CS 132 Compiler Construction, Spring 2016

Instructor: Jens Palsberg

Multiple Choice Exam, Jun 9, 2016

ID			
Name			

This exam consists of 22 questions. Each question has four options, exactly one of which is correct, while the other three options are incorrect. For each question, you can check multiple options.

I will grade each question in the following way. If you check *none* of the options, you get 0 points. If you check all *four* options, you get 0 points.

Check one option. If you check *one* option, and that option is correct, you get 2 points. If you check *one* option, and that option is wrong, you get -0.667 points (yes, negative!).

Check two options. If you check two options, and one of those options is correct, you get 1 point. If you check two options, and both of them are wrong, you get -1 point (yes, negative!).

Check three options. If you check *three* options, and one of those options is correct, you get 0.415 points. If you check *three* options, and all three of them are wrong, you get -1.245 points (yes, negative!).

The maximum point total is $22 \times 2 = 44$ points. I will calculate a percentage based on the points in the following way:

$$\frac{\max(0, \text{point total})}{44} \times 100$$

Notice that if your point total is negative, you will get 0 percent.

```
Example
Consider the following Java program:
class E {
  int[] s;
  void mix(int[] d, int i) {
    int j;
    s = new int[13]; j = 5;
    while ( this.max(s.length,d.length) > j ) {
      if (j > i) { s[i] = d[j] + i; d[j] = d[j] + 1; }
      i = i + 2; j = j + 1;
    }
  }
  int max(int a, int b) {
    if ( b > a ) { return b; }
            else { return a; }
  }
}
class M {
  public static void main(String[] q) {
    E e = new E();
    e.mix(new int[17],0);
```

} }

Does the program type check?

System.out.println(e.s[2]);

 $a \square$ Yes

 $b \square$ No

 $c \square$ The question cannot be answered based on the given information.

 $d \square$ A Java type checker would throw an exception.

Question 2 What is the symboltable at the point where the type checker will try to type check the statement				
j = 5; in method mix in class E? a The following symboltable in which we search for identifiers from the bottom:				
<pre>Id Type s int[] d int[] i int j int</pre>				
b The following symbol table in which we search for identifiers from the bottom:				
<pre>Id Type d int[] i int j int</pre>				
c The following symboltable in which we search for identifiers from the bottom:				
ld Type j int				
d The following symboltable in which we search for identifiers from the bottom:				
ld Type E void				

s int[]
d int[]

int

int

i

j

Consider the translation of the method main in class M to intermediate code in the style of Vapor. What is reasonable Vapor-style code for e.mix(new int[17],0); ? Assume that every word in newly allocated heap memory is automatically initialized to 0.

```
a t.0 = [e + 0]

t.1 = [t.0 + 0]

t.2 := HeapAllocZ 72

[t.2 + 0] = 17

call t.1(e, t.2, 0)
```

$$b \square$$
 t.0 = [e + 0]
t.1 = [t.0 + 0]
t.2 := HeapAllocZ 72
[t.2 + 0] = 17
call t.1(this, t.2, 0)

$$c$$
 t.0 = [e + 0]
t.1 = [t.0 + 0]
t.2 := HeapAllocZ 72
[t.2 + 0] = 17
call t.2(e, t.1, 0)

$$d$$
 t.0 = [e + 0]
t.1 = [t.0 + 0]
t.2 := HeapAllocZ 72
[t.2 + 0] = 17
call t.2(this, t.1, 0)

Consider the translation of the method mix in class E to intermediate code in the style of Vapor. What is reasonable Vapor-style code for s[i] = d[j] + i; ? Assume that a static analysis in the compiler has found that array bounds checking is unnecessary.

- a t.0 = 4 * (j + 1) t.1 = d + t.0 t.2 = [t.1 + 0] t.3 = t.2 + i t.4 = 4 * (i + 1) t.5 = [this + 4] t.6 = t.5 + t.4 [t.6 + 0] = t.3
- c t.0 = 4 * (j + 1) t.1 = d + t.0 t.2 = [t.1 + 0] t.3 = t.2 + i t.4 = 4 * (i + 1) t.5 = [s + 4] t.6 = t.5 + t.4 [t.6 + 0] = t.3

Consider the translation of the method main in class M to intermediate code in the style of Vapor. What is reasonable Vapor-style code for E = new E(); ? Assume that every word in newly allocated heap memory is automatically initialized to 0.

- a e = HeapAllocZ 8
 t.0 = Heapallocate 8
 [e + 0] = t.0
 [t.0 + 0] = E.mix
 [t.0 + 4] = E.max
- b e = HeapAllocZ 8
 t.0 = Heapallocate 8
 [t.0 + 0] = e
 [t.0 + 4] = E.mix
 [t.0 + 8] = E.max
- c e = HeapAllocZ 8
 t.0 = HeapAllocate 12
 [this + 0] = t.0
 [t.0 + 0] = E.mix
 [t.0 + 4] = E.max
- d e = HeapAllocZ 8
 t.0 = HeapAllocate 12
 [t.0 + 0] = e
 [t.0 + 4] = E.mix
 [t.0 + 8] = E.max

Consider the translation of the method max in class E to intermediate code in the style of Vapor. Assume that we represent true by 1 and that we represent false by 0. What is reasonable Vapor-style code for the statement if (b > a) { return b; } else { return a; }?

```
t.0 = LtS(a,b)
          if0 (t.0) goto :else
          return b;
          goto :end
    else: return a;
    end:
b \square
          t.0 = LtS(a,b)
          if0 (t.0) goto :else
          return b;
          goto :else
    else: return a;
    end:
c
          t.0 = LtS(b,a)
          if0 (t.0) goto :else
          return b;
          goto :end
    else: return a;
    end:
d
          t.0 = LtS(b,a)
          if0 (t.0) goto :else
          return b;
          goto :else
    else: return a;
    end:
```

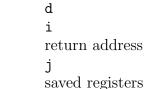
 $b \square s$

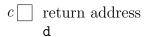
Assume that the compiler does not map any temporaries, variables, or arguments to registers. What is the MIPS stack layout for the method mix in class E? In each of the possible answers, the stack pointer points to bottom element.

```
a \square d

i return address

j saved registers
```





i j saved registers

 $d \square$ return address s

s
d
i
j
saved registers

Example

Consider the following program that uses the variables $\tt b, i,$ and $\tt y:$

```
L1:
L2:
     if y > 10 then goto L4
L3:
     y = y - b
L4:
     b = b + 1
     if b > 8 then goto L9
L5:
L6:
     i = y + 2
L7:
     b = y - 3
L8:
     goto L3
     b = b + i
L10: return b
```

Question 8 In the control-flow graph for the program, which variables are live along any of the edges to L1? $a \ \ \ \ \ \ \ \ \ \ \ \ \$
Question 9 In the control-flow graph for the program, which variables are live along any of the edges to L2? $a \ \ \ \ \ \ \ \ \ \ \ \ \ $
Question 10 In the control-flow graph for the program, which variables are live along any of the edges to L3? $a \ \ \ \ \ \ \ \ \ \ \ \ \$
Question 11 In the control-flow graph for the program, which variables are live along any of the edges to L4? $a \ \ \ \ \ \ \ \ \ \ \ \ \$
Question 12 In the control-flow graph for the program, which variables are live along any of the edges to L5? $a \ \ \ \ \ \ \ \ \ \ \ \ \$
Question 13 In the control-flow graph for the program, which variables are live along any of the edges to L6? $a \Box i$ $b \Box y$ $c \Box i$, y $d \Box b$, i, y

In the control-flow graph for the program, which variables are live along any of the edges to L7?

```
\begin{bmatrix} a & \mathbf{i} \\ b & \mathbf{y} \end{bmatrix}
```

 $c \square$ i, y

 $d \square$ b, i, y

Question 15

In the control-flow graph for the program, which variables are live along any of the edges to L9?

```
a \square b, y
```

 $b \square$ b, i

 $c \square$ i, y

 $d \square$ b, i, y

Question 16

In the control-flow graph for the program, which variables are live along any of the edges to L10?

```
a \square b
```

 $b \bigsqcup_{i}$ i

 $c \square$ i, y

 $d \square$ b, i, y

Example

The following is an entire procedure that uses six variables c, d, e, f, g, h. We assume that the two parameters a1, a2 are assigned registers that are separate from the registers that we will use for the six variables.

```
int m(int a1, int a2) {
L1:
       c = a1 + a2
L2:
       if (a1 > a2) goto L5
L3:
       d = a1 + c
L4:
       goto L8
L5:
       e = a2 + c
L6:
       f = a1 + e
L7:
       d = a2 + f
       g = d + 1
L8:
L9:
       h = c + g
L10:
       d = a1 + c
L11:
       c = d + h
L12:
       g = g + c
L13:
       return g
     }
```

Question 17 Assume that we must assign one register to each of the six variables. What is the fewest number of registers that is needed for the six variables, without spilling? $a \ \ $	
Question 18 Assume that four registers r1,r2,r3,r4 are available, and that we run the linear scan register allocation algorithm on the program. Which variables get spilled to memory? $a \square$ None $b \square$ f $c \square$ g $d \square$ h	
Question 19 Assume that three registers r1,r2,r3 are available, and that we run the linear scan register allocation algorithm on the program. Which variables get spilled to memory? $a \square \text{ None}$ $b \square \text{ f}$ $c \square \text{ g}$ $d \square \text{ h}$	
Question 20 Assume that two registers r1,r2 are available, and that we run the linear scan register allocation algorithm on the program. Which variables get spilled to memory? $a \square c$ $b \square g$ $c \square c,g$ $d \square g,h$	
Example The following program fragment uses four variables c, d, g, h:	

c = d + hg = g + c

Assume that we have done register allocation for the procedure that contains the above program fragment, and that we have assigned

- c to a memory location that is at offset 4 from register fp,
- d to a memory location that is at offset 8 from register fp,
- g to register r1, and
- h to register r2.

Assume also that we have a spare register v0. What is correct code for the program fragment?

- $a \bigcirc v0 = [fp + 8]$
 - v0 = v0 + r2
 - [fp + 4] = v0
 - r1 = r1 + v0
- $b \square v0 = [fp + 8]$
 - v0 = v0 + r2
 - [fp + 4] = v0
 - v0 = [fp + 8]
 - r1 = r1 + v0
- $c \square v0 = [fp + 8]$
 - v0 = v0 + r2
 - [fp + 4] = r1
 - r1 = r1 + v0
- $d \square v0 = [fp + 8]$
 - v0 = v0 + r2
 - [fp + 4] = r1
 - v0 = [fp + 8]
 - r1 = r1 + v0

Assume that we have done register allocation for the procedure that contains the above program fragment, and that we have assigned

- c to register r3,
- d to a memory location that is at offset 8 from register fp,
- g to register r1, and
- h to a memory location that is at offset 12 from register fp.

Assume also that we have a spare register v0. What is correct code for the program fragment?

- $a \square r3 = [fp + 8]$
 - v0 = [fp + 12]
 - r3 = r1 + v0
 - r1 = r1 + r3
- $b \square v0 = [fp + 8]$
 - r3 = [fp + 12]
 - r3 = r3 + v0
 - r1 = r1 + r3
- $c \square r3 = [fp + 8]$
 - v0 = [fp + 12]
 - v0 = r1 + v0
 - r1 = r1 + r3
- $d \square v0 = [fp + 8]$
 - r3 = [fp + 12]
 - v0 = r3 + v0
 - r1 = r1 + r3