Bonterroui Joint Contidence Intervals (1-2) × 100/0 CIS

Start with Joint CIs on B, B. .
Let A = event that CI on B, does not cover B, P(A)=X Let B = event that CI on B2 does not cover B2. P(B)=X P(CI on B, covers B, and CI on B, covers B)= P(A NB). However, P(ANB) = P(AUB) by De Morgan's Law. [(B1A)9- (B)9+(A)9]-1= (BUA)9-1 = (BUA)9 = 1-P(A)-P(B) + P(ANB) = 1-P(A)-P(B)=1-2X

00 Compute (1-05) ×100% CF on B, and (1- %) X100% CI on Bz.

The confidence associated with both CIs covering their parameters = 1-2(%)=1-x

Bontemour Joint CIs one known to be conservative. This wethood works for M joint CIs. Compute (1-x) x100% CIs on each of m parameters.

Family wise Experimentwise confidence = 1- / (m)=11-2

Compute
$$(\hat{B}_1 \pm t_{\alpha_1, n-p} + s(\hat{B}_1))$$
 $(\hat{B}_2 \pm t_{\alpha_1, n-p} + s(\hat{B}_2))$ $(\hat{B}_2 \pm t_{\alpha_1, n-p} + s(\hat{B}_2))$

