- 1. Your conclusion about the relationship between *d* and *n*?
- $\mathbf{d} \propto \sqrt{(\mathbf{n})}$ . L where, d: distance, n: number of steps and L: length of step(here in our case L=1)
- -According to the experiment, we perform multiple experiments on the number of steps hence, we can deduce the relationship between the distance of man from lamp post is approximately proportional to product of square root of number of steps and length of each step.
- -Each unit step is equally likely to be in any direction ( $^{\theta_f}$  and  $^{\theta_c}$ ). The displacements are random variables with identical means of zero, and their difference is also a random variable. Averaging over this distribution, which has equally likely positive and negative values yields an expectation value of 0, so

$$\langle |z|^2 \rangle = N.$$

The root-mean-square distance after N unit steps is therefore

$$|z|_{\text{rms}} = \sqrt{N}$$
,

so with a step size of l, this becomes

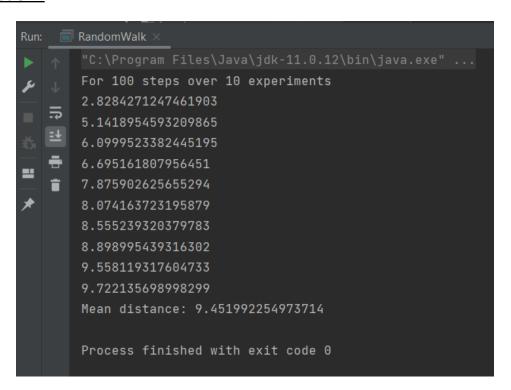
$$d_{\text{rms}} = l \sqrt{N}$$
.

In order to travel a distance d

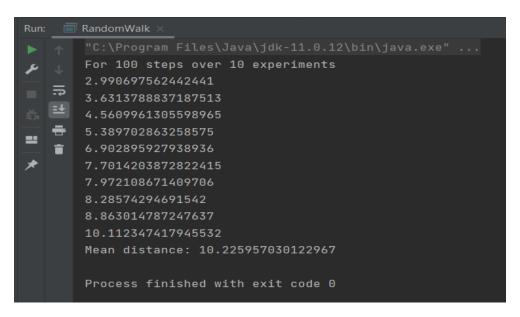
-We can conclude that mean distance is directly proportional to square root of number of steps, however accuracy may vary for higher values of n.

2. Your evidence to support that relationship (screenshot and/or graph and/or spreadsheet) For 100 steps over 10 experiments:

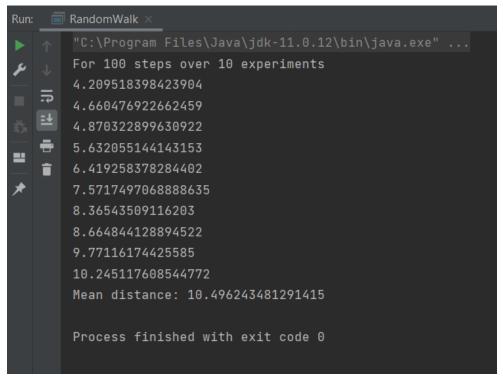
### Output 1:



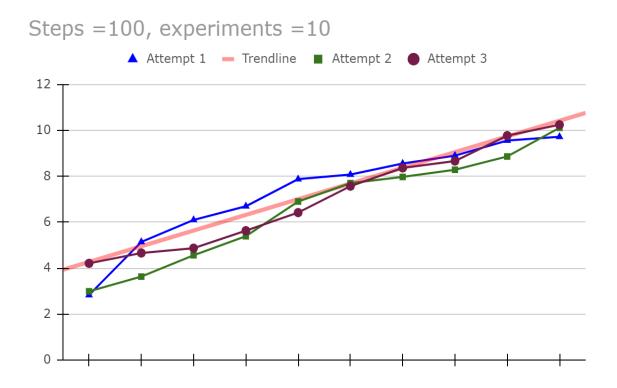
### Output 2:



### Output 3:



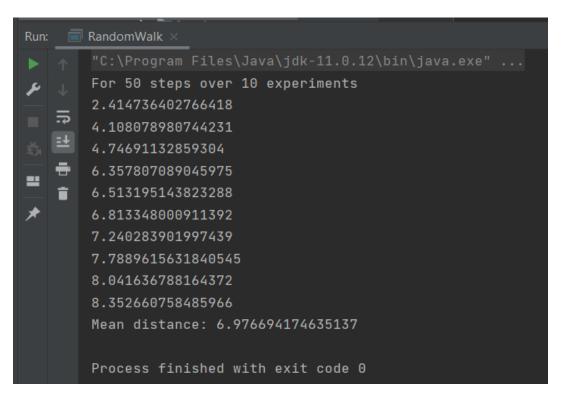
Analysing above 3 output using line graph inorder to derive relationship between d and n



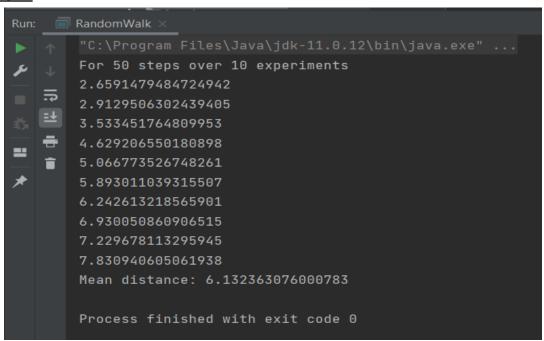
Conclusion: From the above line graph, the red line shows the average behaviour from which we can conclude that d  $\propto \sqrt{(n)}$ . L

### For 50 steps over 10 experiments:

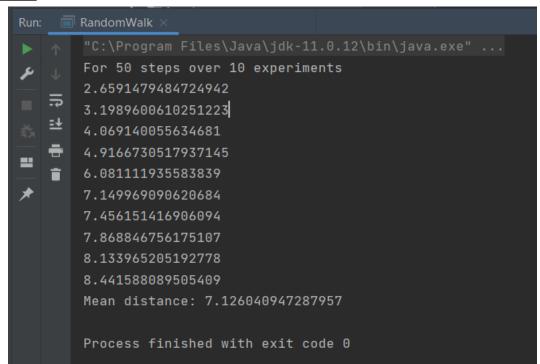
### Output 1:



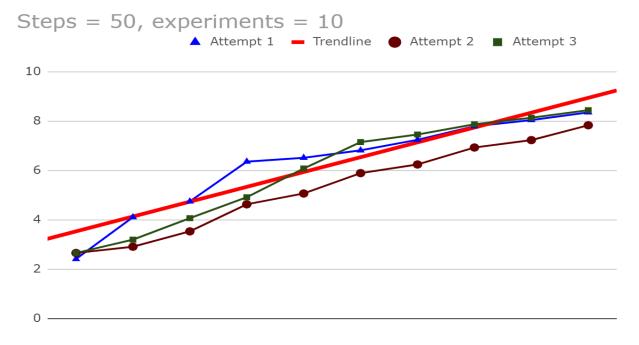
### Output 2:



### Output 3:



## Analysing above 3 output using line graph inorder to derive relationship between d and n



Conclusion: From the above line graph, the red line shows the average behaviour from which we can conclude that  $d \propto \sqrt{(n)}$ . L

3. Your code (*RandomWalk.java* plus anything else that you changed or created)

### Pseudo-code

```
While Walking

Pick a random direction

Take a step in that direction
```

### CODE:

/\*\*

```
package edu.neu.coe.info6205.randomwalk;
import java.util.Random;
public class RandomWalk {
  private int x = 0;
  private int y = 0;
  private final Random random = new Random();
  /**
   * Private method to move the current position, that's to say the drunkard
moves
   * @param dx the distance he moves in the x direction
   * @param dy the distance he moves in the y direction
   */
  private void move(int dx, int dy) {
      // TODO you need to implement this
      this.x += dx;
      this.y += dy;
  }
```

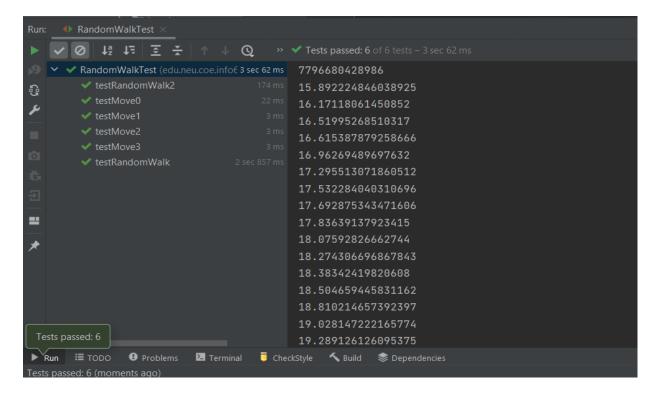
```
* Perform a random walk of m steps
   * @param m the number of steps the drunkard takes
   */
  private void randomWalk(int m) {
     // TO BE IMPLEMENTED
      for(int i = 0; i < m; i++)
             randomMove(); //for each step this method will calculate possible
moves randomly
  }
  /**
   * Private method to generate a random move according to the rules of the
situation.
   * That's to say, moves can be (+-1, 0) or (0, +-1).
   */
  private void randomMove() //method implementing random generation of x, y
co-ordinates
  {
     boolean ns = random.nextBoolean();
     int step = random.nextBoolean() ? 1 : -1;
     move(ns ? step : 0, ns ? 0 : step);
  }
  /**
   * Method to compute the distance from the origin (the lamp-post where the
drunkard starts) to his current position.
   * @return the (Euclidean) distance from the origin to the current position.
   */
```

```
public double distance() {
     // TO BE IMPLEMENTED
     //System.out.println("Drunk man's final position on the x-y plane will be:
");
      //System.out.println("Final co-ordinates of x and y: "+ this.x+"
"+this.y);
      double distance = Math.sqrt(Math.pow(0-x, 2) + Math.pow(0-y, 2));
//euclidean's formula to calculate distance
     return distance;
  }
  /**
   * Perform multiple random walk experiments, returning the mean distance.
   * @param m the number of steps for each experiment
   * @param n the number of experiments to run
   * @return the mean distance
   */
  public static double randomWalkMulti(int m, int n) {
     double total Distance = 0;
     for (int i = 0; i < n; i++) {
        RandomWalk walk = new RandomWalk();
        walk.randomWalk(m);
        totalDistance = totalDistance + walk.distance();
         System.out.println(Math.sqrt(totalDistance));
     }
     return totalDistance / n;
```

```
public static void main(String[] args) {
    if (args.length == 0)
        throw new RuntimeException("Syntax: RandomWalk steps

[experiments]");
    int m = Integer.parseInt(args[0]);
    int n = 10;
    if (args.length > 1) n = Integer.parseInt(args[1]);
        System.out.println("For "+ m + "steps over 10 experiments\n");
        double meanDistance = randomWalkMulti(m, n);
        System.out.println("Mean Distance: " + meanDistance);
    }
}
```

4. A screenshot of the unit tests all passing.



# <u>Screenshots of different step value over same number of experiments:</u>

Steps = 100, experiments = 10

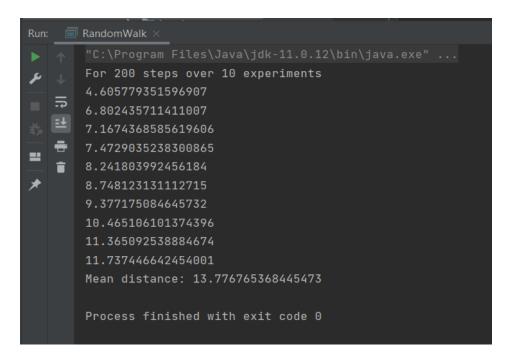
```
Run: RandomWalk ×

"C:\Program Files\Java\jdk-11.0.12\bin\java.exe" ...

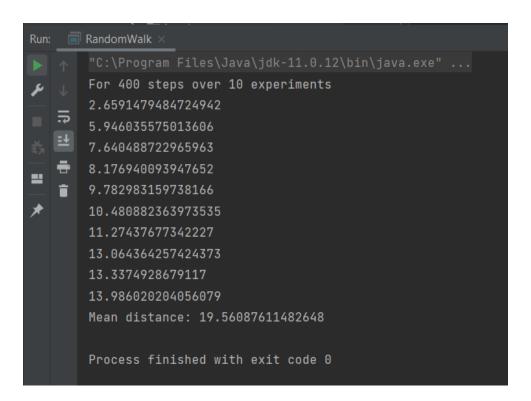
For 100 steps over 10 experiments
2.990697562442441
3.6313788837187513
4.5609961305598965
5.389702863258575
6.902895927938936
7.7014203872822415
7.972108671409706
8.28574294691542
8.863014787247637
10.112347417945532
Mean distance: 10.225957030122967

Process finished with exit code 0
```

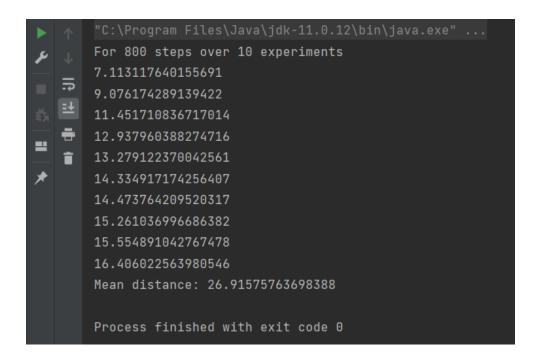
Steps = 200, experiments = 10



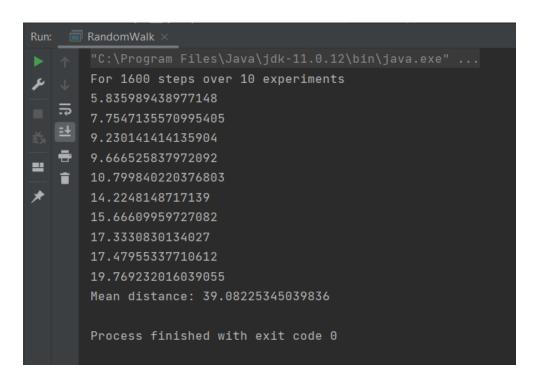
Steps = 400, experiments = 10



Steps = 800, experiments = 10



Steps = 1600, experiments = 10



Steps = 3200, experiments = 10

