

## Agenda

1. What is doubly LL
2. How is doubly LL different from singly LL

### 3. Problems

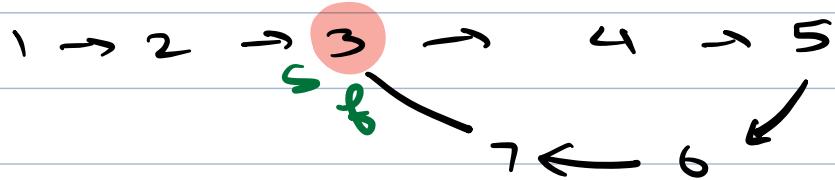
- Insert a node
- Delete a node
- Cache
- Check for Palindrome

## Revision Quiz 1

TC to merge 2 sorted linked lists:

$T(C : O(N+M))$

## Revision Quiz 2



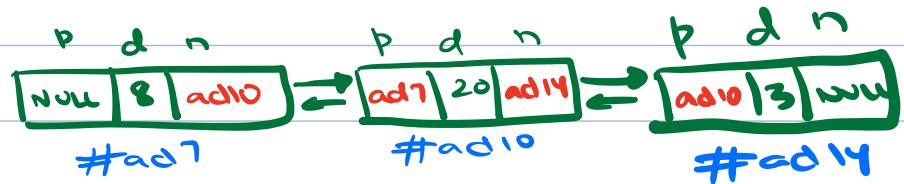
Linked list is a data structure to store and organize a collection of elements (in nodes).

## Doubly Linked List

A doubly linked list is similar to a singly linked list but with an additional feature each node contains references to both next & previous nodes in the list.



```
class Node <
    int data
    Node next
    Node prev
Node (int x) <
    data = x
    next = NULL
    prev = NULL
```



$$N=8 \geq 14 \geq 3 \rightarrow N$$



①  $\text{head}. \text{prev} = \text{NULL}$

②  $\text{next of last node} = \text{NULL}$

Correlation with singly linked list

The main difference lies in the bidirectional traversal capacity of doubly linked list (which comes at a cost of increased memory usage)

\* prev → left ; next → right

Implement playlist feature using doubly LL



- ① Add song
- ② skip to prev and next song  
    <<    11  >>
- ③ current song

Add(1, "Love story") ✓  
Add(2, "Imagine") ✓



Play Next ✓

Current ✓ Imagine

Add(3, "California") ✓

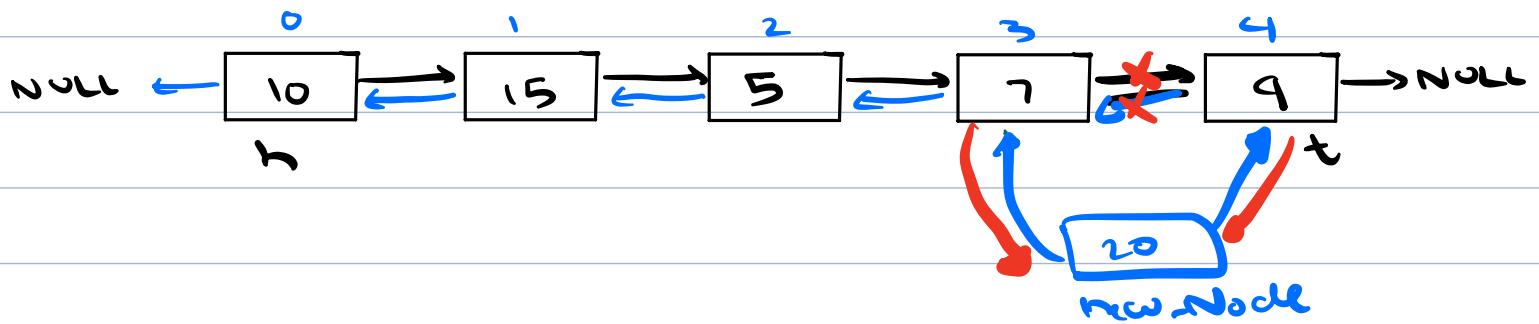
Play Next ✓

Current ✓ Hotel California

Play Previous ✓

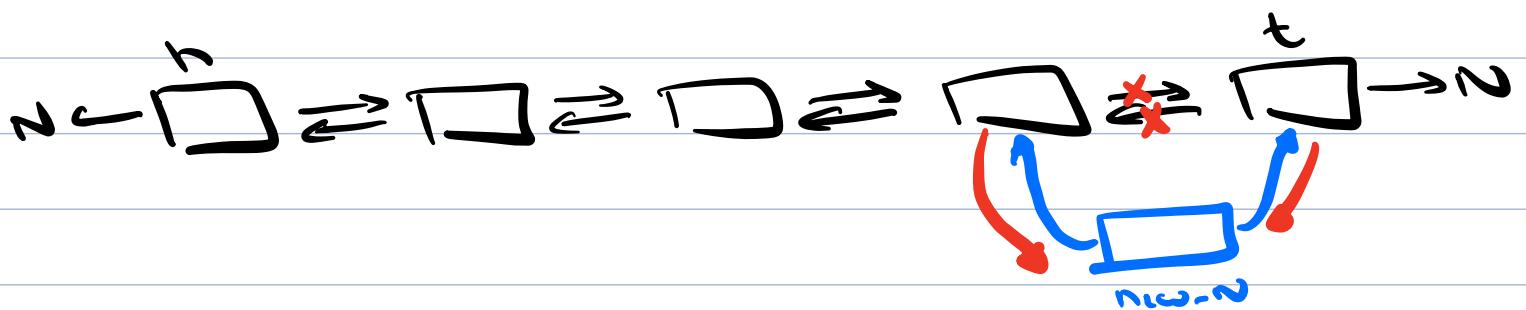
Play Previous ✓  
Current ✓ Love story

Q. Insert a node just before tail in DLL



1. `newNode.next = t`
2. `newNode.prev = t.prev`
3. `t.prev = newNode`
4. `newNode.prev.next = newNode`

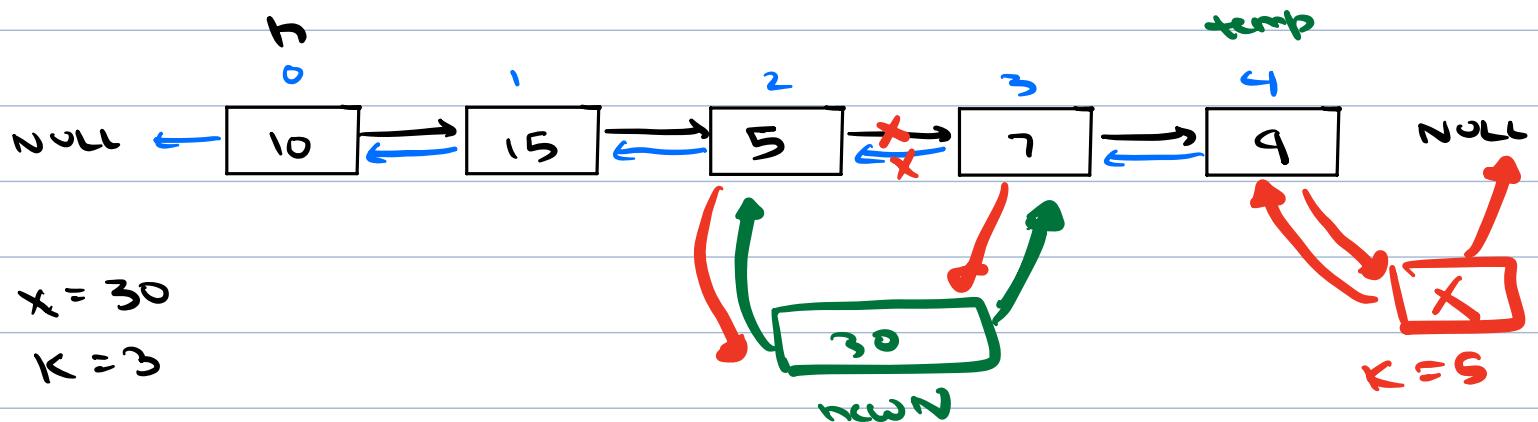
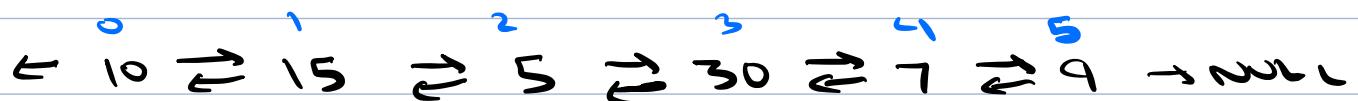
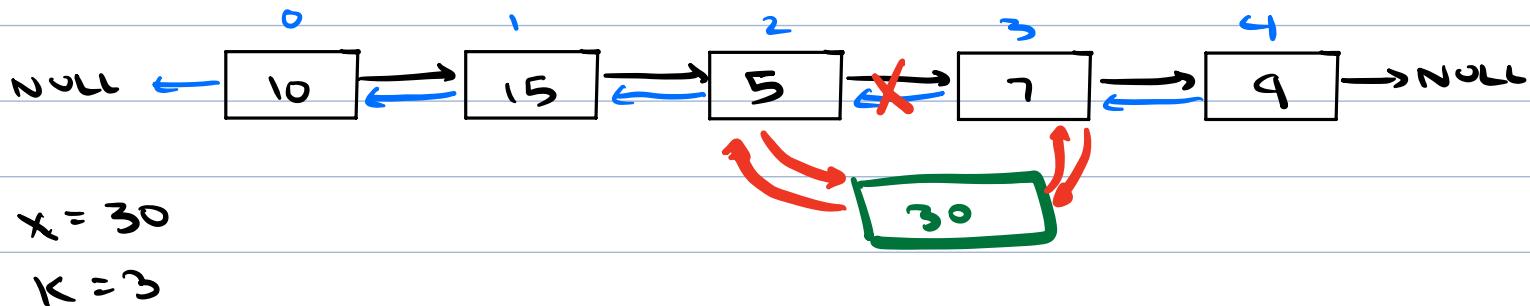
$2^{nd}$  last node . next = newNode



## 1. Insert node in a doubly linked list

A node is to be inserted with **data X** at **position K**. Range of K is between 0 and N where N is length of doubly LL.

$$\begin{array}{l} N=5 \\ 0 \leq K \leq 5 \end{array}$$



① Create newNode with data X

② Traverse till  $K-1$  idk  $\rightarrow$  jumps

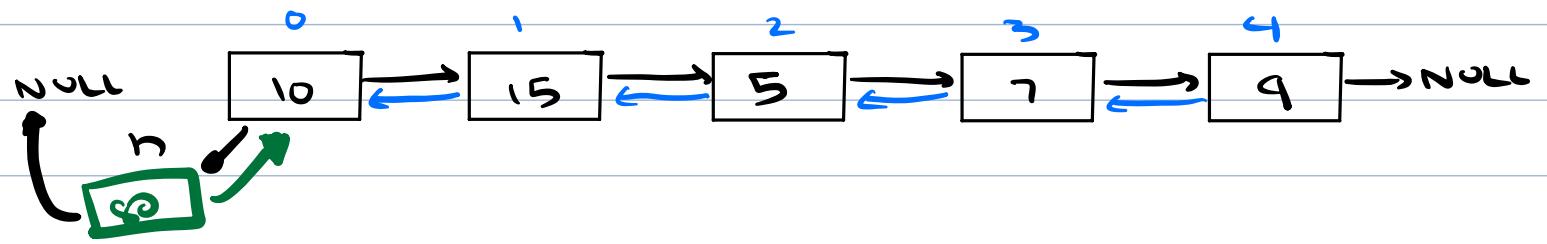
③  $newN.\text{prev} = \text{temp}$

$newN.\text{next} = \text{temp.next}$

$\text{temp.next} = newN$

if ( $newN.\text{next} = \text{NULL}$ ) <

|  $newN.\text{next}.\text{prev} = newN$



$x = 80$

$k = 0$

- ① Create new Node
- ② newNode.next = head  
head.prev = newNode
- ③ head = newNode

Node insert (Node head, int x, int k) <

    Node newNode = new Node(x)

    if (head == NULL) return newNode

    if ( $k == 0$ ) <  
        newNode.next = head  
        head.prev = newNode  
        head = newNode  
        return head

    >

    else <

        // Reach  $k-1$  idx  
        Node temp = head  
        for (jump=1; jump <= k-1; jump++)  
            temp = temp.next

```
newN . prev = temp  
newN . next = temp . next  
temp . next = newN  
if (newN . next != NULL) <  
|> newN . next . prev = newN  
return head
```

TC:  $O(k)$

↓  
Worst  
case  $\rightarrow O(n)$

SC:  $O(1)$

2. Given a doubly LL of length  $N$ , delete a given node from it.

1. Node reference is given

2. Node will not be head/tail

3. DLL is not NULL



$$dl = 6$$



Void deleteNode (Node dl) {

① Node p = dl.prev

② Node n = dl.next

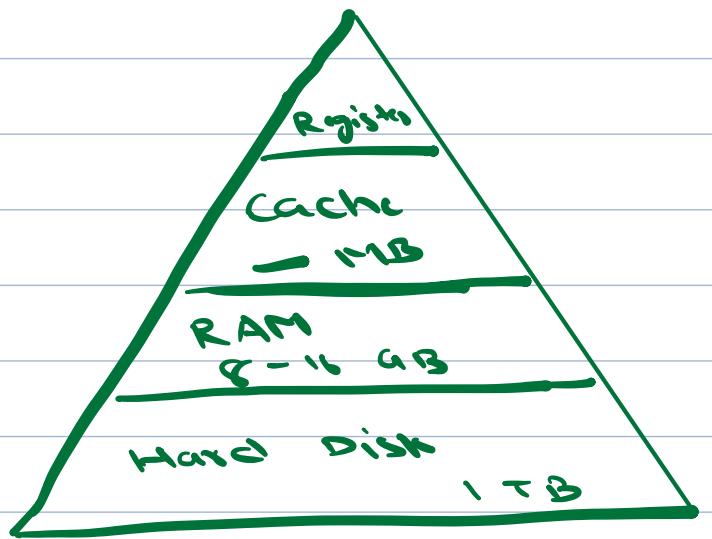
③ p.next = n

④ n.prev = p

TC : O(1)

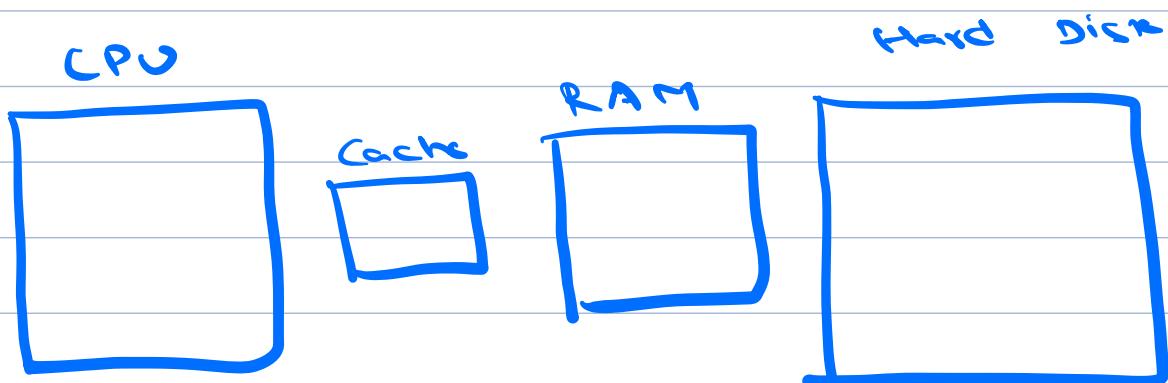
free (dl)

7



Memory capacity increases

Time of searching ↑



LRU Cache  
Least Recently Used Cache

10:35  
Break

[https://notability.com/n/o4OSLf6C8RAn\\_sLFraqUZ](https://notability.com/n/o4OSLf6C8RAn_sLFraqUZ)

3. Given a running stream of integers and fixed memory size of  $M$ , we've to maintain most recent  $M$  elements. In case current memory is full, delete the least recent element and insert current data into the memory (as the most recent item).

7, 3, 9, 2, 6, 10, 14, 2, 10, 15, 8, 14, 10

$M = 9$



Least  
Recent

Most  
Recent  
Element



Search( $x$ )

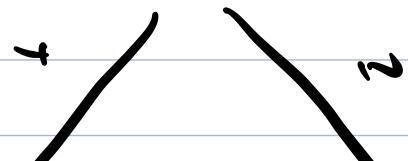
HIT

Delete( $x$ )

MISS

Size ==  $M$  (capacity)

insert - last( $x$ )



delete-front()

insert-last(x)

insert-last(x)

Search(x)

insert-last(x)

delete-front(x)

deletex(x)

Array

O(N)

O(1)

O(N)

O(N)

Degre

X

O(1)

O(1)

X

LL

O(N)

O(1) if tail

O(1)

O(N)

Search(x)

insert-last(x)

delete-front(x)

deletex(x)

DLU

O(N)

O(1)

O(1)

O(1)

DLU + HM

O(1)

O(1)

O(1)

O(1)

data, reference

HM < int, Node > hm

Node h = new Node(-1)

Node t = new Node(-

h.next = t

t.prev = h



void insertCache (int x) <

if (hm. contains(x)) < // HIT

Node temp = hm[x]

delete Node (temp)

insert At Tail (x) ← create a  
nn with data x  
put in hashmap

else < // MISS

if (hm.size == m) < // full

hm.delete (head.next.data)

delete Node (head.next)

insert At Tail (x)

else <

insert At Tail (x)

void insertAtTail (x) <

Node nn = new Node (x)

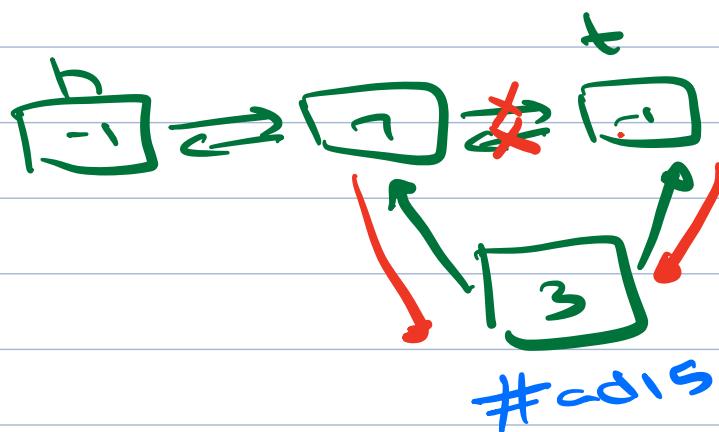
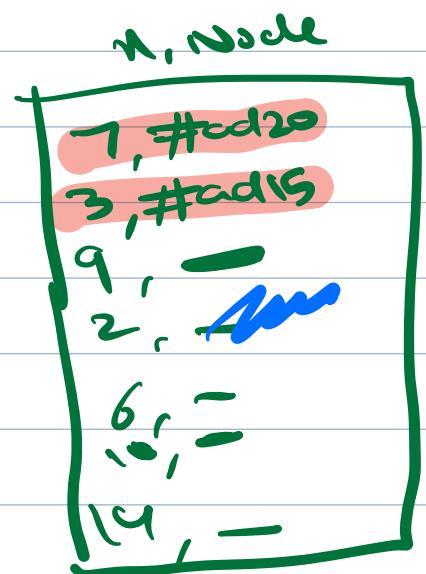
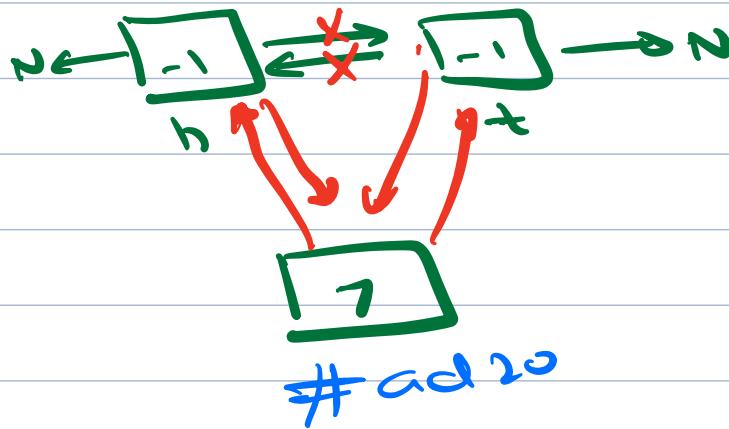
hm.put (x, nn)

$nn.\text{next} = t$   
 $nn.\text{prev} = t.\text{prev}$   
 $t.\text{prev} = nn$   
 $nn.\text{prev}.\text{next} = nn$

7 → t

7, 3, 9, 2, 6, 10, 14, 2, 10, 15, 8, 14, 10

M = 9



-1 → 1 → 3 → 2 → -1

-1 → 9 → 6 → 10 → 14 → 2 → -1

size is M, N int

1. dc → TC is O(1)

TC : O(N)

SC : O(M)

4. Given a LL, check Palindrome

$2 \rightarrow 5 \rightarrow 8 \rightarrow 7 \rightarrow 3 \rightarrow \text{NULL}$       ans = false

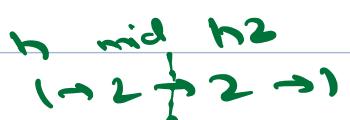
$2 \rightarrow 5 \rightarrow 8 \rightarrow 5 \rightarrow 2 \rightarrow \text{NULL}$       ans = true

1. Go to mid, break LL from mid
2. Reverse 2<sup>nd</sup> half
3. Compare 1<sup>st</sup> and 2<sup>nd</sup> half

Node mid = findMiddle(head)

Node head2 = mid.next

mid.next = NULL



head2 = reverse (head2)



Node temp = head, temp2 = head

while (temp != NULL && temp2 != NULL) {

} } if (temp.data == temp2.data) {  
temp = temp.next  
temp2 = temp2.next

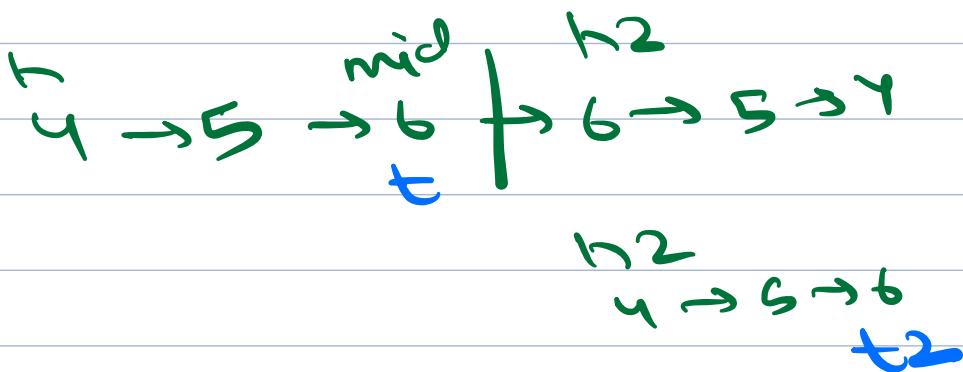
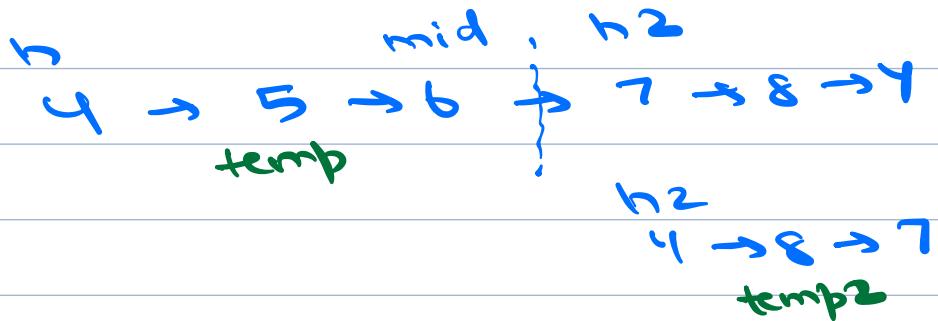
else

return false

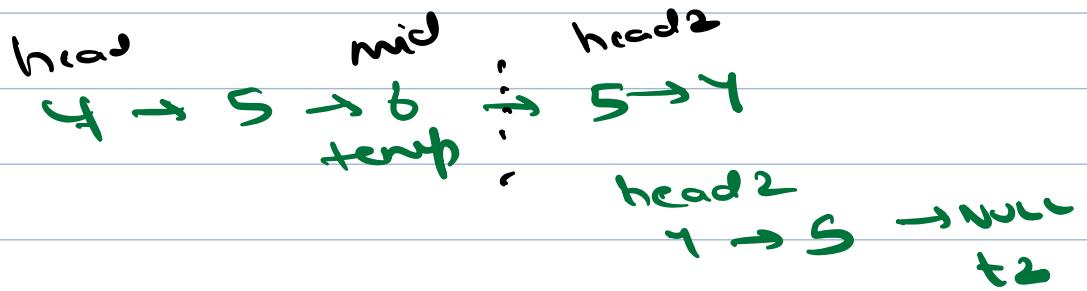
return true

TC: O(N)  
SC: O(1)

N=6



N=5



LL is even → Palindrome  
→ not a palindrome

LL is odd → Palindrome  
→ not a palindrome