Machine Learning About this ML course Supervised Learning Unsupervised Learning Reinforcement Learning

## Machine Learning: A General View

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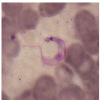
#### Content

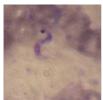
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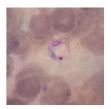
 Machine learning (ML) refers to algorithms used to extract patterns from data and learn a mathematical model that could be used by a computer program to make intelligent decisions.

Some Data	A Model	Decision Making
010101010100 010010101010 101000101010 100101001100 100101000111 0	y = f(x)	if y=a then do A else if y=b then do B else if y=c then do C

 Example 1. Given a set of digital images of blood samples containing Chagas parasites, decide if a digital image of a new blood sample contains at least a Chagas parasite.







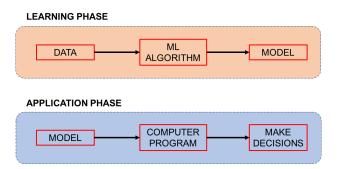
 Example 2. Given a set of text phrases written in two different languages, decide if a new text phrase belongs to one of the languages existing in your set of phrases.

```
hola a todo el mundo - no me gusta decir
adiós - hello people — adoro la comida - our
world is wonderful - el planeta agua -
ciencia ficción es ciencia - el algoritmo más
rápido - la mesa es redonda - the door is
black -
my chair is broken - el plato está limpio,
esa escalera está muy inclinada - my
mouse is wireless - an electronic book - a
wide road is better, we were at home - ...
```

 Example 3. Given a history of the commands used to control a drone, decide which is the best command to perform in order to avoid a collision with the ground.



 Using machine learning algorithms usually involves at least two phases:



- Based on the type of data available and the decisions needed, we can talk about three general kinds of machine learning algorithms:
  - Supervised Learning (SL)
  - Unsupervised Learning (UL)
  - Reinforcement Learning (RL)

 People involved in ML research and development comes from fields such as: Computer Science, Artificial Intelligence, Statistics, Neuroscience, Psychology, Robotics, Bioinformatics, etc.

Main Human Learning Loop for ML:

 Understanding the kind of machine learning problem (SL, UL, RL)

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- Understanding the mathematics (basic statistics, probability, calculus, linear algebra)
- Understanding the algorithms (data structures, complexity)
- Coding (Matlab/Octave)
- Experimenting (running programs and plotting graphs)

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- You need to complete and deliver at least 5 exercises to have the right to write the final exam.

Linear regression

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- Olassification

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- Generative learning models

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- Regularization and model selection

Expectation-Maximization (EM) algorithm

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- Principal component analysis

Dynamic programming

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- Generalization and function approximation

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### Sources of Information

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- Reinforcement Learning: An Introduction (second edition). Richard Sutton and Andrew Barto. The MIT Press. 2018.

# Regression

• In the regression problem we have

$$R: X \to Y,$$
  
 $X \subseteq \mathbb{R}^d,$   
 $Y \subseteq \mathbb{R}.$  (Continuous)  
Example:

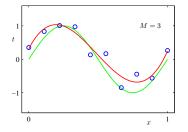
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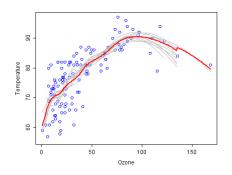


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### Classification

 In the classification problem we have
 C: X → Y,

$$X \subseteq \mathbb{R}^d$$
,  
 $Y = \{y_1, y_2, \dots, y_n\}$ .  
(Discrete)  
Example:

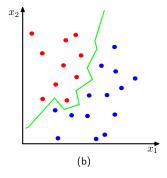
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# Clustering

The unsupervised learning problem is similar to the classification one, but the data is not labeled this means that we do not know the category of each example.

In the clustering problem we have

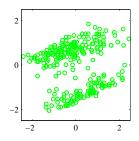
```
C: X \to T,
X \subseteq \mathbb{R}^d,
T = \{t_1, t_2, \dots, t_n\},
with unknown n. Example:
t = \arg\min_{t_i} \operatorname{distance}(t_i, x)
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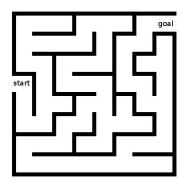


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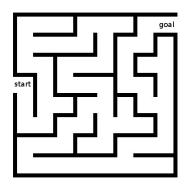
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- The execution of the task can be seen as a sequence of actions  $a_1, a_2, \ldots, a_n$ .
- In order to learn the right sequence of actions the agent must interact with its environment selecting at each moment one action  $a_{t+1}$  as a function of the current environment state  $s_t$ . This is  $a_{t+1} = F(s_t)$ .

Markov decision process. MDP = (S, A, T, R)

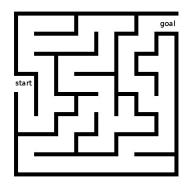


Markov decision process. MDP = (S, A, T, R)



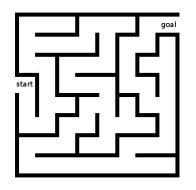
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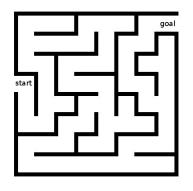
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- Set of states  $S = \{s_1, s_2, \ldots\}$
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- Transition function (dynamics of the environment)  $T: S \times A \rightarrow S$

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• Reward function  $R: S \to \mathbb{R}$ 

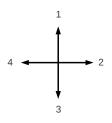
### Possible RL solution to the maze problem

We discretize states and actions: 64 states and 4 actions.

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1	2	3	4	5	6	7	goal
9	10	11	12	13	14	15	16
17	18	19	20	21	22	23	24
stagt	26	27	28	29	30	31	32
33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48
49	50	51	52	53	54	55	56
57	58	59	60	61	62	63	64



# Reward Function: r = -1 if state is not terminal r = 10 if state is terminal

# Function V(s)

S	V(s)
1	0
2	0
3	0
4	0
64	0

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S	V(s)
1	0
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2	-20
3	-5
4	-22
64	-24

# Function Q(s,a)

S	Α	Q(s,a)
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1	2	0
1	3	0
1	4	0
2	1	0
2	2	0
2	3	0
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64	4	-24

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    Q(s,a) \leftarrow Q(s,a) + \alpha[r + \gamma \max_{a'} Q(s',a') - Q(s,a)]
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        s \leftarrow s'
   Until s is terminal
```

### Some videos

- Inverted pendulum
- Object handling

Thank you!

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