

Vectors has magnitude and direction

Eigen vector/values

Magnitude of  $(a, b)$

eigenvalues

$$|| (a, b) || = \sqrt{a^2 + b^2}$$

Direction  $(a, b)$

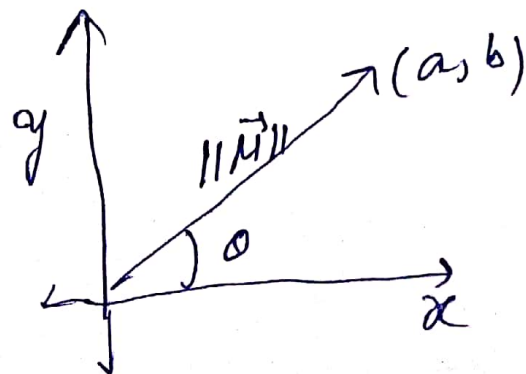
$$\theta = \tan^{-1} \left( \frac{b}{a} \right)$$

Components from magnitude  $|| \vec{u} ||$  and direction  $\theta$

$$( || \vec{u} || \cos(\theta), || \vec{u} || \sin(\theta) )$$

Vectors can be represented in component format.

- \* We can plot vectors on the coordinate plane by drawing a directed line segment from the origin to the point that ~~coordinates~~ corresponds to the vector's components.



- \* Magnitude of a vector  $\vec{v}$  is written as  $|| \vec{v} ||$

~~ex~~ magnitude of  $(3, 4)$  is  $\sqrt{3^2 + 4^2} = \sqrt{25} = 5$

## Direction from components

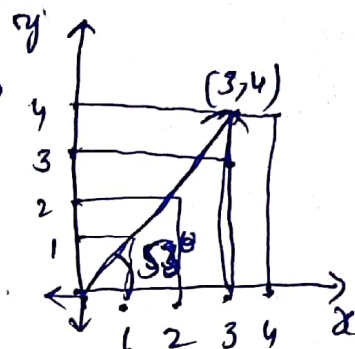
eigen vector

$$\theta = \tan^{-1}\left(\frac{b}{a}\right)$$

① direction of (3, 4)

$$\tan^{-1}\left(\frac{4}{3}\right) \approx 53^\circ$$

Quadrant-2



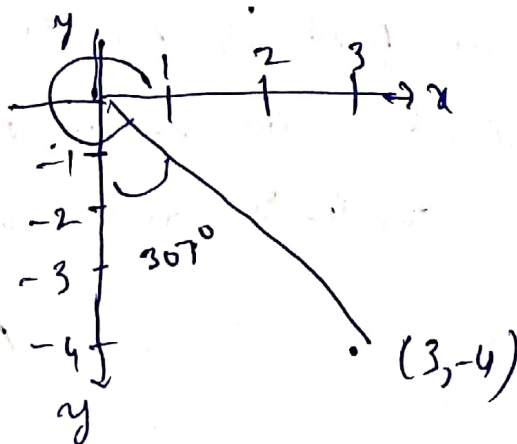
② Quadrant-IV, (3, -4)

$$\tan^{-1}\left(-\frac{4}{3}\right) \approx -53^\circ$$

the calculator returned negative angle.

But it is common to use positive value for the direction of a vector, add  $360^\circ$

$$-53 + 360^\circ = 307^\circ$$



③

\* The eigen vectors represent the directions for the  
where as eigen values represent the magnitudes  
for the directions.