

VLSI Devices

Lecture 15

Sung-Min Hong (smhong@gist.ac.kr)

Semiconductor Device Simulation Laboratory

Department of Electrical Engineering and Computer Science

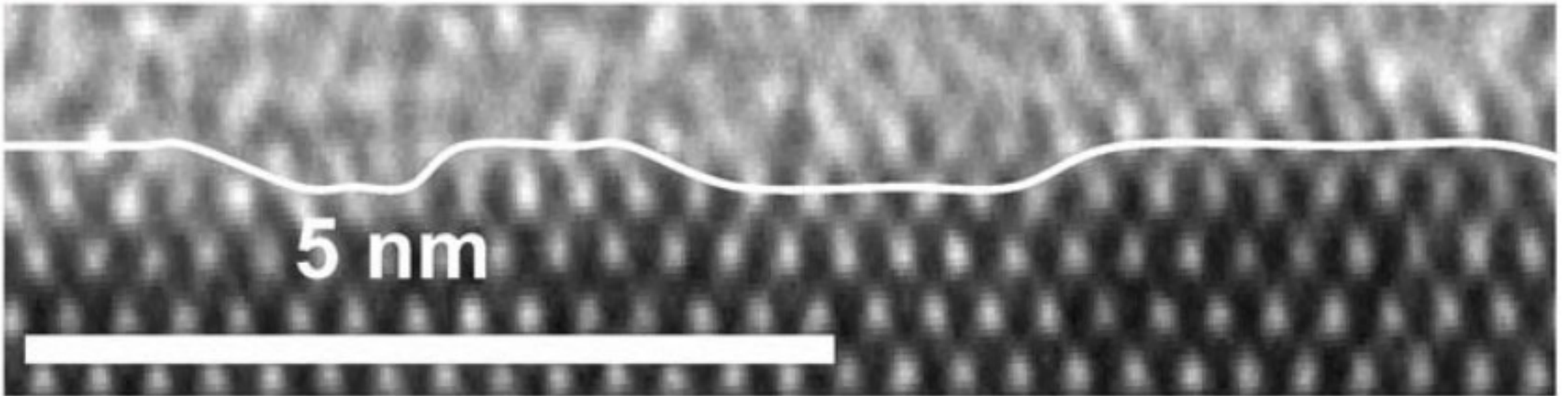
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Coverage

- Two YouTube lectures reserved for advanced topics
 - L14: ~~Substrate bias~~, channel mobility
 - L15: 3.2.1
 - L16: 3.2.1 (Continued)
 - L17: Velocity saturation (3.2.2)
 - L18: Channel length modulation and so on (3.2.3, 3.2.4, 3.2.5)
 - L19: MOSFET scaling
 - L20: MOSFET scaling (Continued)
 - L21: Quantum effect (4.2.4)
 - L22: Double-gate MOSFETs (10.3)
 - L23: FinFETs
 - L24: CFETs

Rough surface

- High-resolution TEM image of SiO₂/Si interface
 - How can we characterize the roughness? Autocorrelation function, $\Delta(r)$. Usually, $\Delta^2 \exp\left(-\frac{r^2}{\Lambda^2}\right)$ or $\Delta^2 \exp\left(-\frac{r}{\Lambda}\right)$



HRTEM image (Prof. Shinichi Takagi's group, IEEE TED, 2010)

Effective mobility against effective field

- Effective field

- Average electric field perpendicular to the Si-SiO₂ interface experienced by the carriers in the channel

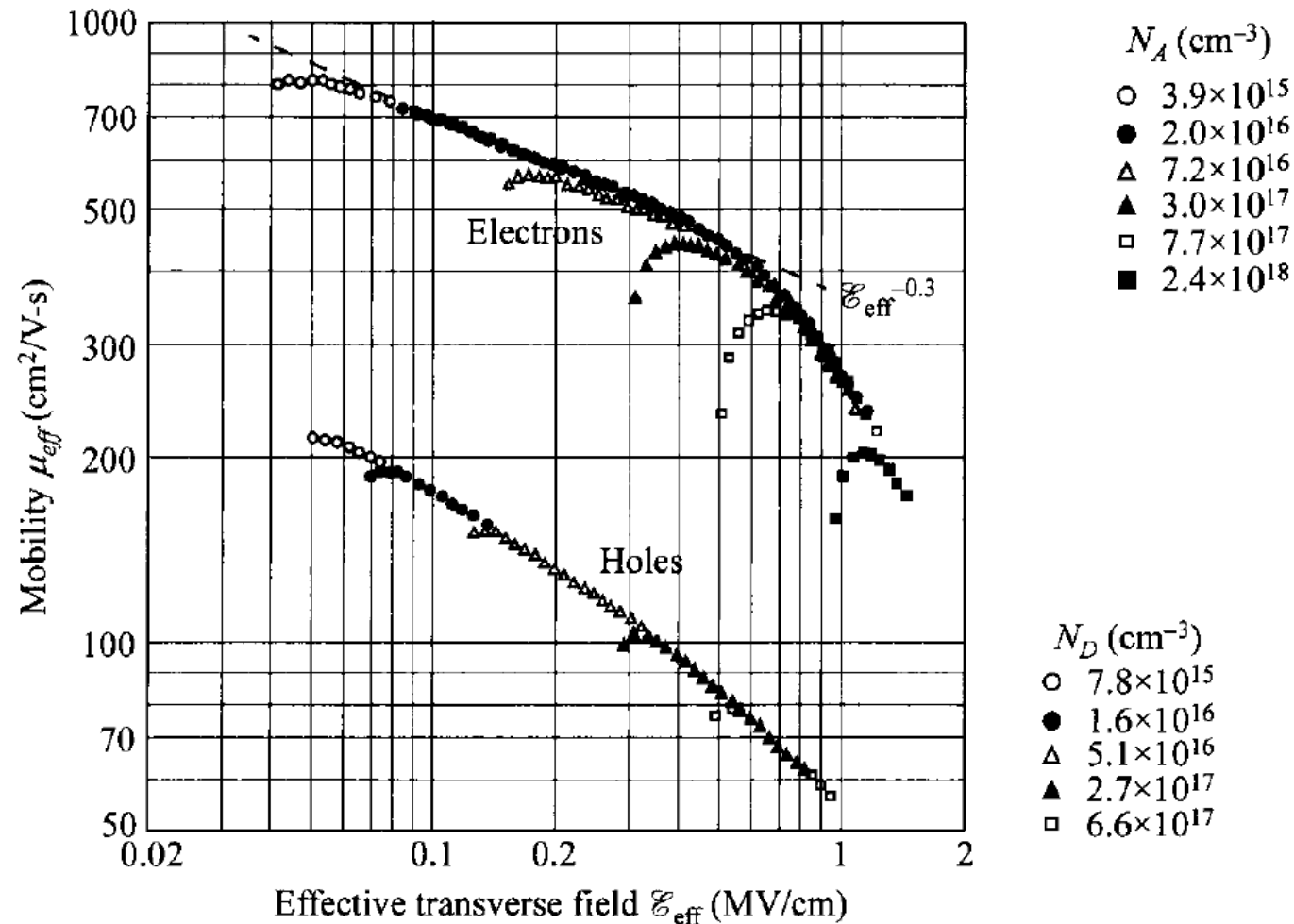
$$\mathcal{E}_{eff} = \frac{1}{\epsilon_{si}} \left(|Q_d| + \frac{1}{2} |Q_i| \right) \quad \text{Taur, Eq. (3.51)}$$

- Using $|Q_d| \approx C_{ox}(V_t - V_{fb} - 2\phi_B)$ and $|Q_i| \approx C_{ox}(V_{gs} - V_t)$,

$$\mathcal{E}_{eff} = \frac{V_t - V_{fb} - 2\phi_B}{3t_{ox}} + \frac{V_{gs} - V_t}{6t_{ox}} \quad \text{Taur, Eq. (3.53)}$$

Mobility variation

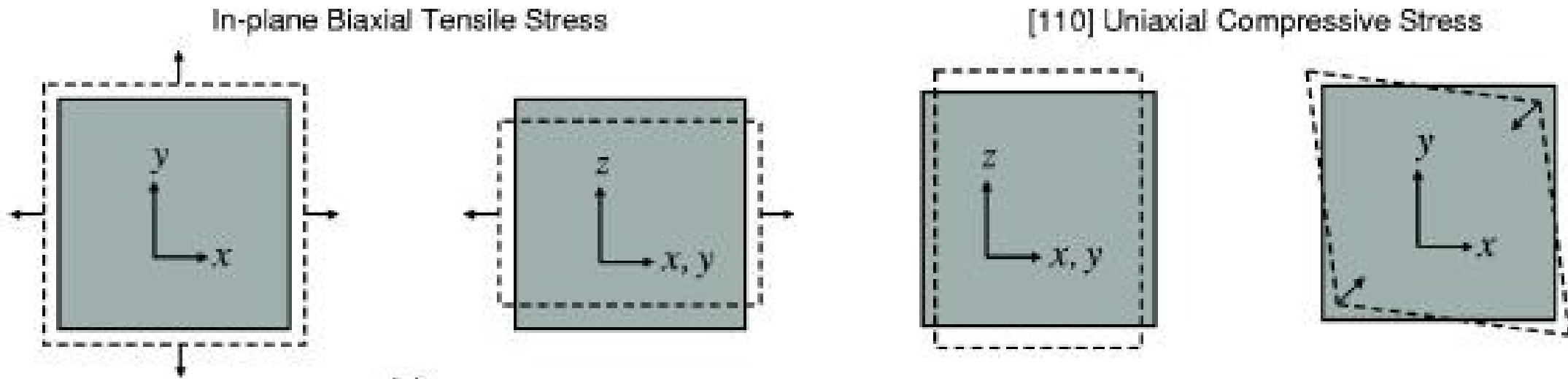
- Mobility variation (Vertical field dependence)



Inversion-layer
mobility
(Sze's book)

Strain effect on mobility

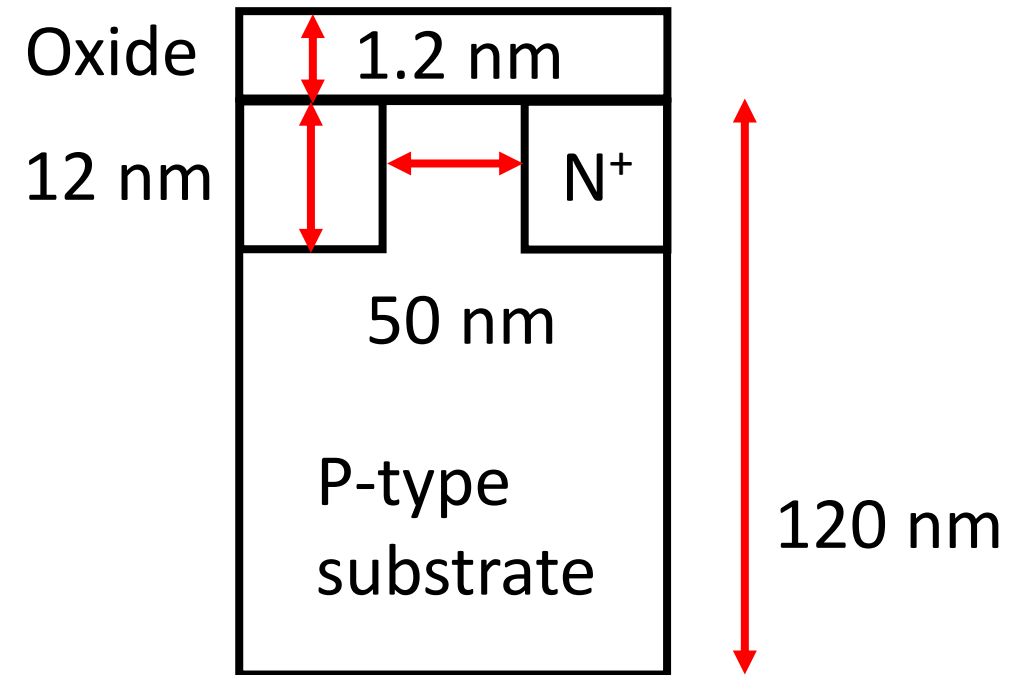
- Default wafer orientation is in the (001) plane.
 - Overall, the VLSI industry has utilized strain to gain about 10~25 % on the drive current of NMOSFET and 50 % or more on the drive current of PMOSFET.



Cubic crystals under stress (Sun et al., JAP, 2007)

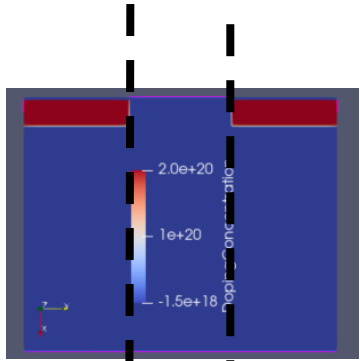
Model planar MOSFET

- Effective oxide thickness of 1.2 nm
 - Gate workfunction of 4.3 eV
 - Substrate doping of $1.5 \times 10^{18} \text{ cm}^{-3}$
 - V_{DD} of 1.2 V
- Channel length of 50 nm
 - Comparison with $1 \mu\text{m}$ device



Short and long structures

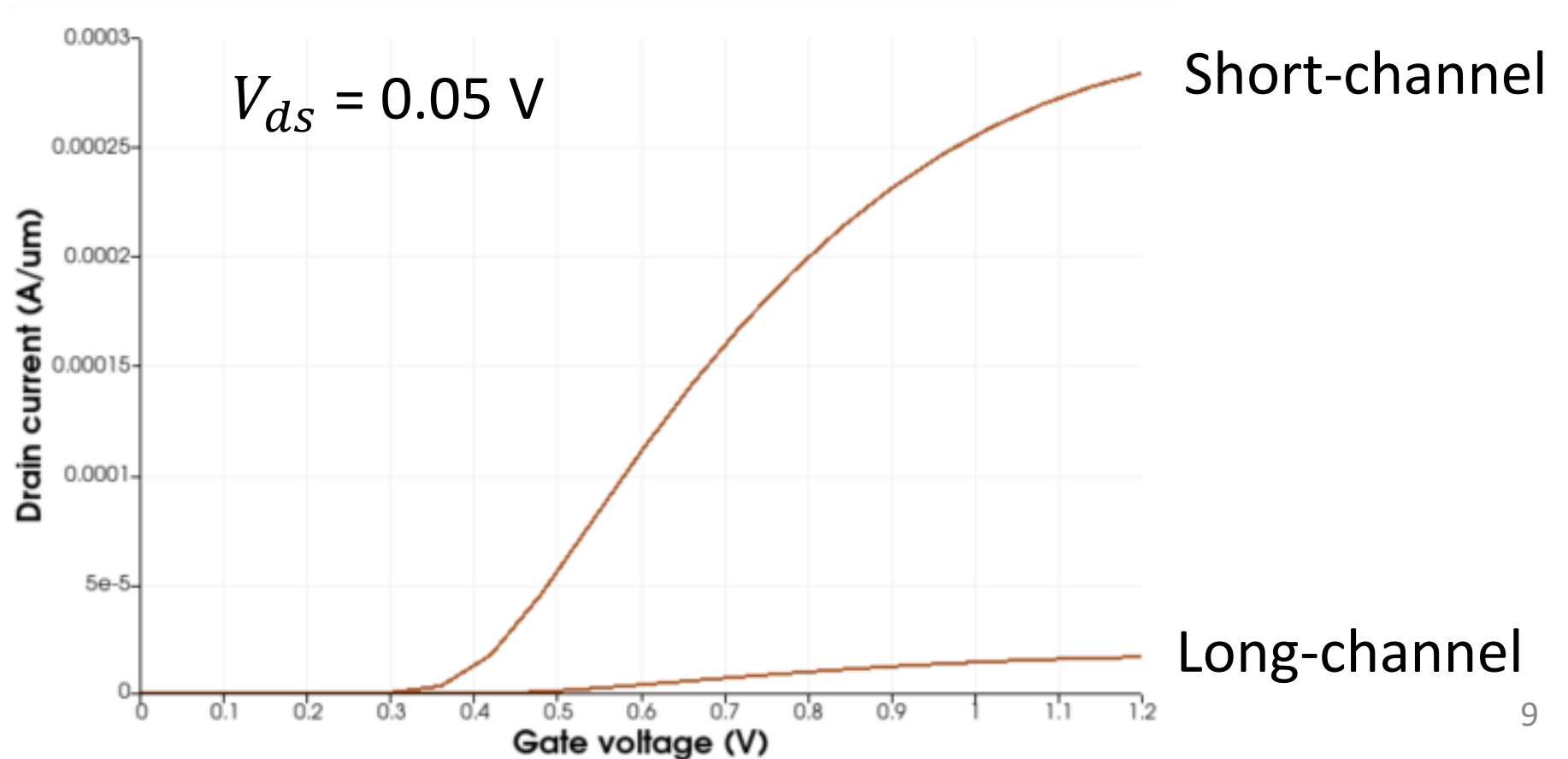
- Drawn in the same scale



Input characteristics

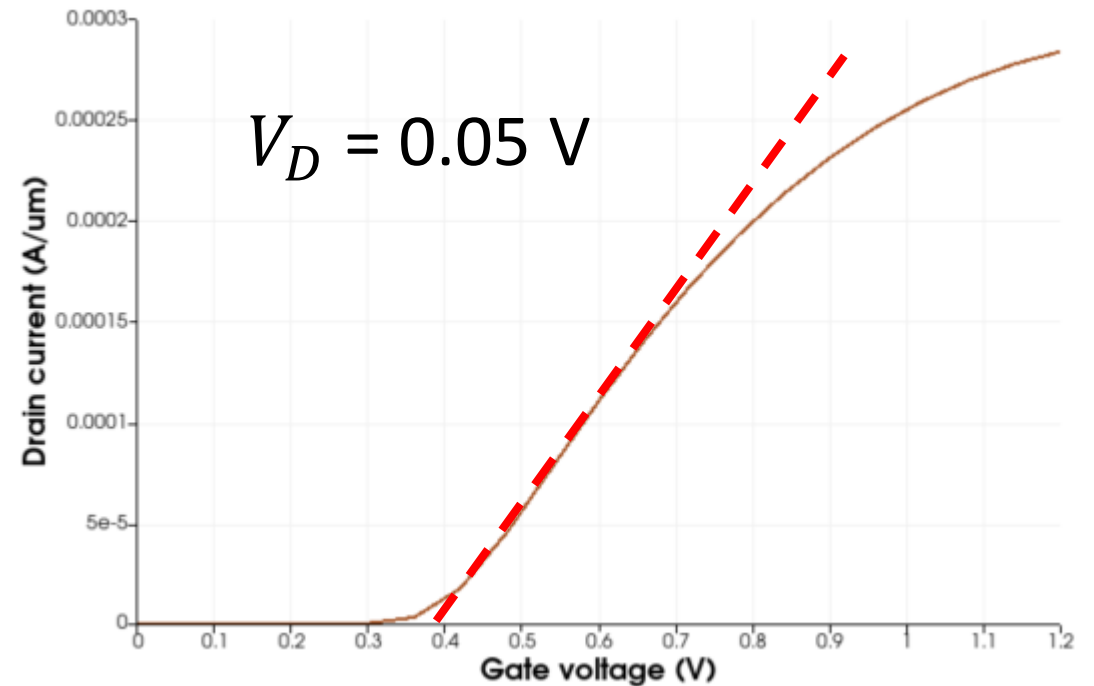
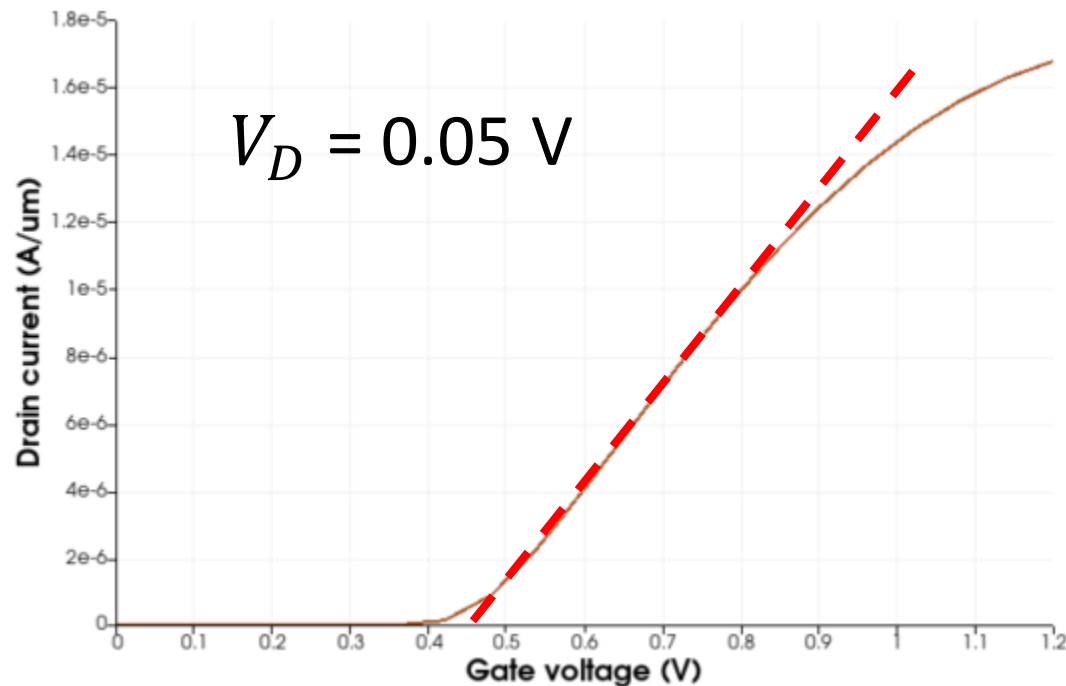
- Physical models included

– Note that $I_D \propto \frac{1}{L}$.



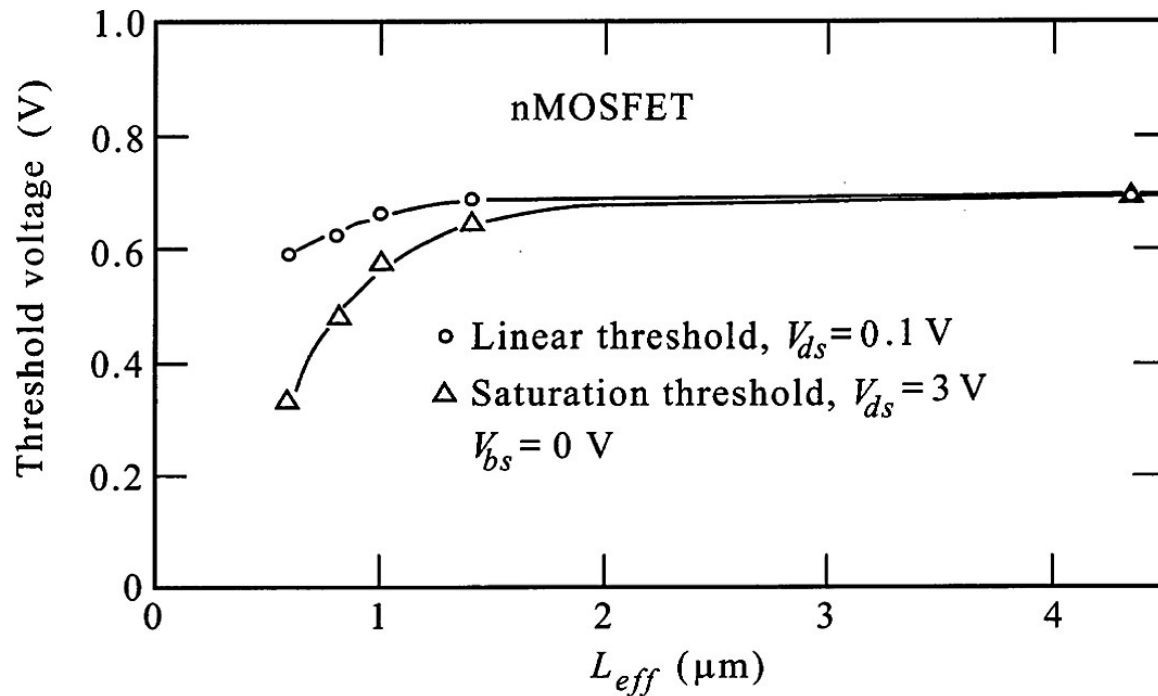
Reduction of V_t , even at a low V_{ds}

- For a short-channel device, the threshold voltage decreases.
 - ~ 0.45 V (Long-channel)
 - ~ 0.4 V (Short-channel)
 - Why?

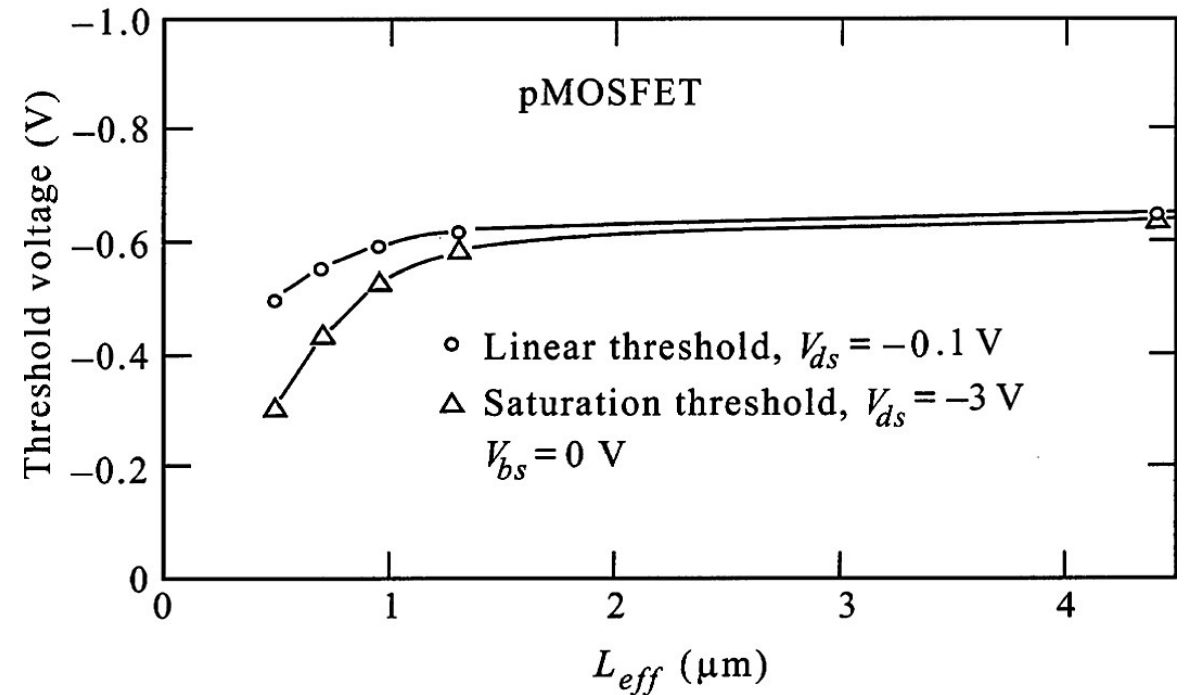


V_t as a function of L

- Short-Channel Effect (SCE) = Decrease of V_t as the channel length is reduced



(a)

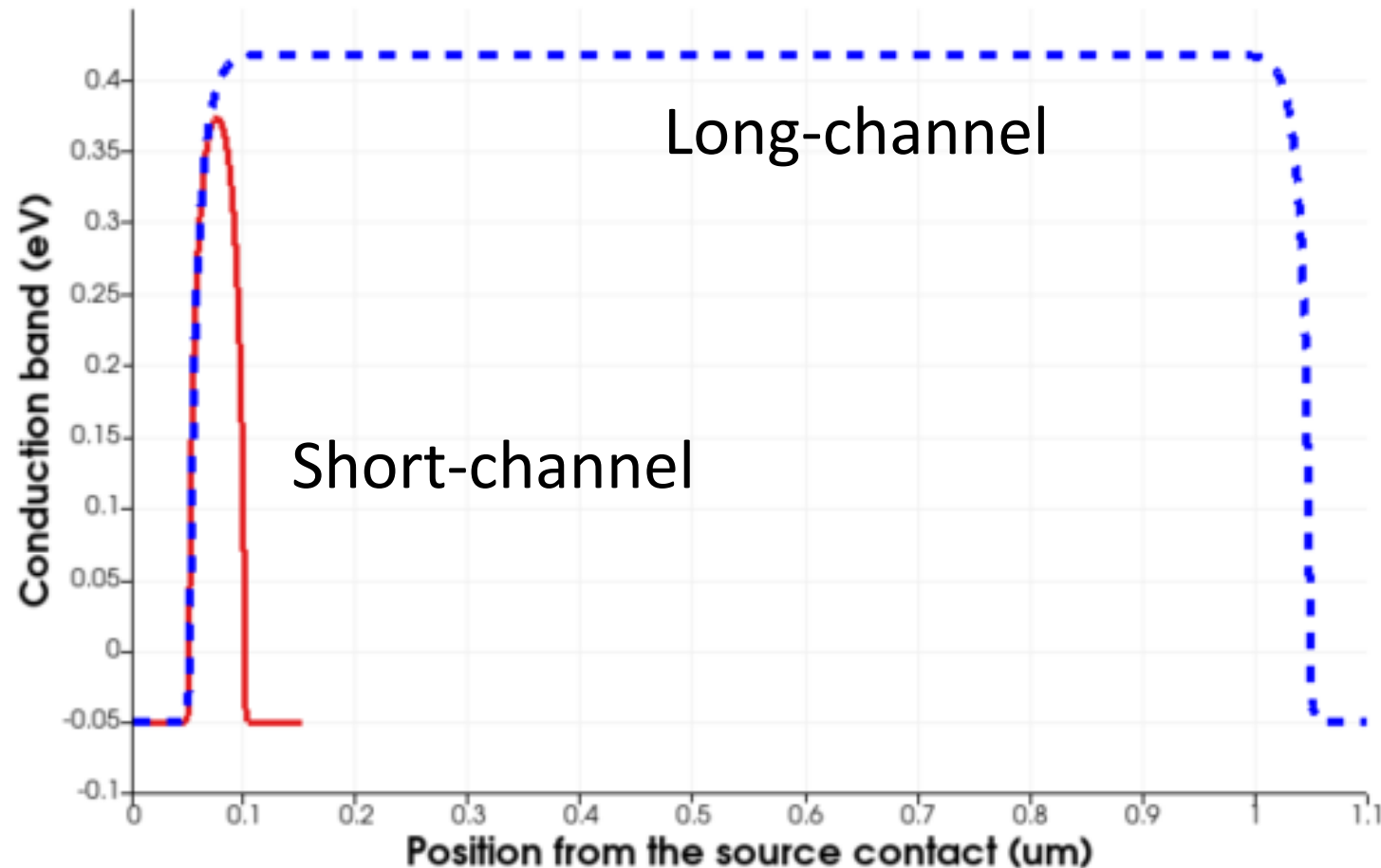


(b)

Short-channel threshold rolloff (Taur, Fig. 3.19)

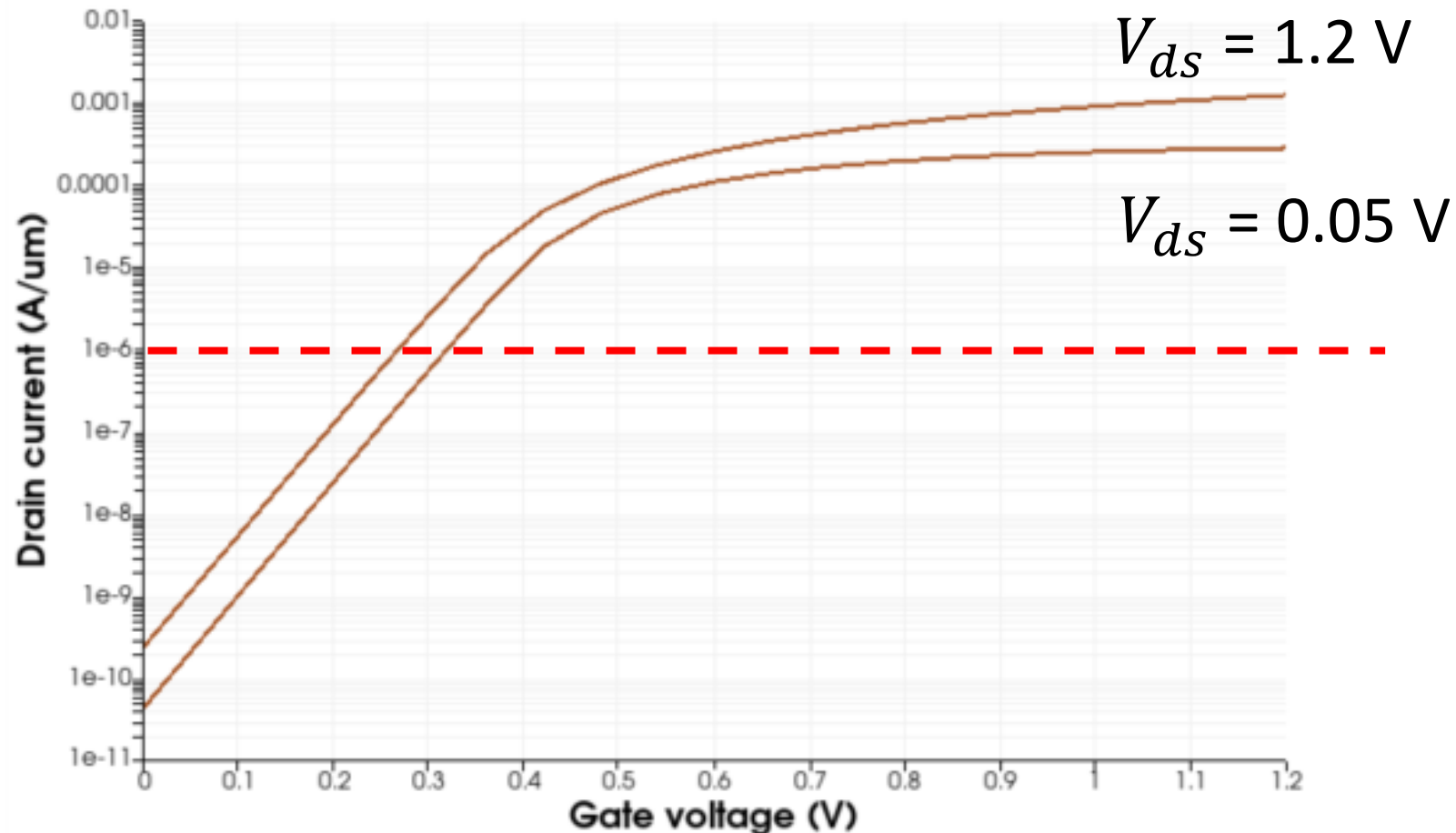
Charge sharing

- Even at $V_{gs} = V_{ds} = 0$ V, the conduction band profiles are different.



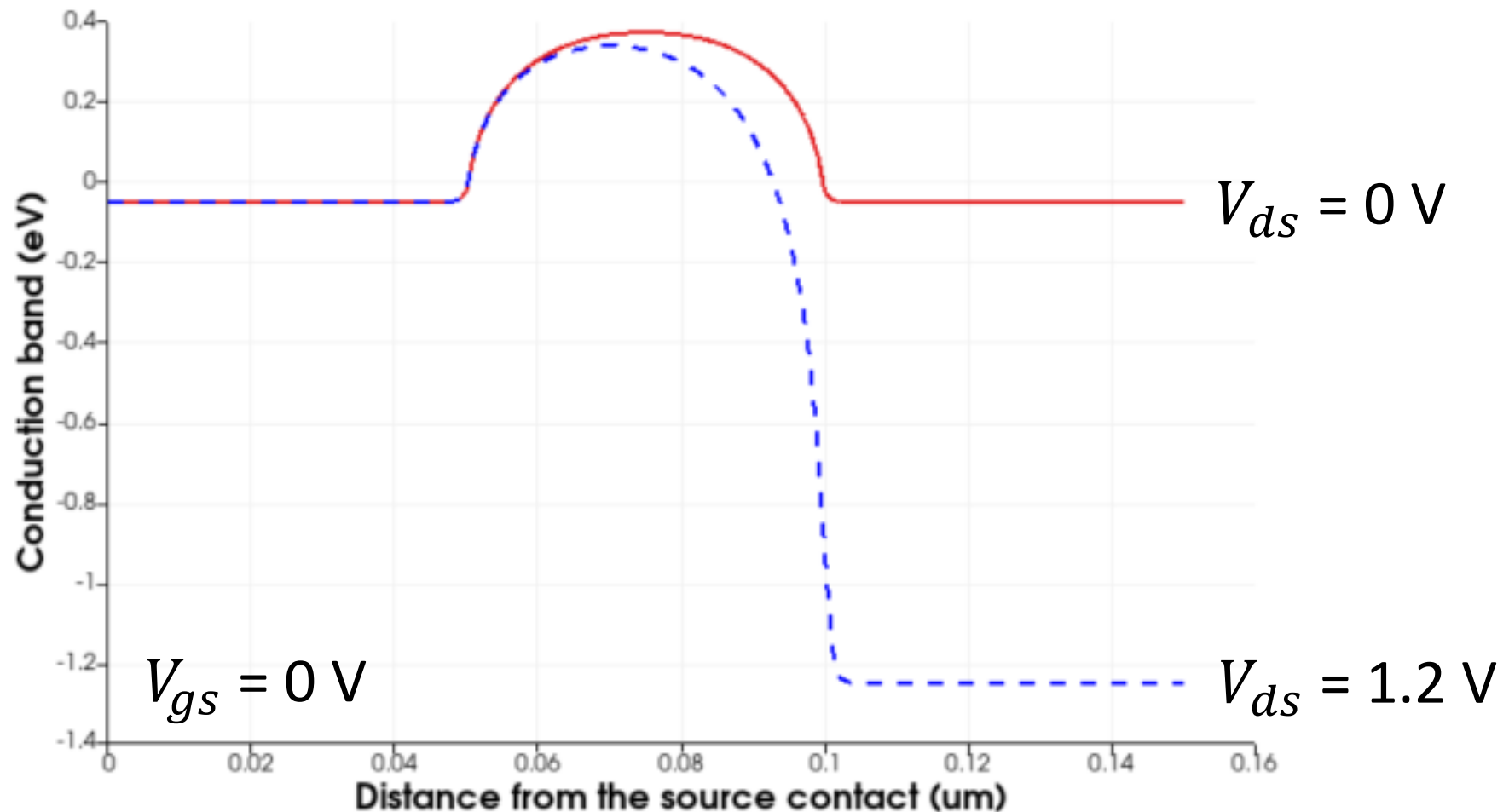
Drain-induced barrier lowering (DIBL)

- Much worse than the long-channel device
 - 45 mV/V @ $I_D = 10^{-6}$ A/ μm



Conduction band, again

- At a high V_{ds} , the energy barrier is further reduced.



Simplified geometry for an analytic solution

- Poisson equation

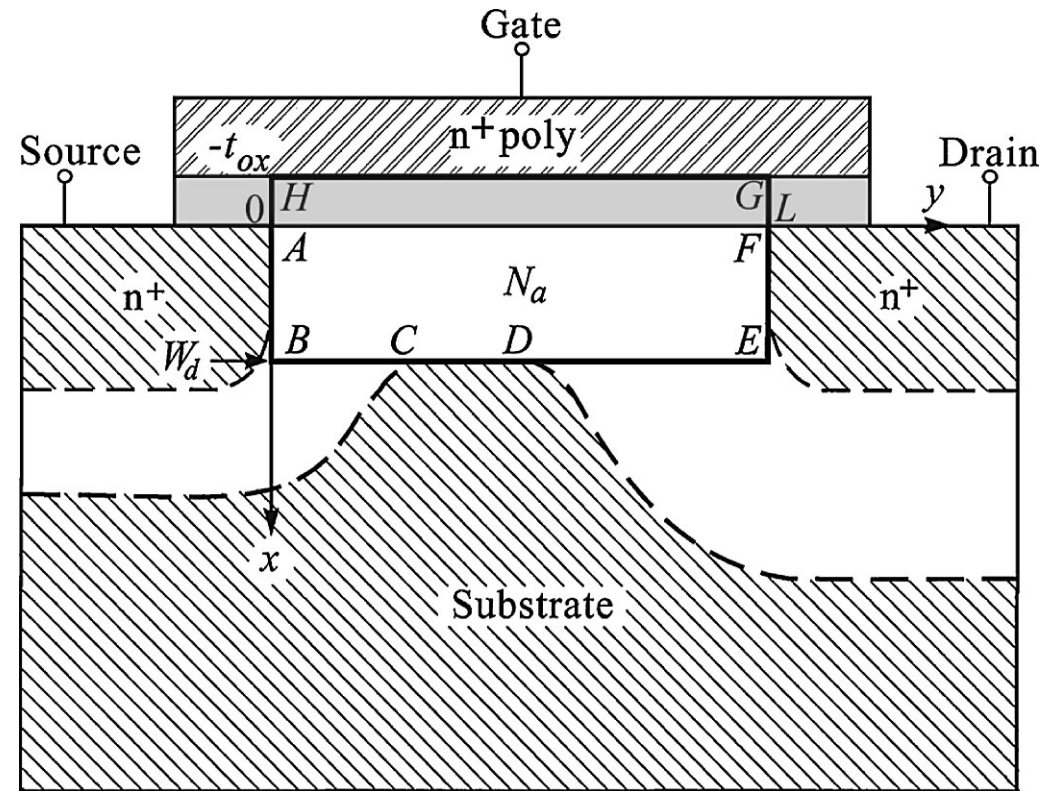
– For AFGH

$$\frac{\partial^2 \phi}{\partial x^2} + \frac{\partial^2 \phi}{\partial y^2} = 0 \quad \text{Taur, Eq. (A9.1)}$$

– For ABEF

$$\frac{\partial^2 \phi}{\partial x^2} + \frac{\partial^2 \phi}{\partial y^2} = \frac{qN_a}{\epsilon_{si}}$$

Taur, Eq. (A9.2)



Simplified geometry (Taur, Fig. A9.1)

Thank you!