MATLAB: Session 2

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Market Equilibrium Without FOCs

Core Problem: Perfectly Competitive Exchange Economy

- Two consumers: A,B
- Two goods: x_1, x_2
- Utility: $[x_1^r + x_2^r]^{\frac{1}{r}}$
- Endowments: $\{(y_1^A, y_2^A), (y_1^B, y_2^B)\} = \{(10, 5), (5, 40)\}$

GOAL: Find equilibrium prices and allocation

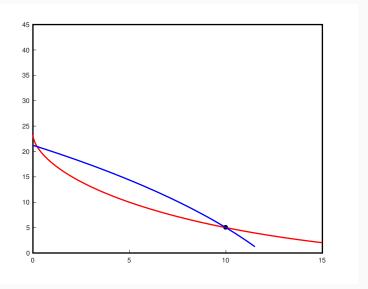
TOOLS: Dynamic Programming

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Outline of Process

- 1. Construct Edgeworth Box
- 2. Draw Indifference Curves at endowment
- 3. Calculate individual demands given prices
- 4. Draw individual demand points on Edgeworth Box
- 5. Calculate Total Demand (fixed supply) given prices
- 6. Find equilibrium prices and allocations

Step 1: Draw Edgeworth Box



Step 2: Construct Indifference Curves

- cesutility.m
- cesindiff.m
- Make two new functions with r as given, not as argument
- Find utility of Agent A at endowment point
- Draw indifference curve through the endowment point

Practice 1: Plot indifference curve for B

HINT: What does a point in the box represent?

Practice 2: Plot budget constraint of Agent A

Step 3: Derive Individual Demands

$$\max_{x_1, x_2} [x_1^r + x_2^r]^{\frac{1}{r}}$$

$$s.t. x_1 p_1 + x_2 p_2 \le y_1 p_1 + y_2 p_2 \equiv m$$

Useful matlab function: fmincon

- What is the objective?
- What is A? What is b?
- What is a good guess?

Step 4: Demand in Box

Practice 1: Make a new box, with the endowment point, the budget constraint, and two demand points

Practice 2: Add indifference curve at each of individual demand points.

Step 5: Total Demand

Construct a function that calculates total demand for both goods.

Practice 1: Draw the demand curve on a graph

Practice 2: Add the supply curve to the graph

Step 6: Find Equilibrium Prices and Allocation

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Practice 1: Draw equilibrium point and the Indifference Curves

Practice 2: Run code for r = 0.2 and r = 0.9. What is the difference? What is the intuition for it?