



PART 4

MATERIAL DESIGN

QUANTUM ESPRESSO INPUT PARAMETER

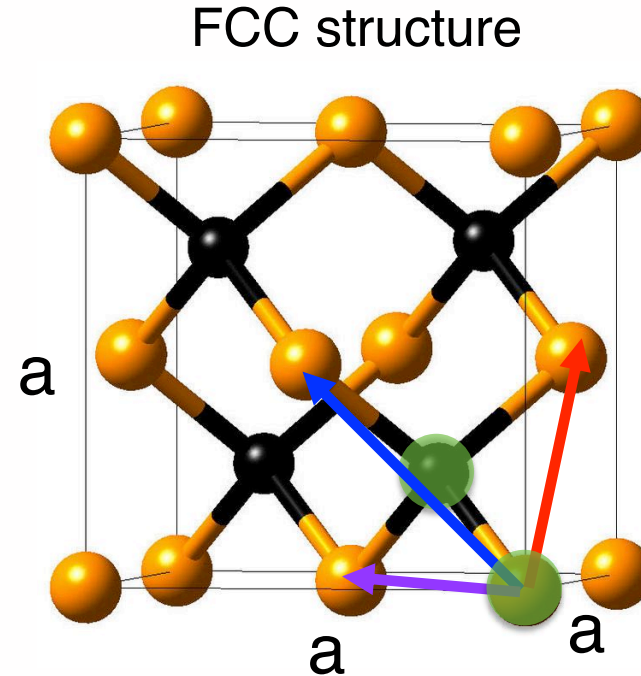
HANDS-ON #1

Structure of QE input file

```
&CONTROL
  calculation='scf',
  restart_mode='from_scratch',
  prefix='si',
  pseudo_dir='../pseudo/',
  outdir='../tmp/',
/
&SYSTEM
 ibrav=2,
  celldm(1)=10.2625,
  nat=2,
  ntyp=1,
  ecutwfc=60.0,
  ecutrho=720.0,
/
&ELECTRONS
  mixing_beta=0.7,
  conv_thr=1d-8,
/
ATOMIC_SPECIES
  Si 28.0855 Si.pbe-rrkj.UPF
ATOMIC_POSITIONS (alat)
Si 0.00 0.00 0.00
Si 0.25 0.25 0.25
K_POINTS automatic
4 4 4 1 1 1
```

Silicon

Mass of Si

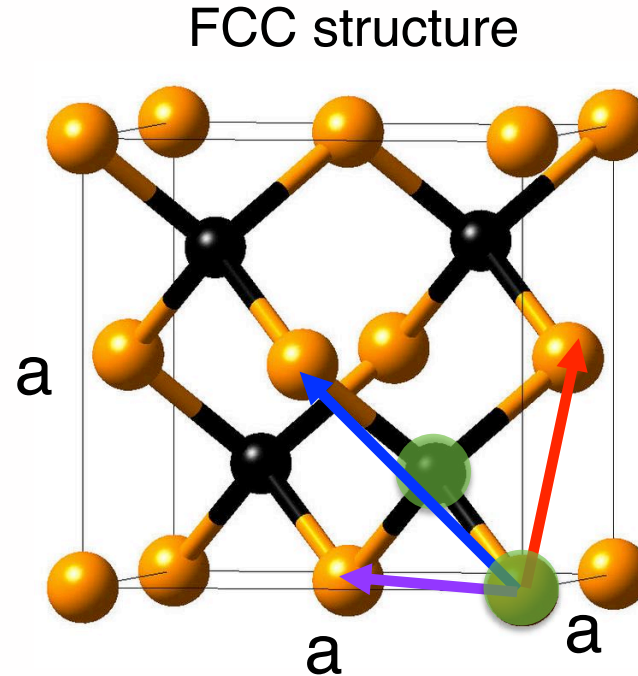


Pseudopotential

```
&CONTROL
  calculation='scf',
  restart_mode='from_scratch',
  prefix='si',
  pseudo_dir='../pseudo/',
  outdir='../tmp/',
/
&SYSTEM
 ibrav=2,
  celldm(1)=10.2625,
  nat=2,
  ntyp=1,
  ecutwfc=60.0,
  ecutrho=720.0,
/
&ELECTRONS
  mixing_beta=0.7,
  conv_thr=1d-8,
/
ATOMIC_SPECIES
  Si 28.0855 si.pbe-rrkj.UPF
ATOMIC_POSITIONS (alat)
Si 0.00 0.00 0.00
Si 0.25 0.25 0.25
K_POINTS automatic
4 4 4 1 1 1
```

PP file

Name of the pseudopotential file



<http://www.quantum-espresso.org/pseudopotentials/>

Si.pbe-rrkj.UPF

- ▶ type of exchange-correlation functional
- ▶ type of pseudopotential

Pseudopotential File
<p>Si.blpy-hgh.UPF</p> <p>Pseudopotential type: NORMCONS Method: Goedecker-Hartwigsen-Rutter-Teter Functional type: Becke-Lee-Yang-Parr (BLYP) exch-corr non relativistic</p> <p>Origin: Hartwigsen-Goedecker-Rutter PP Author: Goedecker/Hartwigsen/Rutter/Teter Generated in analytical, separable form. Converted from CPMD format using cpmd2upf v.5.0.1. Uploaded by marsamos Classification unverified</p>
<p>Si.pbe-rkj.UPF</p> <p>Pseudopotential type: NORMCONS Method: Rappe Rabe Kaxiras Joannopoulos Functional type: Perdew-Burke-Ernzerhof (PBE) exch-corr scalar relativistic</p> <p>Origin: Original QE PP library Author: Andrea Dal Corso Generated by Andrea Dal Corso code (rrkj3) Uploaded by Erica Vidal Classification controlled by Paolo Giannozzi</p>
<p>Si.pbe-van_gipaw.UPF</p> <p>Pseudopotential type: ULTRASOFT Method: Rappe Rabe Kaxiras Joannopoulos Functional type: Perdew-Burke-Ernzerhof (PBE) exch-corr Is Gipaw scalar relativistic</p> <p>Origin: Original QE PP library Generated by "atomic" code by A. Dal Corso (QE distribution) Uploaded by Erica Vidal Classification controlled by Paolo Giannozzi</p>

Pseudopotential

```
&CONTROL
  calculation='scf',
  restart_mode='from_scratch',
  prefix='si',
  pseudo_dir='../pseudo/',
  outdir='../tmp/',
/
&SYSTEM
  ibrav=2,
  celldm(1)=10.2625,
  nat=2,
  ntyp=1,
  ecutwfc=60.0,
  ecutrho=720.0,
/
&ELECTRONS
  mixing_beta=0.7,
  conv_thr=1d-8,
/
ATOMIC_SPECIES
  Si 28.0855 si.pbe-rrkj.UPF
ATOMIC_POSITIONS (alat)
  Si 0.00 0.00 0.00
  Si 0.25 0.25 0.25
K_POINTS automatic
4 4 4 1 1 1
```

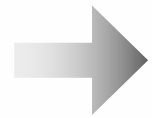
```
<PP_INFO>
Generated using Andrea Dal Corso code (rrkj3)
Author: Andrea Dal Corso   Generation date: unknown
Info:   Si PBE 3s2 3p2 RRKJ3
        0          The Pseudo was generated with a Non-Relativistic Calculation
        2.500000000000E+00      Local Potential cutoff radius
nl pn  l  occ          Rcut          Rcut US          E pseu
3S  1  0  2.00      2.500000000000      2.600000000000      0.000000000000
3S  1  0  0.00      2.500000000000      2.600000000000      0.000000000000
3P  2  1  2.00      2.500000000000      2.700000000000      0.000000000000
3D  3  2  0.00      2.500000000000      2.500000000000      0.000000000000
</PP_INFO>
<PP_HEADER>
  0          Version Number
  Si         Element
  NC         Norm - Conserving pseudopotential
  F          Nonlinear Core Correction
  SLA PW  PBE PBE  PBE Exchange-Correlation functional
  4.000000000000      Z valence
  -7.47480832270      Total energy
  0.0000000  0.0000000 Suggested cutoff for wfc and rho
  2          Max angular momentum component
  883        Number of points in mesh
  2 3        Number of wavefunctions, Number of Projectors
  Wavefunctions      nl l  occ
  3S  0  2.00
  3P  1  2.00
</PP_HEADER>
<PP_MESH>
  <PP_R>
  1.77053726905E-04  1.79729551320E-04  1.82445815642E-04  1.85203131043E-04
  1.88002117930E-04  1.90843406086E-04  1.93727634813E-04  1.96655453076E-04
  1.99627519645E-04  2.02644503249E-04  2.05707082721E-04  2.08815947154E-04
  2.11971796056E-04  2.15175339506E-04  2.18427298316E-04  2.21728404189E-04
  ...
```

Pseudopotential

Electrons experience a Coulomb potential due to the nuclei with simple form:

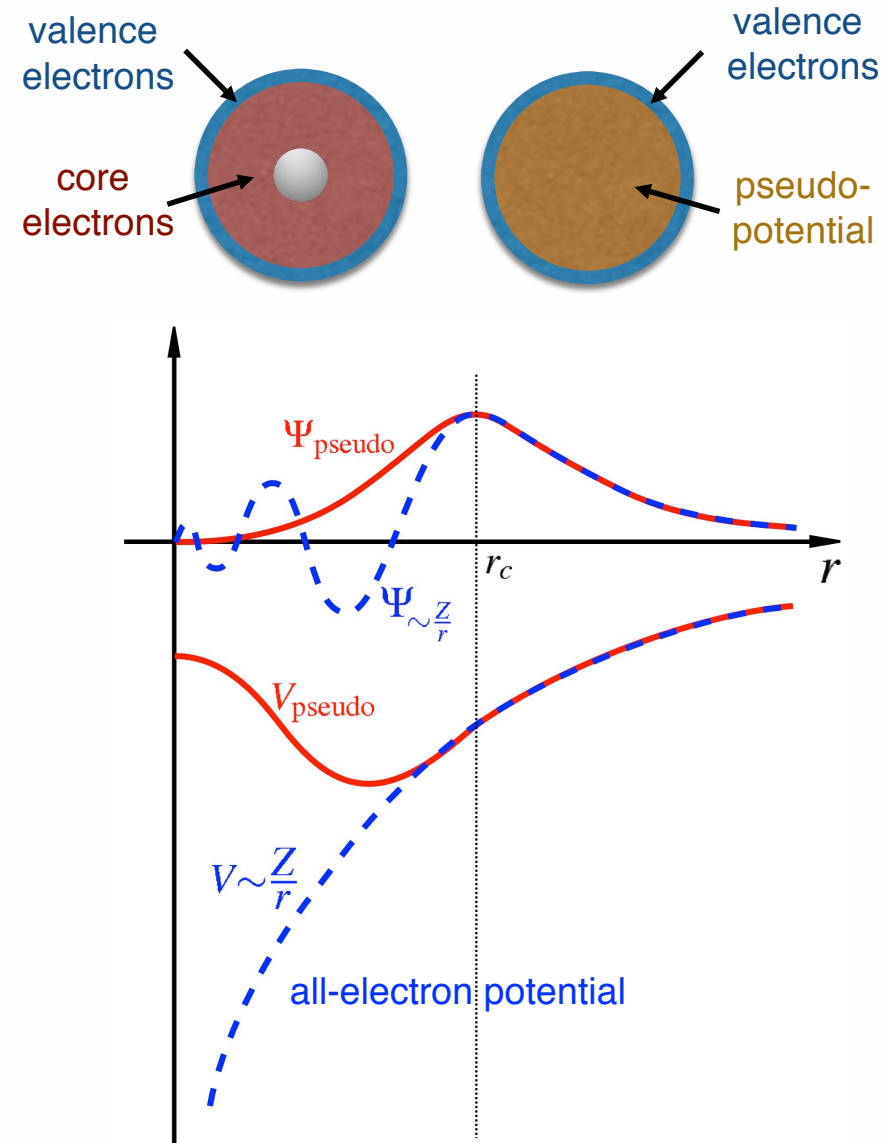
$$V_{ion} = -\frac{Z}{r}$$

But this leads to computational problems!



Pseudopotential (PP):

Replace the strong **Coulomb potential** of the nuclei and tightly bound core electrons by an **effective ionic potential** acting on the valence electrons.



Plane wave expansion

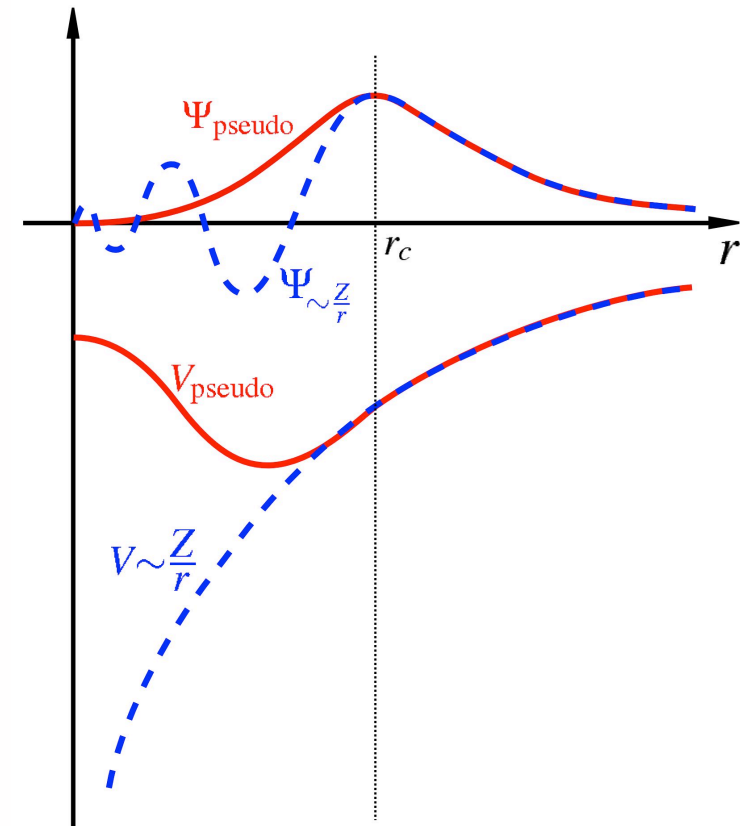
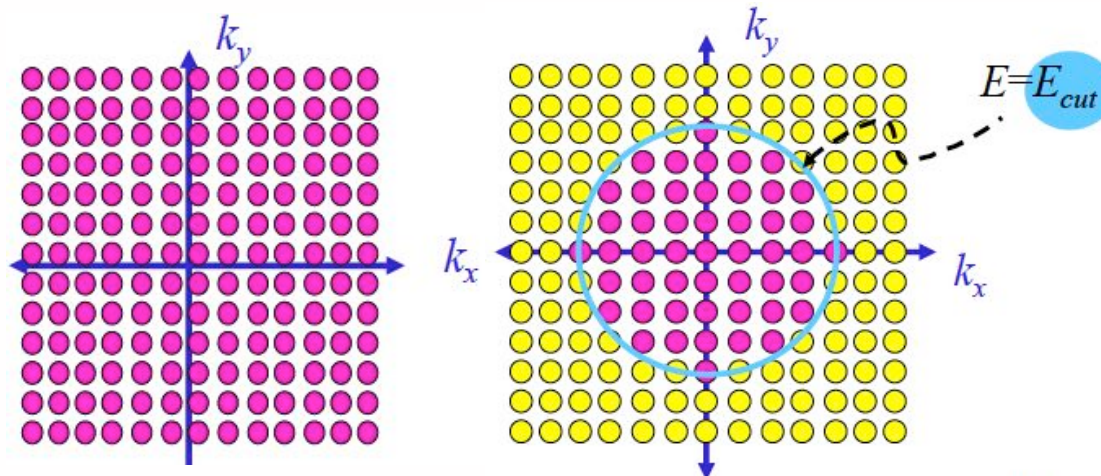
In a periodic system we can write the KS states as a superposition of plane waves:

$$\Psi_{k,n}(r) = \frac{1}{\Omega} \sum_G c_{k,n}^G e^{i(k+G) \cdot r}$$

G are vectors in reciprocal space.

The sum, in principle infinite, can be truncated:

$$\frac{\hbar^2}{2m} |k + G|^2 \leq E_{cut}$$



Plane wave expansion

```
&CONTROL
  calculation='scf',
  restart_mode='from_scratch',
  prefix='si',
  pseudo_dir='../pseudo/',
  outdir='../tmp/',
/
&SYSTEM
 ibrav=2,
celldm(1)=10.2625,
nat=2,
ntyp=1,
ecutwfc=60.0,
ecutrho=720.0,
/
&ELECTRONS
  mixing_beta=0.7,
  conv_thr=1d-8,
/
ATOMIC_SPECIES
  Si 28.0855 Si.pbe-rrkj.UPF
ATOMIC_POSITIONS (alat)
Si 0.00 0.00 0.00
Si 0.25 0.25 0.25
K_POINTS automatic
4 4 4 1 1 1
```

$$\frac{\hbar^2}{2m}|k + G|^2 \leq E_{cut}$$

Units: Ry (1 Ry = 0.5 Ha = 13.6057 eV)
For ultrasoft pseudopotentials we have also:

ecutrho = usually **8-12 × ecutwfc**

Sampling of the Brillouin zone

Many quantities we need to compute involve an integral over the BZ:

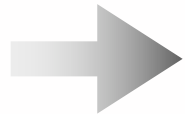
$$\bar{A} = \frac{1}{\Omega_{BZ}} \int_{BZ} A(k) d(k)$$

An example is the electronic density $n(r)$:

$$n(r) = \frac{1}{\Omega_{BZ}} \sum_i \int_{BZ} |\Psi_{i,k}(r)|^2 f(\epsilon_{i,k} - \epsilon_F) d(k)$$

In practice the integral is discretized:

$$\frac{1}{\Omega_{BZ}} \int_{BZ} d(k) \rightarrow \sum_k \omega_k$$



How do we choose the k points to include in the sum???

Monkhorst and Pack (1976)

Example: square 2D lattice

4×4 k-points grid (16 points)

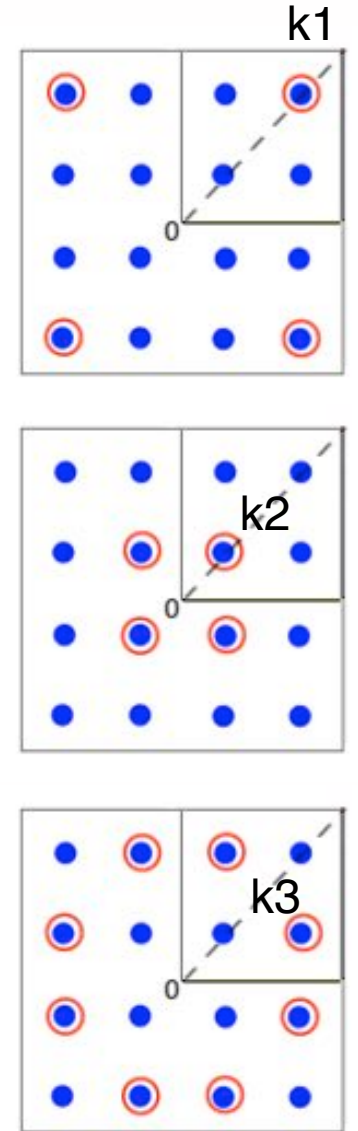
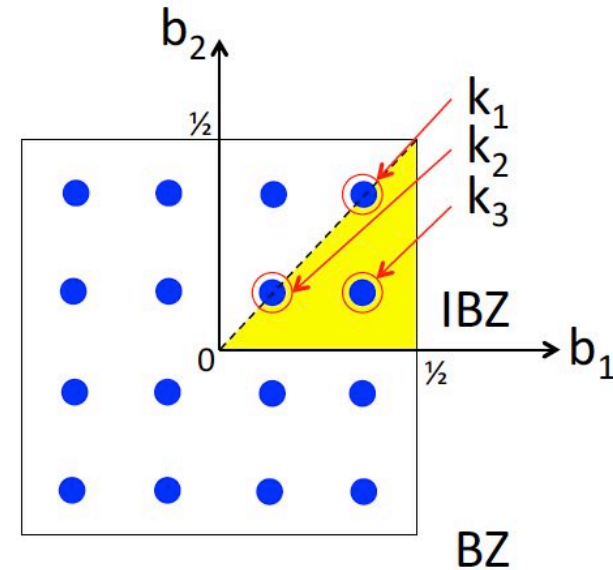
3 inequivalent point (IBZ)

$$4 \times k_1 \rightarrow \omega_1 = 4/16 = 1/4$$

$$4 \times k_2 \rightarrow \omega_2 = 4/16 = 1/4$$

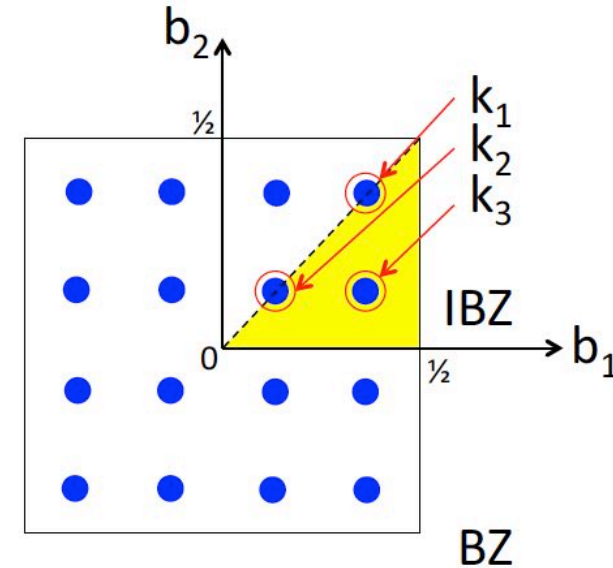
$$8 \times k_3 \rightarrow \omega_3 = 8/16 = 1/2$$

$$\frac{1}{\Omega_{BZ}} \int_{BZ} A(k) d(k) \simeq \frac{1}{4} A(k_1) + \frac{1}{4} A(k_2) + \frac{1}{2} A(k_3)$$



Sampling of the Brillouin zone

```
&CONTROL
  calculation='scf',
  restart_mode='from_scratch',
  prefix='si',
  pseudo_dir='../pseudo/',
  outdir='../tmp/',
/
&SYSTEM
 ibrav=2,
  celldm(1)=10.2625,
  nat=2,
  ntyp=1,
  ecutwfc=60.0,
  ecutrho=720.0,
/
&ELECTRONS
  mixing_beta=0.7,
  conv_thr=1d-8,
/
ATOMIC_SPECIES
  Si 28.0855 Si.pbe-rrkj.UPF
ATOMIC_POSITIONS (alat)
Si 0.00 0.00 0.00
Si 0.25 0.25 0.25
K_POINTS automatic
4 4 4 1 1 1
```



K_POINTS automatic
nk1, nk2, nk3, k1, k2, k3

nk1, nk2, nk3 as in Monkhorst-Pack grids k1, k2, k3
must be 0 (no offset) or 1 (grid displaced by half a
grid step in the corresponding direction)

Construct structure

