

# Questions on jump game

## Q1 jump game

eg arr[] = [2 3 1 0 4]  
 (yes)

eg arr[] = [1 2 3 1 1 0 2 5]

no not possible.

- array just has the number then always possible, jumps  $\rightarrow$  bool constant (vector <int> nums)

arr[] = [3 2 1 0 4]

(no)

eg.  $\begin{bmatrix} 1 & 2 & 4 & 1 & 1 & 0 & 2 & 5 \\ 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 \end{bmatrix}$   
 (yes)

maxInd = ~~0~~ ~~1~~ ~~2~~ ~~3~~ ~~4~~ ~~5~~ ~~6~~ ~~7~~

done ans

## Q2 jump game II

arr[] =  $\begin{matrix} & 0 & 1 & 2 & 3 & 4 \\ \uparrow & 2 & 3 & 1 & 1 & 4 \end{matrix}$

min no. of more required to reach at last.  
 (min, no. of jumps)

P(0,0)

+1

P(1,1)

+2

P(2,2)

+1

P(2,2)

+2

P(3,2)

+3

P(4,2)

↓

min jumps = 2

$\rightarrow$  P(ind, jump) {

if (ind  $\geq$  n-1)

return jumps;

mini = INT\_MAX;

for (i = 1  $\rightarrow$  arr[ind]) {

mini = min (mini,

P(ind+i, jump+1));

return mini;

- memorization

will take

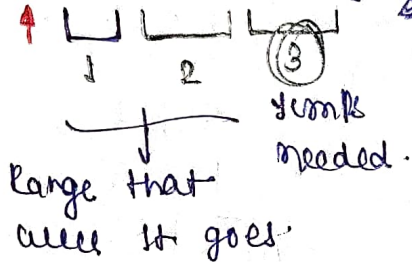
TC =  $O(N^2)$

SC =  $O(N^2)$ .

TC =  $N^N$

SC =  $O(N)$ .

eg. arr = [2 3 1 4 1 1 2]



$$TC = O(N)$$

$$SC = O(1)$$

jumps = 0/1/2/3 Ans

func (arr) {

jumps = 0, l = 0, r = 0;

while (r < n-1) {

fastest = 0

for (ind = l → r) {

fastest = max (fastest,

arr [ind] + i);

l = r + 1;

r = fastest;

jumps = jumps + 1;

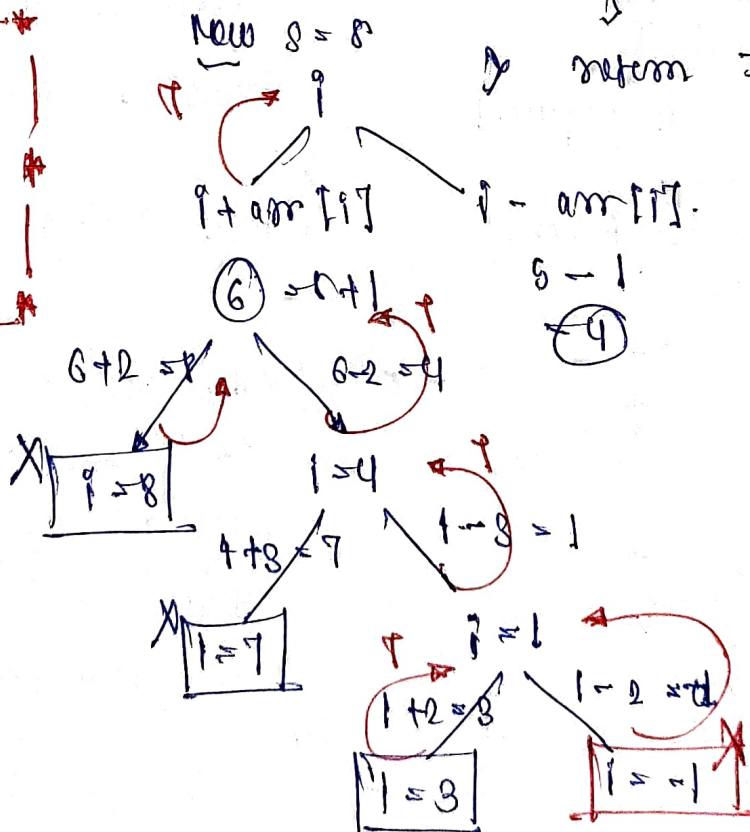
return jumps;

Q3 Jump game II

0 1 2 3 4 5 6

eg 4 2 3 0 3 1 2

\* By using  
Graph  
BFS and  
DPs.



Here

arr [7] = 0

arr [8] = 0

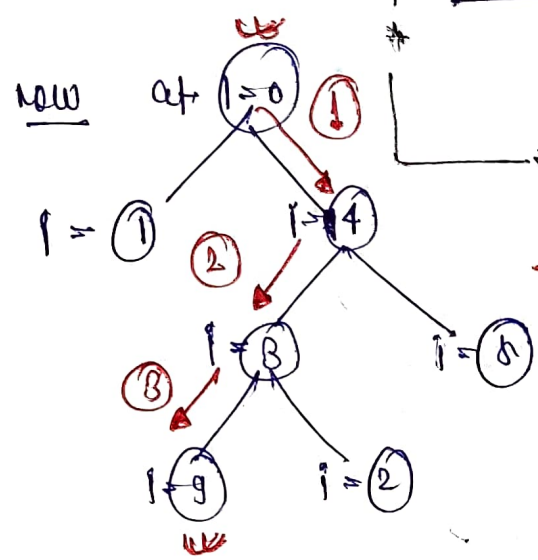
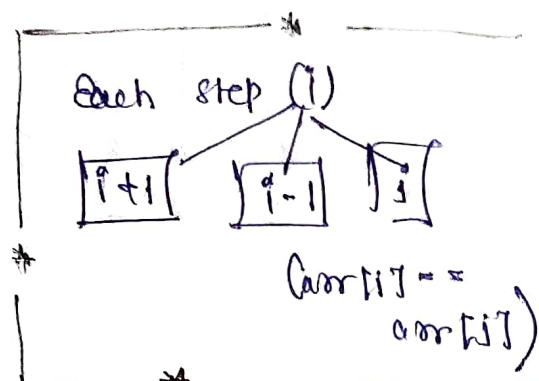
Yes.

# 04 jump game IV

eg.  $[100, -23, -23, 404, 100, 23, 23, 23, 3, 404]$

0 <sup>1</sup> → 4 <sup>2</sup> → 3 <sup>3</sup> → 9  
 100 100 404 404

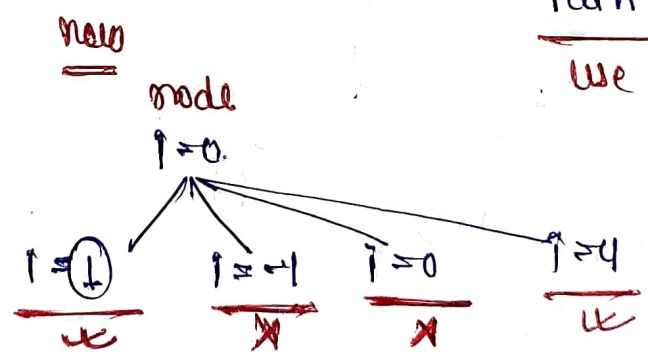
min steps = 3.



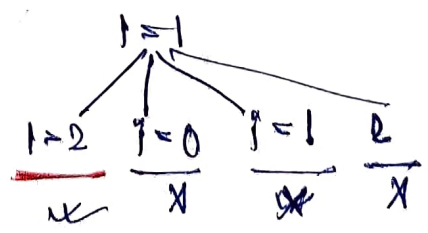
→ These indexes act as nodes and steps will be edges

→ We have to find shortest path.

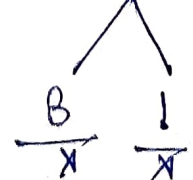
We BFS.



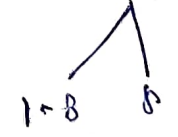
now mode i=1



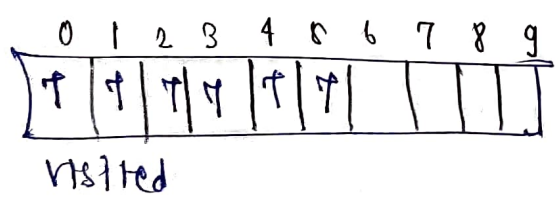
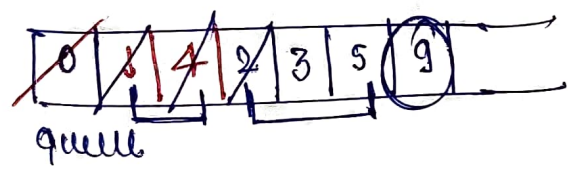
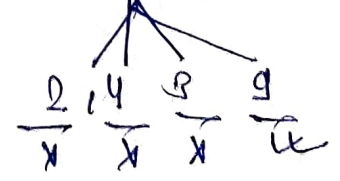
mode = 2



mode = 4



mode = 3

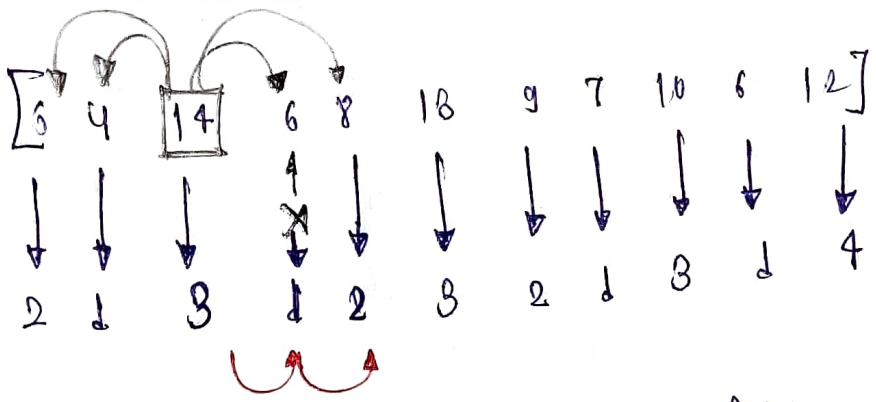


steps = 0 / 1 / 2 / 3

And will be given by me.

TC = O(n)  
 SC = O(n).

05 sum game - 5



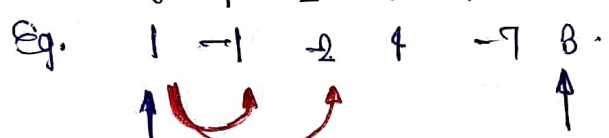
So ans will be 4

recursion

- $14 \rightarrow 6 \rightarrow 4$   
calculated  
Total = 3.
- $14 \rightarrow 4$   
Total = 2
- $14 \rightarrow 6$   
Total = 2
- $14 \rightarrow 8$   
Total = 3

new recursion

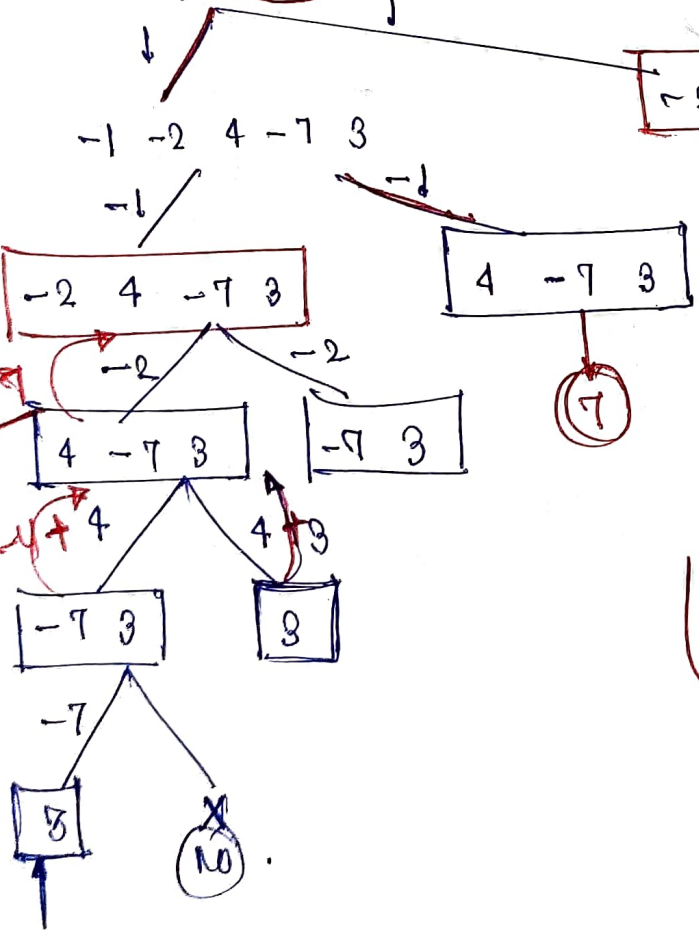
06 sum game - 6



$TC = O(n \times 2)$

ans = 3

memoization  
dp



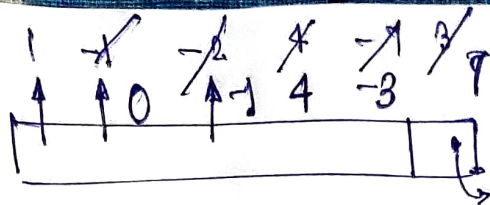
So,  $1 -1 + 7 = 0 + 7 \rightarrow 7$   
Path  $[1, -1, 4, 8]$

1st way

$1 -1 + (-2) + 4 + (-7) + 8$   
 $= -2$

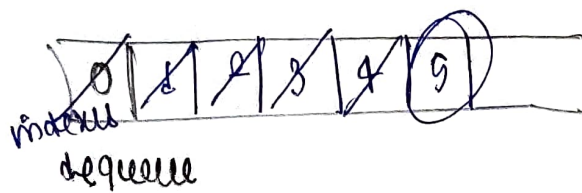


And way



last index pe  
aage ka max<sup>m</sup>

use deque type  
[sliding window maximum]. score kya hoga.



- agar arr change hua or uska value bada hai pehle queue wale index se to usko remove kr denge queue se.

$$-1 + 1 = 0$$

$$-2 + 1 = -1$$

$$4 + 0 = 4$$

$$-7 + 4 = -3$$

$$3 + 4 = 7$$

OT Jump game 1

$$\text{eg } S = 0 \ 1 \ 1 \ 0 \ 1 \ 1 \ 0$$

$$\text{eg. } S = \underline{1} \ 1 \ 0 \ \underline{1} \ 0$$

$$\text{minJ} = 2$$

$$\text{maxJ} = 3$$

$$\text{minJ} \rightarrow 2$$

$$\text{maxJ} = 3$$

False

True.

bool canReach (string s, int minJump, int maxJump) {

int n = s.size();

vector<bool> dp (n, false);

dp[0] = true;

int prev = 0;

for (int i = 1; i < n; i++) {

if (i >= minJump) prev = prev + dp[i - minJump];

if (i > maxJump) prev = prev - dp[i - maxJump - 1];

dp[i] = (dp[i] == 0) ? false : true;

}

return dp[n-1];

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