

G has the same structure as \mathbb{Z}_p
 (cyclic groups of same order are \approx)

\Uparrow

$o(G) = p \implies G \text{ cyclic} \implies G \text{ is abelian}$

\implies every subgroup in G is normal in G

\Downarrow

G

$|$

$\langle e \rangle$