





Deep Learning with **TensorFlow**™

Connective Systems and Classifiers

Perfil ML:FA @ MiEI/4º ano - 2º Semestre Bruno Fernandes, Victor Alves

- Building a Multilayer Perceptron from scratch (Low-level Deep Learning)
- Deep Learning concepts:

Contents

- Weights and Bias
- Activation functions
- Logits and Probs
- Epochs and Batch Processing
- Loss, Gradient and the Gradient Tape
- Optimizers and Metrics
- Vectorization
- Hands On

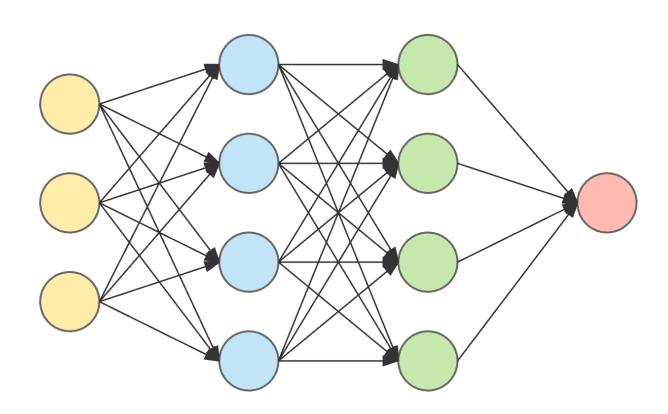






LOW-LEVEL MLP

Deep Learning Concepts









LOW-LEVEL MLP

Deep Learning Concepts

Hands On

MLP = Multilayer Perceptron

Q.: Have you heard about Deep Learning?

A.: Essentially, it is a neural network with one, or more, hidden layers!

As for a Multilayer Perceptron, it is a class of feedforward artificial neural network with, at least, one hidden layer - causing it to be deep!

In MLPs, a perceptron consists of one, or more, inputs, a processor and an output

MLP from scratch with TF A Perceptron Layer



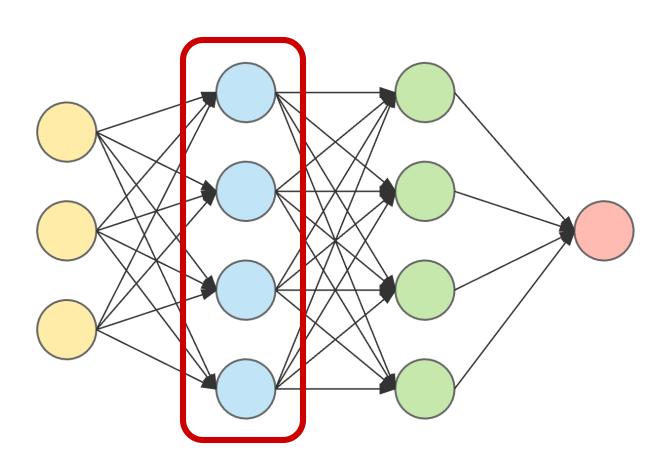




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Hands On



5

MLP from scratch with TF Defining a Perceptron Layer







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Hands On

Some key concepts...

Weights

A coefficient for a feature in a linear model, or an edge in a deep network. The goal of training a linear model is to determine the ideal weight for each feature. If a weight is 0, then its corresponding feature does not contribute to the model.

Bias

An intercept or offset from an origin. Bias (also known as the bias term) is referred to as b in machine learning models.

$$Z = w \cdot x + b$$

Activation Function

A function that takes in the weighted sum of all of the inputs from the previous layer and then generates and passes an output value (typically nonlinear) to the next layer.

$$\sigma(Z)$$

TensorFlow





Imports

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```
Created on Thu Jan 23 2020

@author: brunofmf
"""

import logging
import tensorflow as tf
from tensorflow.keras.layers import Layer
from tensorflow.keras import Model
import matplotlib.pyplot as plt
import numpy as np

logging.getLogger('tensorflow').setLevel(logging.ERROR)
#for replicability purposes
tf.random.set_seed(91195003)
#for an easy reset backend session state
tf.keras.backend.clear_session()
```

MLP from scratch with TF A Perceptron Layer







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```
PerceptronLayer Clas
class PerceptronLayer(Layer):
   The constructor in an object oriented perspective.
   Called when an object is created, allowing the class to initialize the attributes of a class.
   neurons corresponds to the number of neurons in this perceptron layer
   def __init__(self, neurons=16, **kwargs):
       super(PerceptronLayer, self). init (**kwargs)
       self.neurons = neurons
   We use the build function to deferr weight creation until the shape of the inputs is known
   def build(self, input_shape):
   Implements the function call operator (when an instance is used as a function).
   It will automatically run build the first time it is called, i.e., layer's weights are created dynamically
   def call(self, inputs):
        pass
   Enable serialization on our perceptron layer
   def get_config(self):
```

A Perceptron Layer





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```
We use the build function to deferr weight creation until the shape of the
inputs is known

def build(self, input_shape):
    #TODO: set the correct shape for the weights and the bias
    weights_init = tf.random_normal_initializer()
    self.w = tf.Variable(initial_value=weights_init(shape=(????, ????), dtype='float32'), trainable=True)
    bias_init = tf.zeros_initializer()
    self.b = tf.Variable(initial_value=bias_init(shape=(????,), dtype='float32'), trainable=True)
    #you will need to assert a fact, i.e., that weights and bias are to be
    #for example: assert perceptron.weights == [perceptron.w, perceptron.b]
```

```
We use the build function to deferr weight creation until the shape of the

inputs is known

def build(self, input_shape):
    #---
    #weights_init = tf.random_normal_initializer()
    #self.w = tf.Variable(initial_value=weights_init(shape=(????, ????), dtype='float32'), trainable=True)
    #bias_init = tf.zeros_initializer()
    #self.b = tf.Variable(initial_value=bias_init(shape=(????,), dtype='float32'), trainable=True)
    #you will need to assert a fact, i.e., that weights and bias are to be automatically tracked by our layer
    #for example: assert perceptron.weights == [perceptron.w, perceptron.b]
#---
    #however, we can use a shortcut for adding weights to a layer
    #TODO: set the correct shape for the weights and the bias
    self.w = self.add_weight(shape=(????, ????), initializer='random_normal', trainable=True)
    self.b = self.add_weight(shape=(????,), initializer='random_normal', trainable=True)
```

MLP from scratch with TF A Perceptron Layer



10

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```
Implements the function call operator (when an instance is used as a function).
It will automatically run build the first time it is called, i.e., layer's weights are created dynamically

def call(self, inputs):
    #TODO: return the perceptron result
    pass

...
Enable serialization on our perceptron layer
...

def get_config(self):
    config = super(PerceptronLayer, self).get_config()
    config.update({'neurons': self.neurons})
    return config
```

$$Z = w \cdot x + b$$

MLP from scratch with TF A Multilayer Perceptron (MLP)

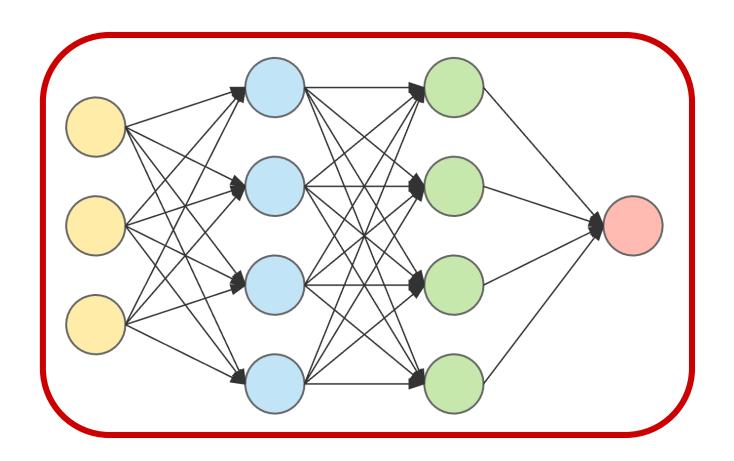






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MLP from scratch with TF A Multilayer Perceptron (MLP)







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Deep Learning Concepts

```
Multilayer Perceptron Class
class MultilayerPerceptron(Model):
   The Layers of our MLP (with a fixed number of neurons)
   def __init__(self, output_neurons=10, name='multilayerPerceptron', **kwargs):
        super(MultilayerPerceptron, self). init (name=name, **kwargs)
       self.perceptron layer 1 = PerceptronLayer(16)
       self.perceptron layer 2 = PerceptronLayer(32)
        self.perceptron_layer_3 = PerceptronLayer(output_neurons)
   Layers are recursively composable, i.e.,
   if you assign a Layer instance as attribute of another Layer, the outer layer will start tracking the weights of the inner layer.
   Remember that the build of each layer is called automatically (thus creating the weights).
   def feed_model(self, input_data):
   Compute softmax values for the logits
   def softmax(self, logits):
   def print_trainable_weights(self):
   def call(self, input data):
```

Layers Interaction







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Deep Learning Concepts

Hands On

```
Layers are recursively composable, i.e.,
if you assign a Layer instance as attribute of another Layer, the outer layer will start tracking the weights of the inner layer.
Remember that the build of each layer is called automatically (thus creating the weights).
def feed_model(self, input_data):
    x = self.perceptron layer 1(input data)
    #activation function applied to the output of the perceptron layer
    x = tf.nn.relu(x)
    #the output, now normalized, is fed as input to the second perceptron layer
    x = self.perceptron layer 2(x)
    #again, activation function applied to the output of the second perceptron layer
    x = tf.nn.relu(x)
    #which, again, is fed as input to the third layer, which returns its output
    logits = self.perceptron layer 3(x)
    #the output of the last layer going over a softmax activation
    #so, we will not be outputting logits but "probabilities"
    return self.softmax(logits) #equivalent of tf.nn.softmax(logits)
```

```
Compute softmax values for the logits
"""

def softmax(self, logits):
    #TODO: implement softmax
    pass
```

$$\sigma(z)_i = \frac{e^{Z_i}}{\sum_{j=1}^K e^{Z_j}}$$

13

Calling the model





14

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Hands On

```
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    return self.softmax(logits) #equivalent of tf.nn.softmax(logits)
```

. . .

```
def print_trainable_weights(self):
    print('Weights:', len(self.weights))
    print('Trainable weights:', len(self.trainable_weights))
    print('Non-trainable weights:', len(self.non_trainable_weights))

def call(self, input_data):
    #TODO: here, we want to feed the model and receive its output (i.e, the output of the last layer)
    probs = ????
    return probs
```

MLP from scratch with TF Using it

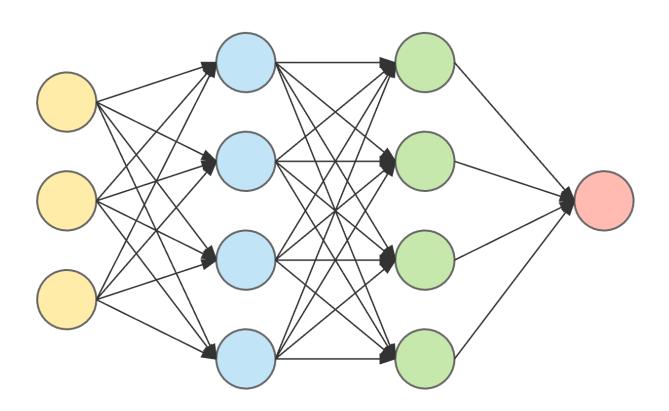






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Using our model...

The structure







16 **LOW-LEVEL MLP**

Deep Learning Concepts

```
Main Execution
Importing data
def import_data():
Preparing the model, the optimizers, the loss function and some metrics
def prepare_model():
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
Define a low level fit and predict
making use of the tape.gradient
def high_level_fit_and_predict():
Run
#hyperparameters
epochs = 5
batch size = 32
learning_rate = 1e-3
output neurons = 10
train_dataset, validation_dataset, x_test, y_test = import_data()
#init our model
mlp, optimizer, loss_object, train_metric, val_metric = prepare_model()
#use low-level or high-level fit and predict
high level fit and predict()
```

MLP from scratch with TF Importing data







```
Importing data
def import_data():
    #load mnist training and test data
    (x_train, y_train), (x_test, y_test) = tf.keras.datasets.mnist.load_data()
```

Importing data

18







LOW-LEVEL MLP

Deep Learning Concepts

```
Importing data
def import_data():
    #load mnist training and test data
    (x train, y train), (x test, y test) = tf.keras.datasets.mnist.load data()
    #some data exploration
    print('***** Log import data *****')
    print('Train data shape', x train.shape)
    print('Test data shape', x_test.shape)
   print('Number of training samples', x_train.shape[0])
   print('Number of testing samples', x_test.shape[0])
    for i in range(25):
       plt.subplot(5,5,i+1)
                                #Add a subplot as 5 \times 5
        plt.xticks([])
                                #get rid of labels
       plt.yticks([])
                                #get rid of labels
       plt.imshow(x_test[i], cmap="gray")
    plt.show()
   print('***** Log import data *****')
```

Importing data

19







LOW-LEVEL MLP

Deep Learning Concepts

```
Importing data
def import_data():
    #load mnist training and test data
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   print('***** Log import data *****')
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    for i in range(25):
       plt.subplot(5,5,i+1)
                                #Add a subplot as 5 x 5
        plt.xticks([])
                                #get rid of labels
        plt.yticks([])
                                #get rid of labels
       plt.imshow(x_test[i], cmap="gray")
    plt.show()
    print('***** Log import data *****')
    #reshape the input to have a list of self.batch size by 28*28 = 784; and normalize (/255)
    x_train = x_train.reshape(x_train.shape[0], x_train.shape[1]*x_train.shape[2]).astype('float32')/255
    x test = x test.reshape(x test.shape[0], x test.shape[1]*x test.shape[2]).astype('float32')/255
    #reserve 5000 samples for validation
    x validation = x train[-5000:]
    y validation = y train[-5000:]
    #do not use those same 5000 samples for training!
    x train = x train[:-5000]
    y train = y train[:-5000]
```

Importing data

20







LOW-LEVEL MLP

Deep Learning Concepts

```
Importing data
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   #load mnist training and test data
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       plt.xticks([])
                               #get rid of labels
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       plt.imshow(x test[i], cmap="gray")
   plt.show()
   print('***** Log import data *****')
   #reshape the input to have a list of self.batch size by 28*28 = 784; and normalize (/255)
   x train = x train.reshape(x train.shape[0], x train.shape[1]*x train.shape[2]).astype('float32')/255
   x test = x test.reshape(x test.shape[0], x test.shape[1]*x test.shape[2]).astype('float32')/255
   #reserve 5000 samples for validation
   x validation = x train[-5000:]
   y validation = y train[-5000:]
   #do not use those same 5000 samples for training!
   x train = x train[:-5000]
   y train = y train[:-5000]
   #create dataset iterator for training
   train dataset = tf.data.Dataset.from tensor slices((x train, y train))
   #shuffle in intervals of 1024 and slice in batchs of batch size
   train dataset = train dataset.shuffle(buffer size=1024).batch(batch size)
   #create the validation dataset
   validation dataset = tf.data.Dataset.from tensor slices((x validation, y validation))
   validation dataset = validation dataset.batch(batch size)
   return train dataset, validation dataset, x test, y test
```

21







```
Preparing the model, the optimizers, the loss function and some metrics

def prepare_model():
    mlp = MultilayerPerceptron(output_neurons=output_neurons)
```







LOW-LEVEL MLP

22

Deep Learning Concepts

```
Preparing the model, the optimizers, the loss function and some metrics

def prepare_model():
    mlp = MultilayerPerceptron(output_neurons=output_neurons)
    #instantiate an optimizer
    optimizer = tf.keras.optimizers.Adam(learning_rate=learning_rate)
```







LOW-LEVEL MLP

23

Deep Learning Concepts

```
Preparing the model, the optimizers, the loss function and some metrics

def prepare_model():
    mlp = MultilayerPerceptron(output_neurons=output_neurons)
    #instantiate an optimizer
    optimizer = tf.keras.optimizers.Adam(learning_rate=learning_rate)
    #instantiate a loss object (from_logits=False as we are applying a softmax loss object = tf.keras.losses.SparseCategoricalCrossentropy(from_logits=False)
```







LOW-LEVEL MLP

24

Deep Learning Concepts

```
Preparing the model, the optimizers, the loss function and some metrics

def prepare_model():
    mlp = MultilayerPerceptron(output_neurons=output_neurons)
    #instantiate an optimizer
    optimizer = tf.keras.optimizers.Adam(learning_rate=learning_rate)
    #instantiate a loss object (from_logits=False as we are applying a softmax activation over the last layer)
    loss_object = tf.keras.losses.SparseCategoricalCrossentropy(from_logits=False)
    #using a metric too
    train_metric = tf.keras.metrics.SparseCategoricalAccuracy()
    val_metric = tf.keras.metrics.SparseCategoricalAccuracy()
    return mlp, optimizer, loss_object, train_metric, val_metric
```







LOW-LEVEL MLP	Deep Learning Concepts	Hands On
Define a low level fit and predict making use of t	the tape.gradient	
<pre>def low_level_fit_and_predict():</pre>		







LOW-LEVEL MLP Hands On 26 **Deep Learning Concepts**

```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
    #manually, let's iterate over the epochs and fit ourselves
    for epoch in range(epochs):
```







```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
    #manually, let's iterate over the epochs and fit ourselves
    for epoch in range(epochs):
        print('Epoch %d/%d' %(epoch+1, epochs))
        #to store loss values
        loss history = []
        #iterate over all batchs
        for step, (x_batch, y_batch) in enumerate(train dataset):
```







```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
    #manually, let's iterate over the epochs and fit ourselves
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        #to store loss values
        loss history = []
        #iterate over all batchs
        for step, (x batch, y batch) in enumerate(train dataset):
            #use a gradien tape to save computations to calculate gradient later
            with tf.GradientTape() as tape:
```







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Define a low level fit and predict making use of the tape.gradient
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    #manually, let's iterate over the epochs and fit ourselves
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        #iterate over all batchs
        for step, (x batch, y batch) in enumerate(train dataset):
            #use a gradien tape to save computations to calculate gradient later
            with tf.GradientTape() as tape:
                #running the forward pass of all layers
                #operations being recorded into the tape
                probs = mlp(x_batch)
```







30 LOW-LEVEL MLP

Deep Learning Concepts

```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
    #manually, let's iterate over the epochs and fit ourselves
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        for step, (x batch, y batch) in enumerate(train dataset):
            #use a gradien tape to save computations to calculate gradient later
            with tf.GradientTape() as tape:
                #running the forward pass of all layers
                #operations being recorded into the tape
                probs = mlp(x batch)
                #computing the loss for this batch
                #how far are we from the correct labels?
                loss value = loss object(y batch, probs)
```







LOW-LEVEL MLP

Deep Learning Concepts

Hands On

```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
    #manually, let's iterate over the epochs and fit ourselves
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        print('Epoch %d/%d' %(epoch+1, epochs))
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            #use a gradien tape to save computations to calculate gradient later
            with tf.GradientTape() as tape:
                #running the forward pass of all layers
                #operations being recorded into the tape
                probs = mlp(x_batch)
                #computing the loss for this batch
                #how far are we from the correct labels?
                loss value = loss object(y batch, probs)
            #store loss value
            loss history.append(loss value.numpy().mean())
            #use the tape to automatically retrieve the gradients of the trainable variables
            #with respect to the loss
            gradients = tape.gradient(loss_value, mlp.trainable_weights)
```

31







```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
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            #store loss value
            loss history.append(loss value.numpy().mean())
            #use the tape to automatically retrieve the gradients of the trainable variables
            #with respect to the loss
            gradients = tape.gradient(loss_value, mlp.trainable_weights)
            #running one step of gradient descent by updating (going backwards now)
            #the value of the trainable variables to minimize the loss
            optimizer.apply gradients(zip(gradients, mlp.trainable weights))
```







```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
    #manually, let's iterate over the epochs and fit ourselves
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            #use a gradien tape to save computations to calculate gradient later
            with tf.GradientTape() as tape:
                #running the forward pass of all layers
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                probs = mlp(x_batch)
                #computing the loss for this batch
                #how far are we from the correct labels?
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            #use the tape to automatically retrieve the gradients of the trainable variables
            #with respect to the loss
            gradients = tape.gradient(loss value, mlp.trainable weights)
            #running one step of gradient descent by updating (going backwards now)
            #the value of the trainable variables to minimize the loss
            optimizer.apply gradients(zip(gradients, mlp.trainable weights))
            # Update training metric.
            train metric(y batch, probs)
            #log every n batches
            if step%200 == 0:
               print('Step %s. Loss Value = %s; Mean loss = %s' %(step, str(loss_value.numpy()), np.mean(loss history)))
```







34 LOW-LEVEL MLP

Deep Learning Concepts

```
Define a low level fit and predict making use of the tape.gradient
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            optimizer.apply gradients(zip(gradients, mlp.trainable weights))
            # Update training metric.
            train metric(y batch, probs)
            #log every n batches
            if step%200 == 0:
                print('Step %s. Loss Value = %s; Mean loss = %s' %(step, str(loss value.numpy()), np.mean(loss history)))
        #display metrics at the end of each epoch
        train accuracy = train metric.result()
        print('Training accuracy for epoch %d: %s' %(epoch+1, float(train accuracy)))
        #reset training metrics (at the end of each epoch)
        train metric.reset states()
```







```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
            gradients = tape.gradient(loss_value, mlp.trainable weights)
            #running one step of gradient descent by updating (going backwards now)
            #the value of the trainable variables to minimize the loss
            optimizer.apply_gradients(zip(gradients, mlp.trainable_weights))
            # Update training metric.
            train metric(y batch, probs)
            #log every n batches
            if step%200 == 0:
                print('Step %s. Loss Value = %s; Mean loss = %s' %(step, str(loss value.numpy()), np.mean(loss history)))
        #display metrics at the end of each epoch
        train_accuracy = train_metric.result()
        print('Training accuracy for epoch %d: %s' %(epoch+1, float(train_accuracy)))
        #reset training metrics (at the end of each epoch)
        train metric.reset states()
```







```
Define a low level fit and predict making use of the tape.gradient
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            #running one step of gradient descent by updating (going backwards now)
            #the value of the trainable variables to minimize the loss
            optimizer.apply_gradients(zip(gradients, mlp.trainable_weights))
            # Update training metric.
            train metric(y batch, probs)
            #log every n batches
            if step%200 == 0:
                print('Step %s. Loss Value = %s; Mean loss = %s' %(step, str(loss value.numpy()), np.mean(loss history)))
        #display metrics at the end of each epoch
        train_accuracy = train_metric.result()
        print('Training accuracy for epoch %d: %s' %(epoch+1, float(train_accuracy)))
        #reset training metrics (at the end of each epoch)
        train metric.reset states()
        #run a validation loop at the end of each epoch
        for x batch val, y batch val in validation dataset:
            val_probs = mlp(x_batch_val)
            #update val metrics
            val_metric(y_batch_val, val_probs)
        val_acc = val_metric.result()
        val metric.reset states()
        print('Validation accuracy for epoch %d: %s' % (epoch+1, float(val acc)))
```

MLP from scratch with TF Controlling the fit and predict







LOW-LEVEL MLP

Deep Learning Concepts

Hands On

```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
            gradients = tape.gradient(loss value, mlp.trainable weights)
            #running one step of gradient descent by updating (going backwards now)
            #the value of the trainable variables to minimize the loss
            optimizer.apply_gradients(zip(gradients, mlp.trainable_weights))
            # Update training metric.
            train metric(y batch, probs)
            #log every n batches
            if step%200 == 0:
                print('Step %s. Loss Value = %s; Mean loss = %s' %(step, str(loss value.numpy()), np.mean(loss history)))
        #display metrics at the end of each epoch
        train_accuracy = train_metric.result()
        print('Training accuracy for epoch %d: %s' %(epoch+1, float(train_accuracy)))
        #reset training metrics (at the end of each epoch)
        train metric.reset states()
        #run a validation loop at the end of each epoch
        for x batch val, y batch val in validation dataset:
            val probs = mlp(x batch val)
            #update val metrics
            val metric(y batch val, val probs)
        val_acc = val_metric.result()
        val metric.reset states()
        print('Validation accuracy for epoch %d: %s' % (epoch+1, float(val acc)))
    #now predict
    print('\nGenerating predictions for ten samples...')
    predictions = mlp(x test[:10])
    print('Predictions shape:', predictions.shape)
    for i, prediction in enumerate(predictions):
        #tf.argmax returns the INDEX with the largest value across axes of a tensor
        predicted_value = tf.argmax(prediction)
        label = y test[i]
        print('Predicted a %d. Real value is %d.' %(predicted value, label))
```







38 LOW-LEVEL MLP

Deep Learning Concepts

Define a high level fit and predict making use tf.Keras APIs	
<pre>def high_level_fit_and_predict():</pre>	







39 LOW-LEVEL MLP

Deep Learning Concepts

```
Define a high level fit and predict making use tf.Keras APIs
def high_level_fit_and_predict():
    #shortcut to compile and fit a model!
    #able to do this because our model subclasses tf.keras.Model
    mlp.compile(optimizer, loss=loss object, metrics=[train metric])
```







40 LOW-LEVEL MLP

Deep Learning Concepts

```
Define a high level fit and predict making use tf.Keras APIs
def high level fit and predict():
    #shortcut to compile and fit a model!
    #able to do this because our model subclasses tf.keras.Model
    mlp.compile(optimizer, loss=loss object, metrics=[train metric])
    #since the train dataset already takes care of batching, we don't pass a batch size argument
    #passing validation data for monitoring validation loss and metrics at the end of each epoch
    history = mlp.fit(train dataset, validation data=validation dataset, epochs=epochs)
    #print('\nHistory values per epoch:', history.history)
```







LOW-LEVEL MLP

Deep Learning Concepts

```
Define a high level fit and predict making use tf.Keras APIs
def high level fit and predict():
    #shortcut to compile and fit a model!
    #able to do this because our model subclasses tf.keras.Model
    mlp.compile(optimizer, loss=loss object, metrics=[train metric])
    #since the train dataset already takes care of batching, we don't pass a batch size argument
    #passing validation data for monitoring validation loss and metrics at the end of each epoch
    history = mlp.fit(train dataset, validation data=validation dataset, epochs=epochs)
    #print('\nHistory values per epoch:', history.history)
    #evaluating the model on the test data
    print('\nEvaluating model on test data...')
    scores = mlp.evaluate(x test, y test, batch size=batch size, verbose=0)
    print('Evaluation %s: %s' %(mlp.metrics names, str(scores)))
```

MLP from scratch with TF

High-level fit and predict







LOW-LEVEL MLP

Deep Learning Concepts

Hands On

```
Define a high level fit and predict making use tf.Keras APIs
def high level fit and predict():
    #shortcut to compile and fit a model!
    #able to do this because our model subclasses tf.keras.Model
    mlp.compile(optimizer, loss=loss object, metrics=[train metric])
    #since the train dataset already takes care of batching, we don't pass a batch size argument
    #passing validation data for monitoring validation loss and metrics at the end of each epoch
    history = mlp.fit(train dataset, validation data=validation dataset, epochs=epochs)
    #print('\nHistory values per epoch:', history.history)
    #evaluating the model on the test data
    print('\nEvaluating model on test data...')
    scores = mlp.evaluate(x test, y test, batch size=batch size, verbose=0)
    print('Evaluation %s: %s' %(mlp.metrics names, str(scores)))
    #finally, generating predictions (the output of the last layer)
    print('\nGenerating predictions for ten samples...')
    predictions = mlp.predict(x test[:10])
    #now, for each prediction in predictions, get the value with higher "probability"
    #look at the shape, it is as (3, 10). For each prediction, we have the prob of beeing 0, beeing 1, etc...
    #we now choose the index of the list with higher "probability"
    #if pos=3 is the one with higher probability it means it predicts a 3
    print('Predictions shape:', predictions.shape)
    for i, prediction in enumerate(predictions):
        #tf.argmax returns the INDEX with the largest value across axes of a tensor
        predicted value = tf.argmax(prediction)
        label = y test[i]
        print('Predicted a %d. Real value is %d.' %(predicted value, label))
```

MLP from scratch with TF

TensorFlow

Running it: Low-level results

LOW-LEVEL MLP

Deep Learning Concepts

Hands On

```
#hyperparameters
epochs = 1
batch_size = 32
learning_rate = 1e-3
output_neurons = 10

#load data
train_dataset, validation_dataset, x_test, y_test = import_data()
#init our model
mlp, optimizer, loss_object, train_metric, val_metric = prepare_model()
#use low-level or high-level fit and predict
low_level_fit_and_predict()
#high_level_fit_and_predict()
```

MLP from scratch with TF Running it: Low-level results







LOW-LEVEL MLP

Deep Learning Concepts

Hands On

```
***** Log import data *****
Train data shape (60000, 28, 28)
Test data shape (10000, 28, 28)
Number of training samples 60000
Number of testing samples 10000
***** Log import data *****
Epoch 1/1
Step 0. Loss Value = 2.303298; Mean loss = 2.303298
Step 200. Loss Value = 0.8385514; Mean loss = 1.3295121
Step 400. Loss Value = 0.62667996; Mean loss = 0.98740995
Step 600. Loss Value = 0.3768852; Mean loss = 0.8498528
Step 800. Loss Value = 0.7029902; Mean loss = 0.7556675
Step 1000. Loss Value = 0.32704055; Mean loss = 0.70003974
Step 1200. Loss Value = 0.5054481; Mean loss = 0.6572727
Step 1400. Loss Value = 0.48230478; Mean loss = 0.6243781
Step 1600. Loss Value = 0.42824277; Mean loss = 0.5991417
Training accuracy for epoch 1: 0.8305454254150391
Validation accuracy for epoch 1: 0.9196000099182129
Generating predictions for ten samples...
Predictions shape: (10, 10)
Predicted a 7. Real value is 7.
Predicted a 2. Real value is 2.
Predicted a 1. Real value is 1.
Predicted a 0. Real value is 0.
Predicted a 4. Real value is 4.
Predicted a 1. Real value is 1.
Predicted a 5. Real value is 4.
Predicted a 3. Real value is 9.
Predicted a 6. Real value is 5.
Predicted a 9. Real value is 9.
```

MLP from scratch with TF



Running it: High-level results

LOW-LEVEL MLP

Deep Learning Concepts

Hands On

```
Run
...
#hyperparameters
epochs = 1
batch_size = 32
learning_rate = 1e-3
output_neurons = 10

#load data
train_dataset, validation_dataset, x_test, y_test = import_data()
#init our model
mlp, optimizer, loss_object, train_metric, val_metric = prepare_model()
#use low-level or high-level fit and predict
#low_level_fit_and_predict()
high_level_fit_and_predict()
```

MLP from scratch with TF

Running it: High-level results







46 LOW-LEVEL MLP

Deep Learning Concepts

```
***** Log import data *****
Train data shape (60000, 28, 28)
Test data shape (10000, 28, 28)
Number of training samples 60000
Number of testing samples 10000
***** Log import data *****
Epoch 1/5
val loss: 0.0000e+00 - val sparse categorical accuracy: 0.0000e+00
Epoch 2/5
val loss: 0.2417 - val sparse categorical accuracy: 0.9306
Epoch 3/5
val loss: 0.2155 - val sparse categorical accuracy: 0.9358
Epoch 4/5
val loss: 0.1922 - val sparse categorical accuracy: 0.9444
Epoch 5/5
val loss: 0.1828 - val sparse categorical accuracy: 0.9442
Evaluating model on test data...
Evaluation ['loss', 'sparse categorical accuracy']: [0.214388842856884, 0.93
Generating predictions for ten samples...
Predictions shape: (10, 10)
Predicted a 7. Real value is 7.
Predicted a 2. Real value is 2.
Predicted a 1. Real value is 1.
Predicted a 0. Real value is 0.
Predicted a 4. Real value is 4.
Predicted a 1. Real value is 1.
Predicted a 4. Real value is 4.
Predicted a 3. Real value is 9.
Predicted a 6. Real value is 5.
Predicted a 9. Real value is 9.
```

A Summary!







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

So, what did we see?

- Weights and bias (and how they related between them)
- 2. Activation functions
 - In particular, relu and softmax
- 3. Logits and probs
- 4. Epochs and Batch processing
- 5. Loss, Gradients and the Gradient Tape
 - Going forward and backwards
- 6. Optimizers and Metrics

Summary Weights and Bias







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Weights

48

- A coefficient for a feature in a linear model, or an edge in a deep network. The goal of training a linear model is to determine the ideal weight for each feature. If a weight is 0, then its corresponding feature does not contribute to the model.
- Weights are the coefficients of the equation which we are trying to solve!

Bias

 An intercept or offset from an origin. Bias is referred to as b in machine learning models and used to offset the result. It helps the model in a way that it can fit better for the given data

If we have, as inputs: x_1, x_2, \dots, x_n

And, as weights: $W_1, W_2, ..., W_n$

The weighted sum is: $x_1w_1 + x_2w_2 + \cdots + x_nw_n + b$

Summary Weights and Bias



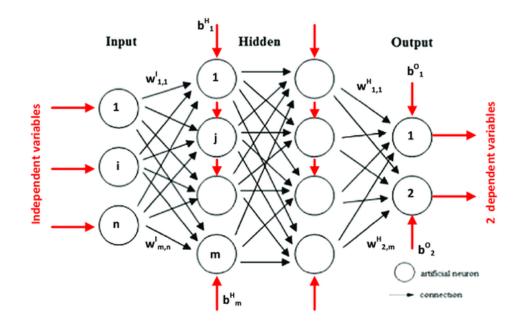




Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On



If we have, as inputs: x_1, x_2, \dots, x_n

And, as weights: W_1, W_2, \dots, W_n

The weighted sum is: $x_1w_1 + x_2w_2 + \cdots + x_nw_n + b$

50

Summary Activation Functions







Low-Level MLP

DEEP LEARNING CONCEPTS

- A function that takes in the weighted sum of all of the inputs from the previous layer and then generates a non-linear transformation over such inputs to pass as output value to the next layer
- The non-linear transformation to the input makes the network capable of learning more complex patterns, which is essential for learning and modeling complex data, such as video, images, sequences or audio, just to name a few
- Indeed, a linear equation would be simple to solve but is limited in its capacity to solve complex problems. On the one hand, with a linear activation function it would not be possible to use backpropagation because the derivative of the function is a constant and, on the other hand, all layers of the neural network would collapse into one (the last layer would be a linear function of the first layer a linear combination of linear functions remains a linear function)

Summary Activation Functions



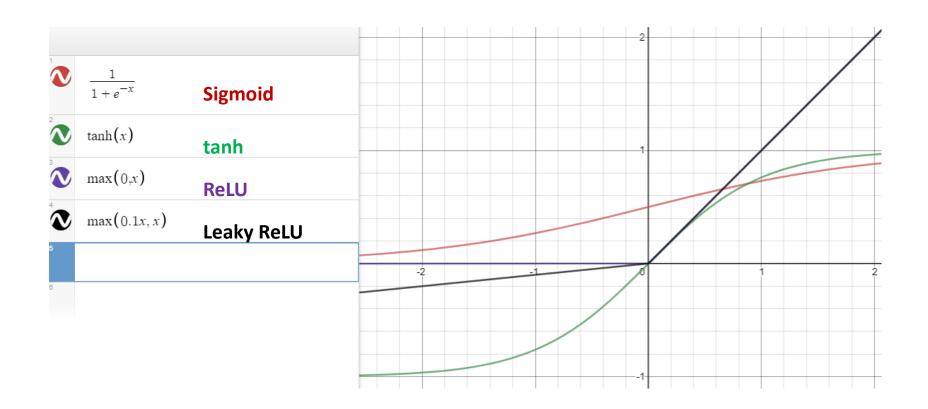




Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On



$$activation_{function}(x_1w_1 + x_2w_2 + \dots + x_nw_n + b)$$

Summary Logits and Probs (DL terms!)







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Logits

- In deep learning, logits is popularly used to describe the non-normalized output (can go from [-∞, +∞]) of the last layer when solving a multi-class classification problem. The logits typically become an input to the softmax function. The softmax function then generates a vector of (normalized) probabilities with one value for each class.
- In other words, a vector of raw (non-normalized) predictions that a classification model generates, which is then passed to a normalization function

Probs

• A vector of (normalized) probabilities with one value for each existing class. In other words, the output of the softmax function over the logits

Softmax

• Yet another activation function that maps [-∞, +∞] to [0, 1] (similar as Sigmoid). Softmax normalizes the sum of the values (output vector) to be 1. It outputs a vector that represents the probability distributions

Summary Logits and Probs (in DL terms!)







Low-Level MLP DEEP LEARNING CONCEPTS Hands On

Logits

53

Softmax

 $\sigma(z)_i = \frac{e^{Z_i}}{\sum_{i=1}^K e^{Z_i}}$

Probs

$$p = 0.7$$

 $p = 0.2$

$$p = 0.2$$

Adds up to 1







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Epochs

- A full training pass over the entire dataset such that each example has been seen once. Thus, an
 epoch represents N/batch_size training iterations, where N is the total number of examples. For
 instance, when using a batch size of 32, there will be 64 training iterations over a dataset with
 2048 examples, per epoch
- Controls the number of complete passes through the training dataset
- The number of epochs may be large (10, 100, 500, 1000, ...), in order for the learning algorithm to run until the error has been sufficiently minimized
- It is common to create line plots, sometimes called **learning curves**, that plot epochs (along the x-axis) by the error of the model (on the y-axis)

```
Define a low level fit and predict making use of the tape.gradient

def low_level_fit_and_predict():
    #manually, let's iterate over the epochs and fit ourselves
    for epoch in range(epochs):
        print('Epoch %d/%d' %(epoch+1, epochs))

#to store loss values
loss_history = []

#iterate over all batchs
for step, (x_batch, y_batch) in enumerate(train_dataset):
```







Low-Level MLP

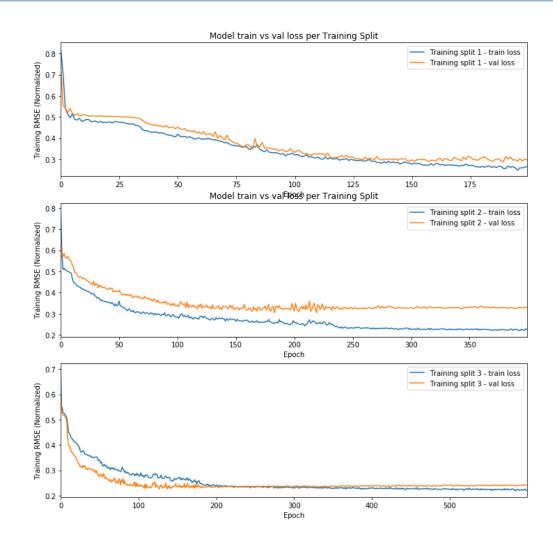
DEEP LEARNING CONCEPTS

Hands On

Epochs

55

Learning curves









Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Batch processing

- The batch size defines the number of samples to work through before updating the trainable parameters, i.e., it is a hyperparameter (of gradient descent) that controls the number of training samples to work through before updating the model's internal parameters
- At the end of the batch, the predictions are compared with the expected labels. The error is then calculated. From this error, backpropagation is able to update the trainable parameters
- Batch size is usually fixed during training and inference







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Batch processing

Batch Gradient Descent

- Batch Size = Size of the Training Set
- 1 step of gradient descent in 1 epoch
- All the examples for every step of Gradient Descent

Stochastic Gradient Descent

- Batch Size = 1
- N steps of gradient descent per epoch (where N is the size of the Training Set)
- SGD converges faster but is computationally slower

Mini-Batch Gradient Descent

- 1 < Batch Size < Size of the Training Set
- A batch with size of 32 means we will split the entire dataset in batches of 32 elements. For a dataset with 2048 examples we will have 64 batches (iterations) of 32 elements each
- Neither batch or stochastic gradient descent between the both







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Loss

- What we want is to tune the weights and bias in order to minimize a specific loss/cost function
- The loss tells us how far the model's predictions are from the actual labels
- Or a measure of how bad the model is
- Used to estimate the loss of the model so that the weights can be updated to reduce the loss on the next evaluation

```
Preparing the model, the optimizers, the loss function and some metrics
...

def prepare_model():
    mlp = MultilayerPerceptron(output_neurons=output_neurons)
    #instantiate an optimizer
    optimizer = tf.keras.optimizers.Adam(learning_rate=learning_rate)
    #instantiate a loss object (from_logits=False as we are applying a softmax activation over the last layer)
    loss object = tf.keras.losses.SparseCategoricalCrossentropy(from_logits=False)
```

Summary

Loss, Gradients and the Gradient Tape







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Loss

59

Regression models may use MAE (L1 loss), MSE (L2 loss) or RMSE, for example (there are others)

$$MAE = \frac{1}{n} \sum_{j=1}^{n} |y_j - \hat{y}_j|$$

$$MSE = \frac{1}{n} \sum_{j=1}^{n} (y_j - \hat{y}_j)^2$$

$$MAE = \frac{1}{n} \sum_{j=1}^{n} |y_j - \hat{y}_j| \qquad MSE = \frac{1}{n} \sum_{j=1}^{n} (y_j - \hat{y}_j)^2 \qquad RMSE = \sqrt{\frac{1}{n} \sum_{j=1}^{n} (y_j - \hat{y}_j)^2}$$

#	Error	Error	Error ²
1	1	1	1
2	1	1	1
3	3	3	9
4	3	3	9

#	Error	Error	Error ²
1	0	0	0
2	0	0	0
3	0	0	0
4	10	10	100

MAE	MSE	RMSE
2	5	2.24

MAE	MSE	RMSE
2.5	25	5

(https://www.tensorflow.org/api docs/python/tf/keras/losses/)

60

Summary Loss, Gradients and the Gradient Tape







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Loss

- Classification models may use, among others (attention to the from_logits argument):
 - Binary Crossentropy use this cross-entropy loss when there are only two label classes.
 Remember entropy (events with equal probability lead to a larger entropy)?;
 - Sparse Categorical Crossentropy use when there are two or more label classes. Labels are expected to be integers. If you want to provide labels using one-hot representation, use Categorical Crossentropy.
 - Categorical Crossentropy use when there are two or more label classes. Labels are expected to be one-hot encoded.

$$CE = -\sum_{j}^{C} y_{j} \log(\hat{y}_{j})$$







Low-Level MLP

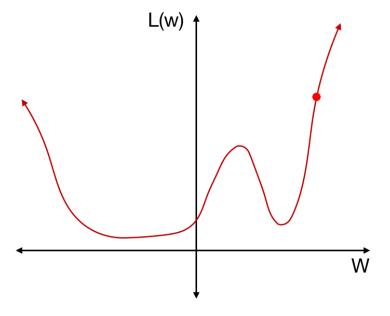
DEEP LEARNING CONCEPTS

Hands On

Gradient

- What we want is to tune the weights and bias in order to minimize a specific loss/cost function
- The gradient tells us the direction in which to update the weights in regard to the obtained loss value
- We will backpropagate the error to update the weights and bias

L(w) sets the loss value (dependent on the weights). W sets the weights. It is easier to think 2D.









Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Gradient

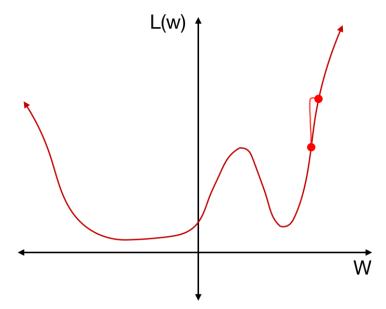
62

- What we want is to tune the weights and bias in order to minimize a specific loss/cost function
- The gradient tells us the direction in which to update the weights in regard to the obtained loss value
- We will backpropagate the error to update the weights and bias

L(w) sets the loss value (dependent on the weights). W sets the weights. It is easier to think 2D.

Updating the weights (*Ir* stands for learning rate):

$$W_{t+1} = W_t - \frac{\partial L(w)}{\partial W_x} \cdot lr$$



(https://towardsdatascience.com/the-beginners-guide-to-gradient-descent-c23534f808fd)







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Gradient

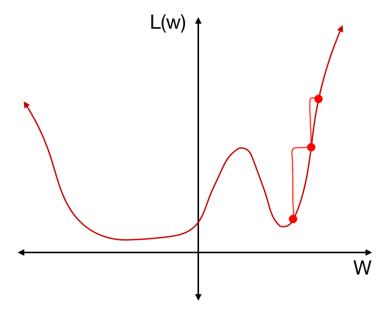
63

- What we want is to tune the weights and bias in order to minimize a specific loss/cost function
- The gradient tells us the direction in which to update the weights in regard to the obtained loss value
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L(w) sets the loss value (dependent on the weights). W sets the weights. It is easier to think 2D.

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(https://towardsdatascience.com/the-beginners-guide-to-gradient-descent-c23534f808fd)







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

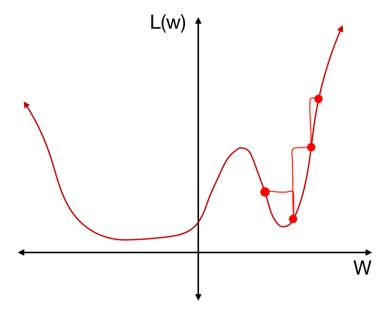
Gradient

- What we want is to tune the weights and bias in order to minimize a specific loss/cost function
- The gradient tells us the direction in which to update the weights in regard to the obtained loss value
- We will backpropagate the error to update the weights and bias

L(w) sets the loss value (dependent on the weights). W sets the weights. It is easier to think 2D.

Updating the weights (*Ir* stands for learning rate):

$$W_{t+1} = W_t - \frac{\partial L(w)}{\partial W_x} \cdot lr$$









Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Gradient Tape

65

- The gradient tape allows us to implement the gradient descent optimization algorithm (aka learning find the best weights and biases to improve the performance of the neural network)
- TensorFlow provides the tf.GradientTape API for computing the gradient of a computation with respect to its input variables
- All operations executed inside the context of a tf.GradientTape are recorded into a "tape"
- We then use the tape and the gradients associated with each recorded operation to compute the gradients of a "recorded" computation

In other words, all forward-pass operations get recorded to a "tape". To compute the gradient, we

play the tape backwards

```
with tf.GradientTape() as tape:
    #running the forward pass of all layers
    #operations being recorded into the tape
    probs = mlp(x_batch)
    #computing the loss for this batch
    #how far are we from the correct labels?
    loss_value = loss_object(y_batch, probs)

#store loss value
    loss_history.append(loss_value.numpy().mean())
    #use the tape to automatically retrieve the gradients of the trainable variables
    #with respect to the loss
    gradients = tape.gradient(loss_value, mlp.trainable_weights)
    #running one step of gradient descent by updating (going backwards now)
    #the value of the trainable variables to minimize the loss
    optimizer.apply gradients(zip(gradients, mlp.trainable weights))
```

66

Summary Loss, Gradients and the Gradient Tape







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Gradient Tape

```
x = tf.ones((2, 2))
print(x)
with tf.GradientTape() as t:
  t.watch(x) #watching the input tensor
  y = tf.reduce_sum(x)
  print(y)
  z = tf.multiply(y, y)
   print(z)
#derivative of z with respect to x (input tensor)
dz dx = t.gradient(z, x)
print(dz dx)
for i in [0, 1]:
  for j in [0, 1]:
      print('dz_dx = %d' \%dz_dx[i][i].numpy())
```

```
#our x: the input tensor
 tf.Tensor(
 [[1. 1.]]
 [1. 1.]], shape=(2, 2), dtype=float32)
 #y: 4x
 tf.Tensor(4.0, shape=(), dtype=float32)
 \#z=16x^2
\downarrow tf.Tensor(16.0, shape=(), dtype=float32)
 \#dz dx=32x (at x=[[1 1][1 1]])
 tf.Tensor(
 [[8. 8.]
  [8. 8.]], shape=(2, 2), dtype=float32)
 dz dx = 8
 dz dx = 8
 dz dx = 8
 dz dx = 8
```







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Persistent Gradient Tape

```
#to compute multiple gradients, create a
#persistent tape. Resources are released only
#when the tape is garbage collected.
```

```
x = tf.constant(5.0)
```

with tf.GradientTape(persistent=True) as t:

t.watch(x) #variable to watch - x

$$y = x * x #x^2$$

$$z = y * y #x^4$$

$$dy_dx = t.gradient(y, x) #10 (2x at x=5)$$

 $print('dy_dx = %d' %dy_dx.numpy())$

$$dz_dx = t.gradient(z, x) #500 (4*x^3 at x=5)$$

print('dz dx = %d' %dz dx.numpy())

del t #drop the reference to the persistent tape

$$dy_dx = 10$$

$$dz_dx = 50$$

Summary Loss Gradien

Loss, Gradients and the Gradient Tape







Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Higher-Order Derivatives with Gradient Tape

```
#trainable variables (created by tf. Variable
#where trainable=True - default) are
#automatically watched
x = tf.Variable(1.0)
print(x)
#GradientTapes can compute higher-order der.
with tf.GradientTape() as t:
  with tf.GradientTape() as t2:
     y = x * x * x #x^3
     dy_dx = t2.gradient(y, x) #3x^2
  #the gradient is differentiable as well
  d2y dx2 = t.gradient(dy dx, x) #6x
print('dy_dx = %d' %dy_dx.numpy())
print('d2y_dx2 = \%d' \%d2y_dx2.numpy())
```

<tf.Variable 'Variable:0' shape=()
dtype=float32, numpy=1.0>

$$dy_dx = 3$$

$$d2y_dx2 = 6$$

Summary Loss Gradie

69

Loss, Gradients and the Gradient Tape







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Hands On

Higher-Order Derivatives with Gradient Tape

```
#trainable variables (created by tf. Variable
#where trainable=True - default) are
#automatically watched
x = tf.Variable(1.0, trainable=False)
print(x)
#GradientTapes can compute higher-order der.
with tf.GradientTape() as t:
  with tf.GradientTape() as t2:
     y = x * x * x #x^3
     dy_dx = t2.gradient(y, x) #3x^2
  #the gradient is differentiable as well
  d2y dx2 = t.gradient(dy dx, x) #6x
print('dy_dx = %d' %dy_dx.numpy())
print('d2y_dx2 = \%d' \%d2y_dx2.numpy())
```

File "tensorflow_core\python\eager\
backprop.py", line 984, in gradient:
AttributeError: 'NoneType' object has no
attribute 'dtype'







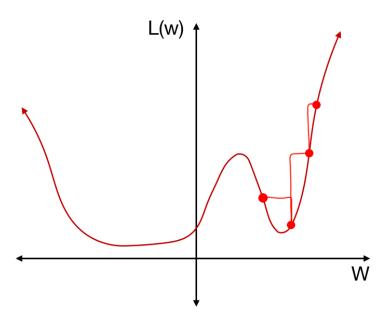
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Optimizers

- An optimizer applies the computed gradients to the trainable variables to minimize the loss
- Implements backprop for you (minimize loss)









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Hands On

Optimizers

- In TensorFlow there are plenty of optimizers (TensorFlow infers the backprop path from the forward one)! Be thankful!
- Examples of optimizers:
 - tf.train.GradientDescentOptimizer
 - tf.train.AdagradOptimizer
 - tf.train.MomentumOptimizer
 - tf.train.AdamOptimizer
 - 0 ...

```
Preparing the model, the optimizers, the loss function and some metrics

def prepare_model():
    mlp = MultilayerPerceptron(output_neurons=output_neurons)
    #instantiate an optimizer
    optimizer = tf.keras.optimizers.Adam(learning_rate=learning_rate)
    #instantiate a loss object (from_logits=False as we are applying a softmax activation over the last layer)
    loss object = tf.keras.losses.SparseCategoricalCrossentropy(from_logits=False)
```







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Hands On

Metrics

- A function that is used to judge the performance of the model
- Metric functions are to be supplied in the metrics parameter when a model is compiled or to be manually used on low-level fit (important to call reset_states())
- A metric function is similar to a loss function, except that the results from evaluating a metric are not used when training the model (indeed, you may use any of the loss functions as a metric function)

```
Preparing the model, the optimizers, the loss function and some metrics

def prepare_model():
    mlp = MultilayerPerceptron(output_neurons=output_neurons)
    #instantiate an optimizer
    optimizer = tf.keras.optimizers.Adam(learning_rate=learning_rate)
    #instantiate a loss object (from_logits=False as we are applying a softmax activation over the last layer)
    loss_object = tf.keras.losses.SparseCategoricalCrossentropy(from_logits=False)
#using a metric too
    train_metric = tf.keras.metrics.SparseCategoricalAccuracy()
    val_metric = tf.keras.metrics.SparseCategoricalAccuracy()
    return mlp, optimizer, loss object, train metric, val metric
```







73 Low-Level MLP

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Hands On

Metrics

Supplied in the metrics parameter when a model is compiled

```
Define a high level fit and predict making use tf.Keras APIs
def high_level_fit_and_predict():
    #shortcut to compile and fit a model!
   #able to do this because our model subclasses tf.keras.Model
   mlp.compile(optimizer, loss=loss_object, metrics=[train metric])
   #since the train dataset already takes care of batching, we don't pass a batch size argument
   #passing validation data for monitoring validation loss and metrics at the end of each epoch
   history = mlp.fit(train dataset, validation data=validation dataset, epochs=epochs)
   #print('\nHistory values per epoch:', history.history)
```







74 Low-Level MLP

DEEP LEARNING CONCEPTS

Hands On

Metrics

Manually used on low-level fit (important to call reset_states())

```
Define a low level fit and predict making use of the tape.gradient
def low_level_fit_and_predict():
            gradients = tape.gradient(loss value, mlp.trainable weights)
            #running one step of gradient descent by updating (going backwards now)
            #the value of the trainable variables to minimize the loss
            optimizer.apply_gradients(zip(gradients, mlp.trainable_weights))
            # Update training metric.
            train metric(y batch, probs)
            #log every n batches
            if step%200 == 0:
                print('Step %s. Loss Value = %s; Mean loss = %s' %(step, str(loss value.numpy()), np.mean(loss history)))
        #display metrics at the end of each epoch
        train accuracy = train metric.result()
        print('Training accuracy for epoch %d: %s' %(epoch+1, float(train accuracy)))
        #reset training metrics (at the end of each epoch)
        train_metric.reset_states()
        #run a validation loop at the end of each epoch
        for x_batch_val, y_batch_val in validation_dataset:
            val_probs = mlp(x_batch_val)
            #update val metrics
            val metric(y batch val, val probs)
        val_acc = val_metric.result()
        val metric.reset states()
        print('Validation accuracy for epoch %d: %s' % (epoch+1, float(val_acc)))
```

Summary Vectorization







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DEEP LEARNING CONCEPTS

Hands On

It is also worth mentioning the importance of Vectorization!

```
import numpy as np
import time
#create two large random arrays
a = np.random.rand(10000000)
b = np.random.rand(10000000)
start = time.time()
c = np.dot(a, b) #vectorized version of dot multiplication
print('Result = %d' %c) #print the result
print('Vectorized version: %f ms' %(1000*(time.time()-start)))
d = 0
start = time.time()
for i in range(1000000):
  d += a[i] * b[i] #let us do it ourselves
print('Result = %d' %d) #print the result
print('With loops: %f ms' %(1000*(time.time()-start)))
```

#first run

Result = 2500272

Vectorized version: 15.637398 ms

Result = 2500272

With loops: 4724.763393 ms

#second run

Result = 2499909

Vectorized version: 14.266253 ms

Result = 2499909

With loops: 4825.137854 ms

#you get it!

#it is taking more than 300 times

#the time it took the vectorized version

Glossary







76 Low-Level MLP

Deep Learning Concepts

HANDS ON

 Activation Functions, Batch processing, Bias, Epochs, Logits, Loss, MLP, Softmax, Weights, and so on...

Check the previous slides for the definition of each and every one of the terms we saw today.

Resources



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Deep Learning Concepts

HANDS ON

- Official Documentation
 - https://www.tensorflow.org/api_docs/
 - https://www.tensorflow.org/tutorials/customization/autodiff?hl=pt
 - https://www.tensorflow.org/tutorials/customization/custom_training?hl=pt (nice tutorial)
 - 0 ...
- Papers, Books, online courses, tutorials...
 - (Book) Deep Learning With Python by Jason Brownlee
 - o (Book) Machine Learning Algorithms From Scratch by Jason Brownlee
 - o (Book) Deep Learning with TensorFlow 2 and Keras by Antonio Gulli, Amita Kapoor & Sujit Pal

Hands On





78

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Deep Learning Concepts

HANDS ON

