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User Accepted:

Total Accepted:

Total Submissions:

User Tried:

Difficulty:





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Hard

5905. Second Minimum Time to Reach Destination

My Submissions (/contest/weekly-contest-263/problems/second-minimum-time-to-reach-destination/submissions/)

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A city is represented as a bi-directional connected graph with n vertices where each vertex is labeled from 1 to n (inclusive). The edges in the graph are represented as a 2D integer array edges , where each edges [i] = $[u_i, v_i]$ denotes a bi-directional edge between vertex u_i and vertex v_i . Every vertex pair is connected by **at** most one edge, and no vertex has an edge to itself. The time taken to traverse any edge is time minutes.

Each vertex has a traffic signal which changes its color from green to red and vice versa every change minutes. All signals change at the same time. You can enter a vertex at any time, but can leave a vertex only when the signal is green. You cannot wait at a vertex if the signal is green.

The second minimum value is defined as the smallest value strictly larger than the minimum value.

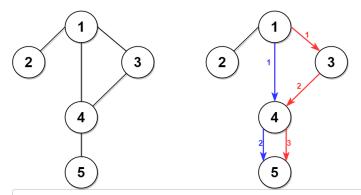
• For example the second minimum value of [2, 3, 4] is 3, and the second minimum value of [2, 2, 4] is 4.

Given n, edges, time, and change, return the second minimum time it will take to go from vertex 1 to vertex n.

Notes:

- $\bullet\,$ You can go through any vertex \mbox{any} number of times, $\mbox{including}\,$ 1 and n .
- You can assume that when the journey starts, all signals have just turned green.

Example 1:



Input: n = 5, edges = [[1,2],[1,3],[1,4],[3,4],[4,5]], time = 3, change = 5

Output: 13 **Explanation:**

The figure on the left shows the given graph.

The blue path in the figure on the right is the minimum time path.

The time taken is:

- Start at 1, time elapsed=0
- 1 -> 4: 3 minutes, time elapsed=3
- 4 -> 5: 3 minutes, time elapsed=6

Hence the minimum time needed is 6 minutes.

The red path shows the path to get the second minimum time.

- Start at 1, time elapsed=0
- 1 -> 3: 3 minutes, time elapsed=3
- 3 -> 4: 3 minutes, time elapsed=6
- Wait at 4 for 4 minutes, time elapsed=10
- 4 -> 5: 3 minutes, time elapsed=13

Hence the second minimum time is 13 minutes.

Example 2:



```
Input: n = 2, edges = [[1,2]], time = 3, change = 2
Output: 11
Explanation:
The minimum time path is 1 -> 2 with time = 3 minutes.
The second minimum time path is 1 -> 2 -> 1 -> 2 with time = 11 minutes.
```

Constraints:

- 2 <= n <= 10^4
- $n 1 \le edges.length \le min(2 * 10^4, n * (n 1) / 2)$
- edges[i].length == 2
- 1 <= u_i , v_i <= n
- u_i != v_i
- There are no duplicate edges.
- Each vertex can be reached directly or indirectly from every other vertex.
- 1 <= time, change <= 10^3

