

Designing RNNs for Explainability

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Introduction

RNNs have become very popular in various sequence-processing applications. However, it is still unclear how their decisions/outputs are produced, raising concerns among stakeholders.

Because RNNs need to summarize information across timesteps, we hypothesize that well-structured RNNs would have an advantage of being more explainable although they perform equivalently in terms of objective function. In particular, we study and answer the following questions

- How does the architecture of RNNs affect their explainability?
- Are gating architectures, such as LSTM, more explainable than standard RNNs?

Explanation Methods

Neural networks or RNNs can be viewed as $\mathbf{x} \mapsto f(\mathbf{x})$.

Explanation methods aim to find relevance scores $R_i(\mathbf{x})$ quantifying the importance of every component in $\mathbf{x}_i \in \mathbf{x}$ to $f(\mathbf{x})$.

- Sensitivity Analysis (SA) [1] : $R_i(\mathbf{x}) = \left(\frac{\partial f(\mathbf{x})}{\partial x_i} \right)^2$
 - Guided Backprop (GB) [2] is proposed for ReLU-type architectures. It is based on computing the derivatives, but local gradients are backpropagated only when incoming activations and the signal are not positive.
 - Deep Taylor Decomposition (DTD) [3] is derived specifically for explaining neural networks with ReLU activations. It redistributes $f(\mathbf{x})$ to \mathbf{x} using certain propagation rules derived from the Taylor expansion.
- Given j and k are neurons in two consecutive hidden layers, DTD distributes relevance scores as follows :

$$R_j(\mathbf{x}) = \sum_k \frac{a_j w_{jk}^+}{\sum_{j'} a_{j'} w_{j'k}^+} R_k(\mathbf{x})$$

where $a_j \in [0, \infty)$ is neuron j 's activation and $w_{jk}^+ = \max(0, w_{jk})$.

Experimental Setup

We construct an artificial classification problem using MNIST and FashionMNIST. The classification is to determine the majority sample in the sequence. We name this problem **MNIST-MAJ**.

Relevance heatmap

What pixels make the RNN think the input corresponds to '9'?

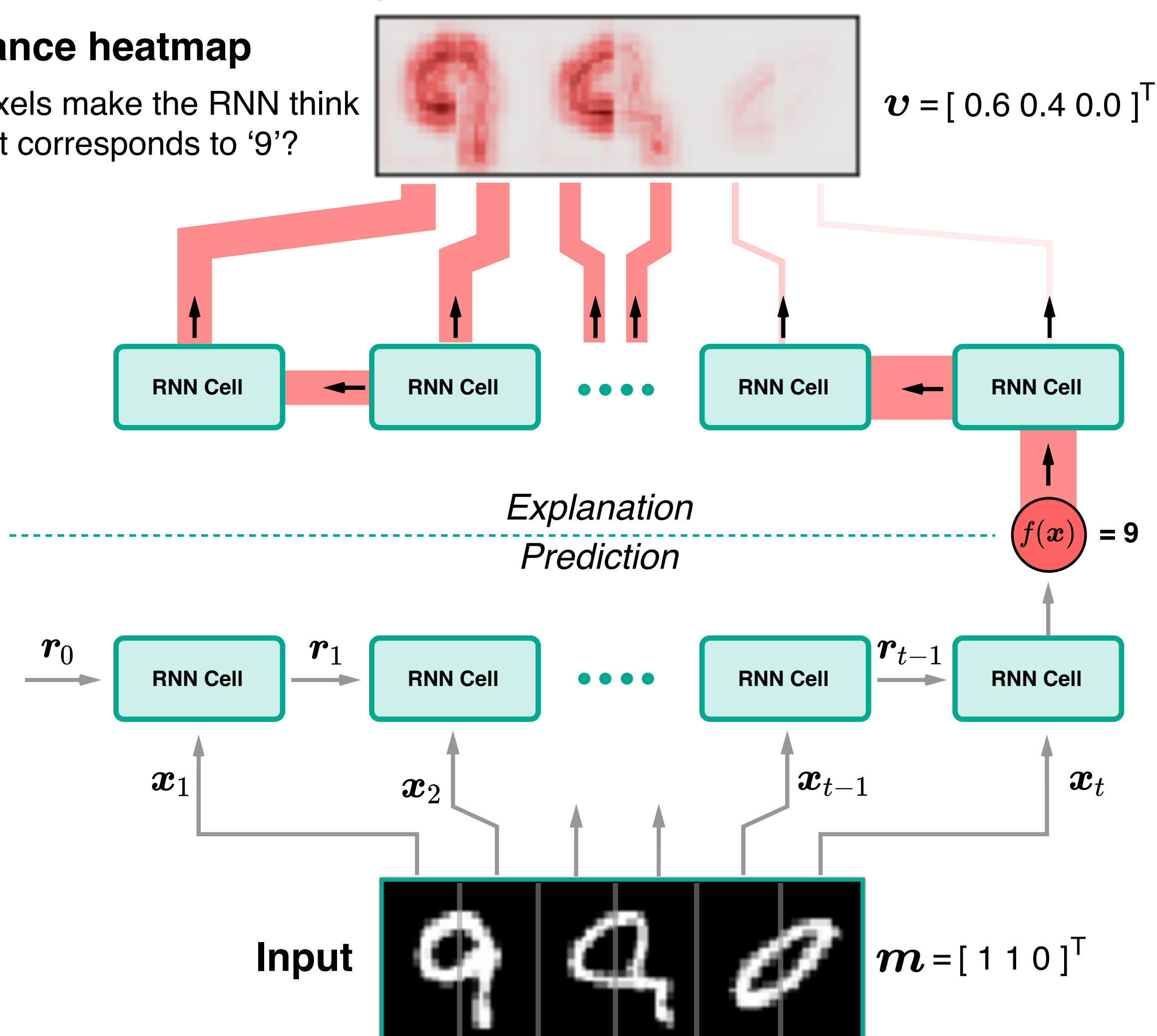


Fig. 1: MNIST-MAJ classification problem and how explanation methods are applied.

References

- [1] - Simonyan et al. (2013). Deep Inside Convolutional Networks: Visualising Image Classification Models and Saliency Maps
 [2] - Springenberg et al. (2014). Striving for Simplicity: The All Convolutional Net.
 [3] - Montavon et al. (2017). Explaining nonlinear classification decisions with deep Taylor decomposition.
 [4] - Pattarawat Chormai. Designing Recurrent Neural Networks for Explainability. <http://bit.ly/pat-thesis-repo>

Architectures

We consider five RNN architectures including Shallow, Deep, ConvDeep, a modified LSTM (R-LSTM) where tanh activations are replaced by ReLU, and R-LSTM with convolutional layers (ConvR-LSTM).

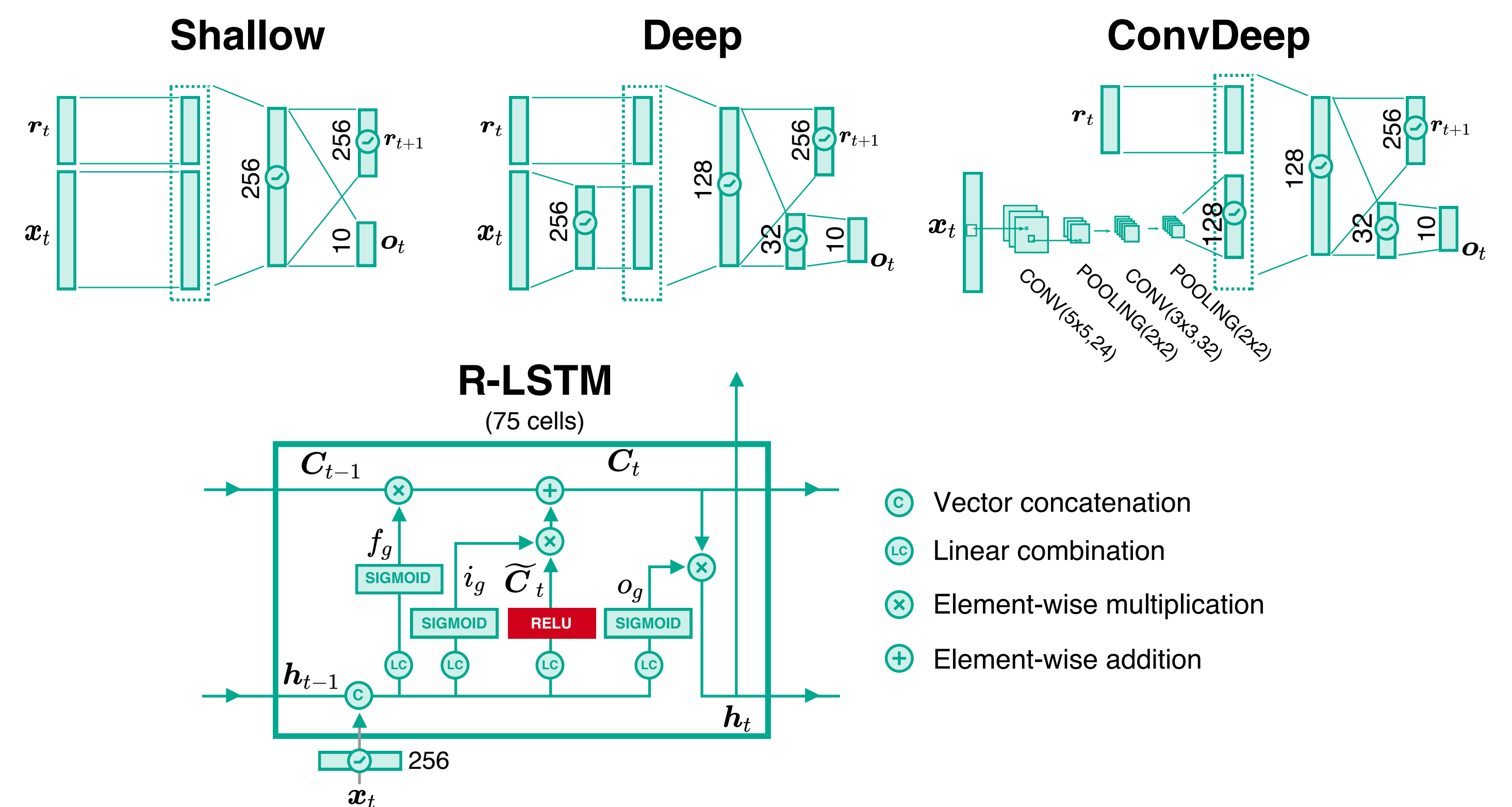


Fig. 2: Shallow, Deep, ConvDeep, and R-LSTM architectures with the number of neurons in each layers depicted.

Results

We train models to reach accuracy approximately 98% for MNIST-MAJ and 85% for FashionMNIST-MAJ using sequence length 12 ($\mathbf{x}_t \in \mathbb{R}^{28 \times 7}$).

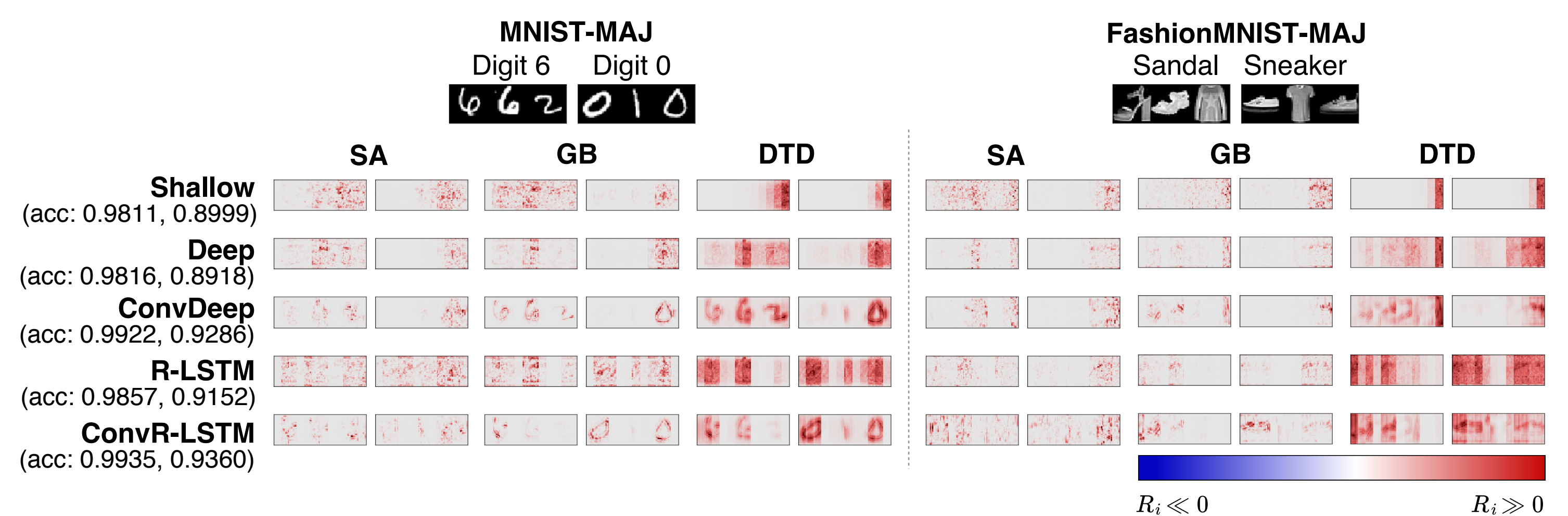


Fig. 3: Relevance heatmaps of MNIST-MAJ and FashionMNIST-MAJ samples from different models and explanation methods.

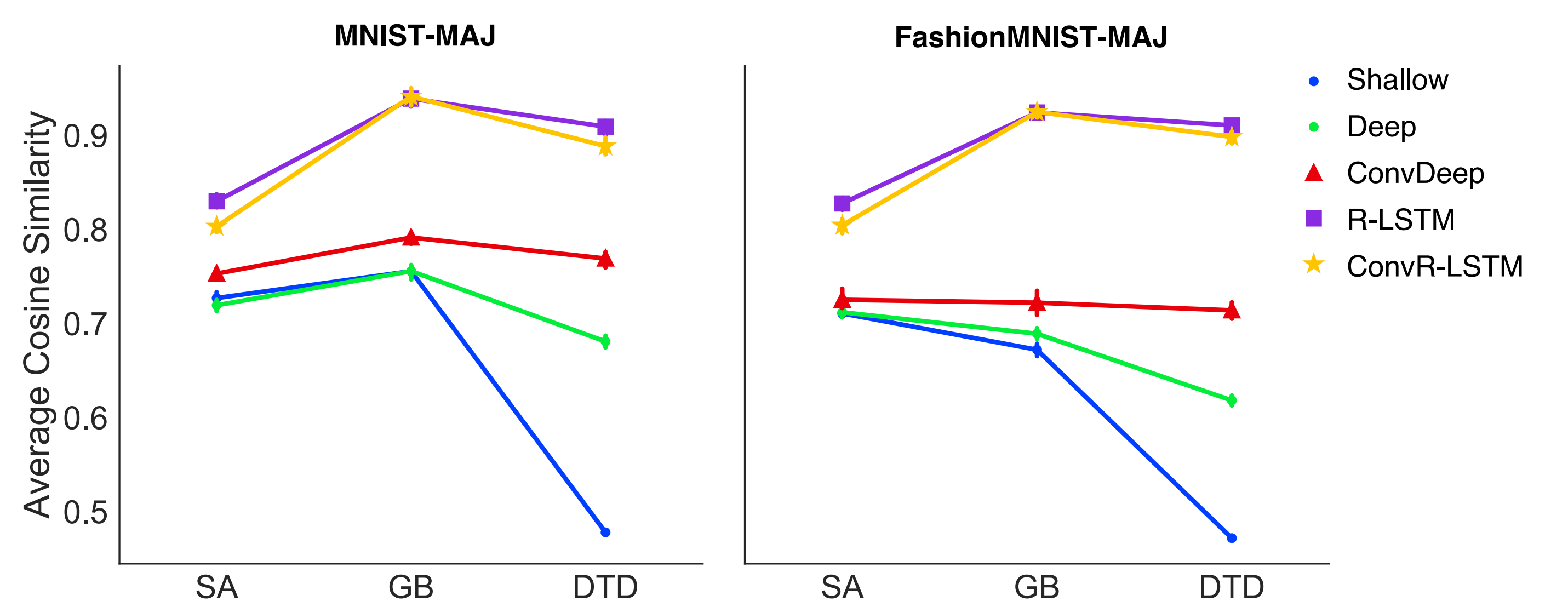


Fig. 4: Quantitative evaluation of explainability of RNNs using cosine similarity between the binary vector \mathbf{m} where each element indicates whether the digit/item is relevant and the vector \mathbf{v} of relevance scores at digit/item level. The statistics is averaged over test samples of 7-fold cross-validation.

Discussion

- Our results show that deeper RNN and LSTM-type architectures have more explainable predictions even though their accuracy is equivalent.
- The results also suggest that DTD is more sensitive to the architecture of RNNs than SA and GB.

Acknowledgement

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