

Lenses

<https://github.com/heptagons/lenses>

2023/12/29

Abstract

Lenses are equilateral hexagons resembling concave and convex optical lenses. The hexagons consecutive six internal angles are $(\theta_1, \theta_2, \theta_3, \theta_1, \theta_2, \theta_3)$ where $\theta_1 = X\theta_0$, $\theta_2 = Y\theta_0$, and $\theta_3 = Z\theta_0$ where $\theta_0 = 2\pi/S$ is the base angle of symmetry S .

1 Lenses

2 Symmetry 5

Symmetry 5 uses as base the angle $\beta = \frac{2\pi}{5}$. Includes two rhombi **b** and **c** and two lenses **B** and **C**.

2.1 Rhombi **b** and **c**

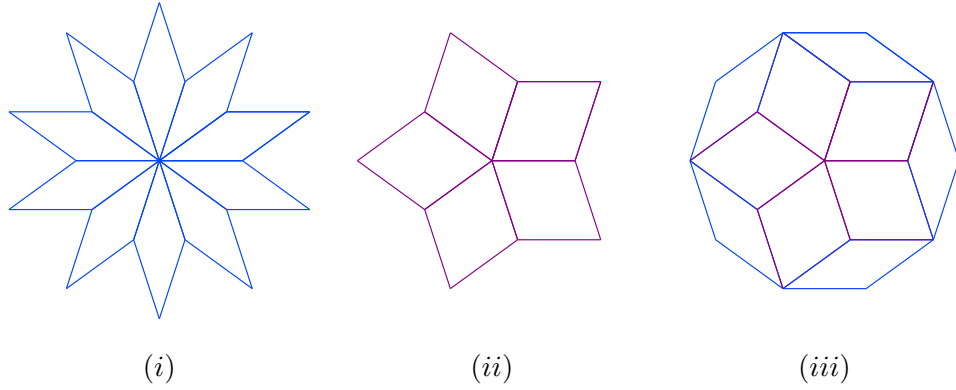


Figure 1: Rhombi of the types **b** and **c**.

Figure 1 show rhombi **b** and **c**. **b** is the rhombus with smallest internal angles equal to $\frac{\beta}{2} = \frac{\pi}{5}$. **c** is the rhombus with smallest internal angles equal to $\beta = \frac{2\pi}{5}$. Figure (i) show a dissected star whose area equals to $10\mathbf{b}$. Figure (ii) show a dissected star whose area equals to $5\mathbf{c}$. Figure (iii) show a dissected regular decagon whose area equals to $5\mathbf{b} + 5\mathbf{c}$.

2.2 Lenses B and C

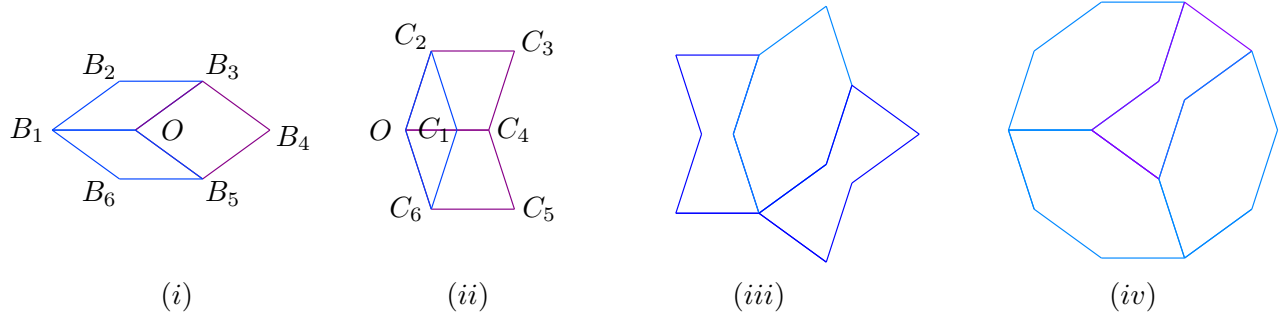


Figure 2: Lenses of types B and C .

Figure 2 show lenses B and C . Figure (i) show the lense B with perimeter $\overline{B_1...B_6}$ which is formed adding two rhombi b and adding one rhombus c so its area equals to $2b + c$. Figure (ii) show the lense C with perimeter $\overline{C_1...C_6}$ which is formed adding two rhombi c and substracting one rhombus b so its area equals to $2c - b$. Figure (iii) show a dissected star whose area equals to $2C + B = 5c$. Figure (iv) show a dissected regular decagon whose area equals to $3B + C = 5b + 5c$.