.C. = O(n)

skip(0, "Raghav", "") 



skip(1, "Raghav", "R")



skip(2, "Raghav", "R")



skip(3, "Raghav", Rg)



skip(4, Raghav, Rgh)



skip(5, Raghav, Rgh)



skip(6, Raghav, Rghv)

Subsets

Print subsets of a string with unique characters.

Follow Up : Do it for array as well

{ 1, 2, 3 }

↓

{ {3}, {1} , {2} , {3} , {1,2} , {1,3} , {2,3} , {1,2,3} }

power set is set of all subsets

[Leetcode 78]

Subsets

Print subsets of a string with unique characters.

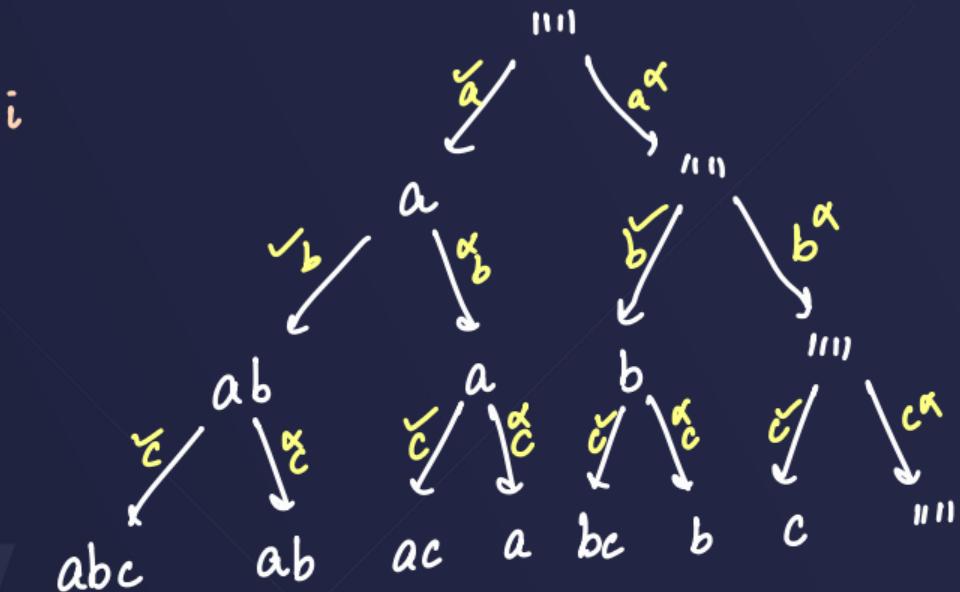
Follow Up : Do it for array as well

String s = "abcd";

∅ , a, b, c, d , ab, ac, ad , bc, bd, cd,
abc, abd, acd, bcd , abcd

[Leetcode 78]

$s = abc$



$$2 + 4 + 8$$

$$t_n c = 2^1 + 2^2 + 2^3 + \dots + 2^n \approx 2 \cdot 2^n \rightarrow T.C. = O(2^n)$$

Subsets of String (Code)

```
static ArrayList<String> arr = new ArrayList<>(); // global
public static void printSubsets(int i, String s, String ans){
    if(i==s.length()){
        arr.add(ans);
        return;
    }
    printSubsets(i+1,s,ans); // not take
    ans += s.charAt(i);
    printSubsets(i+1,s,ans); // take
}
public static void main(String[] args) {
    String s = "abcd";
    arr = new ArrayList<>(); // reset
    printSubsets(0,s,"");
    System.out.println(arr);
}
```

Ques: (Homework)

Q6 : Print all increasing sequences of length k from first n natural numbers.

$n = 6$

\rightarrow

$k = 4$

1 2 3 4

1 2 3 5

1 2 3 6

1 2 4 5

1 2 4 6

1 2 5 6

1 3 4 5

1 3 4 6

1 3 5 6

1 4 5 6

2 3 4 5

2 3 4 6

2 3 5 6

3 4 5 6

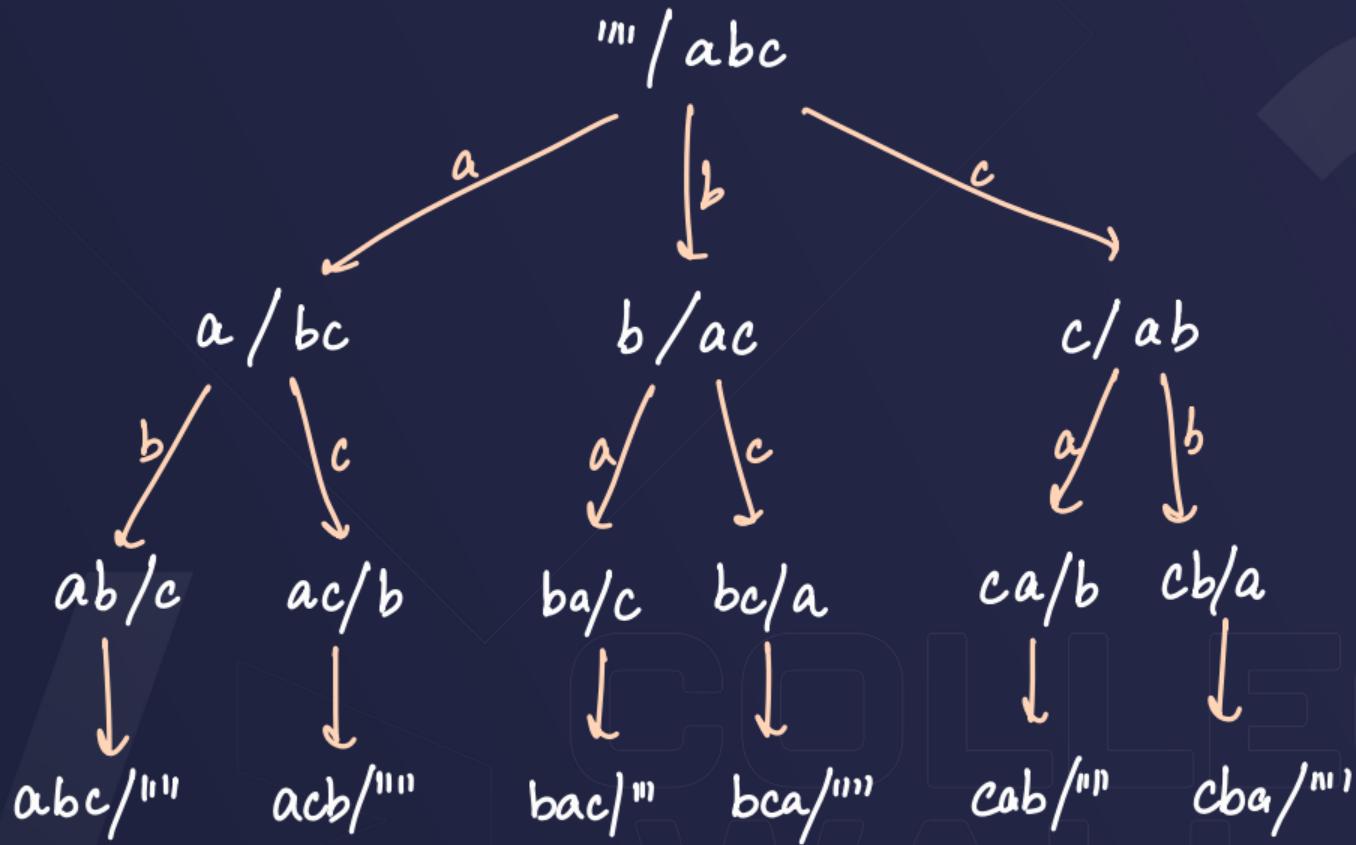
Permutations

Finding all permutations of a string given all elements of the string are unique.

String $s = abc$, $n!$ permutations
 ↓

$abc, acb, bac, bca, cab, cba$

$\underbrace{a}_{\text{left}} \underbrace{b}_{\text{to i-1}} \underbrace{c}_{\text{i}} \underbrace{d e f}_{\text{right}}$ → $a b d e f$
i $i+1$ to end



```
public static void printPermutations(String ans, String s){  
    if(s.length()==0){  
        System.out.println(ans);  
        return;  
    }  
    for(int i=0;i<s.length();i++){  
        char ch = s.charAt(i);  
        String left = s.substring(0,i);  
        String right = s.substring(i+1);  
        printPermutations(ans+ch, left+right);  
    }  
}  
  
public static void main(String[] args) {  
    String s = "abcd";  
    printPermutations("",s);  
}
```

$$T \cdot n \cdot C \cdot = n(n-1)(n-2) \dots = n!$$

$$T.C. = O(n!)$$

Greatest Common Divisor (HCF)

Calculate Greatest Common Divisor of two numbers.

$$\text{HCF}(a,b) \leq \min(a,b)$$

$$\begin{array}{r} 30 \overline{)96} \quad 3 \\ 90 \\ \hline 6 \end{array} \quad \begin{array}{r} 30 \overline{)30} \quad 5 \\ 30 \\ \hline 0 \end{array}$$

$\{$
hcf

$$\begin{array}{r} 24 \overline{)60} \quad 2 \\ 48 \\ \hline 12 \end{array} \quad \begin{array}{r} 12 \overline{)24} \quad 2 \\ 24 \\ \hline 0 \end{array}$$

hcf

Greatest Common Divisor

Calculate Greatest Common Divisor of two numbers.

$$\begin{array}{r} 41 \overline{)90} \quad 2 \\ 82 \\ \hline 8 \quad \begin{array}{r} 41 \quad 5 \\ \hline 40 \end{array} \\ \hline \begin{array}{r} 1 \quad \begin{array}{r} 8 \quad 8 \\ \hline 8 \end{array} \\ \hline 0 \end{array} \end{array}$$

The diagram shows the Euclidean algorithm for finding the GCD of 90 and 41. It consists of three division steps. The first step shows 90 divided by 41 with a quotient of 2 and a remainder of 8. The second step shows 41 divided by 8 with a quotient of 5 and a remainder of 1. The third step shows 8 divided by 1 with a quotient of 8 and a remainder of 0. The final result is labeled 'hcf' at the bottom left.

$$\begin{array}{c} a \sqrt{b} \\ - \\ \hline b \% a \quad \sqrt{a} \\ \downarrow \end{array}$$

$$\text{hcf}(a, b) = \text{hcf}(b \% a, a)$$

Greatest Common Divisor

Calculate Greatest Common Divisor of two numbers.

$$\text{gcd}(96, 30)$$



$$\text{gcd}(30, 96)$$



$$\text{gcd}(6, 30)$$



ans \rightarrow 6

$$\text{gcd}(60, 24)$$



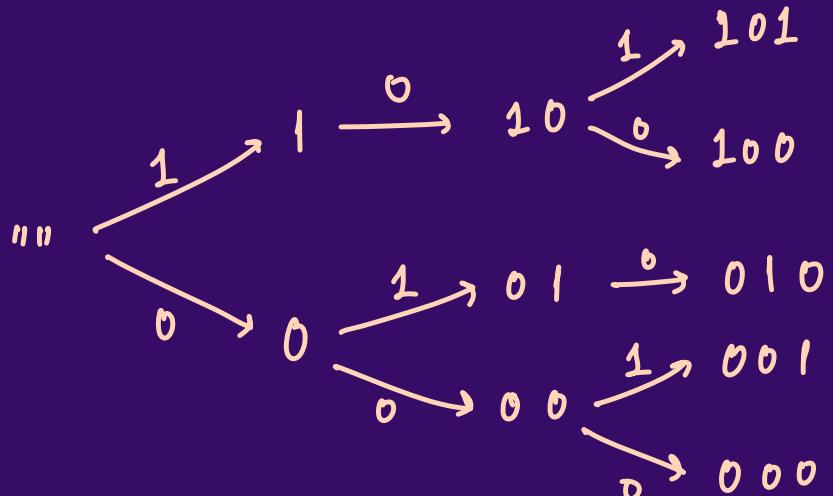
$$\text{gcd}(24, 60)$$

Practice

Generate all **binary strings** of length n without consecutive 1's

$$n = 3$$

0 0 0
0 0 1
0 1 0
1 0 0
1 1 0
1 0 1
0 1 1
1 1 1



Practice

Generate all binary strings of length n without consecutive 1's

1's

```
public static void printStrings(String s, int n){  
    int m = s.length();  
    if(m==n){  
        System.out.println(s);  
        return;  
    }  
    if(m==0 || s.charAt(m-1)=='0'){  
        printStrings(s+1,n);  
        printStrings(s+0,n);  
    }  
    else printStrings(s+0,n);  
}  
  
public static void main(String[] args) {  
    Scanner sc = new Scanner(System.in);  
    int n = sc.nextInt();  
    printStrings("",n);  
}
```

Ques: [], { }, ()
pair of parentheses



Q2 : Generate Parentheses

$n=3$: We have 3 opening brackets & 3 closing brackets

→ (())
· () ()
(())
()()
(())

[Leetcode 22]

Ques:

Q2 : Generate Parentheses

Wrong Approach → adding to left/right & enclosing

$n=1$ ()

$n=2$ ()() , (())

$n=3$ ()()() , (()()) , ()(()())
(()()()) , ((()()))

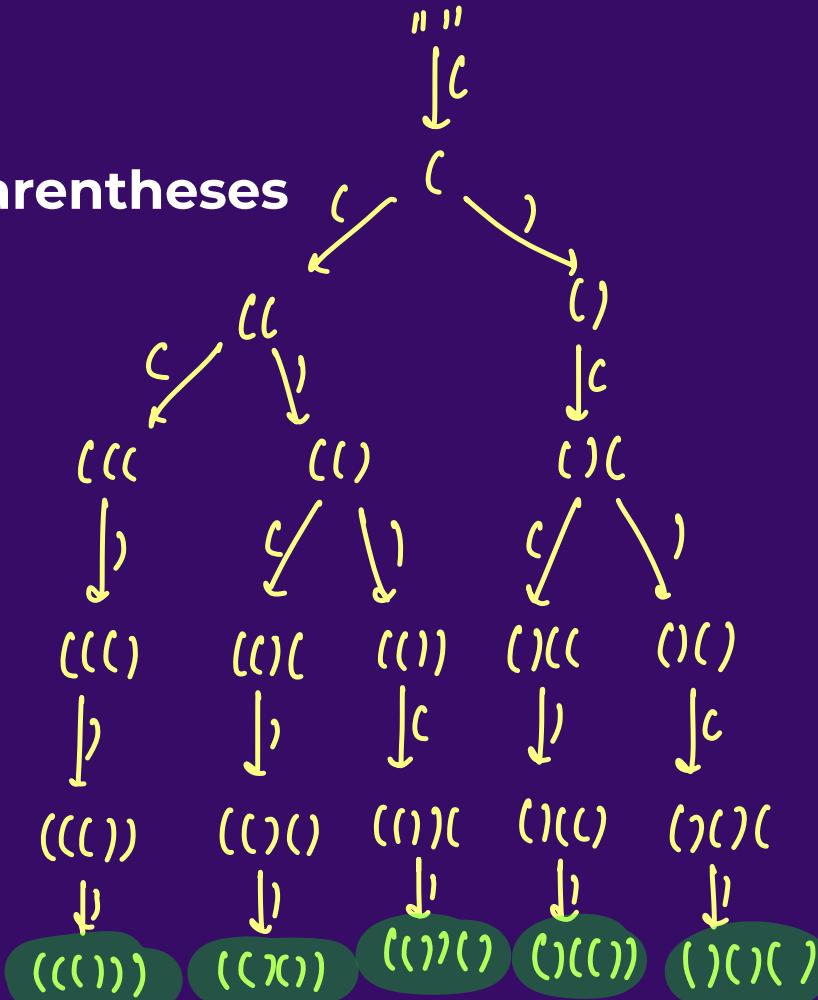
Hint : At any point, no. of closing bkt's cannot be greater than no. of opening bkt's

[Leetcode 22]

Ques:

Q2 : Generate Parentheses

$n=3$



[Leetcode 22]

Ques:

Q3 : Kth Symbol in Grammar

[Leetcode 779]

Ques:

Q4 : Count and Say

$$S = \underline{3} \underline{3} \underline{2} \underline{2} \underline{2} \underline{5} \underline{1}$$

\downarrow modify

$$S = \underline{\underline{3}} \underline{\underline{3}} \underline{\underline{3}} \underline{\underline{3}} \quad \underline{\underline{2}} \underline{\underline{2}} \underline{\underline{2}} \quad \underline{\underline{3}} \underline{\underline{3}}$$

\downarrow modify

$$\underline{4} \underline{3} \underline{3} \underline{2} \underline{2} \underline{3}$$

$$ans = \underline{2} \underline{3} \underline{3} \underline{2} \underline{1} \underline{5} \underline{1} \underline{1}$$

Ques:

Q4 : Count and Say

count and say(n) is the way you "say" count and say($n-1$)

$$\text{cas}(1) = 1$$

$$\text{cas}(2) = \underline{1}1$$

$$\text{cas}(3) = \underline{2}\underline{1}$$

$$\text{cas}(4) = \underline{1}\underline{2}\underline{1}\underline{1}$$

$$\text{cas}(5) = 111221$$

Ques:

Q4 : Count and Say

0 1 2 3 4 5 6 7 8 9
 s = 3 3 2 2 2 5 1 1 1 1
 i j

ans = 2 3 3 2 1 5 4 1

```

while(j < n) {
    if(s.charAt(i) == s.charAt(j)) {
        j++;
    } else {
        len = j - i;
        ans += len;
        ans += s.charAt(i);
    }
    i = j;
}
  
```

[Leetcode 38]

◀ THANK YOU ▶