
GETTING STARTED WITH IBM Q EXPERIENCE

Step 1

1. Open <https://quantum-computing.ibm.com>
2. Click on Create an IBMid account
3. Click on Create an IBMid
4. Fill in the details and click on continue
5. You will get a 7-digit code that you will enter in the form after clicking on continue.
6. Account setup is done!

Step 2

1. Open <https://quantum-computing.ibm.com>
2. Click on Sign in to get started , and sign in with your new account details
3. Read the privacy and terms, accept the End User License Agreement
4. Click on accept and continue
5. You're ready to start coding!

Qiskit cheat sheet

Circuit Basics

Create a classical register with 3 bits

```
cr = ClassicalRegister(3)
```

Create a quantum register with 3 qubits

```
qr = QuantumRegister(3)
```

Create an initial circuit with classical and quantum registers

```
circ = QuantumCircuit(qr, cr)
```

Gates

X on qubit 0: `circ.x(qr[0])`

H on qubit 0: `circ.h(qr[0])`

CNOT on qubit 0,1: `circ.cx(qr[0], qr[1])`

Measurement

```
circ.measure(qr, cr)
```

Visualization

```
circ.draw(output = 'mpl')
```

Running experiments on a simulator

```
simulator = Aer.get_backend('qasm_simulator')
```

Execute a job

```
result = execute (circ, backend=simulator,  
shots=1024).result()
```

Plot a histogram

```
plot_histogram(result.get_counts(circ))
```

Running experiments on a real quantum computer

Load accounts

```
from qiskit import IBMQ
```

```
IBMQ.load_account()
```

Get Backends

```
provider = IBMQ.get_provider(hub='ibm-q')
```

```
provider.backends()
```

Choose a backend

```
mel= provider.get_backend('ibmq_16_melbourne')
```

Execute a job

```
job_mel16 = execute(circ, backend=mel)
```

Job Monitor

```
from qiskit.tools.monitor import job_monitor
```

```
job_monitor(job_mel16)
```

Plot a histogram

```
result_mel16 = job_mel16.result()
```

```
plot_histogram(result_mel16.get_counts(circ))
```

QUANTUM STATES FOR SINGLE QUBIT SYSTEMS

Question 1

We define a state $|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$ to be a valid quantum state if $|\alpha|^2 + |\beta|^2 = 1$. Which of the following equations describe a valid quantum state?

(a) Example: $|\psi\rangle = \frac{1}{\sqrt{2}}|0\rangle + \frac{1}{\sqrt{2}}|1\rangle$

$$\alpha = \frac{1}{\sqrt{2}}, \beta = \frac{1}{\sqrt{2}}$$

$$\alpha^2 + \beta^2 = \left(\frac{1}{\sqrt{2}}\right)^2 + \left(\frac{1}{\sqrt{2}}\right)^2 = 1$$

Since $\alpha^2 + \beta^2 = 1$, $|\psi\rangle = \frac{1}{\sqrt{2}}|0\rangle + \frac{1}{\sqrt{2}}|1\rangle$ is a valid quantum state.

(b) $|\psi\rangle = \frac{1}{4}|0\rangle + \frac{3}{4}|1\rangle$

(c) $|\psi\rangle = |0\rangle + |1\rangle$

(d) $|\psi\rangle = \frac{5}{13}|0\rangle + \frac{12}{13}|1\rangle$

$$(e) |\psi\rangle = \frac{3}{5}|0\rangle + \frac{4}{5}|1\rangle$$

$$(f) |\psi\rangle = |1\rangle$$

$$(g) |\psi\rangle = \frac{1}{4}|0\rangle$$

$$(h) |\psi\rangle = \frac{\sqrt{3}}{2}|0\rangle + \frac{1}{2}|1\rangle$$

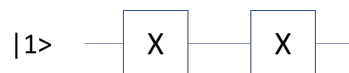
$$(i) |\psi\rangle = \frac{\sqrt{7}}{4}|0\rangle + \frac{\sqrt{5}}{4}|1\rangle$$

QUANTUM GATES AND MEASUREMENT

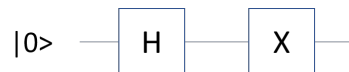
Question 2

What is the resulting states for each of the circuits below?

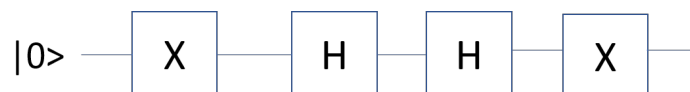
(a)



(b)



(c)



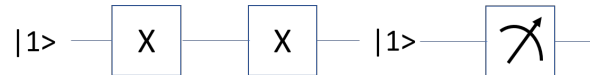
(d)



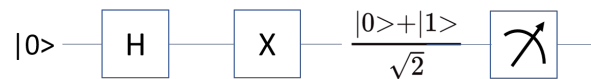
Question 3

What can we expect on measurement?

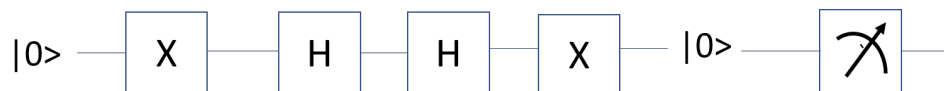
(a)



(b)



(c)



(d)



QUANTUM STATES FOR TWO QUBIT SYSTEMS

Question 1

We define a state $|\psi\rangle = \alpha|00\rangle + \beta|01\rangle + \gamma|10\rangle + \delta|11\rangle$ to be a valid quantum state if $|\alpha|^2 + |\beta|^2 + |\gamma|^2 + |\delta|^2 = 1$. Which of the following equations describe a valid quantum state?

(a) Example: $\frac{1}{2}|00\rangle + \frac{1}{2}|01\rangle + \frac{1}{2}|10\rangle + \frac{1}{2}|11\rangle$

$$\alpha = \frac{1}{2}, \beta = \frac{1}{2}, \gamma = \frac{1}{2}, \delta = \frac{1}{2}$$

$$\alpha^2 + \beta^2 + \gamma^2 + \delta^2 = \left(\frac{1}{2}\right)^2 + \left(\frac{1}{2}\right)^2 + \left(\frac{1}{2}\right)^2 + \left(\frac{1}{2}\right)^2 = 1$$

Since $\alpha^2 + \beta^2 + \gamma^2 + \delta^2 = 1$, $|\psi\rangle$ is a valid quantum state.

(b) $|\psi\rangle = \frac{\sqrt{7}}{5}|00\rangle + \frac{\sqrt{7}}{\sqrt{5}}|01\rangle + \frac{3}{5}|10\rangle + \frac{\sqrt{2}}{5}|11\rangle$

(c) $|\psi\rangle = |00\rangle$

(d) $|\psi\rangle = |00\rangle + |01\rangle + |10\rangle + |11\rangle$

$$(e) |\psi\rangle = \frac{3}{5}|00\rangle + \frac{4}{5}|01\rangle$$

MEASUREMENT

Question 2

For the following, quantum states, what would the qubits most likely collapse to?

$$(a) \text{ Example: } \frac{1}{2}|00\rangle + \frac{1}{2}|01\rangle + \frac{1}{2}|10\rangle + \frac{1}{2}|11\rangle$$

This state is in an equal superposition of the four states $|00\rangle$, $|01\rangle$, $|10\rangle$, $|11\rangle$. Therefore, we can equally expect the states to be:

First Qubit: 0, Second Qubit: 0

First Qubit: 0, Second Qubit: 1

First Qubit: 1, Second Qubit: 0

First Qubit: 1, Second Qubit: 1

$$(b) |\psi\rangle = |00\rangle$$

$$(c) |\psi\rangle = \frac{1}{\sqrt{2}}|0\rangle + \frac{1}{\sqrt{2}}|1\rangle$$

(d) $|\psi\rangle = \frac{1}{\sqrt{2}}|00\rangle + \frac{1}{\sqrt{2}}|11\rangle$

(e) For $|\psi\rangle = \frac{1}{\sqrt{2}}|00\rangle + \frac{1}{\sqrt{2}}|11\rangle$, if we measure the first qubit to result in 0, what can we say about the second qubit?

(f) For $|\psi\rangle = \frac{1}{\sqrt{2}}|01\rangle + \frac{1}{\sqrt{2}}|10\rangle$, if we measure the first qubit to result in 0, what can we say about the second qubit?

(g) For $|\psi\rangle = \frac{1}{\sqrt{2}}|00\rangle + \frac{1}{\sqrt{2}}|11\rangle$, if we measure the first qubit to result in 1, what can we say about the second qubit?

(h) For $|\psi\rangle = \frac{1}{\sqrt{2}}|00\rangle + \frac{1}{\sqrt{2}}|01\rangle$, if we measure the first qubit to result in 0, what can we say about the second qubit?

ENTANGLEMENT: BELL STATES

Question 3

Prepare bell states starting with the states $|00\rangle$, $|01\rangle$, $|10\rangle$, $|11\rangle$. What is the resulting state?

