The Module Language Part II - Defining Functors, First class modules

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March 9-13 2015

Outline

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Functor Definition

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Functor definition

Syntax:

- Basic definition: module F (X : T) = struct ... end.
- The type of the argument must be given.
- The return type of the functor is infered and the most general.
- F is the name of the functor.
- X is the name of the argument usable in the body.
- T can be any signature.

Optionally,

- The result signature can be specified.
- Signature definition:

```
module F (X : T) : sig ... end = struct ... end.
```

• X is usable in the signature body.

```
module F(X : T) : sig type t = X.t end = struct ... end.
```

- Named definition:
 - module F(X : T) : S = struct ... end.
- The argument and return can also be related with signature rewriting.
 module F (X : T) : S with type t = X.t = struct ... end.

We start from a quick and dirty implementation of multisets.

```
1 : let empty = []
 2: let rec add elt = function
3: | [] -> [ (elt, 1) ]
4: | (e, m) :: rest when elt = e \rightarrow
5: (e, succ m) :: rest
6: | (e, _) as p :: rest when elt > e ->
7: p:: (elt, 1) :: rest
8: | p :: rest ->
9: p:: add elt rest
    let rec multiplicity elt = function
11: | [] -> 0
12: | (e, _) :: rest when elt > e -> 0
13: | (e, m) :: rest when elt = e -> m
14: | _ :: rest -> multiplicity elt rest
```

First, we want to give it an interface.

- For documentation.
- To hide the type and protect the sorted invariant.

```
1: module Multiset : sig
2:    type 'a t
3:    val empty : 'a t
4:    val add : 'a -> 'a t -> 'a t
5:    val multiplicity : 'a -> 'a t -> int
6: end = struct
7:    type 'a t = ('a * int) list
8:    (* ... *)
9: end
```

Now, we want to build a functorial interface.

- To build distinguished multiset types over a same type.
- To use ad-hoc comparison instead of OCaml's.

So we the functor wil require:

- The type of elements.
- And a compare function over them.

The functor parameter signature is:

```
1: module type ELEMENT = sig
2: type t
3: val compare : t -> t -> int
4: end
```

Example: Multisets

Then, we write the functor definition, replacing OCaml's comparison.

```
1: module Make_multiset (E : ELEMENT) = struct
     type t = (E.t * int) list
 3 : let empty = []
 4: let rec add elt = function
 5:
       | [] -> [ (elt, 1) ]
 6: | (e, m) :: rest when E.compare elt e = 0 ->
7 :
          (e, succ m) :: rest
        | (e, _)  as p :: rest when E.compare elt e > 0 \rightarrow
8:
          p :: (elt, 1) :: rest
9:
10: | p :: rest ->
11:
          p :: add elt rest
12: let rec multiplicity elt = function
        | [] -> 0
13 :
        | (e, _) :: rest when E.compare elt e > 0 -> 0
14 :
        | (e, m) :: rest when E.compare elt e = 0 -> m
15 :
        | _ :: rest -> multiplicity elt rest
16:
17: end
```

With the infered syntax, t is public.

- One can break the invariants from the outside.
- We have to restrict the result with a signature with t abstract.

```
1: module Make_multiset (E : ELEMENT) : sig
2:     type t
3:     val empty : t
4:     val add : E.t -> t -> t
5:     val multiplicity : E.t -> t -> int
6: end = struct
7:     (* ... *)
8: end
```

Example: Multisets

The inline signature is not very readable, and cannot be reused. We want to name the signature or the result.

```
1: module type MULTISET = sig
2:     type t
3:     val empty: t
4:     val add: (* ?? *) -> t -> t
5:     val multiplicity: (* ?? *) -> t -> int
6: end
7: module Make_multiset (E: ELEMENT): MULTISET = struct
8:     (* ... *)
9: end
```

Problem: with t abstract, E out of scope, what is the type of elements?

Solution: we introduce the type of elements as an abstract type.

```
1: module type MULTISET = sig
2:     type t
3:     type elt
4:     val empty : t
5:     val add : elt -> t -> t
6:     val multiplicity : elt -> t -> int
7: end
```

Then we have to make it public again, with signature rewriting:

```
1: module Make_multiset (E : ELEMENT)
2: : MULTISET with type elt = E.t = struct
3: type elt = E.t
4: type t = (elt * int) list
5: (* ... *)
6: end
```

Functor signatures

A functor must appear with its type in interfaces, as any other module.

- Simple syntax: module F : functor (X : T) -> sig ... emd
- With named result: module F : functor (X : T) -> S
- And rewriting: module F : functor (X : T) -> S with type t = X.t

Interface of the example:

```
1: module type ELEMENT = sig (* ... *) end
2: module type MULTISET = sig (* ... *) end
3: module Make_multiset : functor (E : ELEMENT) ->
4: MULTISET with type elt = E.t
```

Let's write a little test program.

Now we want to have two multiset instances.

```
1: let () =
2:    let module Wines = Make_multiset (String) in
3:    let module Beers = Make_multiset (String) in
4:    let wine_cellar = ref Wines.empty in
5:    let beer_cellar = ref Beers.empty in
6:    wine_cellar := Wines.add "Bordeaux" !wine_cellar ;
7:    wine_cellar := Wines.add "Puglia" !wine_cellar ;
8:    wine_cellar := Beers.add "Heineken" !wine_cellar ;
9:    wine_cellar := Wines.add "Bordeaux" !wine_cellar
```

Problem: for a small typo, now I have Heineken in my wine cellar!

OCaml considers equal all applications of a functor to the same module:

- This equality is based on the name, not the structure String is not the same as struct include String end.
 - Module aliases are recognized.

 module S1 = String ;; module S2 = String makes S1 and S2 equal.

This optimization can be useful, but here, we don't want this aliasing.

So we don't use String directly:

```
1: let () =
2: let module Wines =
3: Make_multiset (struct include String end) in
4: let module Beers =
5: Make_multiset (struct include String end) in
6: (* ... *)
```

And we get sanctionned, as expected.

First Class Modules

Fairly simple:

Make a module a value:

```
let m = (module M : S)
Locally: let m = (module M : S) in ...
```

Make a value a module:

```
module M = (val m : S)
Locally: let module M = (val m : S) in ...
```

• Type of a first class module: (module S)

Usage examples:

- Run-time selection of an impelmentation.
- Plug-ins, combined with dynlink.
- Alternative to objects.

Example:

- Different implementations for a same type.
- Implementation stored in the value with the instance.

The type of (string x string) tables

```
1: module type TABLE = sig
2: type table
3: type param
4: val init : param -> table
5: val put : string -> string -> table -> unit
6: val get : string -> table -> string
7: end
```

In memory implementation:

```
1: module In_memory_table = struct
2: type table = (string, string) Hashtbl.t
3: type param = unit
4: let init () =
5: Hashtbl.create 100
6: let put n v table =
7: Hashtbl.replace table n v
8: let get n table =
9: Hashtbl.find table n
10: end
```

Files implementation:

```
1: module On disk table = struct
 2:
    type table = string
 3: type param = string
 4: let init to_string of_string dir =
       Unix.mkdir dir 0o750 :
6: dir
7: let put n v dir =
8:
       let fp = open_out (Filename.concat dir n) in
9:
       output string fp v :
10:
       close_out fp
11: let get n dir =
12:
       let fn = Filename.concat dir n in
13:
       if not (Sys.file_exists fn) then raise Not_found ;
       (* ... *)
14:
15: end
```

An intermediate module type, storing the implementation and instance.

```
1: module type TABLE_INSTANCE = sig
2: include TABLE
3: val instance : table
4: end
```

```
The first class module type and its primitives.
 1: type table = (module TABLE_INSTANCE)
 2 : let in_memorv_table =
 3: let module Instance = struct
 4: include In_memorv_table
 5: let instance = init ()
 6: end in
 7: (module Instance : TABLE_INSTANCE)
 8 : let get (module Table : TABLE_INSTANCE) n =
 9: Table.(get n instance)
10 : let put (module Table : TABLE_INSTANCE) n v =
11: Table.(put n v instance)
```

Code Review: OCamlGraph

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