A Constraint Language for Static Semantic Analysis Based on Scope Graphs

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PEPM, January 19, 2016

Motivation

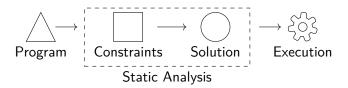
```
♠ names.nab2 ≅
                                        Fun(id,e) in scope s:
                                             Fun(x,e): TFun(ty1,ty2)
       new scope s' in s.
      declares id in s',
                                                 x declares d.
       s' scopes e
                                                 d: ty1,
                                                 e: ty2
19 rules
                                             Fix(x,e): TFun(tv,tv)
21 Fix(id.e):
       new subscope s'
                                                 x declares d.
       declares id in s',
                                                 d: tv.
                                                 e: ty
26 rules
                                             App(e1,e2): tv
                                               where
```

- Language engineering with language workbench
- Language-dependent specification, using language-independent framework
- Separate language aspects
- Today: framework for static semantic analysis, based on
 - scope graphs
 - constraints

Example

```
Abstract Syntax Tree
  Program
record A {
  f:Num
                      record A { o }
                                        let x = 0 in 0
let
                            f:0
                                     new A { o }
 x = new A {
    f = 1
                            Num
in x.f
```

Constraint-based Type Analysis

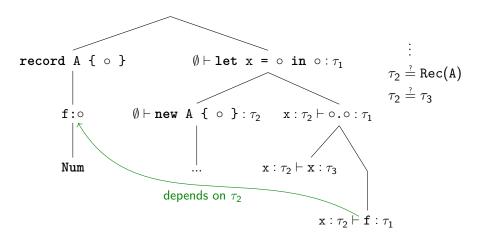


- Language-dependent constraint generation
- Language-independent constraint solving
- Freedom in order of solving
- Potential for inference

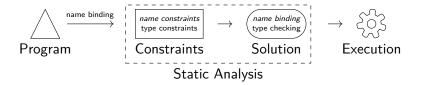
$$\Gamma \vdash e : t \longrightarrow C$$

Constraint-based Type Analysis

Generation Constraints



Requires additional, ad hoc data structures (e.g. class table)

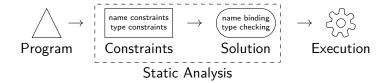


- Existing approaches: name binding during constraint generation
- Goal: name binding during constraint solving
- Use scope graphs for language independent name resolution

Intermezzo: Scope Graphs

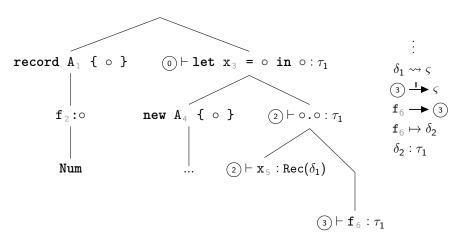
```
Scope Graph
                Program
   record A<sub>1</sub> {
                                               A_{\perp}
      f : Num
                                               x_5
4
   let
      x_3 = new A_4  {
7
    in x_5.f_6
```

Introduced by Neron e.a., A Theory of Name Resolution, ESOP, 2015



$$(s) \vdash e : t \longrightarrow C$$

Generation Constraints



- Constraints for
 - Scope graph construction
 - Name resolution
 - Type checking
- Formal semantics for solution $\mathcal{G}, \psi, \varphi \models \mathcal{C}$
 - Scope graph \mathcal{G}
 - Type environment ψ
 - Substitution φ
- Resolution algorithm Solve(C) = $\langle \mathcal{G}, \psi, \varphi \rangle$

Program

```
record A {
      f .: Num
4
    let
      x_3 = new A_4  {
    in x_5.f_6
```

Constraints

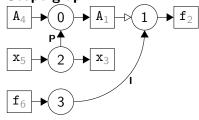
$A_1 \leadsto \varsigma$ $f_6 \longrightarrow (3)$

$f_6 \mapsto \delta_2$

f_2 : τ_1

Solution





Type env

Substitution

 $\delta_1 \mapsto A_1 \quad \delta_2 \mapsto f_2$

$$\varsigma \mapsto \bigcirc$$

 $x_3 : Rec(A_1)$ $\varsigma \mapsto (1)$ $\tau_1 \mapsto Num$

- Summary
 - Constraints to express name and type analysis
 - Language-specific constraint generation
 - Language-independent constraint solver
 - (modulo type vocabulary)
- Preliminary validation
 - Functional language: PCF
 - Object-oriented language: Featherweight Java
- Solve algorithm
 - Terminating and sound, $\operatorname{SOLVE}(\mathcal{C}) = \Delta \implies \Delta \models \mathcal{C}$
 - Incomplete (conjecture: complete without $(i) \rightarrow (\widehat{\varsigma})$)
 - Prototype implementation

More scope graph contributions in paper

- Generalized parents and imports to arbitrary labels
- Parametrized name resolution algorithm
- Name disambiguation constraints
 - Uniqueness (e.g. prevent duplicate record definitions)
 - Inclusion (e.g. ensure all fields are initialized)

Future Work

- Scope graphs
 - High-level specification language based on scope graphs
 - Name resolution sensitive program transformations
 - Relate static scope graphs to dynamic semantics
- Constraint language
 - Support more advanced types, e.g. polymorphism
 - Factor out constraint domain X, cf. HM(X) and OutsideIn(X)
 - Constraint solver performance
- Mechanized language meta-theory based on this framework

Resolution Calculus

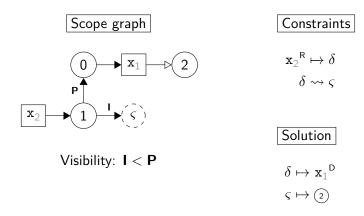
Reachability

Visibility

Labels
$$\mathcal{L}$$
 e.g. $\{\mathbf{P}, \mathbf{I}\}$
Ordering $<$ e.g. $\mathbf{I} < \mathbf{P}$
Well-formedness $\mathsf{WF}(p)$ e.g. $\mathbf{P}^* \cdot \mathbf{I}^* \cdot \mathbf{D}$ (transitive)

or $\mathbf{P}^* \cdot \mathbf{I}^? \cdot \mathbf{D}$ (non-transitive)

Incompleteness Example



Type-dependent Path Ordering

```
class A {}
class B extends A {}
class X {
 void m(B b) {}
class Y extends X {
 void m(A a) {}
}
// new Y().m(new B())
```