

CSTP2301 Final Project V3

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ML

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Goals

- 1. Picking IDs 542236, 67321, 549295, 41108, 54982 to do the calculations.
- 2. Using a regression model to train and test the data set.
- 3. Comparing the actual value of y and predicted value of y and calculate the accuracy of them, fill the results in an Excel file.

Step 1: Read the Dataset

Begin by importing necessary libraries and loading the dataset. Use pandas to read the CSV file containing the data. This step is crucial as it sets up your data for preprocessing and analysis.

```
import pandas as pd
data = pd.read_csv('Sub_Oil_VLCC_Monthly.csv')
data
```

Step 2: Data Preprocessing

Prepare the dataset for the model. This involves splitting the dataset into features (X) and target variables (y). Since the model requires numerical inputs, ensure that the data is cleaned and appropriately formatted.

- Exclude the last row from the dataset for features (X).
- Define target columns for various scenarios (good, mid, and bad results).
- Exclude the first row from target columns to align with X.

To generate X and y, we can consider the entire table as X and copy the target column in a vector as y. Remember that the label of sample t in X is in row t+1 in y.

```
#Splitting the data into training and testing data

X = data[:-1]  #whole data exclude the last row as X

#target columns
good_result1_target_column = data['542236']
good_result2_target_column = data['67321']
mid_result_target_column = data['549295']
bad_result1_target_column = data['41108']
bad_result2_target_column = data['541982']

#target column exclude the first row as y
good1_y = good_result1_target_column[1:]
good2_y = good_result2_target_column[1:]
mid_y = mid_result1_target_column[1:]
bad1_y = bad_result1_target_column[1:]
bad2_y = bad_result2_target_column[1:]
```

Other than that, we apply normalization to X.

```
#Normalization
#get the first column of the data
time = data.iloc[:-1, 0].astype(int)

#Normalize the data
scaledX = data.iloc[:-1, 1:] # Excluding the last row and first column for dates
scaledX = (scaledX - scaledX.min()) / (scaledX.max() - scaledX.min())

# Assign the 'date' column back as integers
scaledX.insert(0, 'Unnamed: 0' ,time)

scaledX_train = scaledX.iloc[:n, :] #scaled training data
scaledX_test = scaledX.iloc[n:, :] #scaled testing data
```

Step 3: Splitting the Data into Training and Testing Sets

It's essential to evaluate the model's performance on unseen data. Split the dataset into a training set used for learning and a testing set for evaluation. We aim to assess the model's accuracy over the last three years available in the dataset. To achieve this, consider training the model on all samples from the beginning up to n-36, and then test it on the last 36 samples (n is the total number of samples excluding the last one that doesn't include a label)

```
n = len(X)-36 #number of data points for training and testing
X_train = X.iloc[:n, :] #training data
X_test = X.iloc[n:, :] #testing data
#good1 target column training and testing data
good1_y_train = good1_y.iloc[:n]
good1_y_test = good1_y.iloc[n:]
good2_y_train = good2_y.iloc[:n]
good2_y_test = good2_y.iloc[n:]
#mid target column training and testing data
mid_y_train = mid_y.iloc[:n]
mid_y_test = mid_y.iloc[n:]
#bad1 target column training and testing data
bad1 y train = bad1 y.iloc[:n]
bad1_y_test = bad1_y.iloc[n:]
#bad2 target column training and testing data
bad2 y train = bad2 y.iloc[:n]
bad2_y_test = bad2_y.iloc[n:]
```

Making sure of the training data are the data from 19910101 to 20201201, and the testing data are from 20210101 to 20231201 by printing them out.

```
print("X_train_Head: ", X_train.iloc[0,0])
    print("X_train_Tail: ", X_train.iloc[-1,0])
    print("X_test_Head: ", X_test.iloc[0,0])
    print("X_test_Tail: ", X_test.iloc[-1,0])
    print("scaledX_train_Head: ", scaledX_train.iloc[0,0])
    print("scaledX_train_Tail: ", scaledX_test.iloc[0,0])
    print("scaledX_test_Head: ", scaledX_test.iloc[0,0])
    print("scaledX_test_Tail: ", scaledX_test.iloc[-1,0])

### Train_Head: 19910101

### X_train_Tail: 20201201

### X_test_Head: 20210101

### X_test_Tail: 20231201

### scaledX_train_Head: 19910101

### scaledX_train_Tail: 20201201

### scaledX_train_Tail: 20201201

### scaledX_test_Head: 20210101

### scaledX_test_Head: 20210101

### scaledX_test_Tail: 20231201
```

Step 4: Model Selection and Training

We designed a model_fit_predict function to simplify the process of training and predicting with various regression models. This function receives the training data and a target variable, then applies several algorithms to produce a dictionary of predictions.

We tested five models: Decision Tree Regressor, Linear Regression, Lasso Regression, Support Vector Regression, and Multi-Layer Perceptron Regressor, plus a Gradient Boosting Regressor. After fitting each model to the training data, we invoked the predict method using the test set (X_test) to generate predictions.

By organizing predictions in a dictionary with model names as keys, we facilitated the subsequent evaluation of model performance based on accuracy metrics. This structured approach was instrumental in identifying the most suitable model for each target column, leading us to a set of predictions that could then be analyzed for accuracy and reliability.

```
# The models we use to do the prediction
from sklearn.tree import DecisionTreeRegressor
from sklearn.linear_model import LinearRegression
from sklearn.linear_model import Lasso
from sklearn.svm import SVR
from sklearn.neural_network import MLPRegressor
from sklearn.ensemble import GradientBoostingRegressor
def model_fit_predict(y_train):
   predictions = {} # Initialize an empty dictionary
    # Decision Tree Regressor
   DT = DecisionTreeRegressor(random_state=42)
   DT.fit(X_train, y_train)
    predictions['DT'] = DT.predict(X_test)
    # Linear Regression
   LR = LinearRegression()
   LR.fit(X_train, y_train)
   predictions['LR'] = LR.predict(X_test)
    # Lasso Regression
   Lasso_model = Lasso()
   Lasso_model.fit(X_train, y_train)
   predictions['Lasso'] = Lasso_model.predict(X_test)
    # Support Vector Regression
    SVR_model = SVR()
    SVR_model.fit(X_train, y_train)
   predictions['SVR'] = SVR_model.predict(X_test)
   # Multi-Layer Perceptron Regressor
   MLP = MLPRegressor(hidden_layer_sizes=(350,150,50), max_iter=1000)
   MLP.fit(X_train, y_train)
   predictions['MLP'] = MLP.predict(X_test)
    # Gradient Boosting Regressor
   GBR = GradientBoostingRegressor()
   GBR.fit(X_train, y_train)
   predictions['GBR'] = GBR.predict(X_test)
    return predictions
good1_predictions = model_fit_predict(good1_y_train)
good2_predictions = model_fit_predict(good2_y_train)
mid_predictions = model_fit_predict(mid_y_train)
bad1_predictions = model_fit_predict(bad1_y_train)
bad2_predictions = model_fit_predict(bad2_y_train)
```

And this time we have set some hyper parameters for the MLP model, we have set 3 layers, the first layer has 350 neurons, second layer has 150 neurons and the third layer has 50 neurons and set the maximum number of iterations for 1000 times.

```
# Random Forest Regressor
RFR = RandomForestRegressor()
RFR.fit(X_train, y_train)
predictions['RFR'] = RFR.predict(X_test)
predictions['Scaled RFR'] = RFR.predict(scaledX_test)

#Ridge Regression
RR = Ridge()
RR.fit(X_train, y_train)
predictions['RR'] = RR.predict(X_test)

predictions['Scaled RR'] = RR.predict(scaledX_test)
```

Also, we add two more models, Random Forest Regression and Ridge Regression.

```
{'DT': array([26190.52, 26190.52, 25924.44, 26190.52, 23370.15, 26190.52,
                  27437.5 , 27437.5 , 23370.15, 25073.01, 27437.5 , 28510.48,
                  28510.48, 33000. , 40000. , 44355.77, 64904.01, 40159.3 ,
                  50875. , 60000. , 64904.01, 40159.3 , 40000. , 40000.
                 41356.63, 40159.3, 64904.01, 40159.3, 64904.01, 64904.01]), 'Scaled DT': array([22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.44, 22199.
                 22199.43, 22199.43, 22199.43, 22199.43, 22199.43,
                 22199.43, 22199.43, 22199.43, 22199.43, 22199.43,
                22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43, 22199.43], 
22199.43, 22199.43, 22199.43, 22199.43, 22199.43], 'LR': array([ 47639.62406022, 76291.28892127, 84007.60211534, 84367.32291944, 92340.22236385, 54781.46611355, 
61810.77499469, 45423.7240802, 61840.48634965, 
97622.29592426, 68620.39617335, -5656.78853467, 
12197.3138489, 22208.96454527, 48551.26685627, 
83029.64500493, 25410.53970033, -78984.27977377, 
-192600.59360291, -74258.57026851, 4273.77436649, 
14767.37497133, 16667.95001831, -42587.65764038, 
-279896.2774728, -262251.89454046, -199466.66852274.
                    -279896.2774728 , -262251.89454046, -199466.66852274,
                  -175483.77846867, -113652.21636635, -163821.03185074,
                  -216143.46976441, -282867.95830059, -185646.65056343]), 'Scaled LR': array([1247071.58234314, 1244805.69151451, 1246037.83309938,
                 1247818.21169995, 1246960.90729249, 1246487.20838292,
                 1246686.56325345, 1246344.46197804, 1245019.89119879,
                1245875.49371877, 1246433.72159861, 1246596.35367094,
                5849.19942254, 5728.95551055, 5607.29745844, 5658.80839698,
                 2656.23933432, 2757.04597246, 2611.61841449, 2586.49487566,
                  2599.81927098, 2596.35187308, 2769.74445544, 2866.69860161,
                  2654.85138877, 2509.22646811, 2555.92105843, 2476.19071751])}
```

Step 5: Model Prediction and Evaluation

The calculate_accuracies function measures how well our models predict outcomes. It measures the difference between what the model predicts and the actual results, turning this into a percentage that represents the model's accuracy. This is done for

each prediction and then averaged out to get the model's overall accuracy. We've applied this function to several datasets, allowing us to see which model gives the most accurate predictions for each case. The results are kept neat, with individual prediction accuracies and the model's average accuracy neatly recorded and easy to compare.

```
import numpy as np
def calculate_accuracies(predictions, y_test):
   average_accuracies = {}
    individual_accuracies = {}
    for model, model predictions in predictions.items():
        # Calculate accuracy for each prediction
        accuracies = (1 - np.abs(model predictions - y test) / y test) * 100
        # Calculate average accuracy for the model
        average_accuracy = np.mean(accuracies)
        # Store the average accuracy, rounded to two decimal places
        average_accuracies[model] = round(average_accuracy, 2)
        # Store individual accuracies
        individual_accuracies[model] = accuracies
    return average_accuracies, individual_accuracies
# Calculate accuracies
good1_avg_acc, good1_ind_acc = calculate_accuracies(good1_predictions, good1_y_test)
good2_avg_acc, good2_ind_acc = calculate_accuracies(good2_predictions, good2_y_test)
mid_avg_acc, mid_ind_acc = calculate_accuracies(mid_predictions, mid_y_test)
bad1_avg_acc, bad1_ind_acc = calculate_accuracies(bad1_predictions, bad1_y_test)
bad2_avg_acc, bad2_ind_acc = calculate_accuracies(bad2_predictions, bad2_y_test)
```

After the accuracies are calculated, the next step is to find the best accuracy for each model.

```
#pick the best model for each target column
good1_best_model = max(good1_avg_acc, key=good1_avg_acc.get)
good2_best_model = max(good2_avg_acc, key=good2_avg_acc.get)
mid_best_model = max(mid_avg_acc, key=mid_avg_acc.get)
bad1_best_model = max(bad1_avg_acc, key=bad1_avg_acc.get)
bad2_best_model = max(bad2_avg_acc, key=bad2_avg_acc.get)
```

We can easily find out the best model for each target ID by printing the results:

Before fill in hyper parameters for MLP models:

```
print("Avg_Good1: ", good1_avg_acc)
    #print(good2_ind_acc)
    print("Avg_Good2: ", good2_avg_acc)
    #print(mid ind acc)
    print("Avg_Mid: ", mid_avg_acc)
    #print(bad1 ind acc)
    print("Avg_Bad1: ", bad1_avg_acc)
    print("Avg_Bad2: ", bad2_avg acc)
    print("Best_Good1: ", good1_best_model, good1_avg_acc[good1_best_model])
                         ", good2_best_model, good2_avg_acc[good2_best_model])
    print("Best_Good2:
    print("Best_Mid: ", mid_best_model, mid_avg_acc[mid_best_model])
                        ", bad1_best_model, bad1_avg_acc[bad1_best_model])
   print("Best_Bad1:
    print("Best_Bad2: ", bad2_best_model, bad2_avg_acc[bad2_best_model])
Avg_Good1: {'DT': 84.79, 'LR': -183.68, 'Lasso': 17.35, 'SVR': 61.08, 'MLP': -313.58, 'GBR': 86.2}
Avg_Good2: {'DT': 96.47, 'LR': 70.49, 'Lasso': 94.69, 'SVR': 79.18, 'MLP': -130877.2, 'GBR': 97.81}
Avg_Mid: {'DT': 79.45, 'LR': -212.78, 'Lasso': 78.32, 'SVR': 69.69, 'MLP': -707486.15, 'GBR': 87.05}
Avg_Bad1: {'DT': 44.27, 'LR': -734.57, 'Lasso': 63.81, 'SVR': 70.8, 'MLP': -203581.89, 'GBR': 65.88}
Avg_Bad2: {'DT': 27.04, 'LR': -1504.31, 'Lasso': 8.65, 'SVR': 61.08, 'MLP': -565461.58, 'GBR': 55.55}
Best_Good1: GBR 86.2
Best Good2: GBR 97.81
Best Mid: GBR 87.05
Best Bad1: SVR 70.8
Best Bad2: SVR 61.08
```

After apply normalization, fill in hyper parameters for MLP models and add Random Forest Regression and Ridge Regression.:

```
Avg_Good1: {'DT': 84.79, 'Scaled DT': 70.26, 'LR': -183.68, 'Scaled LR': -3750.15, 'Lasso': 17.35, 'Scaled Lasso': -128.88, 'SVR': 61.08, 'Avg_Good2: {'DT': 96.47, 'Scaled DT': 58.97, 'LR': 70.49, 'Scaled LR': -220.21, 'Lasso': 94.69, 'Scaled Lasso': 4.24, 'SVR': 79.18, 'Scaled Avg_Mid: {'DT': 79.45, 'Scaled DT': 63.59, 'LR': -212.78, 'Scaled LR': -4088.68, 'Lasso': 78.32, 'Scaled Lasso': -116.99, 'SVR': 69.69, 'Scaled LR': -4088.68, 'Lasso': 78.32, 'Scaled Lasso': -116.99, 'SVR': 69.69, 'Scaled LR': -4088.68, 'Lasso': 63.81, 'Scaled Lasso': 1.12, 'SVR': 70.8, 'Scaled LR': -4088.68, 'Lasso': 63.81, 'Scaled Lasso': 1.12, 'SVR': 70.8, 'Scaled LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -610.52, 'SVR': 61.08, 'Scaled LR': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -416.99, 'SCALED LASSO': 70.8, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -416.99, 'SCALED LASSO': 70.8, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.69, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 8.65, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.69, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 78.32, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 78.32, 'Scaled Lasso': -416.99, 'SCALED LASSO': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'LR': -4088.68, 'Lasso': 78.32, 'Scaled Lasso': -416.99, 'SCALED LASSO': -40.99, 'SC
```

We can find out that after we set some layers for the MLP models the accuracy is improved but still negative, so we stop trying to change the value of the hyper parameters, we think MLP is not really fit for this case.

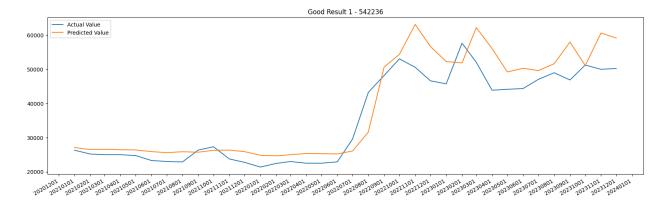
Summary:

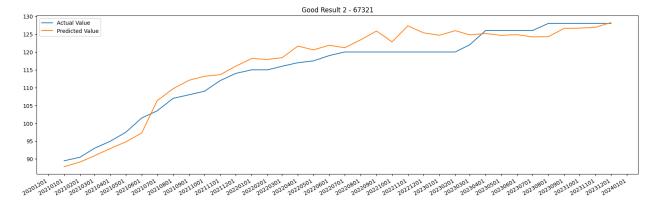
<u>ID</u>	Best Model	Accuracy
<u>542236</u>	Gradient Boosting Regression	<u>88.16%</u>
<u>67321</u>	Gradient Boosting Regression	<u>97.5%</u>
<u>549295</u>	Random Forest Regression	<u>88.86%</u>
41108	Random Forest Regression + Normalization	<u>75.7%</u>
<u>541982</u>	Random Forest Regression + Normalization	70.52%

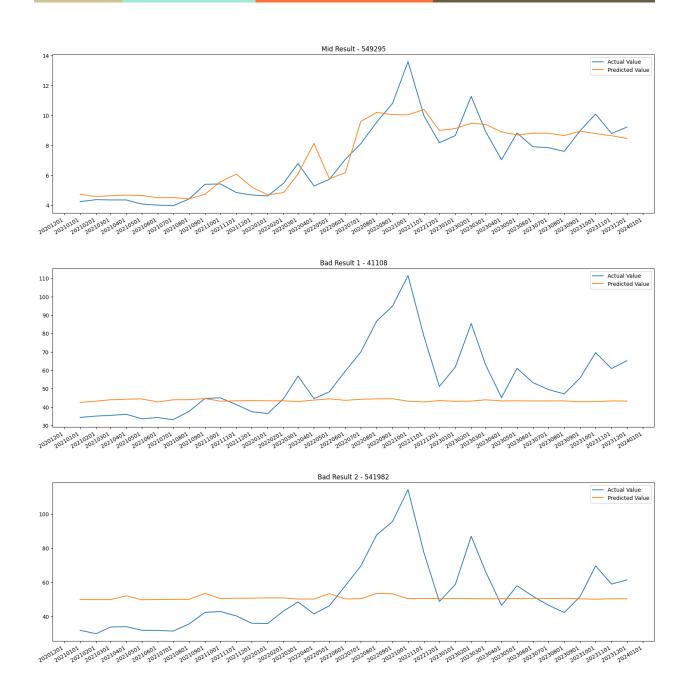
Step 6: Plot Diagrams

Using the Matplotlib library for plotting the performance of prediction models over time. The script defines a function called plot_best_model. These plots are critical for visually assessing how well each model's predictions align with the actual data, which is an essential part of the model evaluation process.

```
# plot a graph of the best model for each target column that show the prediction and the actual value
#x axis is the index of the testing data
import matplotlib.pyplot as plt
import matplotlib.dates as mdates
from datetime import datetime
def plot_best_model(best_model, y_test, predictions, title):
   X_test['Datetime'] = pd.to_datetime(X_test['Unnamed: 0'], format='%Y%m%d')
   plt.figure(figsize=(20,6))
   plt.plot(X_test['Datetime'], y_test, label='Actual Value')
   plt.plot(X_test['Datetime'], predictions[best_model], label='Predicted Value')
   plt.title(title)
   plt.legend()
    plt.gca().xaxis.set_major_formatter(mdates.DateFormatter('%Y%m%d'))
   plt.gca().xaxis.set_major_locator(mdates.MonthLocator())
   plt.gcf().autofmt_xdate()
    plt.show()
plot_best_model(good1_best_model, good1_y_test, good1_predictions, 'Good Result 1 - 542236')
plot_best_model(good2_best_model, good2_y_test, good2_predictions, 'Good Result 2 - 67321')
plot_best_model(mid_best_model, mid_y_test, mid_predictions, 'Mid Result - 549295')
plot_best_model(bad1_best_model, bad1_y_test, bad1_predictions, 'Bad Result 1 - 41108')
plot_best_model(bad2_best_model, bad2_y_test, bad2_predictions, 'Bad Result 2 - 541982')
```







Step 7: Export csv files

we devised the write_csv function. This function takes in the actual values, the predicted values, the individual prediction accuracies, the average accuracy, and the desired filename for output.

For every model, we used the function to write a CSV file containing the time series from our test set, along with the corresponding actual and predicted values, and their

accuracies. It neatly places the average accuracy at the top of the column, avoiding repetition, for a cleaner look in the data file.