### Deep Learning - Classication, K-Fold and Regularization

### by Sanjeev Gupta

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# 1. Binary Classification Example

First, lets look at an examplary problem of binary classification.

First, let's import all necessary libraries. Note that we importing the imdb dataset from keras.

```
import tensorflow as tf
from tensorflow import keras
from tensorflow.keras import layers
from keras.callbacks import TensorBoard, ModelCheckpoint
from tensorflow.keras.datasets import imdb
import numpy as np
import matplotlib.pyplot as plt
```

Now, let's define a preprocessing function, that we will shortly use.

```
def vectorize_sequences(sequences, dimension=10000):
    results = np.zeros((len(sequences), dimension))
    for i, sequence in enumerate(sequences):
        for j in sequence:
            results[i, j] = 1.
    return results

def find_smallest_review(train_data):
    min_l = 100000
    min_i = -1
    for i,sample in enumerate(train_data):
        l = len(sample)
        if 1 < min_l:
            min_l = 1
            min_i = i
        return min_i, min_l</pre>
```

Let's load the imdb dataset and viusalize the data before pre-processing it.

```
word_index = imdb.get_word_index()
i = 0
for k,v in word_index.items():
  i+=1
  print(k,v)
  if i == 15:
    break
Downloading data from <a href="https://storage.googleapis.com/tensorflow/tf-keras-datasets/imdb_word_index.json">https://storage.googleapis.com/tensorflow/tf-keras-datasets/imdb_word_index.json</a>
     1641221/1641221 [==========] - 0s Ous/step
     fawn 34701
     tsukino 52006
     nunnery 52007
     sonja 16816
     vani 63951
     woods 1408
     spiders 16115
     hanging 2345
     woody 2289
     trawling 52008
     hold's 52009
     comically 11307
     localized 40830
     disobeying 30568
      'royale 52010
# Visualize Data
\ensuremath{\text{\#}}\xspace HW: Go through this cell and understand how it works
sample_i = 0 # visualize 0th sample
word_index = imdb.get_word_index()
reverse_word_index = dict([(value, key) for (key, value) in word_index.items()])
decoded_review = " ".join([reverse_word_index.get(i - 3, "?") for i in train_data[sample_i]])
print(decoded review)
print(train_labels[sample_i])
Downloading data from <a href="https://storage.googleapis.com/tensorflow/tf-keras-datasets/imdb_word_index.json">https://storage.googleapis.com/tensorflow/tf-keras-datasets/imdb_word_index.json</a>
     ? this film was just brilliant casting location scenery story direction everyone's really suited the part they played and you could
     4
min_i, min_len = find_smallest_review(train_data)
print(f"train_data[min_i] = {train_data[min_i]}")  # encoded review
print(f"len(train_data[min_i] ) = {len(train_data[min_i])}")
print(f"train_labels[min_i] ={train_labels[min_i]}")
     train_data[min_i] = [1, 13, 586, 851, 14, 31, 60, 23, 2863, 2364, 314]
     len(train_data[min_i] ) = 11
     train_labels[min_i] =0
# Visualize Data
sample_i = min_i # visualize 0th sample
word_index = imdb.get_word_index()
reverse_word_index = dict([(value, key) for (key, value) in word_index.items()])
decoded_review = " ".join([reverse_word_index.get(i - 3, "?") for i in train_data[sample_i]])
print(decoded_review)
print(train_labels[sample_i])
? i wouldn't rent this one even on dollar rental night
# Preprocess data
x_train = vectorize_sequences(train_data)
x_test = vectorize_sequences(test_data)
y_train = np.asarray(train_labels).astype("float32")
y_test = np.asarray(test_labels).astype("float32")
print(f"x_train.shape ={x_train.shape}")
print(f"y_train.shape ={y_train.shape}")
print(f"x_train[min_i] = {x_train[min_i]}")
print(f"y_train[min_i] ={y_train[min_i]}")
# Q: What is the size of one input tensor?
# Split training set to validation and train sets - simple holdout validation
x_val = x_train[:10000]
partial_x_train = x_train[10000:]
y_val = y_train[:10000]
partial y train = y train[10000:]
```

```
x_train.shape = (25000, 10000)
y_train.shape = (25000,)
x_train[min_i] = [0. 1. 0. ... 0. 0. 0.]
y_train[min_i] = [0. 1. 0. ... 0. 0. 0.]

print(f"first 15 elements of one-hot code of smallest review= {x_train[min_i][0:15]}")

np.where(x_train[min_i] == 1) # which indices in the the one-hot code are 1s

first 15 elements of one-hot code of smallest review= [0. 1. 0. 0. 0. 0. 0. 0. 0. 0. 0. 0. 1. 1.]
(array([ 1, 13, 14, 23, 31, 60, 314, 586, 851, 2364, 2863]),)
```

This way of splitting the training set into a training and validation set is called simple holdout validation splitting.

It is also good practice the shuffle data before the split. We have not done it here.

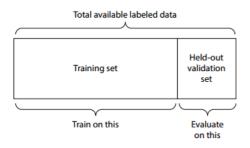


Figure 5.12 Simple holdout validation split

Now that we the data, let's follow the standard steps-

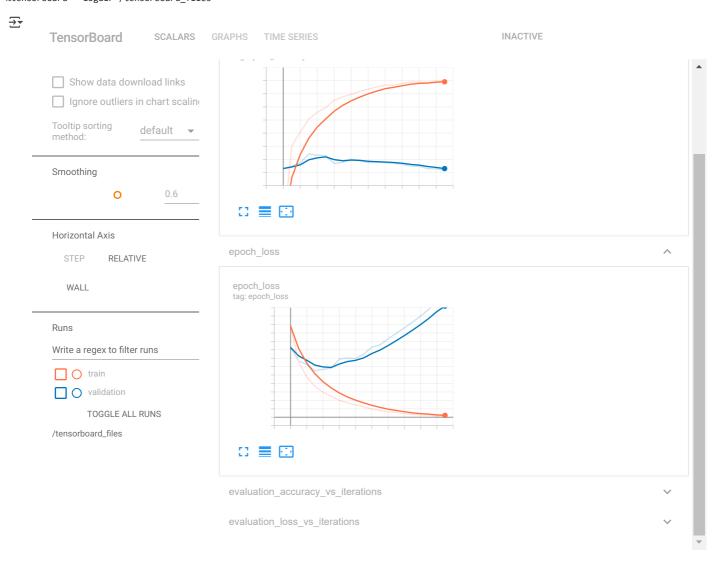
- · define a model.
- · define the callbacks,
- · compile the model.
- · fit the model,
- evaluate the model

```
# Define a simple model
model = keras.Sequential([
layers.Dense(16, activation="relu"),
layers.Dense(16, activation="relu"),
layers.Dense(1, activation="sigmoid") # Q: Why only 1 neuron in the output layer?
1)
# Define callbacks
callbacks = [ ModelCheckpoint("imdb_model_checkpoint",save_best_only=True),
          TensorBoard(log_dir="/tensorboard_files")]
# Compile the model
model.compile(optimizer="RMSprop",
            loss="binary_crossentropy",
            metrics=["accuracy"])
# Optional HW Exercise: Play with learning rate, momentum and nestorov
# model.compile(optimizer=tf.keras.optimizers.SGD(learning_rate=0.01, momentum=0.9, nesterov=True),
             loss="binary_crossentropy",
#
             metrics=["accuracy"])
# Fit the model
history = model.fit(partial_x_train,
               partial_y_train,
               epochs=20,
               batch_size=512,
               validation_data=(x_val, y_val),
               callbacks=callbacks)
   Epoch 1/20
    Epoch 2/20
    30/30 [===
                    =========] - 2s 72ms/step - loss: 0.3641 - accuracy: 0.8946 - val_loss: 0.3394 - val_accuracy: 0.8841
   Epoch 3/20
                  =========] - 2s 54ms/step - loss: 0.2628 - accuracy: 0.9211 - val_loss: 0.2994 - val_accuracy: 0.8865
    30/30 [===:
   Epoch 4/20
                  30/30 [===:
   Epoch 5/20
             30/30 [====
   Epoch 6/20
```

```
30/30 [===
Epoch 7/20
Epoch 8/20
                   ======] - 1s 35ms/step - loss: 0.0920 - accuracy: 0.9757 - val_loss: 0.3341 - val_accuracy: 0.8733
30/30 [===
Epoch 9/20
30/30 [=====
          ==========] - 1s 38ms/step - loss: 0.0745 - accuracy: 0.9826 - val loss: 0.3258 - val accuracy: 0.8815
Epoch 10/20
                 =======] - 1s 38ms/step - loss: 0.0649 - accuracy: 0.9838 - val_loss: 0.3468 - val_accuracy: 0.8812
30/30 [====
Epoch 11/20
                        - 1s 38ms/step - loss: 0.0515 - accuracy: 0.9901 - val_loss: 0.3663 - val_accuracy: 0.8797
30/30 [====
Epoch 12/20
30/30 [====
                         1s 38ms/step - loss: 0.0416 - accuracy: 0.9923 - val_loss: 0.3964 - val_accuracy: 0.8778
Epoch 13/20
                         1s 35ms/step - loss: 0.0354 - accuracy: 0.9941 - val_loss: 0.4131 - val_accuracy: 0.8740
30/30 [==
Epoch 14/20
30/30 [=====
            Epoch 15/20
          30/30 [======
Epoch 16/20
            30/30 [=====
Epoch 17/20
30/30 [====
                       - 1s 39ms/step - loss: 0.0126 - accuracy: 0.9991 - val_loss: 0.5390 - val_accuracy: 0.8703
Epoch 18/20
                       - 1s 38ms/step - loss: 0.0107 - accuracy: 0.9990 - val_loss: 0.5594 - val_accuracy: 0.8705
30/30 [====
Epoch 19/20
30/30 [====
                        - 1s 34ms/step - loss: 0.0082 - accuracy: 0.9994 - val_loss: 0.5882 - val_accuracy: 0.8707
Epoch 20/20
```

Now let's analyse the loss and metrics through tensorboard

%load\_ext tensorboard
%tensorboard --logdir /tensorboard files



<sup>#</sup> Evaluate model that is trained for 20 epochs model.evaluate(x\_test, y\_test)

<sup>₹ 782/782 [=======] - 2</sup>s 3ms/step - loss: 0.7122 - accuracy: 0.8442

 $\hbox{\tt [0.7121971249580383, 0.8442400097846985]}$ 

The above model is not the best model. It is overfitted! How do we know? (More on this in the Sec.3 of notebook)

Validation loss is not minimum and has increased alot at 20th epoch.

So, how do we get back to a model at the epoch with the minimum validation loss?

### Simple. Load the model saved by ModelCheckpointing!

```
# Load saved best model based
best_model = tf.keras.models.load_model("imdb_model_checkpoint")
best_model.summary()
```



→ Model: "sequential"

Layer (type)	Output Shape	Param #
dense (Dense)	(None, 16)	160016
dense_1 (Dense)	(None, 16)	272
dense_2 (Dense)	(None, 1)	17
Total params: 160,305 Trainable params: 160,305 Non-trainable params: 0		

Let's evaluate the saved model on the test data.

```
# Evaluate model
best_model.evaluate(x_test, y_test)
  [0.2947026491165161, 0.8845199942588806]
```

Q: Compare the test accuracy of best\_model with model.

### 2. K-fold Validation

What if we have a small data set for training (say 500 samples)?

It would mean our validation set would be even smaller (say 100 samples)!

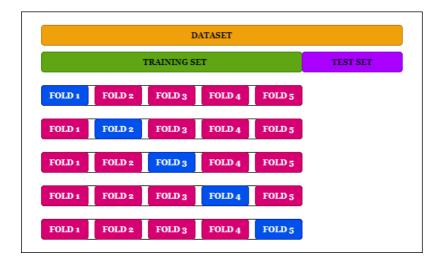
As a consequence, the validation scores will vary depending upon which 100 samples out of the original training data are included in the validation set.

Consequently, the validation scores will have a high variance with regard to the validation split.

In such a scenario, HOW do we reliably evaluate the model?

### Solution - K-fold cross-validation

Here's an exmaple with k=5



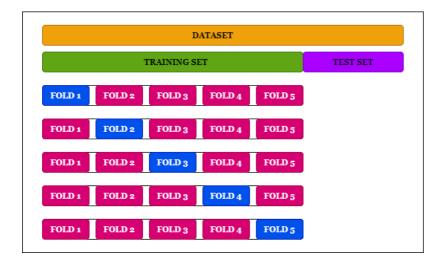
For convenience, let's define a function called build\_model(), wherein we define a model and compile it. We are doing this because we will need to call this function multiple times later on.

#### Now for the sake of demonstration

We are reducing the number of available training samples.

In other words, imagine that you just had 1000 samples in your training set

```
# Using reduced no. of samples from the training data to simulate a situation
# where less data is available - hence, the need of k-fold cross validation
n_reduced_samples = 1000
x_train = x_train[0:n_reduced_samples,:]
y_train = y_train[0:n_reduced_samples]
# print(y_train)
```



```
# K-fold validation due to less data
           # 4- fold validation
num_val_samples = len(x_train)//k #Q: What is len(x_train)
num\_epochs = 30
# lists to store hisories of each fold
# note: if "_train_" not mentioned, then it is a validation metric
all_accuracy_histories = []
all_loss_histories = []
all_train_loss_histories = []
all_train_accuracy_histories = []
# looping over each split
for i in range(k):
   print(f"processing split {i}")
   # Split out validation set
    x_val = x_train[i * num_val_samples: (i + 1) * num_val_samples]
   y_val = y_train[i * num_val_samples: (i + 1) * num_val_samples]
```

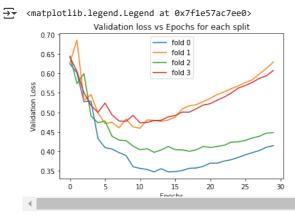
# Concatenate the training samples on the left and right side of the val samples

```
partial_x_train = np.concatenate(
                         [x train[:i * num val samples],
                         x_train[(i + 1) * num_val_samples:]],
                         axis=0)
    partial y train = np.concatenate(
                         [y_train[:i * num_val_samples],
                         y_train[(i + 1) * num_val_samples:]],
                         axis=0)
    # Q: Why axis=0?
    # build the model and fit with fold-specific data
    model = build_model()
    \label{linear_problem} \mbox{history = model.fit(partial\_x\_train, partial\_y\_train, validation\_data=(x\_val, y\_val), epochs=num\_epochs, batch\_size=256, verbose=0)} \mbox{}
    # manually extracting metrics to perform custom visualization later
    # Q: What is history.history ?
    accuracy_history = history.history["val_accuracy"]
    loss_history = history.history["val_loss"]
    train_loss_history = history.history["loss"]
    train_accuracy_history = history.history["accuracy"]
    # Append history data to the fold-level list
    all_accuracy_histories.append(accuracy_history)
    all_loss_histories.append(loss_history)
    all_train_loss_histories.append(train_loss_history)
    all_train_accuracy_histories.append(train_accuracy_history)
# Q: what would be the len(all_xx_histories) and len(xx_history)
→ processing split 0
     processing split 1
     processing split 2
     processing split 3
```

Now, let's visualize the losses and accuracies for each fold.

```
# Plot validation losses vs epoch for each split
for i,entry in enumerate(all_loss_histories):
    label="fold " + str(i)
    plt.plot(entry, label=label)

plt.xlabel("Epochs")
plt.ylabel("Validation Loss")
plt.title("Validation loss vs Epochs for each split")
plt.legend()
```



The curves are significantly different! This shows us that -

for small datasets, the validation loss can have HIGH variance with regard to the validation split.

A more robust measure of the validation loss is to use the avarege of the validation loss across the 4 folds.

Let's compute and plot the avg validation loss

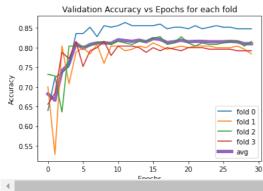
```
# Plot validation losses vs epoch for each fold
for i,entry in enumerate(all_loss_histories):
    label="fold " + str(i)
    plt.plot(entry, label=label)

# compute and plot the avg val loss across folds
loss_histories_matrix = np.array(all_loss_histories)
print(f"histories_matrix.shape = {loss_histories_matrix.shape}")
avg_loss = loss_histories_matrix.mean(axis=0)
```

```
plt.plot(avg_loss, label='avg_val_loss', linewidth=5, zorder=-10)
plt.xlabel("Epochs")
plt.ylabel("Validation Loss")
plt.title("Validation loss vs Epochs for each split")
plt.legend()
# compute the epoch at which the teh avg validation loss is min
best_epoch = np.argmin(avg_loss)
print(f"minimum val loss at epoch: {best_epoch}")
histories_matrix.shape = (4, 30)
     minimum val loss at epoch: 10
                   Validation loss vs Epochs for each split
        0.70
                                fold 0
                                fold 1
        0.65
                                fold 2
        0.60
                                fold 3
                                avg_val_loss
      250
        0.55
      Validation
        0.50
        0.45
        0.40
        0.35
                                Epochs
# Compute avg training loss and plot it
train_loss_histories_matrix = np.array(all_train_loss_histories)
avg_train_loss = train_loss_histories_matrix.mean(axis=0)
plt.plot(avg_train_loss, label='avg_train_loss', linewidth=5, zorder=-10)
plt.plot(avg_loss, label='avg_val_loss',linewidth=5, zorder=-10)
plt.xlabel("Epochs")
plt.ylabel("Loss")
plt.title("Average Training and Validation loss vs Epochs")
plt.legend()
# Compute avg training loss
train accuracy histories matrix = np.array(all train accuracy histories)
avg_train_accuracy = train_accuracy_histories_matrix.mean(axis=0)
print(f"avg_train_loss at {best_epoch} (best) epoch = {avg_train_loss[best_epoch]}")
print(f"avg_train_accuracy at {best_epoch} (best) epoch = {avg_train_accuracy[best_epoch]}")
    avg_train_loss at 11 (best) epoch = 0.04534864518791437
     avg_train_accuracy at 11 (best) epoch = 1.0
               Average Training and Validation loss vs Epochs
        0.7
                                             avg_train_loss
                                             avg_val_loss
        0.6
        0.5
        0.4
      Loss
        0.3
        0.2
        0.1
    4
# Plot validation accuracy for each fold
for i,entry in enumerate(all accuracy histories):
  label="fold " + str(i)
  plt.plot(entry, label=label)
# Compute and plot avg validation accuracy
histories_matrix = np.array(all_accuracy_histories)
print(f"histories_matrix.shape = {histories_matrix.shape}")
avg_accuracy = histories_matrix.mean(axis=0)
plt.plot(avg_accuracy, label='avg', linewidth=5, zorder=-10)
plt.xlabel("Epochs")
plt.ylabel("Accuracy")
plt.title("Validation Accuracy vs Epochs for each fold")
plt.legend()
```

```
histories_matrix.shape = (4, 30)
<matplotlib.legend.Legend at 0x7f1e57c71cd0>

Validation Accuracy vs Epochs for each fo
```



Now that we know we know at what epoch we start overfitting, we will retrain our model to the best\_epoch number of epochs and get a robust fit.

For the sake of being explicit, we are building a new model called final\_model.

```
# Train on the whole training with best no. of epochs to get the final model
final_model = build_model()
history = final_model.fit(x_train, y_train, epochs=best_epoch+1, batch_size=256, verbose=1)
# Q: What loss and accuracy are you seeing below? - Training/Validation/Testing?
```

```
₹
 Epoch 1/11
  4/4 [==
          Epoch 2/11
  4/4 [====
          Epoch 3/11
  Epoch 4/11
        4/4 [======
  Epoch 5/11
  Epoch 6/11
  4/4 [=====
            ========] - 0s 20ms/step - loss: 0.1709 - accuracy: 0.9960
  Epoch 7/11
  4/4 [============] - 0s 18ms/step - loss: 0.1293 - accuracy: 0.9980
  Epoch 8/11
  4/4 [====
               ======] - 0s 18ms/step - loss: 0.1011 - accuracy: 0.9990
  Epoch 9/11
             ========] - 0s 18ms/step - loss: 0.0777 - accuracy: 0.9980
  4/4 [======
  Epoch 10/11
  4/4 [=====
             ========] - 0s 20ms/step - loss: 0.0607 - accuracy: 1.0000
  Epoch 11/11
          4/4 [=====
```

Q: Compare the xx loss and accuracies with the avg xx loss and accuracy during k-fold-validation

There is one more validation method called Iteratad K-fold cross validation.

For P iterations:

- · Reshuffle data
- · Perform K-fold cross validation Take avg of all scores.
- Q: How many models do you end up training?

```
Q: avg = rac{sum}{n} . What is n ?
```

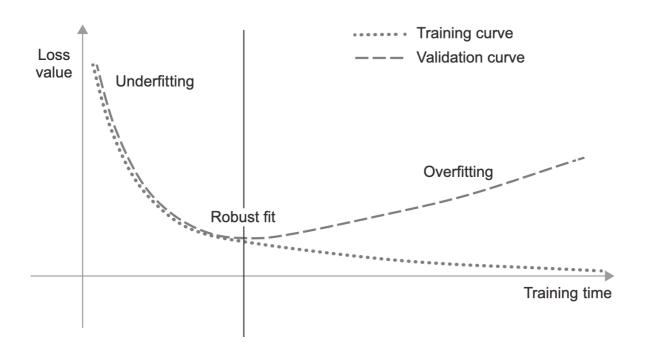
## 3. Regularization

Regularization techniques are a set of best practices that actively impede the model's ability to fit perfectly to the training data, with the goal of making the model perform better during validation.

This is called "regularizing" the model, because it tends to make the model simpler, more "regular," its curve smoother, more "generic";

thus it is less specific to the training set and better able to generalize by more closely approximating the latent manifold of the data.

The goal of machine learning is to get a model that generalise well. Such models provide a robust fit.



```
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import Dense, Dropout
from tensorflow.keras import regularizers
# define the model
def get_neural_network(train_data,layers,regularization,dropout):
 Builds and trains a neural network based on arguments and predefined template
 Returns: history
 train_data: Tuple (x_train, y_train)
 layers: dictionary of layers; e.g. {"h1":[16, "relu"],"h2":[16, "relu"],"output":[1, "sigmoid"]}
 regularization: True/False
 dropout: True/False
 model = Sequential()
 # Add layers based on conditions
 for i,j in enumerate(layers.keys()): # Q: layers.keys() returns ?
    if regularization and i != len(layers)-1: # reg == True and not the last (output) layer
     \verb|model.add(Dense(layers[j][0], activation=layers[j][1], \verb| # j is a key. e.g. "h1"| \\
                kernel_regularizer=regularizers.12(0.002))) # add 0.002 * w**2 for each w in W to the loss
    else:
      model.add(Dense(layers[j][0], activation=layers[j][1]))
    if dropout and i == 0: \# if dropout == True and it is the first layer
      model.add(Dropout(0.5))
                                       # add Dropout layer
 # Compile the model
 model.compile(optimizer="rmsprop",
               loss="binary_crossentropy",
                metrics=["accuracy"])
 # Fit the model
 x_{train}, y_{train} = train_{data}
 history = model.fit(x_train,y_train,
                      enochs=20.
                      validation_split=0.4,
                      batch size=512,
                      verbose=1)
 return history
```

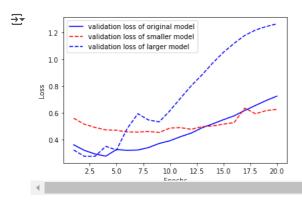
Note: During regularization, because the penalty is only added at training time, the loss for this model will be much higher at training than at test time

```
# Load data
(train_data, train_labels), (test_data, test_labels) = imdb.load_data(num_words=10000)
```

```
x_train = vectorize_sequences(train_data)
x test = vectorize sequences(test data)
y_train = np.asarray(train_labels).astype("float32")
y_test = np.asarray(test_labels).astype("float32")
train_data = (x_train, y_train)
# layers for different models
original_layers = {"h1":[16, "relu"],"h2":[16,"relu"],"output":[1,"sigmoid"]}
smaller_layers = {"h1":[4, "relu"],"h2":[4,"relu"],"output":[1,"sigmoid"]}
larger_layers = {"h1":[512, "relu"],"h2":[512,"relu"],"output":[1,"sigmoid"]}
# get different trained networks for comparison
history_smaller_model = get_neural_network(train_data,smaller_layers,False,False) # model with lower capacity
history_larger_model = get_neural_network(train_data,larger_layers,False,False) # model with higher capacity
history_original_model = get_neural_network(train_data,original_layers,False,False) # original model
history_regularization = get_neural_network(train_data,original_layers,True,False) # model with L2 regularization
history_dropout = get_neural_network(train_data,original_layers,False,True) # model with Dropout layers
→ Epoch 1/20
    Epoch 2/20
    Epoch 3/20
    30/30 [====
                           ======] - 1s 33ms/step - loss: 0.5046 - accuracy: 0.8398 - val_loss: 0.5114 - val_accuracy: 0.7857
    Epoch 4/20
    30/30 [====
                       :========] - 1s 32ms/step - loss: 0.4684 - accuracy: 0.8721 - val_loss: 0.4847 - val_accuracy: 0.8418
    Epoch 5/20
    30/30 [====
                            ======] - 1s 32ms/step - loss: 0.4404 - accuracy: 0.8942 - val_loss: 0.4683 - val_accuracy: 0.8703
    Epoch 6/20
                 30/30 [=====
    Epoch 7/20
    30/30 [=====
                Epoch 8/20
    30/30 [=====
                 Epoch 9/20
    30/30 [====
                                   - 1s 32ms/step - loss: 0.3669 - accuracy: 0.9465 - val_loss: 0.4440 - val_accuracy: 0.8659
    Epoch 10/20
    30/30 [====
                             =====] - 1s 31ms/step - loss: 0.3534 - accuracy: 0.9531 - val_loss: 0.4451 - val_accuracy: 0.8618
    Epoch 11/20
    30/30 [=====
                    Epoch 12/20
    30/30 [====
                         =======] - 1s 35ms/step - loss: 0.3290 - accuracy: 0.9637 - val loss: 0.4393 - val accuracy: 0.8666
    Epoch 13/20
    30/30 [============= - 1s 32ms/step - loss: 0.3181 - accuracy: 0.9669 - val loss: 0.4400 - val accuracy: 0.8677
    Epoch 14/20
    30/30 [====
                               :===] - 1s 32ms/step - loss: 0.3079 - accuracy: 0.9704 - val_loss: 0.4465 - val_accuracy: 0.8634
    Epoch 15/20
                         :=======] - 1s 33ms/step - loss: 0.2985 - accuracy: 0.9731 - val_loss: 0.4432 - val_accuracy: 0.8678
    30/30 [=====
    Epoch 16/20
                              =====] - 1s 32ms/step - loss: 0.2894 - accuracy: 0.9751 - val_loss: 0.4838 - val_accuracy: 0.8460
    30/30 [=====
    Enoch 17/20
                            ======] - 1s 32ms/step - loss: 0.2802 - accuracy: 0.9784 - val_loss: 0.4312 - val_accuracy: 0.8759
    30/30 [=====
    Epoch 18/20
    30/30 [=====
                                   - 1s 33ms/step - loss: 0.2718 - accuracy: 0.9805 - val loss: 0.4319 - val accuracy: 0.8748
    Epoch 19/20
    30/30 [=====
                         :=======] - 1s 35ms/step - loss: 0.2640 - accuracy: 0.9813 - val_loss: 0.4588 - val_accuracy: 0.8650
    Epoch 20/20
                            ======] - 1s 32ms/step - loss: 0.2565 - accuracy: 0.9825 - val_loss: 0.4735 - val_accuracy: 0.8593
    30/30 [=====
    Epoch 1/20
    30/30 [===
                         =======] - 10s 310ms/step - loss: 0.5511 - accuracy: 0.7476 - val_loss: 0.3030 - val_accuracy: 0.88
    Epoch 2/20
    30/30 [=====
                 Epoch 3/20
    30/30 [====
                          =======] - 9s 293ms/step - loss: 0.1471 - accuracy: 0.9455 - val loss: 0.3114 - val accuracy: 0.886
    Epoch 4/20
    30/30 [===:
                           ======] - 9s 296ms/step - loss: 0.1214 - accuracy: 0.9663 - val_loss: 0.3844 - val_accuracy: 0.875
    Epoch 5/20
    30/30 [=====
                       ========] - 10s 320ms/step - loss: 0.0798 - accuracy: 0.9805 - val_loss: 0.3002 - val_accuracy: 0.88
    Epoch 6/20
                               :===] - 10s 341ms/step - loss: 0.0079 - accuracy: 0.9995 - val_loss: 0.4916 - val_accuracy: 0.88
    30/30 [===
    Epoch 7/20
                30/30 [=====
    Epoch 8/20
                      :========] - 10s 321ms/step - loss: 0.2954 - accuracy: 0.9734 - val loss: 0.5201 - val accuracy: 0.88
    30/30 [====
    Epoch 9/20
val_loss_original = history_original_model.history["val_loss"]
val_loss_smaller = history_smaller_model.history["val_loss"]
val_loss_larger = history_larger_model.history["val_loss"]
epochs = range(1,21)
plt.plot(epochs,val_loss_original,"b",label="validation loss of original model")
```

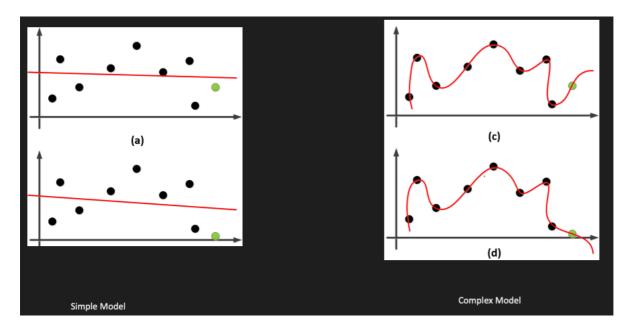
plt.plot(epochs,val\_loss\_smaller,"r--",label="validation loss of smaller model")

```
plt.plot(epochs,val_loss_larger,"b--",label="validation loss of larger model")
plt.xlabel("Epochs")
plt.ylabel("Loss")
plt.legend()
plt.show()
```



- 1. The smaller model starts overfitting later than the reference model (after 10 epochs rather than 4), and its performance degrades more slowly once it starts overfitting.
- 2. The bigger model starts overfitting almost immediately, after just one/two epoch, and it overfits much more severely. Its validation loss is also noisier. It gets training loss near zero very quickly. The more capacity the model has, the more quickly it can model the training data (resulting in a low training loss), but the more susceptible it is to overfitting (resulting in a large difference between the training and validation loss).

WHY?

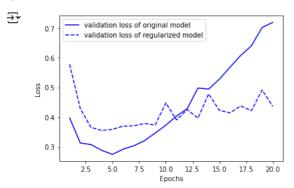


We have seen the effects of model capacity (or size). Now let's see the effect of some regularization techniques.

### First, we will see weight regularization

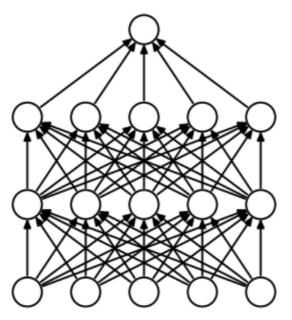
Remember, we have used L2(0.002) regularization. (Q: what is 0.002?)

```
val_loss_original = history_original_model.history["val_loss"]
val_loss_regularization = history_regularization.history["val_loss"]
epochs = range(1,21)
plt.plot(epochs,val_loss_original,"b",label="validation loss of original model")
plt.plot(epochs,val_loss_regularization,"b--",label="validation loss of regularized model")
plt.xlabel("Epochs")
plt.ylabel("Loss")
plt.legend()
plt.show()
```

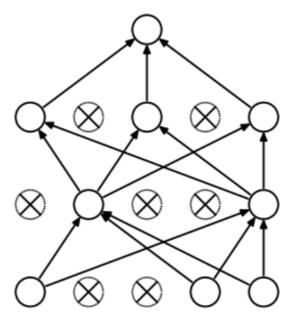


The model with L2 regularization has become much more resistant to overfitting than the reference model, even though both models have the same number of parameters.

Now let's consider another regularziation technique - Adding Dropout

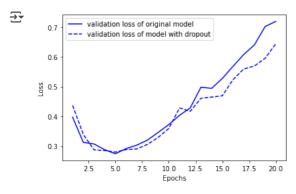


(a) Standard Neural Net



(b) After applying dropout.

```
val_loss_original = history_original_model.history["val_loss"]
val_loss_dropout = history_dropout.history["val_loss"]
epochs = range(1,21)
plt.plot(epochs,val_loss_original,"b",label="validation loss of original model")
plt.plot(epochs,val_loss_dropout,"b--",label="validation loss of model with dropout")
plt.xlabel("Epochs")
plt.ylabel("Loss")
plt.legend()
plt.show()
```



We see that the validation loss with dropout is lower than that of the original model.

Dropout will have a more significant effect for larger models.

```
Start coding or generate with AI.
```

Start coding or generate with AI.