

Codebook

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1 Environment

1.1 .vimrc

```
1 set nu " set number
2 set mouse=a " set mouse=a
3 set sw=4 " set shiftwidth=4
4 set ts=4 " set tabstop=4
5 set ai " set autoindent
6 set ci " set cindent
7 set cul " set cursorline
8 set t_Co=256
9 filetype indent on
10 colorscheme slate
11 syntax on
```

1.2 compile

```
1 # shell script to compile program and
1 execute
2 # execute: bash compile.sh $filename
3
4 #!/bin/bash
5 g++ -Wall -O2 -std=c++14 -static -pipe -g -
1 o $1 $1.cpp && ./ $1 < $1.in > $1.out &&
more ./ $1.out
```

1.3 copy

```
1 # copy template file
4 #!/bin/bash
3 for name in {A..M};
4 do
5 cp template.cpp $name.cpp
6 echo 0 > $name.in
6 echo 0 > $name.out
6 done
```

1.4 template

```
1 // template to code in C++
6 #include <bits/stdc++.h>
6
7 using namespace std;
4
5 int main(){
6
7 return 0;
8 }
```

2 Structure

```
1 //Binary Tree (array)
2 Array[]
3 rootNode = Array[0]
4 fatherNode = p
5 leftChildNode = Array[2 * p] + 1
6 rightChildNode = Array[2 * p] + 2
7
8 //Graph (adjacent matrix)
9 matrix[row][col]
10 distance[row][col]
11 visited[row][col]
12 m = row_i, n = col_j
```

3 Code Note

```
1 int GCD(int a, int b){
2 return b == 0 ? a : GCD(b, a % b);
3 }
4
5 int LCM(int a, int b){
6 return a / GCD(b, a % b) * b;
7 }
8
9 // Find shortest path
10 void BFS(Graph, visited, FirstNode){
11 queue Q
12 Q.push(FirstNode)
13 while(!Q.empty){
14 currentNode = Q.pop()
15 if(currentNode == targetNode)break //
find target
16 if(!visited[currentNode]){
17 visited[currentNode] = true
18 for(all nextNode){
19 if(!visited[nextNode])
20 Q.push(nextNode)
21 }
22 }
23 }
24 }
25 }
```

```

26 void BellmanFord(){
27     e = edge.size();
28     fill(best, best+e, NIL);
29     best[0] = 0;
30     for(int i = 0; i < n; ++i)
31         for(int j = 0; j < e; ++j)
32             if(best[edge[j].to] > best[edge[j].
33                 from] + edge[j].weight)
34                 best[edge[j].to] = best[edge[j].
35                     from] + edge[j].weight;
36     for(int j = 0; j < e; ++j)
37         if(best[edge[j].to] > best[edge[j].from
38             ] + edge[j].weight){
39             indefinitely = false;
40             break;
41         }
42 }
43
44 int CeilIndex(int A[], int tail[], int low,
45     int high, int key){
46     while(high-low > 1){
47         int mid = (high + low) / 2;
48         if(A[tail[mid]] >= key)
49             high = mid;
50         else
51             low = mid;
52     }
53     return high;
54 }
55
56 // Dijkstra
57 struct node{
58     int id,len;
59     node(int n, int weight) : id(n), len(
60         weight){};
61     bool operator<(const node &right) const{
62         return id > right.id;}
63 };
64
65 // Using a priority queue
66 void Dijkstra(){
67     best[E] = 0;
68     que.push(node(E, 0));
69     while(!que.empty()){
70         node cur = que.top();
71         que.pop();
72         for(int i = 0; i < num[cur.id]; ++i){
73             if(best[path[cur.id][i]] > cur.len +
74                 w[cur.id][path[cur.id][i]]){
75                 best[path[cur.id][i]] = cur.len + w
76                 [cur.id][path[cur.id][i]];
77                 que.push(node(path[cur.id][i], best
78                     [path[cur.id][i]]));
79             }
80         }
81     }
82 }
83
84 #define INF 0xFFFFFFFF
85 void FloydWarshall(Graph){
86     for i = 0 to size
87         for j = 0 to size
88             for k = 0 to size
89                 Graph[i][j] = min(Graph[i][j],
90                     Graph[i][k] + Graph[k][j]);
91     print Graph[x][y] //get shortest path
92     from x to y
93 }
94
95 bool NeagativeCycle(){
96     for(int i = 0; i < V; ++i){
97         if(dist[i][i] < 0)
98             return ture;
99     }
100     return false;
101 }
102
103 //
104
105 //0/1 Knapsack Problem
106 recursive function : c(n, w) = max(c(n
107     -1, w), c(n-1, w-weight[n] + cost[n]))
108 c(n, w) : knapsack problem answer
109 n : from item 0_th to n_th
110 w : max_weight
111 weight[n] : weight of item n
112 cost[n] : cost of item n
113
114 //
115
116 void knapsack(int n, int w){
117     memset(c, 0, sizeof(c))
118     for(all i in n) //all item
119         for(all j in w) //all weight
120             if(j - weight[i] < 0)
121                 c[i+1][j] = c[i][j]
122             else
123                 c[i+1][j] = max(c[i+1][j], j-weight
124                     [i]+cost[i])
125     print c[n][w] //the highest value
126 }
127
128 /*
129 Coin Change Problem
130 recursive function : c(n, m) = c(n-1, m)
131 + c(n-1, m-price[n])
132 c(n, m) : coin change problem answer
133 n : from coin 0_th to n_th
134 m : target money
135 price[n] : coin price
136 */
137 //bottom up
138 void coinChange(int m){
139     memset(c, 0, sizeof(c))
140     c[0] = 1;
141     for(all i in n) //all coin
142         for(all j from price[i] to m) //all
143             target money
144                 c[j] += c[j-price[i]]
145     print m //target money
146     print c[m] //kinds
147 }
148
149 //
150
151 //Knapsack/Coin Problem - Algorithm
152 first loop is item
153 Second loop is capacity (weight/value
154 target)
155 Third loop(only appear in item limit case
156 ) = max(number amount, now value/this
157 value)
158
159 backpack structure:
160 Struct {weight,cost}

```

w-weight[n] meaning I push this I item
 n-1 meaning look forward

Code:
 c[i] = max (c[i],c[i - weight[n]] + cost[n]) - consider value
 c[i] = max (c[i],c[i - weight[n]] +1) - consider amount of item
 way[j] += way[j - weight[i]] - consider ways

Coin (like as backpack):

Code:
 c[j] += c[j-price[i]]; << ways
 c[j] = min(c[j], c[j-price[i]] + 1); - min amount of coin

```
153 */
154
155
156 int LongestIncreasingSubsequence(int A[],
157     int n){
158     if(n == 0) return 0;
159     int *tail = new int[n+1];
160     int *prev = new int[n+1];
161
162     int length = 1;
163     tail[1] = 1;
164     for(int i = 2; i <= n; ++i){
165         if(A[i] < A[tail[1]])
166             tail[1] = i;
167         else if(A[i] > A[tail[length]]){
168             prev[i] = tail[length];
169             tail[++length] = i;
170         }
171         else{
172             int position = CeilIndex(A, tail, 1,
173                 length, A[i]);
174             prev[i] = tail[position-1];
175             tail[position] = i;
176         }
177     }
```

```
178 int max1DRangeSum(int column[]){
179     int globalMax = column[1];
180     int localMax = column[1];
181     for(int i = 2; i <= m; i++){
182         localMax = max(column[i], localMax +
183             column[i]);
184         if(globalMax < localMax)
185             globalMax = localMax;
186     }
187     return globalMax;
188 }
189
190 int max2DRangeSum(int A[][n+1]){
191     for(int l = 1; l < n; ++left){
192         memset(rowSum, 0, sizeof(rowSum));
193         for(int r = left; r <= n; ++right){
194             for(int i = 1; i <= m; ++i)
195                 rowSum[i] += A[i][r];
196             localMax = max1DRangeSum(rowSum);
197             if(globalMax < localMax)
198                 globalMax = localMax;
199         }
200     }
201
202     int find(int a){
203         return a = (p[a] == a) ? a : (p[a] = find(p[a]));
204     }
205
206     void Union(int a, int b){
207         p[find(a)] = find(b);
208     }
```

4 Algorithm Note

Algorithm 1: ArticulationPoints(G)

```
1 foreach vertex  $u \in G.V$  do
2   |  $u.cut = \text{false}$ 
3 end
4 foreach vertex  $u \in G.V$  do
5   | if  $u.\pi == \text{NIL}$  then
6   |   | if  $u.numChildren > 1$  then
7   |   |   |  $u.cut = \text{true}$ 
8   |   else
9   |   |   foreach  $v \in G.Adj[u]$  do
10  |   |   |   if  $v.\pi == u$  then
11  |   |   |   |   if  $v.low \geq u.d$  then
12  |   |   |   |   |    $u.cut = \text{true}$ 
13  |   |   |   end
14  |   |   end
15 end
```

Algorithm 2: Biconnect(G)

```
1 time = time + 1
2  $u.d = \text{time}$ 
3  $u.low = \text{time}$ 
4 foreach  $v \in G.Adj[u]$  do
5   | if  $v.d == 0$  then
6   |   |  $v.\pi = u$ 
7   |   | Push( $(u, v), S$ )
8   |   | Biconnect( $G, v$ )
9   |   |  $u.low = \min(u.low, v.low)$ 
10  |   | if  $v.low \geq u.d$  then
11  |   |   | start new component
12  |   |   | do
13  |   |   |   |  $(x_1, x_2) = \text{Pop}(S)$ 
14  |   |   |   | put  $(x_1, x_2)$  in current component
15  |   |   |   | while  $(x_1, x_2) \neq (u, v) \text{ and } x_1.d \geq v.d$ ;
16  |   |   | end
17  |   | else if  $v \neq u.\pi$  then
18  |   |   | Push( $(u, v), S$ )
19  |   |   |  $u.low = \min(u.low, v.d)$ 
20  |   | end
21 end
```

Algorithm 3: Bridge(G, u)

```

1 time = time + 1
2 u.d = time
3 u.low = time
4 foreach  $v \in G.Adj[u]$  do
5   if  $v.d == 0$  then
6      $v.\pi = u$ 
7     Bridge( $G, v$ )
8      $u.low = \min(u.low, v.low)$ 
9     if  $v.low > u.d$  then
10       $\{u, v\}$  is a bridge
11    end
12  else if  $v \neq u.\pi$  then
13     $u.low = \min(u.low, v.d)$ 
14  end
15 end

```

Algorithm 4: TopologicalSort(G)

```

1 foreach vertex  $u \in G.V$  do
2    $u.color = WHITE$ 
3 end
4 foreach vertex  $u \in G.V$  do
5   if  $u.color = WHITE$  then
6     DFS_Visit( $G, u$ )
7   end
8 end

```

Algorithm 5: DFS_Visit(G, u)

```

1  $u.color = GRAY$ 
2 foreach  $v \in G.Adj[u]$  do
3   if  $v.color == WHITE$  then
4     DFS_Visit( $G, u$ )
5   end
6 end
7  $u.color = BLACK$  insert  $u$  onto the front of a linked
  list

```

5 Mathematics Note

1. a divides $b \rightarrow a|b$
2. If $a|b$ and $a|c$ then $a|xb + yc, \forall x, y \in \mathbb{Z}$

3. $ax + by = c$ have int solution $\longleftrightarrow gcd(a, b)|c$
4. $a = bq + r \rightarrow a \bmod b = r$
5. $n|(a - b) \rightarrow a \equiv b \pmod{n}$
6. $a \equiv a \pmod{n}$
7. If $a \equiv b \pmod{n}$, then $b \equiv a \pmod{n}$
8. If $a \equiv b \pmod{n}$, and $b \equiv c \pmod{n}$, then $a \equiv c \pmod{n}$
9. $a \equiv b \pmod{n} \rightarrow c * a \equiv c * b \pmod{n}$

6 C++ Library

```

1 #include <bits/stdc++.h>
2
3 // algorithm (c++)
4 template <class InputIterator, class
  value_type>
5 InputIterator find(InputIterator first,
  InputIterator last, value_type val)
6
7 template <class RandomAccessIterator>
8 void sort(RandomAccessIterator first,
  RandomAccessIterator last)
9
10 template <class RandomAccessIterator, class
  Compare>
11 void sort(RandomAccessIterator first,
  RandomAccessIterator last, Compare comp)
12
13 template <class ForwardIterator, class
  value_type>
14 bool binary_search(ForwardIterator first,
  ForwardIterator last, value_type val)
15
16 template <class BidirectionalIterator>
17 bool next_permutation(BidirectionalIterator
  first, BidirectionalIterator last)
18
19 // cmath
20 double cos(double)

```

```

21 double acos(double) //PI = acos(0.0)*2.0
22 double exp(double) //exponential
23 double log(double)
24 double log10(double)
25 double log2(double)
26 double pow(double, double)
27 double sqrt(double)
28 double cbrt(double)
29 double ceil(double) //round up
30 double floor(double) //round down
31 double round(double) //round
32 double abs(double)
33
34 // cstdio
35 int printf(char *format, ...)
36 int sprintf(char *str, char *format, ...)
37 int scanf(char *format, ...)
38 int sscanf(char *str, char *format, ...)
39
40 /*
41  format
42
43  print : %[flags][width][.precision][
  length]specifier
44  scan  : %[*][width][length]specifier
45
46  specifier:
47  %c : character
48  %s : string of characters
49  %d : signed decimal
50  %u : unsigned decimal
51  %o : unsigned octal
52  %x : unsigned hexadecimal
53  %X : unsigned hexadecimal (upper)
54  %% : %
55 */
56
57 // iomanip
58 setfill(char_type)
59 setprecision(int)
60 setw(int)
61 setbase(int) //10, 8, 16
62
63 // STL

```

```

64 // bitset
65 template <class size_t>
66 bitset<size_t>(unsigned long long)
67 bitset<size_t>(string)
68 bitset<size_t>(char *)
69 bool operator[](size_t) const
70 ref operator[](size_t)
71 size_t count() // return the number of 1
72 size_t size() // size()-count() = the
    number of 0
73 bool any()
74 bool none()
75 ref set() // all
76 ref set(size_t, bool) // single
77 ref reset() // all
78 ref reset(size_t) // single
79 string to_string()
80 unsigned long to_ulong()
81 unsigned long long to_ullong()
82
83 // list
84 template <class value_type>
85 list <value_type>
86 iterator begin()
87 iterator end()
88 size_type size()
89 void reserve(size_type)
90 bool empty()
91 ref front(size_type)
92 ref back(size_type)
93 void remove(value_type)
94 void push_front(value_type)
95 void pop_front()
96 void push_back(value_type)
97 void pop_back()
98 iterator insert(const_iterator, value_type
    )
99 iterator erase(const_iterator)
100
101 // map
102 template <class key_type, class value_type>
103 typedef pair<key_type, value_type>
    instance_type
104 map <key_type, value_type>
105 iterator begin()
106 iterator end()
107 size_type size()
108 bool empty()
109 value_type& operator[](key_type)
110 map<key_type, value_type>::iterator->first
    //key value
111 map<key_type, value_type>::iterator->second
    // mapped value
112 iterator find(key_type)
113 size_type count(key_type)
114 pair<iterator, bool> insert(pair<key_type,
    value_type>(key_type, value_type))
115 size_type erase(key_type)
116
117 // priority_queue
118 template <class value_type>
119 priority_queue <value_type> //priority
    larger
120 priority_queue <value_type, vector<
    value_type>, greater<value_type> > //
    priority smaller
121 size_t size()
122 bool empty()
123 ref top()
124 void push(value_type)
125 void pop()
126
127 // queue
128 template <class value_type>
129 queue <value_type>
130 size_type size()
131 bool empty()
132 reference front()
133 reference back()
134 void push(value_type)
135 void pop()
136
137 // set
138 template <class value_type>
139 set <value_type>
140 iterator begin()
141 iterator end()
142 size_type size()
143 bool empty()
144 iterator find(value_type)
145 size_type count(value_type)
146 pair<iterator, bool> insert(value_type)
147 size_type erase(value_type)
148 size_type count(value_type) //return the
    number of element
149
150 // stack
151 template <class value_type>
152 stack <value_type>
153 size_type size()
154 bool empty()
155 reference top()
156 void push(value_type)
157 void pop()
158
159 // string
160 string
161 iterator begin()
162 iterator end()
163 size_type size()
164 void reserve(size_type)
165 bool empty()
166 reference operator[](size_type)
167 reference at(size_type)
168 string operator+= (string)
169 string insert(pos, string)
170 string erase(pos = 0, len)
171 string substr(pos = 0, len)
172 string to_string(value) // c++11
173 string str() // stringstream
174
175 // vector
176 template <class value_type>
177 vector <value_type>
178 iterator begin()
179 iterator end()
180 size_type size()
181 void reserve(size_type)
182 bool empty()
183 reference operator[](size_type)
184 reference at(size_type)
185 void push_back(value_type)

```

```
186 void pop_back()  
187 iterator insert(const_iterator, value_type  
    )  
188 iterator erase(const_iterator)
```

7 Other Tool

7.1 gdb

```
1 l (list)  
2 b (breakpoint)  
3 r (run)  
4 p $value (print $value)  
5 c (continue)  
6 q quit  
7 step  
8 display $value  
9 info
```

7.2 vim

8 Note

8.1 Preparing

```
1 check keyboard  
2 check mouse  
3 check printer  
4 check judge system  
5 check response message  
6 build environment(vim, g++, shell)
```

8.2 Response Message

```
1 //for DOMjudge  
2 CORRECT  
3 COMPILER-ERROR  
4 TIMELIMIT  
5 RUN-ERROR  
6 WRONG-ANSWER
```

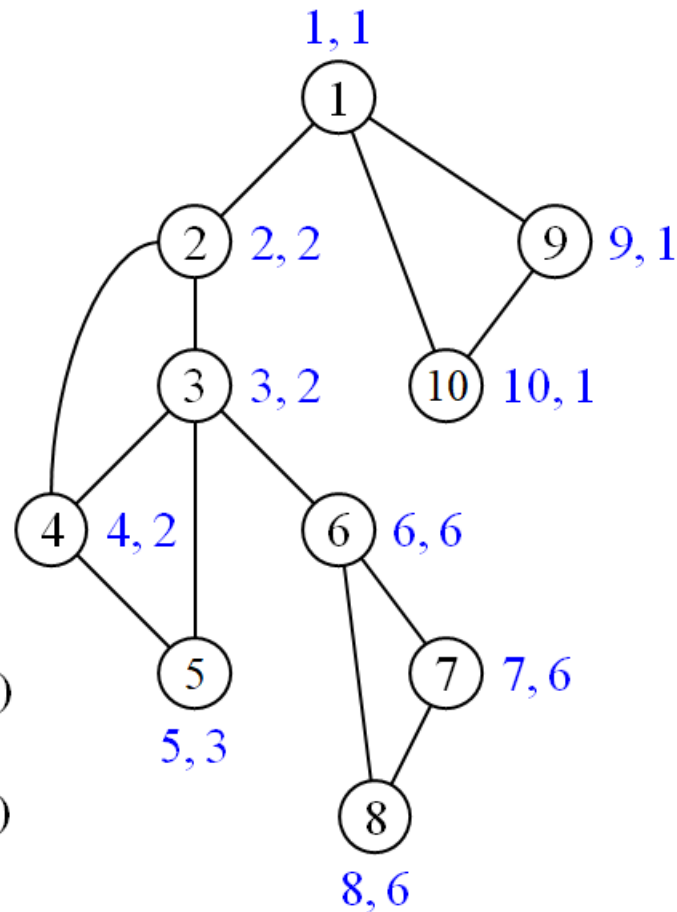
9 Image Note

BRIDGECONNECT(G, u)

```

1   $time = time + 1$ 
2   $\underline{u.d} = time$ 
3   $\underline{u.low} = time$ 
4   $PUSH(u, S)$ 
5  for each  $v \in G.Adj[u]$ 
6      if  $\underline{v.d} == 0$ 
7           $v.\pi = u$ 
8          BRIDGECONNECT( $G, v$ )
9           $\underline{u.low} = \min(\underline{u.low}, \underline{v.low})$ 
10     else if  $v \neq u.\pi$ 
11          $\underline{u.low} = \min(\underline{u.low}, \underline{v.d})$ 
12 if  $\underline{u.low} == \underline{u.d}$ 
13     start new component
14     do
15          $w = POP(S)$ 
16         put  $w$  in current component
17     while  $w \neq u$ 

```



Components

1: 8, 7, 6
2: 5, 4, 3, 2
3: 10, 9, 1



S

```
class point {
public:
    double x, y;
    point(double corX = 0.0, double corY = 0.0) :x(corX), y(corY) {};
    point & operator = (const point &left)
    {
        x = left.x;
        y = left.y;
        return *this;
    }
};
point p[N];

bool cmpX(const point &left, const point &right)
{
    return left.x < right.x;
}

double dist(const point &left, const point &right)
{
    return sqrt((left.x - right.x)*(left.x - right.x) + (left.y - right.y)*(left.y - right.y));
}

double combine(const int &left, const int &right, const int mid, const double &midL, const double &midR)
{
    double d = min(midL, midR);
    //double line = + d;
    double min_temp = d;
    for (int i = mid; (p[mid].x - p[i].x) <= d && i >= left; --i)
        for (int j = mid + 1; (p[j].x - p[mid].x) <= d && j <= right; ++j)
        {
            min_temp = min(min_temp, dist(p[i], p[j]));
        }
    return min_temp;
}

double divide(const int &left, const int &right)
{
    if (left >= right)
        return INF;

    int mid = (left + right) / 2;
    double midL = divide(left, mid);
    double midR = divide(mid + 1, right);

    return combine(left, right, mid, midL, midR);
}

double closePair(const int &ptNum)
{
    sort(p, p + ptNum, cmpX);
    return divide(0, ptNum - 1);
}
```



```

    struct point
    {
        double x, y, d;
        point & operator= (const point &left) { x = left.x; y = left.y; d = left.d; }
    };

    point p[N], st[N];

    double ans;

    double cross(const point &O, const point &A, const point &B)
    {
        return (A.x - O.x)*(B.y - O.y) - (A.y - O.y)*(B.x - O.x);
    }

    bool cmp1(const point &left, const point &right)
    {
        return left.y < right.y || (left.y == right.y && left.x < right.x);
    }

    bool cmp2(const point &A, const point &B)
    {
        double cp = cross(p[0], A, B);
        if (cp == 0) return A.d < B.d;
        return cp > 0;
    }

    double dist(const point &A, const point &B)
    {
        return sqrt((A.x - B.x)*(A.x - B.x) + (A.y - B.y)*(A.y - B.y));
    }

    void convexhall(const int &ptNum)
    {
        ans = 0;
        if (ptNum > 1)
        {
            sort(p, p + ptNum, cmp1);
            for (int i = 0; i < ptNum; ++i)
                p[i].d = dist(p[0], p[i]);

            sort(p + 1, p + ptNum, cmp2);

            int stNum = 0;
            for (int i = 0; i < ptNum; ++i)
            {
                while (stNum > 1 && cross(st[stNum - 2], st[stNum - 1], p[i]) <= 0)
                    stNum--;
                st[stNum++] = p[i];
            }

            st[stNum++] = p[0];
            for (int i = 0; i < stNum; ++i)
            {
                printf("%.5f,%.5f", st[i].x, st[i].y);
                if (i + 1 != stNum)
                    printf(" ");
            }
            printf("\n");
        }
    }

```

```
bool bfs(int rGraph[V][V], int s, int t, int parent[])
{
    bool visited[V];
    memset(visited, 0, sizeof(visited));

    queue <int> q;
    q.push(s);
    visited[s] = true;
    parent[s] = -1;

    // Standard BFS Loop
    while (!q.empty())
    {
        int u = q.front();
        q.pop();

        for (int v=0; v<V; v++)
        {
            if (visited[v]==false && rGraph[u][v] > 0)
            {
                q.push(v);
                parent[v] = u;
                visited[v] = true;
            }
        }
    }

    return (visited[t] == true);
}
```

```
int fordFulkerson(int graph[V][V], int s, int t)
{
    int u, v;

    int rGraph[V][V];
    for (u = 0; u < V; u++)
        for (v = 0; v < V; v++)
            rGraph[u][v] = graph[u][v];

    int parent[V];

    int max_flow = 0;

    while (bfs(rGraph, s, t, parent))
    {
        int path_flow = INT_MAX;
        for (v=t; v!=s; v=parent[v])
        {
            u = parent[v];
            path_flow = min(path_flow, rGraph[u][v]);
        }

        for (v=t; v != s; v=parent[v])
        {
            u = parent[v];
            rGraph[u][v] -= path_flow;
            rGraph[v][u] += path_flow;
        }

        // Add path flow to overall flow
        max_flow += path_flow;
    }

    // Return the overall flow
    return max_flow;
}
```

STRONGCONNECT(G, u)

```

1   $time = time + 1$ 
2   $u.d = time$ 
3   $u.low = time$ 
4  PUSH( $u, S$ )
5  for each  $v \in G.Adj[u]$ 
6      if  $v.d == 0$ 
7          STRONGCONNECT( $G, v$ )
8           $u.low = \min(u.low, v.low)$ 
9      else if  $v \in S$ 
10          $u.low = \min(u.low, v.d)$ 
11  if  $u.low == u.d$ 
12      start new component
13      do
14          $w = POP(S)$ 
15         put  $w$  in current component
16  while  $w \neq u$ 

```

Components

1: 6
2: 7, 5, 4, 3
3: 8, 2, 1

