MATH 633 (HOMEWORK 1)

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Exercise. (Problem 1)

- TODO
- Let $z \in \overline{A} \setminus A$. z is a limit point of A and $A \subset B$, so z is a limit point of B. Since B is closed, $z \in B$.

Exercise. (Problem 2)

- Not open, not closed, not compact. The boundary is $\{x + iy | |x| = |y| = 1\}$.
- ullet Not open. Closed. Compact. The boundary is A.
- Not open. Closed. Not compact. The boundary is the real line.
- Open. Not closed. Not compact. The boundary is $\{0\}$.