Annual Salary Report

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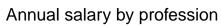
Introduction

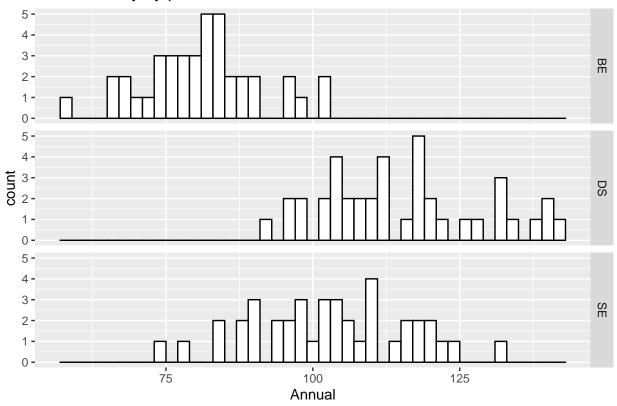
Is there statistical evidence to suggest there is an interaction effect between Profession and city

Summary

(Histogram)

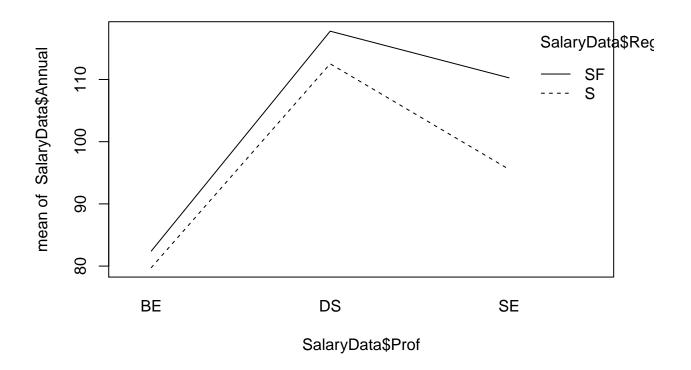
```
##
        Annual
                     Prof
                             {\tt Region}
##
   Min. : 57.65
                     BE:40
                             S :60
   1st Qu.: 84.24
                     DS:40
                             SF:60
## Median :100.75
                     SE:40
         : 99.71
## Mean
## 3rd Qu.:112.55
          :142.31
## Max.
## nT: 120 , a = 3 , b = 2
```





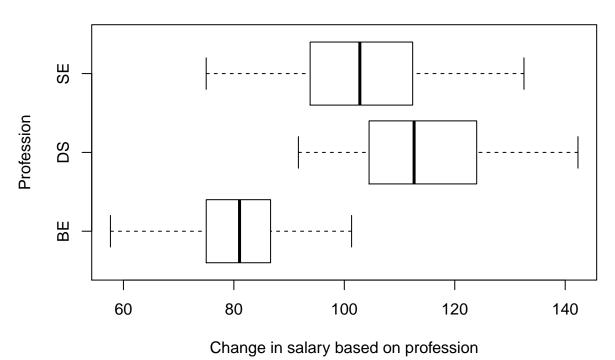
Annual salary by region 5 -4 -3 -ഗ 2 -1 conut 0 -4 -3 -2-1 -0 -100 Annual 75 125

The annual salary in thousands of dollars for 'Data Scientist', 'Software Engineer', 'Bioinformatics



By the plot, it seems to exist an interaction between Profession and Region $(\mathbf{BoxPlot})$

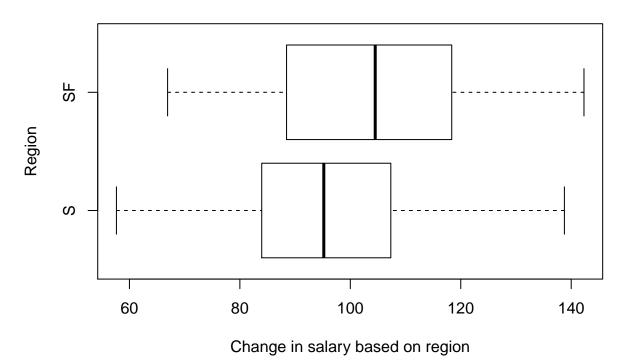
Profession ~ Annual Salary 'Box Plot'



The average salary is comparetively the highest in the Data Scientist profession according to the hi

3 SE 13.240313

Region ~ Annual Salary 'Box Plot'



The average weight loss is comparetively the highest in San Francisco according to the histogram

```
## Region Annual
## 1    S 17.41791
## 2    SF 19.29842

(Means)
## Yij :
##    BE    DS    SE
## S 79.75485 112.5272 95.54875
## SF 82.41914 117.7688 110.26412
##Diagnostic
```

We would like to find out if any form of this data will meet the assumption that all test statitics a
1: All subjects are randomly sampled
2: All levels of Factor A are independent
3: All levels of Factor B are independent

4: eijk ~ N(O , sd = sigma-e)

Test for normal distrinution and check for outliers or any representation of skewed data and consta

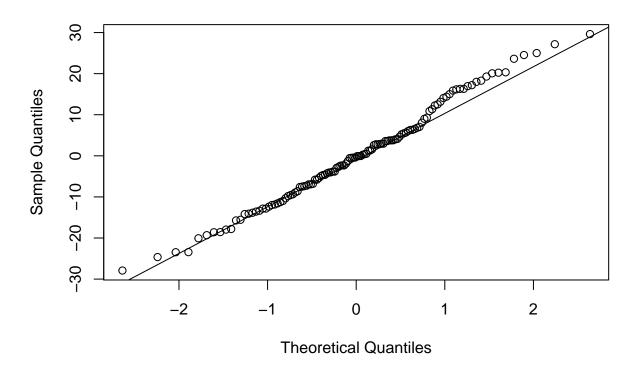
(Assess Normality)

```
##
## Attaching package: 'EnvStats'

## The following objects are masked from 'package:stats':
##
## predict, predict.lm

## The following object is masked from 'package:base':
##
## print.default
```

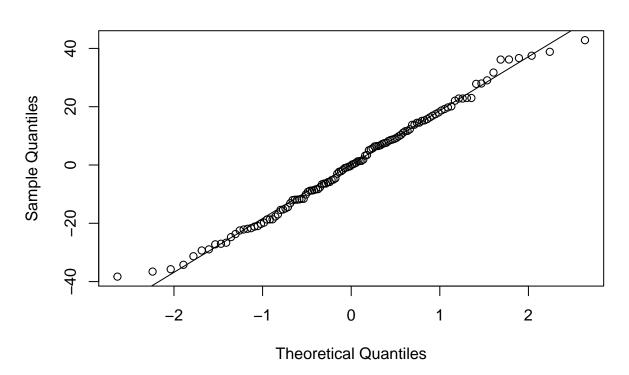
Normal Q-Q Plot



```
##
## Shapiro-Wilk normality test
##
## data: prof.e.i
## W = 0.99027, p-value = 0.5585

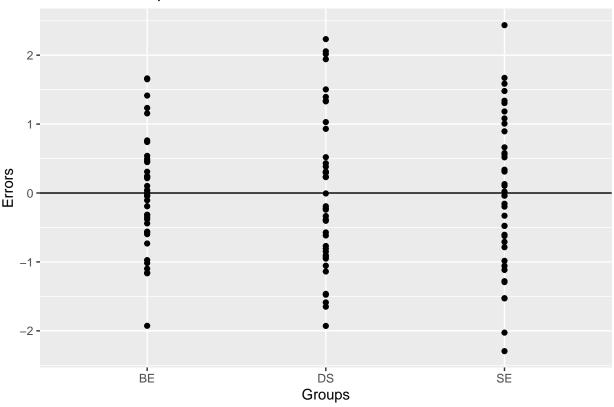
## SW p-val = 0.5585
## The qq line and the plots seem to represent an approximate normal distribution, as y is not equal t
```

Normal Q-Q Plot

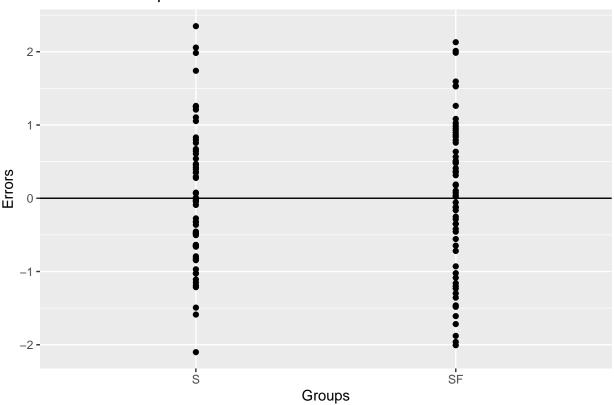


```
##
## Shapiro-Wilk normality test
##
## data: reg.e.i
## W = 0.98987, p-value = 0.5231
## SW p-val = 0.5231
## The qq line and the plots seem to represent an approximate normal distribution, as y is not equal t
(homoscedasticity)
```





Errors vs. Groups



The errors for the sampled population seem to have roughly the same variance.

Analysis

(Interaction Effects)

```
## Assuming level of significance(alpha) as 0.05, test for interaction.
```

(AB) : interaction model 15252.93

(A+B): no-interaction model 16058.34

test-statistic: 3.009798 p-value: 0.05323577

As the p-value is greater than the significance level, we fail to reject HO and conclude that the m ## As the no-interaction model is a better fit, we proceed testing for Factor A&B effects

(Factor Effects)

```
## test-statistic: 12.32177 p-value: 0.0006384655
```

As the p-value is less than alpha(0.05), we reject HO and conclude that factor A effects exist

R2{A+B|B}: 0.5972622

 $\mbox{\tt \#\#}$ the propotion of reduction in error when adding factor A to B is 59.7%.

```
## test-statistic: 86.0143 p-value: 1.233952e-23
## As the p-value is less than alpha(0.05), we reject HO and conclude that factor B effects exist
## R2{A+B|A}: 0.09602243
## the propotion of reduction in error when adding factor B to A is 9.6%.
(No-Interaction Two Factor ANOVA)
## Yijk = \mu.. + <U+03B3>i + dj + eijk
(Confidence Intervals)
## Factor A (Profession) and Factor B (Region), pairwise comparisions.
## µ11 - µ12, difference in annual salary for Bioinformatics Engineer in Seattle and San Francisco
## -10.03494 4.706358 are the bounds
## We are 95% confident that there exists no significant difference between a Bioinformatics Engineer
## μ21 - μ22, difference in annual salary for Data Scientist in Seattle and San Francisco
## -12.61233 2.128968 are the bounds
## We are 95% confident that there exists no significant difference between a Data Scientist in Seattl
## µ31 - µ32, difference in annual salary for Software Engineer in Seattle and San Francisco
## -22.08602 -7.344723 are the bounds
## We are 95% confident that there exists a significant difference between a Software Engineer from Se
## µ.1 - µ.2, difference in annual salary in Seattle and San Francisco
\#\# -15.18994 0.1090442 are the bounds
## We are 95% confident that there exists no significant difference between on average in profession in
## μ21 - (μ11+μ31)/2, difference in annual salary between a Data Scietist and the average of the engine
## -37.13 -11.4362
```

Interpretation

##

-44.44423 -18.75044

##
Alpha(0.05), is the probability of rejecting the claim that there is an interaction effect between p
##
With our data set and question of interest, we completed a Two Factor Anova Hypothesis test. First w
##

Through our confidence intervals, we have concluded that software engineers from San Francisco earn

μ22 - (μ12+μ32)/2, difference in annual salary between a Data Scietist and the average of the engine

Conclusion

We can conclude that the best model for this report is the No-Interaction Two Factor ANOVA. We concl

R Appendix