

# Special Topics on Basic EECS I

## VLSI Devices

### Lecture 1

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# Course

- Course number: EC4301
- 3 credits
- 09:00~10:15 on every Monday/Wednesday
- Instructor: Sung-Min Hong

# Outline

- VLSI devices
  - Simply, MOSFET
- Purpose of this course
  - Advanced course for MOSFETs
- Contents (See the syllabus.)
  - Electrons and holes in silicon
  - PN junctions
  - MOS capacitors
  - Metal-silicon contacts
  - High-field effects
  - ...

# Prerequisite and references

- Semiconductor Materials and Devices (EC3206)
- Textbook
  - Y. Taur and T. H. Ning, Fundamentals of Modern VLSI Devices



Prof. Yuan Taur  
(UCSD)

# Resources

- Presentation materials

<https://github.com/hi2ska2/device2024s>

- Homework submission and notice
  - GIST LMS system

- YouTube channel

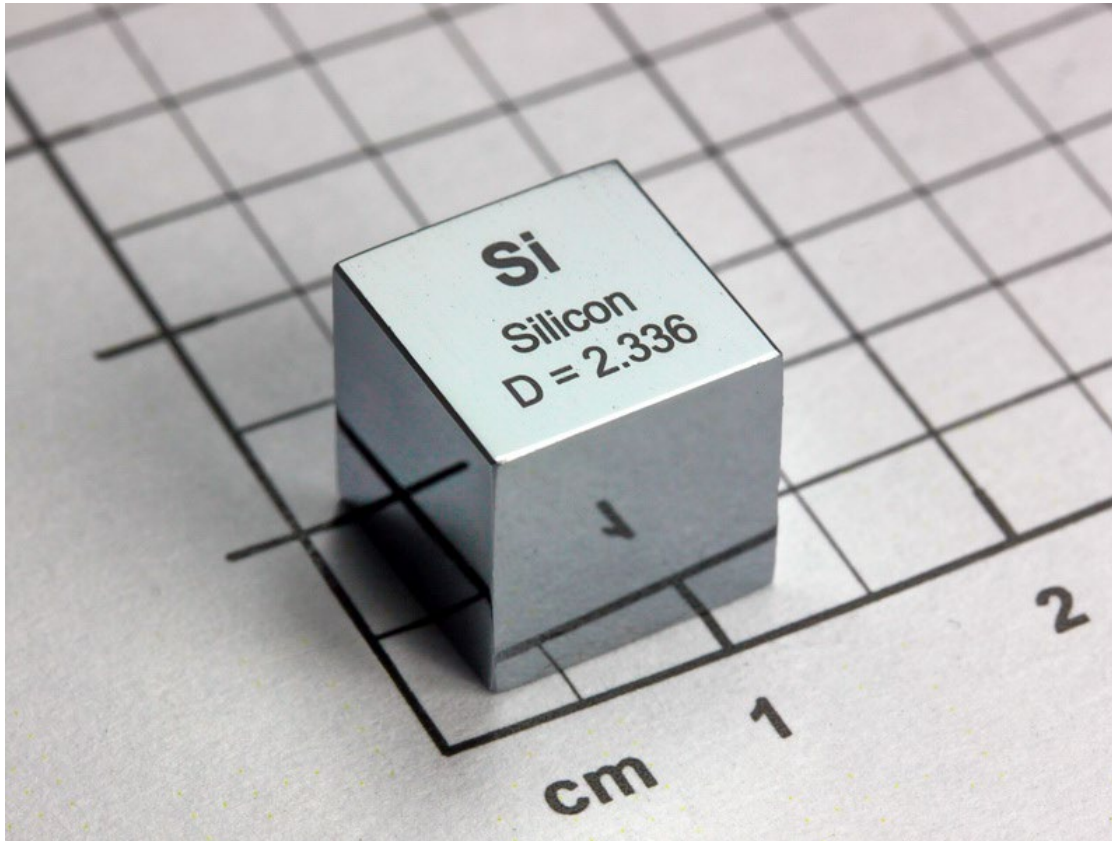
<https://www.youtube.com/@SungMinHong>

# Grading and policy

- Attendance: 10 %
- Mid-term examination: 40 %
- Final examination: 50 %
- You have some homeworks.
  - However, it does not contribute to the total score.

# Number of electrons in Si

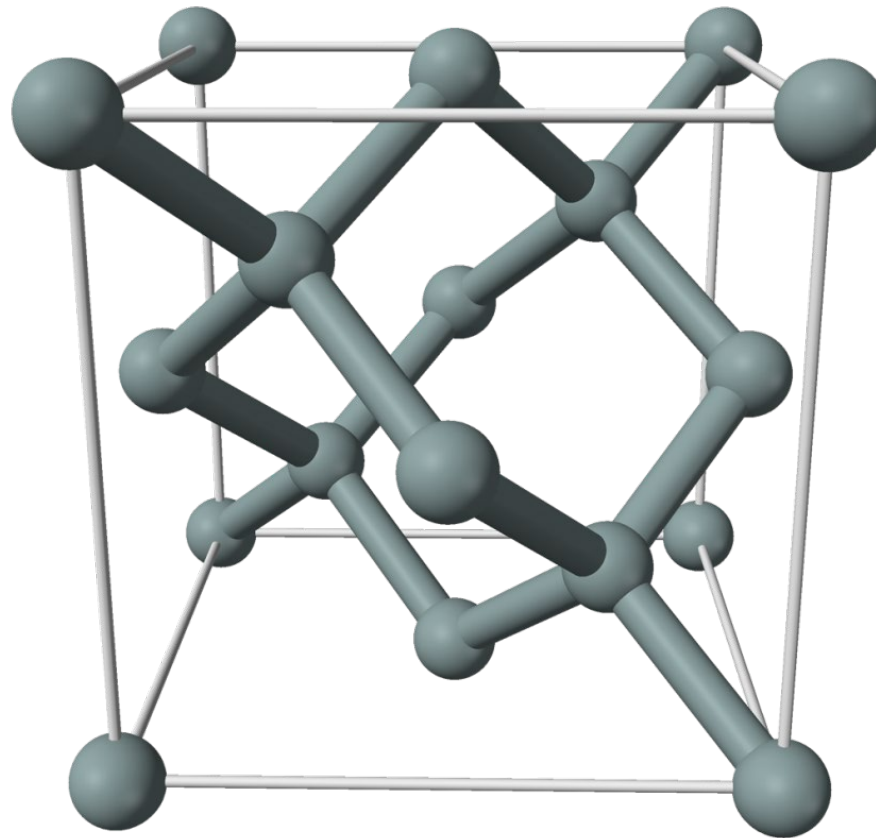
- $\sim 5 \times 10^{22}$  Si atoms in  $1 \text{ cm}^3$ 
  - 14 electrons for each Si atom



Silicon cube  
(Smart-elements.com)

# Crystal structure of Si

- Diamond structure
  - FCC (face-centered cubic) lattice + two-atom basis

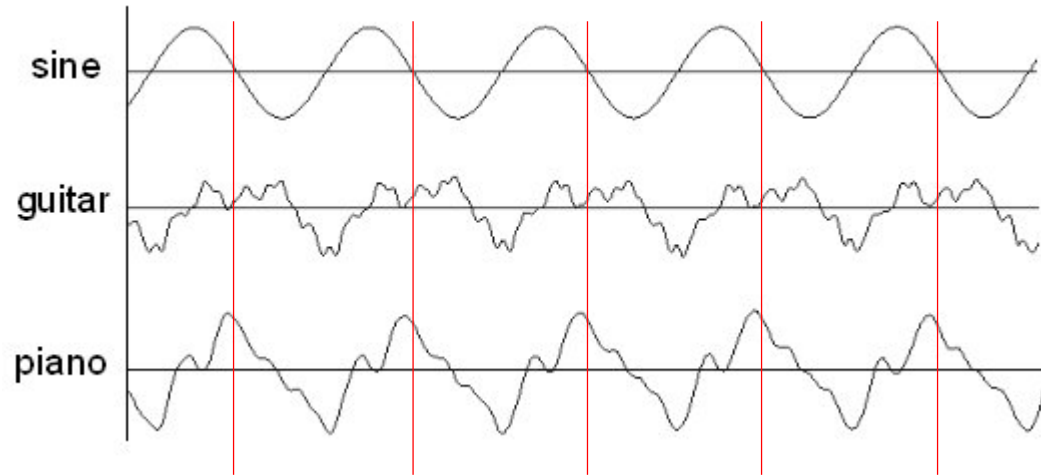


Diamond structure  
(Wikipedia)



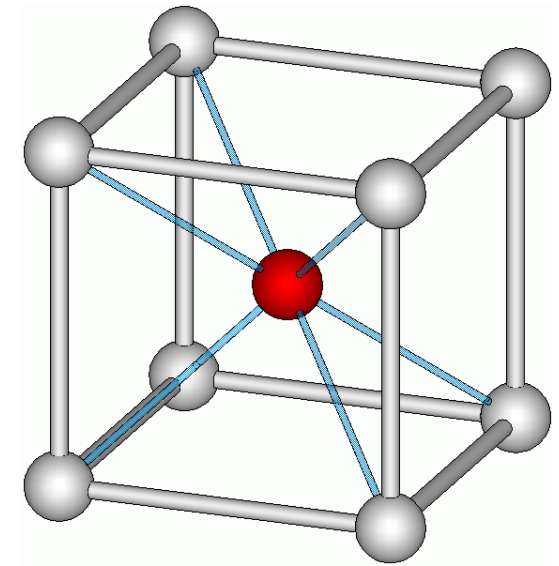
# Lattice & basis

- Analogy to sound



Waveforms  
(yuvalnov.org)

- 3D example
  - Cesium Chloride (CsCl)
  - Its lattice is the simple cubic. (Not BCC)



Crystal structure of CsCl  
(Wikipedia)

# Basis vectors

- FCC

- Basis vectors of the direct lattice

$$\mathbf{a}_1 = \frac{a}{2} \begin{bmatrix} 0 \\ 1 \\ 1 \end{bmatrix}, \mathbf{a}_2 = \frac{a}{2} \begin{bmatrix} 1 \\ 0 \\ 1 \end{bmatrix}, \mathbf{a}_3 = \frac{a}{2} \begin{bmatrix} 1 \\ 1 \\ 0 \end{bmatrix}$$

- Basis vector of the reciprocal lattice

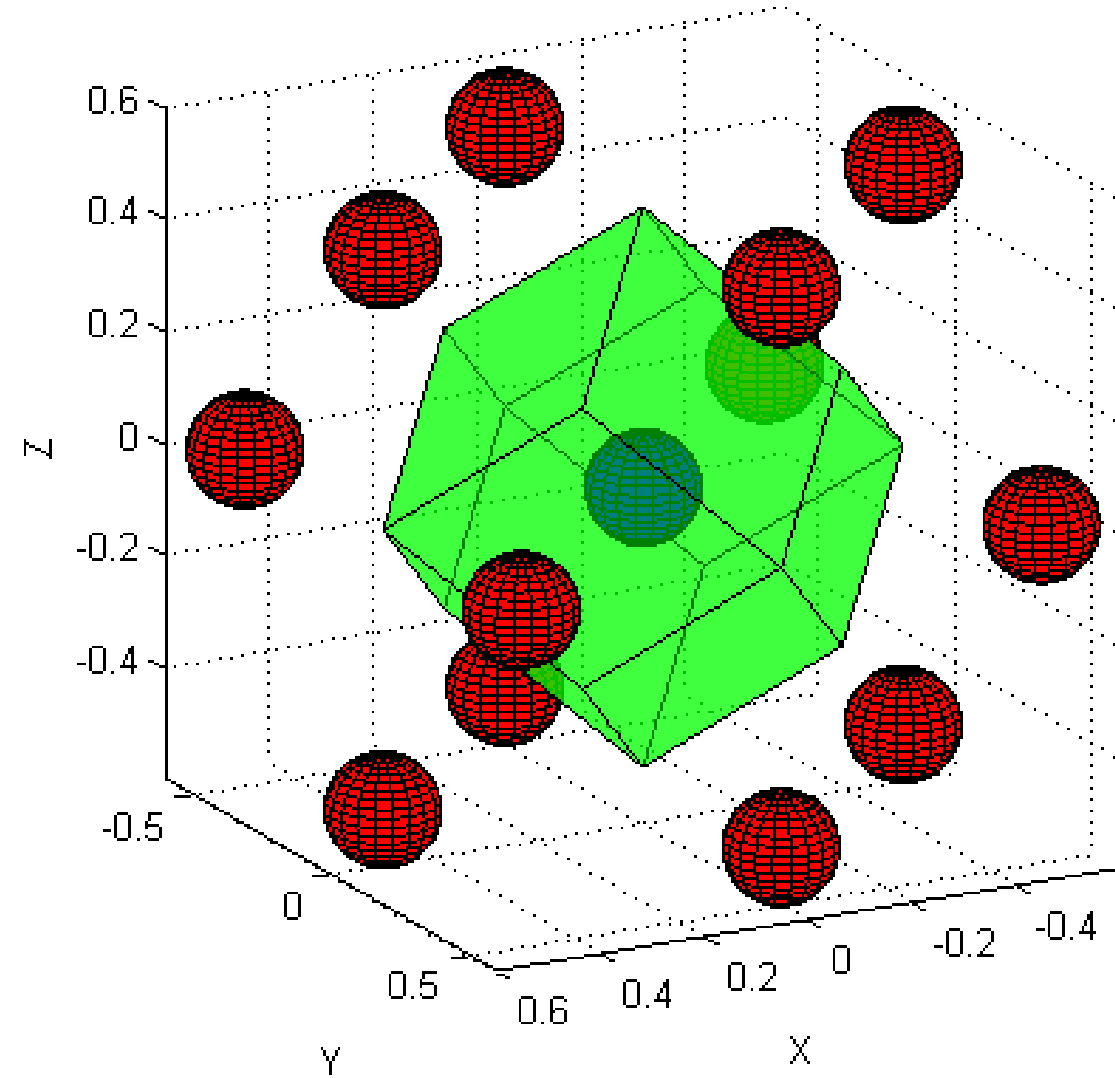
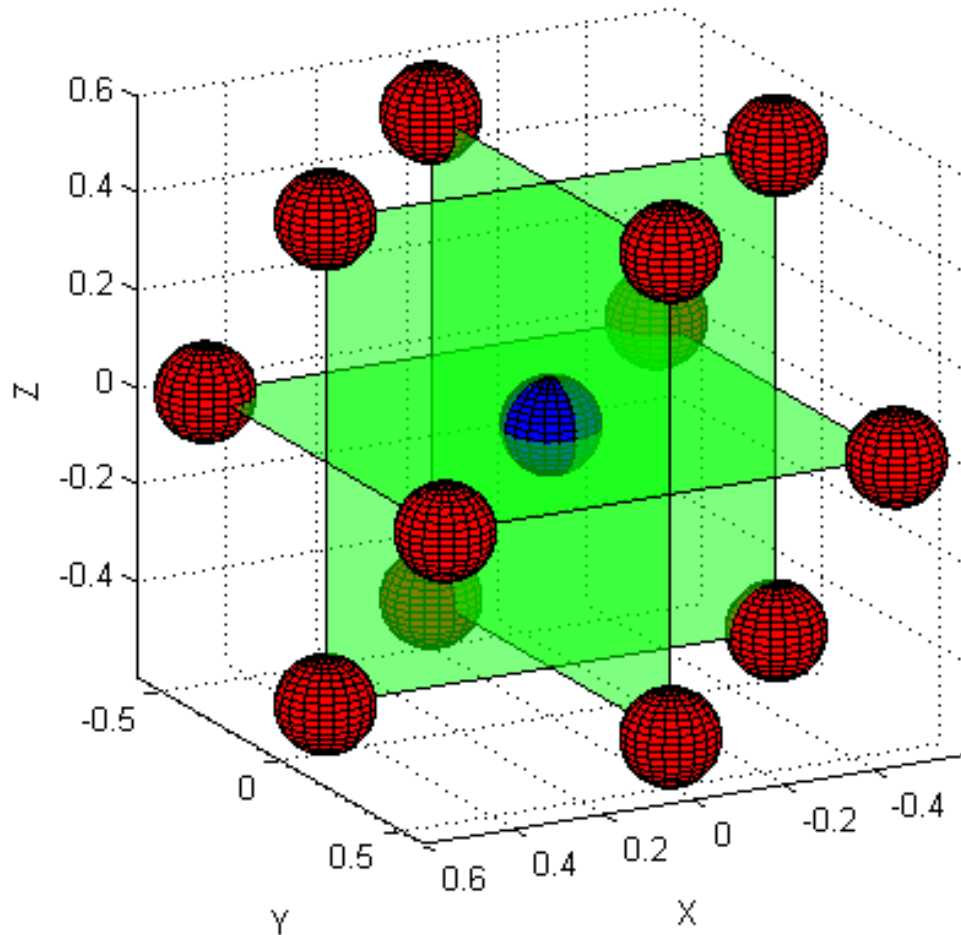
$$\mathbf{b}_1 = \frac{2\pi}{a} \begin{bmatrix} -1 \\ 1 \\ 1 \end{bmatrix}, \mathbf{b}_2 = \frac{2\pi}{a} \begin{bmatrix} 1 \\ -1 \\ 1 \end{bmatrix}, \mathbf{b}_3 = \frac{2\pi}{a} \begin{bmatrix} 1 \\ 1 \\ -1 \end{bmatrix}$$

- Relation between them:

$$\mathbf{a}_i \cdot \mathbf{b}_j = 2\pi\delta_{ij}$$

# Wigner-Seitz primitive cell

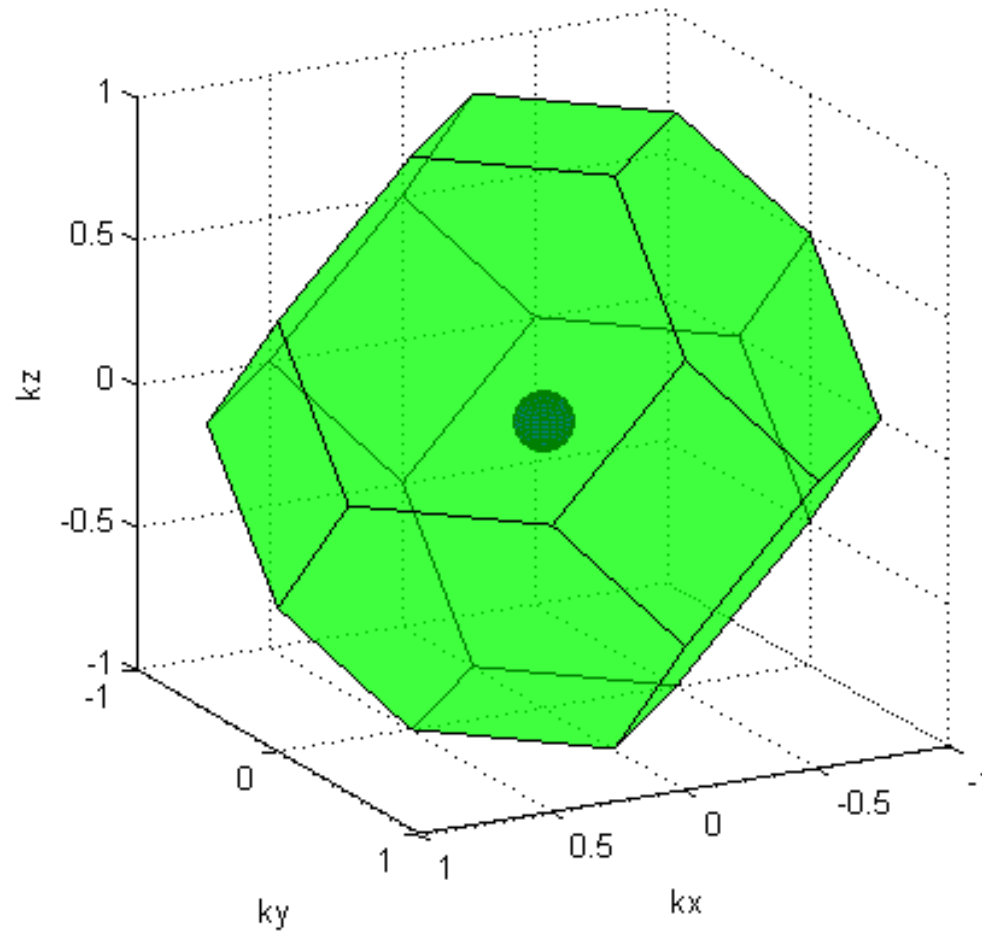
- Lattice points and Wigner-Seitz cell  
– Unit:  $a$



# Brillouin zone

- Wigner-Seitz cell of the reciprocal lattice

– Unit:  $\frac{2\pi}{a}$



# Miller index and related notations

- For the special case of simple cubic crystals, the lattice vectors are orthogonal and of equal length (usually denoted  $a$ ), as are those of the reciprocal lattice. Thus, in this common case, the Miller indices  $(hkl)$  and  $[hkl]$  both simply denote normals/directions in Cartesian coordinates. (Wikipedia)
  - Plane:  $(hkl)$
  - All equivalent planes:  $\{hkl\}$
  - Direction:  $[hkl]$
  - All equivalent directions:  $\langle hkl \rangle$

# Thank you!