

Lab Report 1

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1 Part 1: 1 Bit ALU

1.1 Introduction

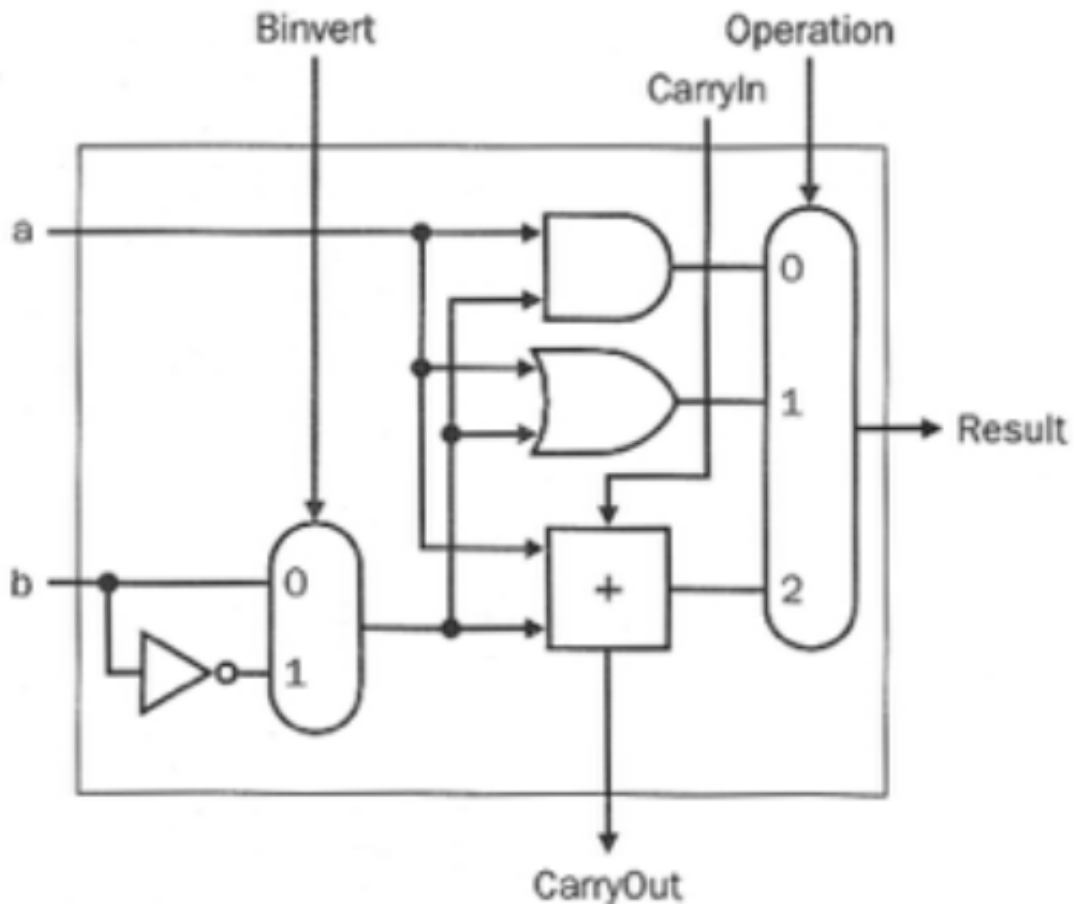


Figure 1: 1-Bit-ALU

In the first part, we simply need to follow the diagram (figure 1) to implement an 1-bit ALU, which has components as: OR gate, AND gate, NOT gate, 1-bit full adder, 2-1 mux, and 3-1 mux. The 2-1 mux is easily implemented via the logical gate specified in figure 2. The 4-1 mux is simply hooked up in the logic specified in figure 3. The schematic diagram is:

1.2 Simulation Result

The simulation result for the 1-bit ALU is shown in figure 4, in which all operations are tested and verified.

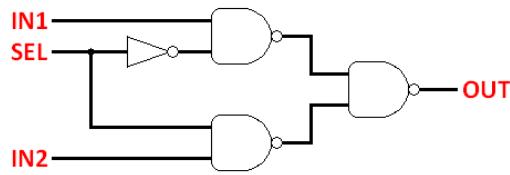


Figure 2: 2-1 mux

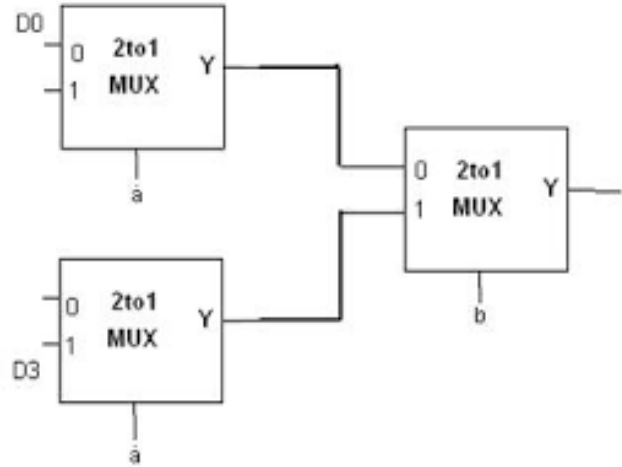


Figure 3: 4-1 mux

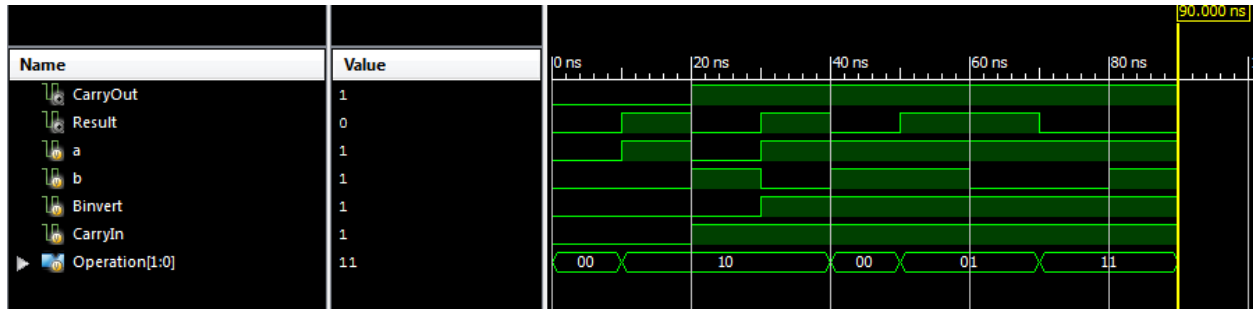


Figure 4: 1-bit ALU demo

1.3 Discussion

Nothing particular is noticeable about the 1-bit ALU. It sets the logic for further implementation of 16 bit ALU, whose structural builds upon it.

2 Part 2: 16 Bit ALU

2.1 Introduction

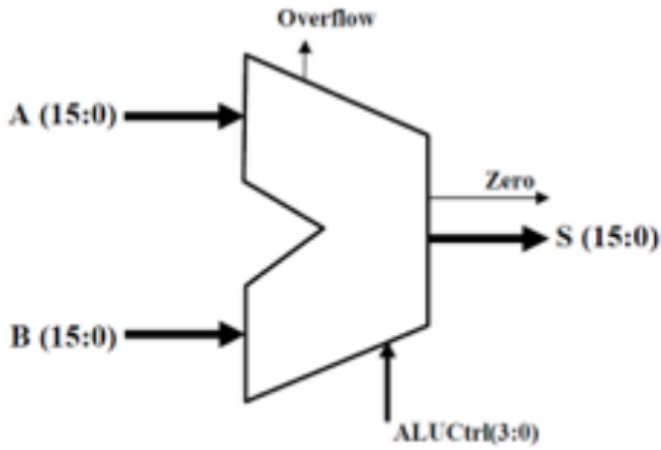
The 16-bit ALU consists of operations specified in figure 5. The most complicated part of the ALU design is to design the 16 bit full adder, which should also contain overflow detection. The 16-1 mux is built upon by 4-1 mux, and the logic is depicted in figure 6. The 16-1 mux is shown in figure 7. The adder is implemented as a ripple adder. When building the 16-bit adder, we first build 4-bit adder from 1-bit adders, then using the same method to construct the 16-bit adder from the 4-bit adders. The logic can be depicted in figure 8.

2.2 Simulation Result

There are 12 operations, so we have in total 12 simulation results, each for one operation.

1. Subtraction

Subtraction's simulation result is shown in the figure 9: the first test case and the fourth test cases do not have overflow, whereas the second and the third test cases, subtracting the largest positive number from the



ALU Ctrl	Description
0000	Subtraction
0001	Addition
0010	Bitwise OR
0011	Bitwise AND
0100	Decrement
0101	Increment
0110	Invert
1100	Arithmetic Shift Left
1110	Arithmetic Shift Right
1000	Logical Shift Left
1010	Logical Shift Right
1001	Set on Less than or Equal

Figure 5: 16-bit ALU

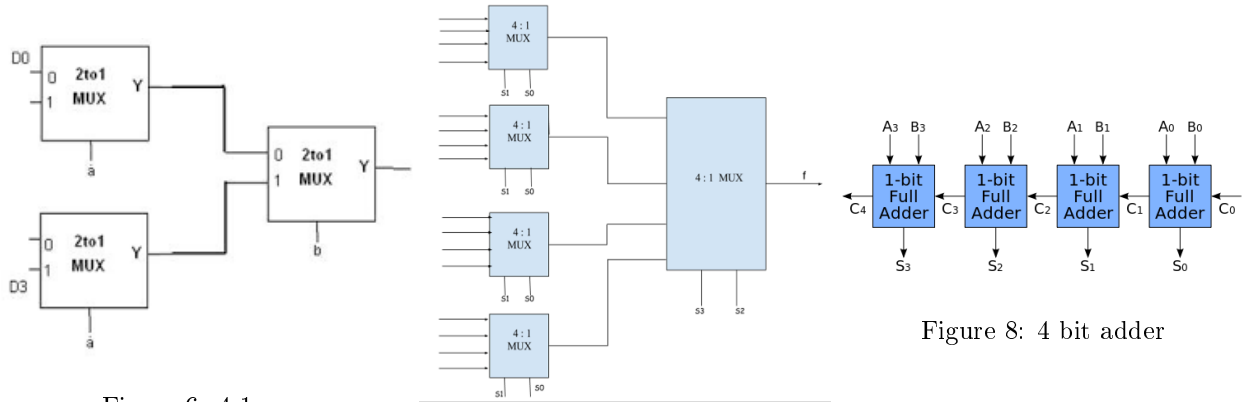


Figure 8: 4 bit adder

Figure 6: 4-1 mux

Figure 7: 16-1 mux

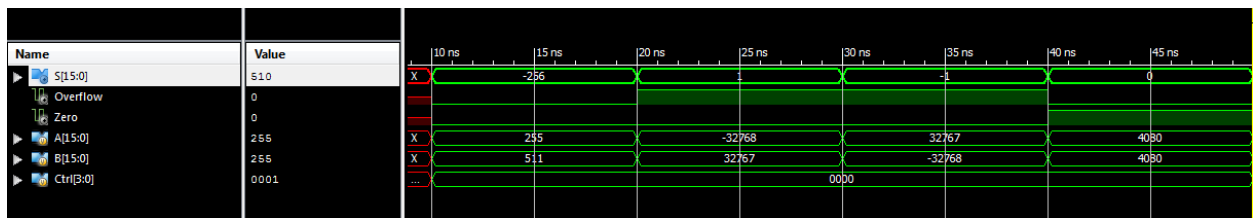


Figure 9: subtraction case

smallest negative number and subtracting the smallest negative number from the largest positive number, all trigger overflow, and the overflow bit is set to high in our simulation.

2. Addition

Addition's simulation result is shown in the figure 10: the first test case and the fourth test case do not have overflow, whereas the second and the third test cases, adding the largest positive number with itself and adding the smallest negative number with itself, all trigger overflow, and the overflow bit is set to high in our simulation.

3. Bitwise OR

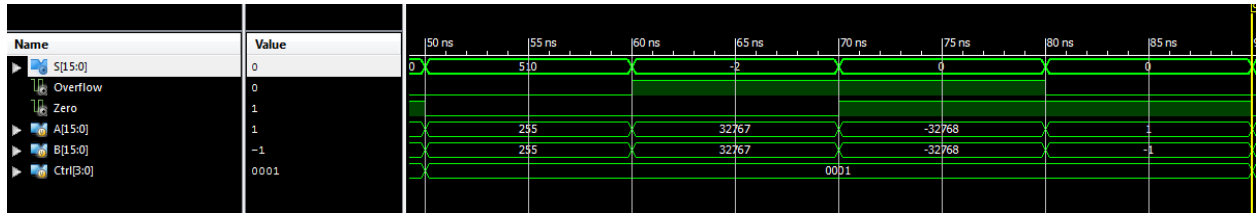


Figure 10: addition case

The bitwise OR's result is in figure 11. In this case, no overflow occurs.

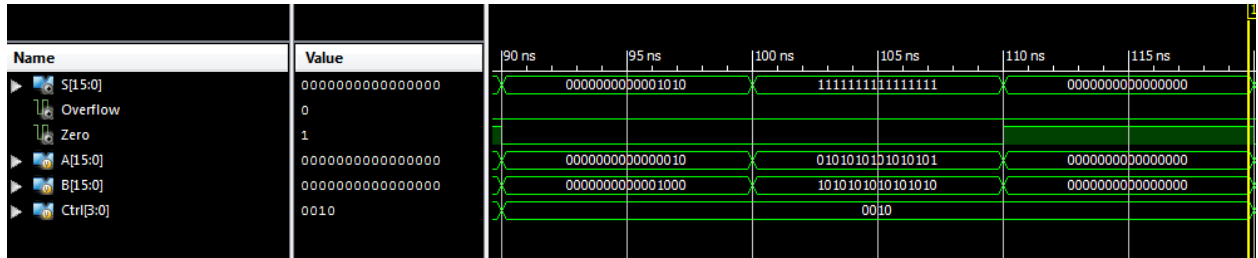


Figure 11: bitwise OR case

4. Bitwise AND

The bitwise AND's result is in figure 12. In this case, no overflow occurs.

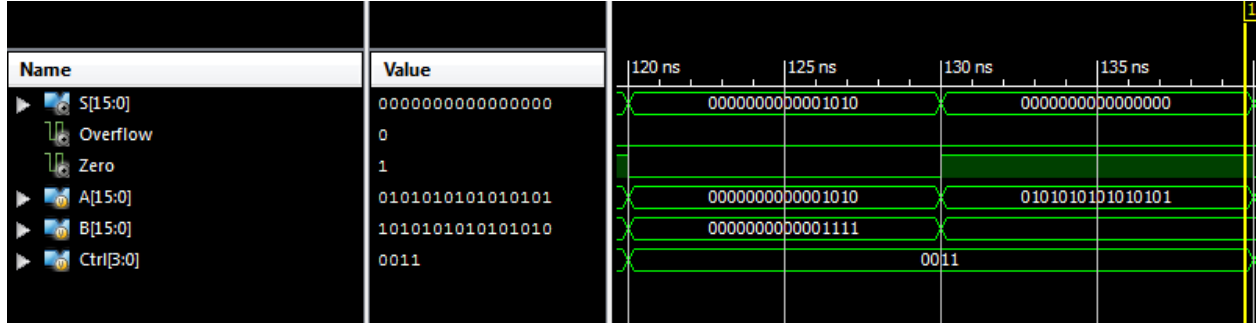


Figure 12: bitwise AND case

5. Decrement

The Decrement result is in figure 13. The first and the last cases do not overflow, but the second case,

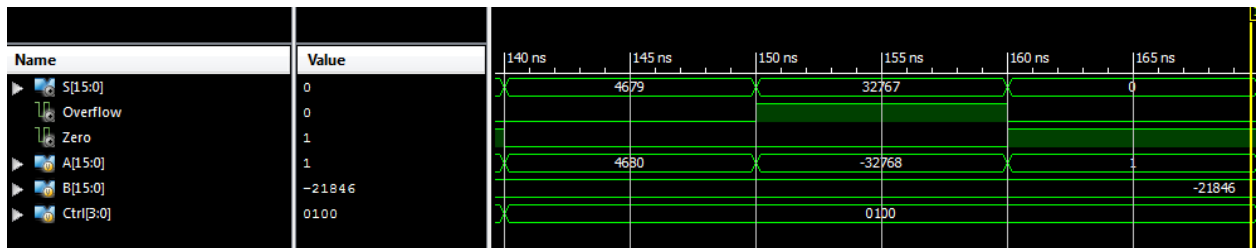


Figure 13: Decrement case

which increments the largest positive number, triggers an overflow and was captured in the simulation.

6. Increment

The increment case result is in figure 14. The first and the last cases do not overflow, but the second case,

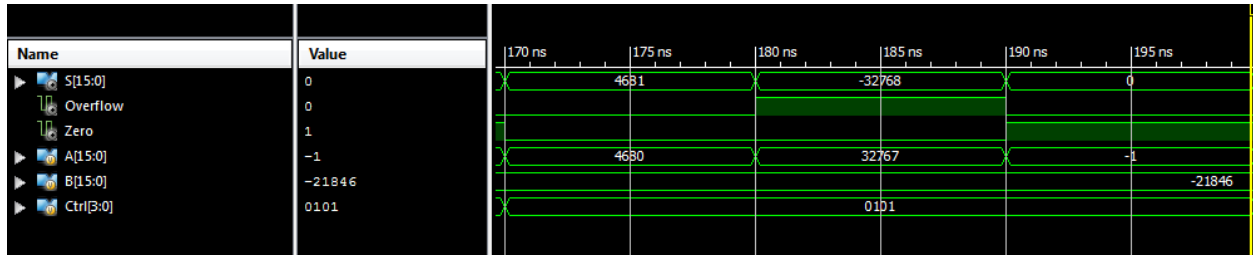


Figure 14: Increment case

which decrements the smallest negative number, triggers an overflow and was captured in the simulation.

7. Invert

The invert case result is in figure 15. The first and the second case do not overflow, but the last case, which

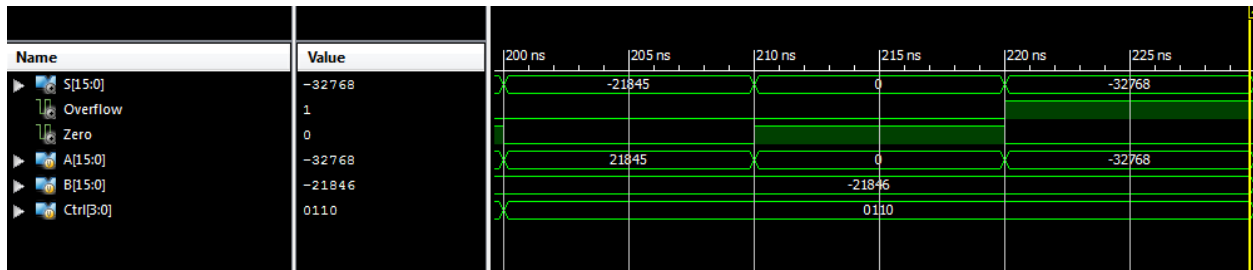


Figure 15: Invert case

inverts the number 16'b1000000000000000, results in an overflow, since the inversion gives the same result back.

8. Arithmetic Shift Left

The result for arithmetic shift left is in figure 16. The first case triggers an overflow. This is because we

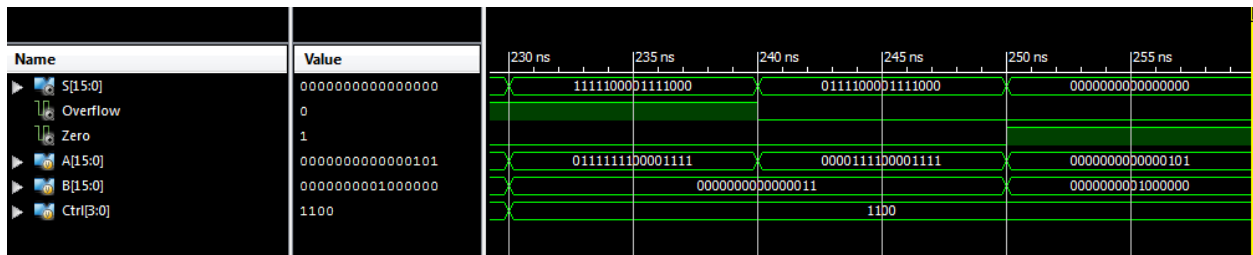


Figure 16: Arithmetic Shift Left

have an positive number, and left shift should makes another positive number, but a negative number is obtained.

9. Arithmetic Shift Right

The result for arithmetic shift right is in figure 17. No overflow occurs for this case.

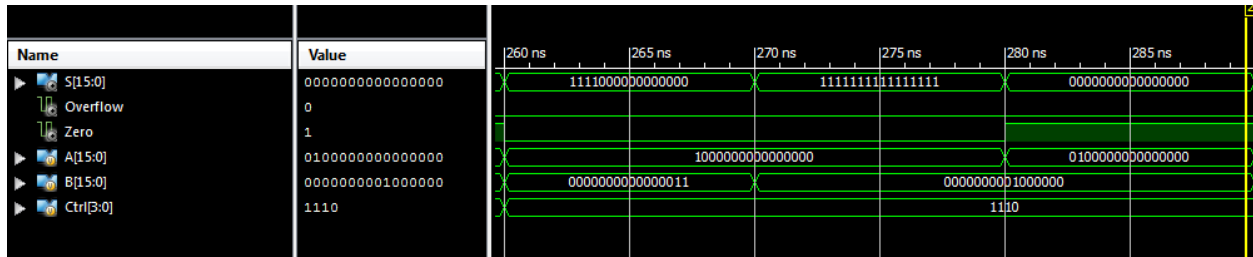


Figure 17: Arithmetic Shift Right

10. Logical Shift Left

The result for logical shift left is in figure 18. Since it is a logical shift, there is no overflow.

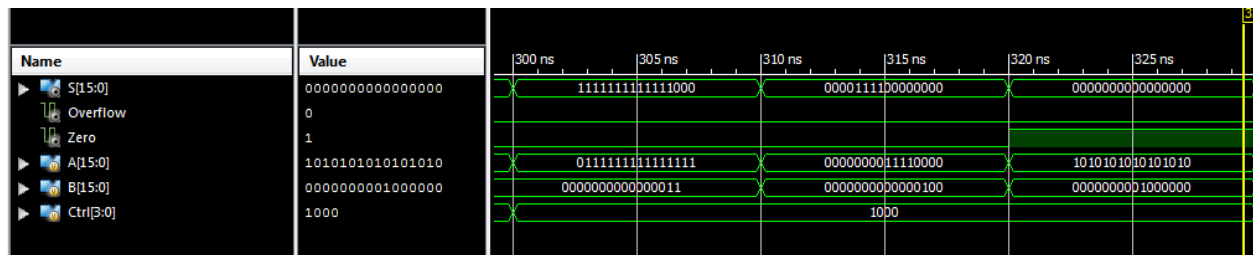


Figure 18: Logical Shift Left

11. Logical shift Right

The result for logical shift right is in figure 19. Since it is a logical shift there is no overflow.

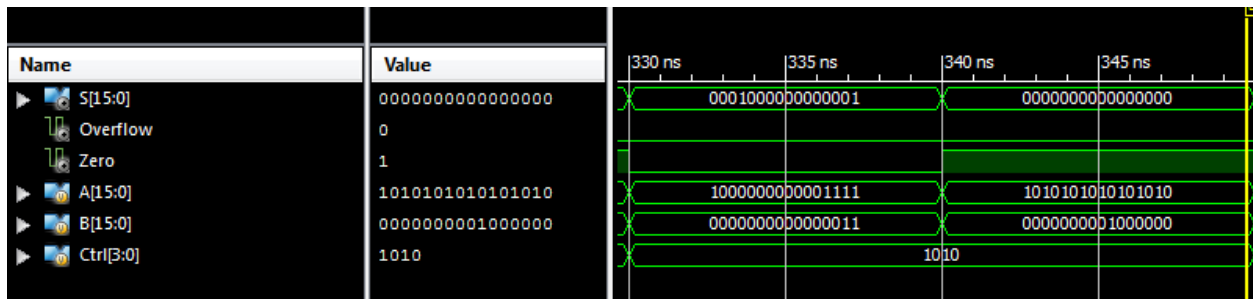


Figure 19: Logical Shift Right

12. Set on Less than or Equal

The result for the set less than or equal case is in figure 20. Even though the subtraction logic might trigger overflow, it should not and is not captured here.

2.3 Overflow Detection

Subtraction: A - B has overflow in two cases: A is positive, B is negative and the result is negative; and A is negative, B is positive and the result is positive. So overflow happens when A and B have different sign and result is the opposite sign as A. We implemented this logic by:

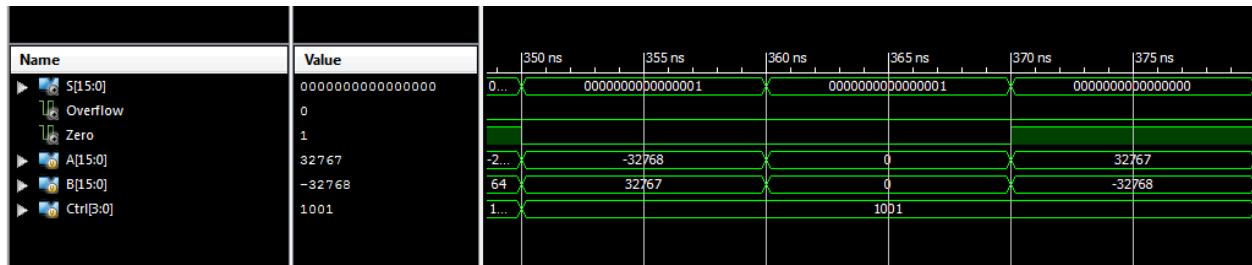


Figure 20: slt case

```
assign o0 = (A[15] ^ B[15]) & (A[15] ^ r0[15]);
```

Addition: $A + B$ has overflow in two cases: A is positive, B is positive, and the result is negative; and A is negative, B is negative, and the result is positive. So overflow happens when A and b have the same sign and the result is the opposite sign. We implemented this logic by:

```
assign o1 = (A[15] ^~ B[15]) & (A[15] ^ r1[15]);
```

Left Shift: Both arithmetic and logic left shift can trigger overflow: when before and after the operation, the sign of the operand changes, we detect an overflow. We implemented this with the logic:

```
assign o12 = A[15] ^ r12[15];
assign o14 = A[15] ^ r14[15];
```

Set Less Than: The set less than

3 Part 3: Register File

3.1 Introduction

The register file is built from 32 16-bit registers, two read ports, and a single write port. The register file should be able to support two concurrent read operations and one write operation. In addition, the register file has a clock and a reset pin. When reset is triggered, all of the registers are set to zeros. The implementation is carried out using behavior verilog.

3.2 Simulation Result

4 Part 4: Questions and Answers

Q1: What is the difference between structural and behavior verilog? Please provide an example of a structural and behavior implementation of a multiplexer.

A: Behavior verilog refers to verilog design that simulates the behavior of digital circuits using higher order logic and modules, such as using always and assign. Structural verilog refers to verilog design that builds the components from scratch by using logical gates and lower level blocks.

Behavior verilog:

```
module mux_behavior(din_0, din_1, sel, mux_out);
input din_0, din_1, sel;
output mux_out;
wire mux_out;
assign mux_out = (sel)? din_1 : din_0;
endmodule
```

Structural Verilog:

```

module mux(f, a, b, sel);
output f;
input a, b, sel;

and g1(f1, a, nsel);
g2(f2, b, sel);
or g3(f, f1, f2);
not g4(nsel, sel);
endmodule

```

Q2: What is the difference between an asynchronous and synchronous multiplexer? Please provide a brief explanation on how you could implement both using behavior verilog.

Q3: What is the difference between an arithmetic and logical shifter?

A: Arithmetic shift preserves the sign bit and functions logically equivalent as binary arithmetic; logical shift simply shift out digits and pad with zeros.

Q4: Assuming that you did not use Behavior verilog to implement an arithmetic shifter, how could you design one from scratch? Please include a simple diagram.

The diagram is simply the following:

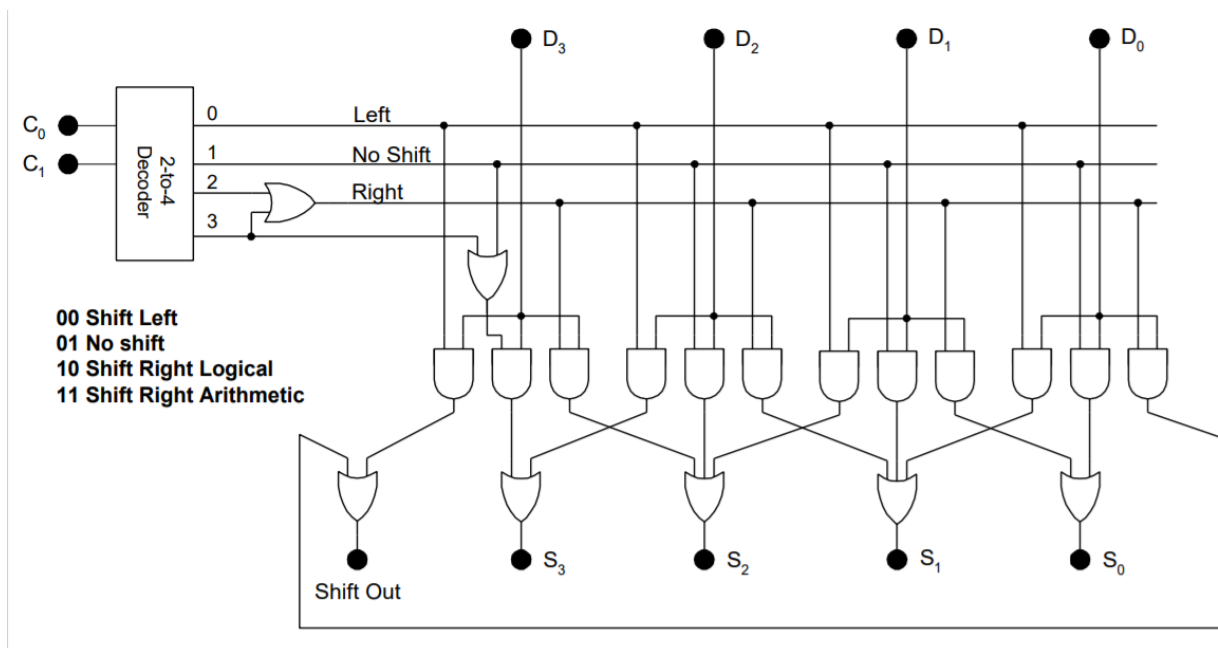


Figure 21: arithmetic