Theorema 2.0: A First Tour

NB reached List of cells reached Cell Group
Data reached List of cells reached ${\bf Null}{\bf Cell}$ reached

We consider "proving", "computing", and "solving" as the three basic mathematical activities.

CellGroupData reached List of cells reached

1 Proving

We want to prove

$$(\mathop{\forall}_x (P[x] \vee Q[x])) \wedge (\mathop{\forall}_y (P[y] \Rightarrow Q[y])) \Leftrightarrow (\mathop{\forall}_x Q[x]).$$

To prove a formula like the above, we need to enter it in the context of a Theorema environment.

1.1 Proposition (First Test, 2014)

$$\forall_x (P(x) \vee Q(x)) \wedge \forall_y (P(y) \Rightarrow Q(y))$$

Cell reached CellGroupData reached List of cells reached Cell reached CellGroupData reached List of cells reached

2 Computing

CellGroupData reached List of cells reached Cell reached

2.0.1 Global Declaration

 $\begin{array}{c} \forall \\ a,b \\ a=b \end{array}$

2.1 [?]

 $\forall_{arguments number of unexpected} Equivalent Def \left(arguments number of unexpected Tma 2 tex Private tma To TeXable (Thank To TeXable) + (Thank To TeXable$

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2.1.1 Global Declaration

 $_{K}^{\forall}$

2.1.2 Global Declaration

 $\operatorname{Mon}[\mathbf{K}] := \underline{\Delta}_{M}$

2.1.3 Global Declaration

 $\underset{m1,m2}{\forall}$

2.2 [?]

 $\forall_{arguments number of un expected} Equal Def(arguments number of un expected Tma 2 tex Private tma To TeX able (Theorem 2 tex Privat$

2.3 [?]

 $\forall_{\rm arguments number of un expected} Equivalent Def(arguments number of un expected Tma 2 tex Private tma To TeXable (The Control of the C$

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3 Set Theory

CellGroupData reached List of cells reached Cell reached

3.0.1 Global Declaration

 $\displaystyle \bigvee_{x,y}$

3.1 [?]

 $\forall_{\text{arguments number of unexpected}} \text{EqualDef}\left(x \subseteq y, \forall_z (z \in x \Rightarrow z \in y)\right)$

 \blacksquare Cell reached

3.2 Proposition (transitivity of \subseteq)

 $\forall_{\text{arguments number of unexpected}} (a \subseteq b \land b \subseteq c \Rightarrow a \subseteq c)$

Cell reached CellGroupData reached List of cells reached Cell reached