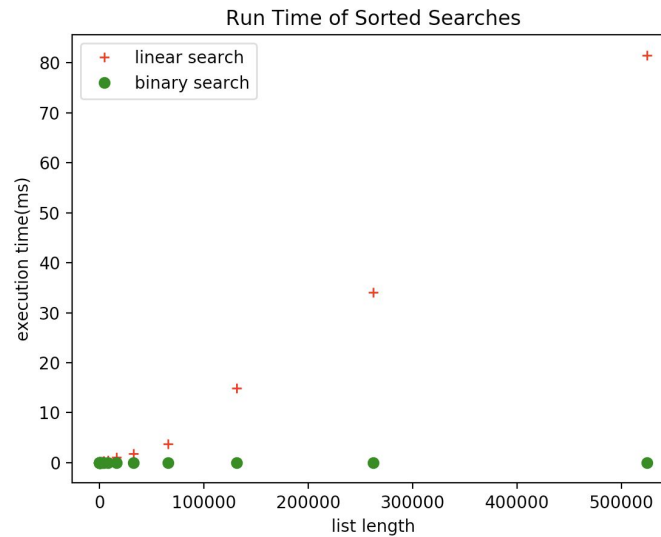


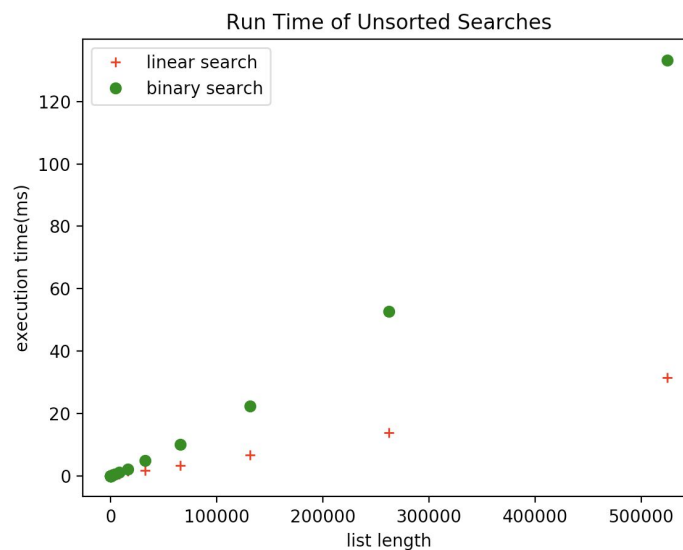
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CS51P - Tuesday Lab

A9: Search Performance

The graph generated by `plot_comparison` when given the results of `sorted_comparison` as the first argument:



The graph generated by `plot_comparison` when given the results of `unsorted_comparison` as the first argument:



A comparison between your experimental results and a big-O analysis of the algorithms you implemented.

Note that both of these comparisons were done under worst-case scenarios.

For the sorted comparison, `binary_search` was clearly more efficient. Its run time was practically zero for every list length while the run time of `linear_search` increased quite dramatically as the list length increased. These results line up with the big-O analysis of the algorithms:

- Linear: Is $O(n)$ because it iterates through one for loop once for each element in the inputted list.
- Binary: Is $O(\log(n))$ because after every comparison with the middle term, our searching range gets divided into half of the current range. In order to find the desired value in a list of n elements, the function will have to recurse k times.

$$n^{(1/2)^k} = 1$$

Simplifying this equation show that:

$$n^{(1/2^k)} = 1$$

$$n = 2^k$$

$$\log(\text{base } 2)n = k$$

You end up with a $O(\log(n))$ function for `binary_search`.

$O(n)$ is a higher order than $O(\log(n))$ and thus takes longer to compute.

For the unsorted comparison, `linear_search` was more efficient. As the list lengths increased, `linear_search` run times increased at a much lower rate than `binary_search` run times. These results also line up with the big-O analysis of the algorithms:

- Linear: Is $O(n)$ because it iterates through one for loop once for each element in the inputted list.
- Binary: The function `binary_search` is still $O(\log(n))$. However Python's built in `.sort()` function is also called in this algorithm. It is a merge-sort and is $O(n\log(n))$. Therefore, the highest level of BigO in the unsorted_comparison binary algorithm is $O(n\log(n))$.

$O(n\log(n))$ is more steps than the $O(n)$ of the linear sort and thus takes longer to compute.

A few sentences, grounded in the data you collected, addressing how you would advise someone choosing between using your linear search and your binary search codes.

`Linear_search` is most efficient if the list(s) in question are unsorted. I would advise someone to use the `binary_search` only if their list(s) in question is already sorted. Since `binary_search` can only be used on sorted lists, the list must be sorted before it can be used as a parameter in `binary_search`. The extra time it takes to sort the list adds to the overall run time, therefore making `binary_search` slower than a `linear_search` for an originally unsorted list.