CS2035 - Assignment 2 - 2017

Out: February 3rd, 2017 In: Sunday, February 19th, 2017, at 11:55pm via Owl

Introduction

You are to write 4 MatLab functions and reuse 2 functions from your assignment 1 for this assignment to perform **vectorized** calculations and timing comparisons with the **serialized** calculations done on your assignment 1.

Assignment Tasks

All your functions should be coded in a single file called **ass2_2017.m**. The first half of this assignment uses mostly code written for **ass1_2017.m**.

1. First, code a 1st function in ass2_2017.m called ass2_2017 with a single input parameter num_x as on ass1_2017.m. There are no output parameters. num_x specifies the number of random numbers to be computed and stored in variables x (uniformly distributed random numbers) or y (for normally distributed random numbers). So far, you are only being asked you to do what you already did for assignment 1, so feel free to reuse that part of your code. You can use num_x with smaller values, say 100000, to reduce computational costs.

Next, the ass2_2017 function should compute the skewness and kurtosis values of x and y using the MatLab built-in functions, skewness and kurtosis, the my_skewness and my_kurtosis functions using serialized code that you wrote for assignment 1 and new my_skewness2 and my_kurtosis2 functions using vectorized code that you write for this assignment. These latter 2 functions do the same calculation as done by my_skewness and my_kurtosis but use vectorized code (does not use loops) instead of serialized code (uses loops). So, you have to write new 2nd and 3rd functions, my_skewness2 and my_kurtosis2, and reuse your my_skewness and my_kurtosis functions from your assignment 1.

Perform timing on each calculation using **tic** and **toc**. For example, the following MatLab code:

```
start=tic;
k=kurtosis(x)
k_time=toc(start);
```

computes the execution times for the calculation of **kurtosis** on the random numbers in array \mathbf{x} .

2. Code a 4th function, **vectorized_mystery_calculation**, with header:

This function computes:

$$result = \sum \sqrt[9]{\left(\frac{\sqrt[3]{2x(2-y)}}{\left(\sqrt[6]{\left(\sqrt[4]{(x^2y^3}\right) + 5}\right)}\right)},$$

where x and y are 1D vectors (1D arrays) of random numbers we used above. To evaluate this function, use ".*", "./" and ".^" to do element by element multiplication, Variable result requires 9^{th} , 6^{th} and 3^{rd} root calculations. To compute the n^{th} root of x use \mathbf{x} .^(1/n), for $n \geq 0$. And, of course, use \mathbf{sum} to compute \sum . Call this function from $\mathbf{ass2}$ _2017 twice, once with arguments \mathbf{x} and \mathbf{y} and a second time with arguments \mathbf{y} and \mathbf{x} . Your are supplied with $\mathbf{serialized}$ _mystery_calculation.m on the course webpage (by the assignment 2 handout) so you can check your vectorized code for correctness. Perform timing measurements for both the serialized and vectorized functions. Pretty print your results.

Serialization versus Vectorization

Consider the following code to compute the standard deviation of an array \mathbf{x} . [This code is not necessarily the code you would have used on Assignment 1.] The serialized code uses a **for** loop and explicit array indexing and could be written as:

```
function value=serialized_std(x)
n=numel(x);
x_ave=mean(x);
value=0;
for i=1:n
    value=value+(x(i)-x_ave)^2;
end % i
value=sqrt(value/(n-1));
end
while vectorized code uses element by element arithmetic operators (.*, ./ and .^) and could be written as:
function value=vectorized_std(x)
value=sqrt(sum((x-mean(x)).^2)/(numel(x)-1));
end
```

Function **serialized_std** explicitly references each element of \mathbf{x} , computes the term $(\mathbf{x}(\mathbf{i})-\mathbf{x}_{a}\mathbf{ve})$ and squares it before summing. Note that, for efficiency considerations, \mathbf{n} (used twice) and $\mathbf{mean}(\mathbf{x})$ (the value is used \mathbf{n} times in the loop) have to be precomputed before the loop. Function $\mathbf{vectorized_std}$ does not use a loop and does not make explicit references to individual elements of \mathbf{x} . As well, $\mathbf{mean}(\mathbf{x})$ and $\mathbf{numel}(\mathbf{x})$ are only used once and so do not need to be precomputed.

Finally, code in **ass2_example.m** might be:

```
function ass2_example()
x=rand(1000,1,'double');
fprintf('Serialized std: %f\n',serialized_std(x));
fprintf('Vectorized std: %f\n',vectorized_std(x));
end
which, when run, for one call to rand might print:
Serialized std: 0.289699
Vectorized std: 0.289699
```

This shows that the 2 functions produce the same answer.

Documentation

You must document your code (with appropriate comments). Write "beautiful" code, not just with comments but with appropriate code aligned nicely and use good, meaningful variable names. Don't use "magic constants", i.e. undocumented numbers. For example, instead of $\mathbf{x}=\mathbf{rand}(\mathbf{1000,1,'double'})$ use $\mathbf{x}=\mathbf{rand}(\mathbf{num}_{-\mathbf{x},\mathbf{1},'double'})$, where $\mathbf{num}_{-\mathbf{x}}$ might be 1000.0.

See the course webpage for examples of 2 well documented MatLab function examples, commented_new_decimal2roman.m and commented_new_roman2decimal.m. Have a block comment at the beginning of ass2_2017.m giving (at least) your full name (as it appears on your student card), your student number, your uwo email address and which assignment you are doing. For example:

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%		
%	John Barron	%
%	123456789, barron@uwo.ca	%
%	CS2035, Assignment 2, 2017	%
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%		

The source code ass2_2017.m should be submitted via OWL by the due date. We will run your code when grading your assignment. It is necessary to follow the assignment specs to optimize your grade.