

CORE EQUATIONS TABLE

Equation	Role in Framework	Link to Quantum/Physics
$\mathbf{M}(t)$ = memory state vector	Phenomenal phase space	Configuration space of qualia
$\mathbf{\Gamma}(t) = d\mathbf{M}/dt$	First-order dynamics (velocity)	Phase space velocity
$\Delta\mathbf{\Gamma}(t) = d^2\mathbf{M}/dt^2$	Second-order dynamics (acceleration)	Phenomenal acceleration \rightarrow qualia candidate
$\Phi(t) = \text{Cov}(\Delta\mathbf{\Gamma}_1, \Delta\mathbf{\Gamma}_2, \dots)$	Binding via covariance	Integrated information / entanglement analogue
$E(t) = \alpha\ \mathbf{\Gamma}\ ^2 + \beta\ \Delta\mathbf{\Gamma}\ ^2$	Energy functional	Kinetic + potential energy
Consciousness when $E(t) > \theta_E$ and $\Delta\mathbf{\Gamma} \neq 0$	Threshold dynamics	Analogous to collapse / phase transition

Central Prediction: $\text{FFT}(\Delta\mathbf{\Gamma}) \rightarrow 40 \text{ Hz peak}$ during conscious states (EEG-testable)

Note: The covariance term $\Phi(t) = \text{Cov}(\Delta\mathbf{\Gamma}_1, \Delta\mathbf{\Gamma}_2, \dots)$ helps resolving the binding problem by formalizing how discrete phenomenal accelerations integrate into unified conscious experience. This is testable via **inter-regional gamma coherence** (40 Hz phase-locking) in EEG/MEG.

Prospective extension: The energy functional $E(t)$ naturally suggests a **Lagrangian formulation** via action principle ($S = \int L(\mathbf{\Gamma}, \Delta\mathbf{\Gamma}) dt$), which could connect phenomenal dynamics to stochastic quantum trajectories — a direction we are exploring in future work.