

## HW6

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The workfunction of the gate metal is the energy difference bet the vacuum level and Fermi level. In our convention, the fermi level is 0eV, and  $V=4.3\text{eV}$ .

The energy difference bet the vacuum level and the intrinsic fermi level of silicon is 4.63eV. The intrinsic fermi level of silicon is at -0.33eV.

$\epsilon_{ox} = 3.9\epsilon_0$	$\epsilon_{si} = 11.7\epsilon_0$	$\epsilon_{ox} = 3.9\epsilon_0$
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The difference with the previous homework is :  $\phi(0) = \phi(a) = 0.33374V$ . These values could be different by the gate voltage. We change the gate voltage 0 to 1.

$$\phi = 0.32V \rightarrow E_i = -0.32\text{eV}, E_c = 0.24\text{eV} \dots E_c - E_f = 0.24\text{eV}$$

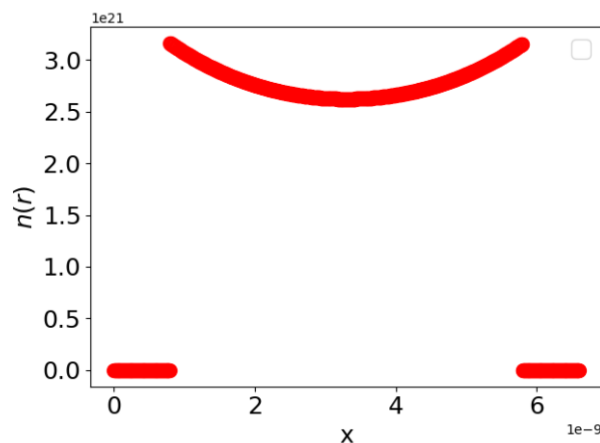
$$\phi = 1.32V \rightarrow E_i = -1.32\text{eV}, E_c = -0.76\text{eV} \dots E_c - E_f = -0.76\text{eV}$$

If we apply large gate volatage, our electrostatic potential getting larger and also the electron density. That is contradicted with our depletion approximation. Thus we have to consider self-consistence solution.

Effective DOS of the conduction band, at 300K,  $N_c = 2.86 * 10^{19}\text{cm}^{-3}$ . At eqb, the electron density is  $n(r) = N_c \exp\left(\frac{E_f - E_c}{k_B T}\right)$ . However, we set  $E_f$  to zero. And the  $E_c = -q\phi + E_c - E_i$ .

$$n(r) = N_c \exp\left(\frac{q\phi - E_c + E_i}{k_B T}\right) = n_i \exp\left(\frac{\phi}{V_T}\right), p(r) = n_i \exp\left(-\frac{\phi}{V_T}\right)$$

We make the figure of electron density where the gate voltage is 0.



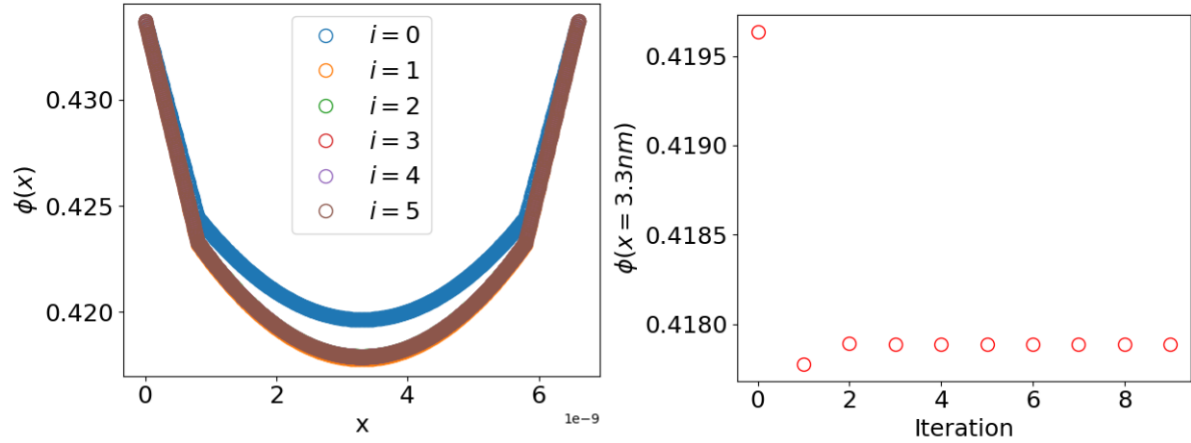
Now, let's go back to the Poisson equation :

$$\frac{d}{dx} \left[ \epsilon(x) \frac{d}{dx} \phi(x) \right] = -\rho(x), \quad \rho(x) = q(p(x) - n(x) - N_{acc})$$

We can now consider electron & hole density. By using those densities, we now can find  $\phi$  again.

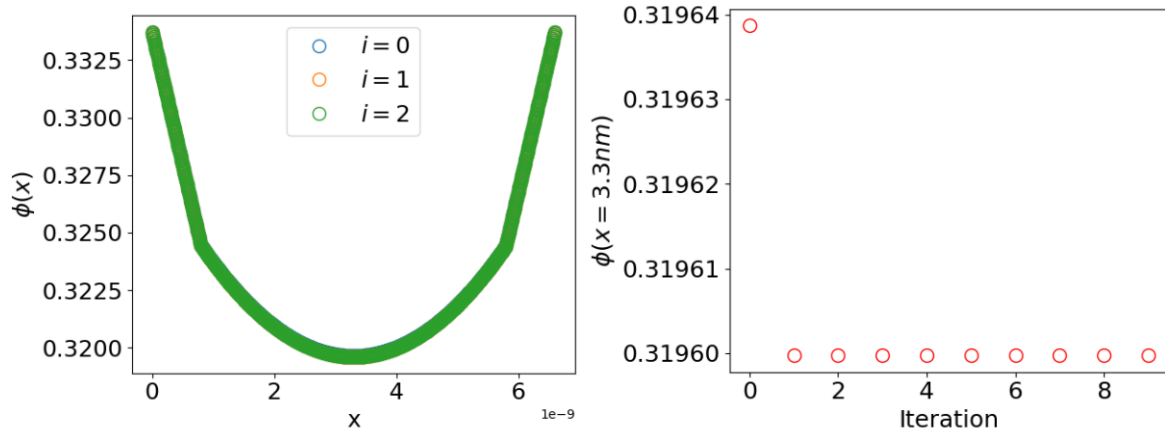
$$1. V_{gate} = 0.1V$$

Here is the result of  $\phi(x)$  by the routine of density & voltage 'i' times iteratively.



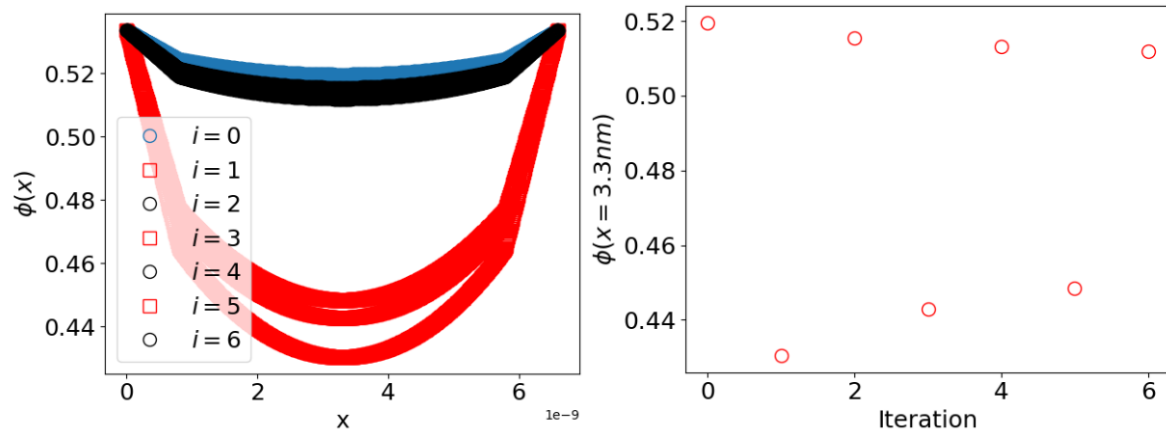
We can find that as the iteration goes,  $\phi$  converges to some values. Since the center of voltage,  $\phi(x = 3.3nm)$ , changes most dramatically, let's see the behavior of  $\phi(x = 3.3nm)$ .

$$2. V_{gate} = 0V$$



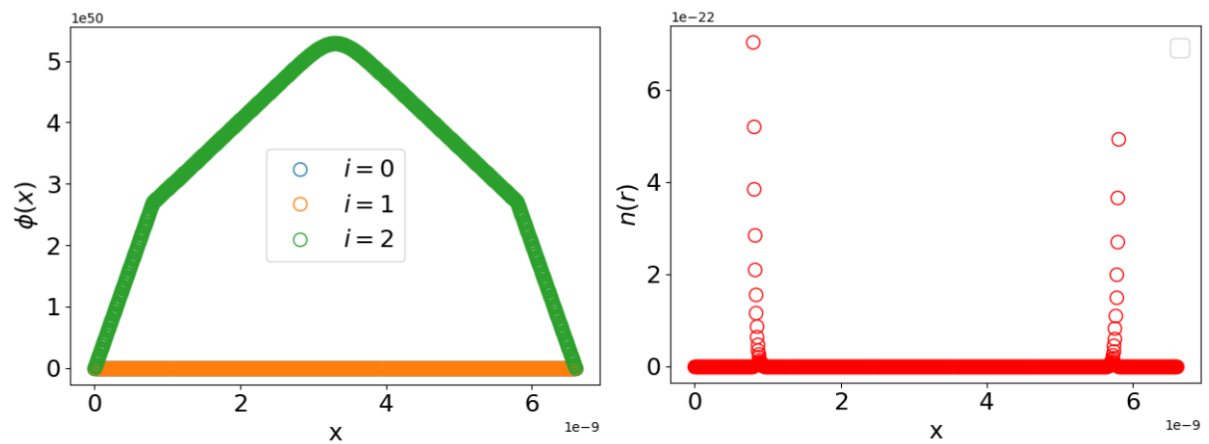
This left figure tells us the reason why  $V_{gate} = 0.1V$  is shown first. When  $V_{gate} = 0V$ ,  $\phi$  just looks similar even though the density of electron & hole is calculated iteratively.

3.  $V_{gate} = 0.2V$



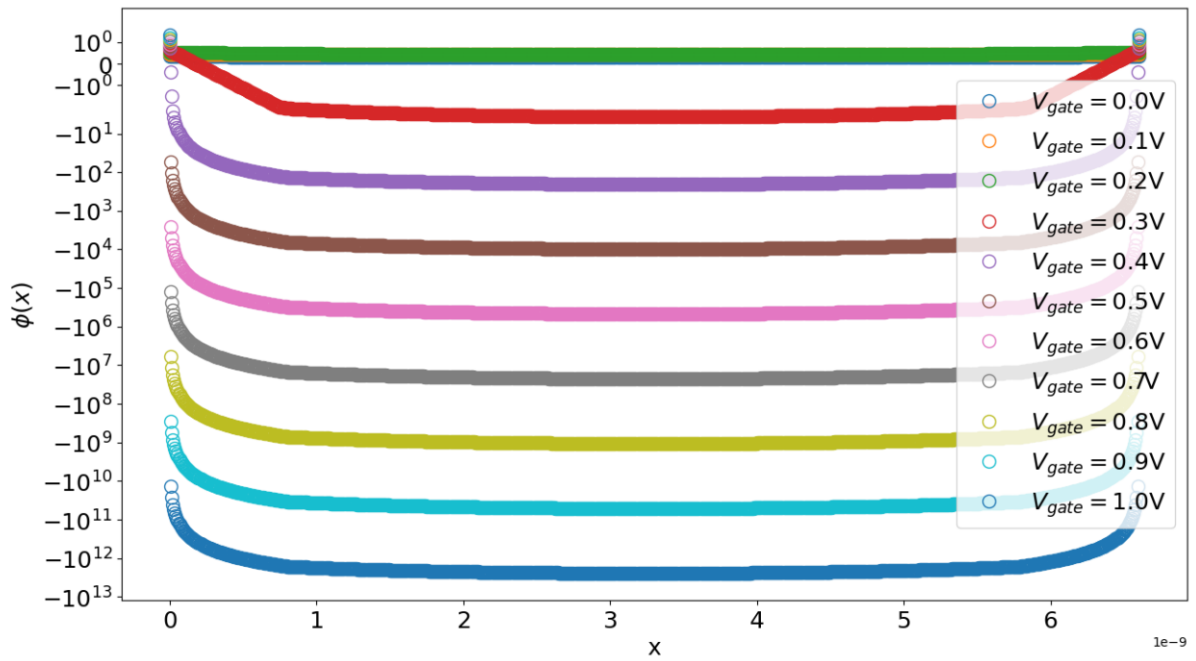
It shows another interesting behavior. Odd iterations are red. Even iterations are black. They show different behaviors. We also find the minimum value of  $\phi(x = 3.3nm)$  in the right figure.

4.  $V_{gate} \geq 0.3V$



Now it shows weird behavior. The density of electrons and holes diverges or converge to 0.

5.  $V_{gate} = 0 \sim 1V$



Only one more steps are done to get the voltages.