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Section: BCS-6B

Assignment 2b

Q1. 1. [1, 3, 5, 7, 2, 4, 6, 8] for  $N=8$

2. 20!

3. By counting the number of non-attacking pair which in this case should be  $\frac{n(n-1)}{2}$

$$\frac{20(20-1)}{2}$$

$$= 190$$

			Proportionate	C. sum
Q2.	100010111	6	0.3	0.3
	100000001	1	0.05	0.35
	010101010	0	0	0.35
	010100110	5	0.25	0.6
	001100111	0	0	0.6
	110110110	8	0.4	1

random number = 0.86

① 110110110

random number = 0.59

② 010100110

single point crossover

$$[0.67 \times 9] = 6$$

this gives same answer, again.

$$[0.14 \times 9] = 1$$

$$\begin{array}{|c|c|} \hline 110110110 & \textcircled{3} 110100110 \\ \hline \end{array}$$

$$\begin{array}{|c|c|} \hline 010100110 & \textcircled{4} 010110110 \\ \hline \end{array}$$

$$0.34 > 0.1$$

Mutation

$$[0.08 \times 9] = 0$$

same, again'

$$[0.11 \times 9] = 0$$

same, again

$$[0.29 \times 9] = 2$$

$$1101100110 \rightarrow \textcircled{5} 111100110$$

$$0.85 > 0.1$$

Mutation

$$[0.76 \times 9] = 6$$

$$010110110 \rightarrow \textcircled{6} 010110010$$

New Population

1. 110110110
2. 010100110
3. 110100110
4. 010110110
5. 111100110
6. 010110010

b). Use Random Restart. This will help in reaching a new local minima which may or may not be better than the current local minima.

Q3.

		Fitness	Rank	selection Probability	cum
C1	00001101	3	6	0.285	0.285
C2	11000000	2	2	0.095	0.380
C3	00000000	0	1	0.047	0.427
C4	10101000	3	5	0.238	0.665
C5	00111000	3	4	0.190	0.855
C6	01000011	3	3	0.145	1

random value = 0.12

C1

random value = 0.61

C4

Crossover random value = 0.5

crossover point 4

New C1 : 00001000

New C4 : 10101101

random value = 0.15

C1

random value = 0.34

C4

crossover point 1 random value = 0.13



new  $C_3 = 01000000$

new  $C_4 = 10001101$

Random value = 0.83

$C_5$

random value = 0.9

$C_6$

Crossover point = 4

random value 0.51

New  $C_5 = 00110011$

New  $C_6 = 01001000$

New Population	Fitness
00001000	1
01001000	2
10101101	5
01000000	1
10001101	4
00110011	4

2nd iteration	Fitness
01000011	3
00111000	3
<del>01000011</del>	
00001101	3
10101101	5
10001101	4
00110011	4

Q 4.a)  $(n-1)!$  which will be  $(5-1)! = 4! = 24$   
 starting at a location there are 4 different  
 places, going at any one leave 3, then 2 then 1.  
 hence  $4 \cdot 3 \cdot 2 \cdot 1$ .

b) excluding first city it would be  

$$\frac{(n-1)(n-2)}{2} = \frac{(4)(3)}{2} = 6$$

$[1, 3, 4, 2, 5]$

swap possible  $[3, 4], [3, 2], [3, 5], [4, 2], [4, 5], [2, 5]$

c)  $[1, 3, 4, 2, 5] = 2 + 4 + 3 + \frac{2}{2} = \boxed{11}$  selected

swap  $[3, 4]$

$[1, 4, 3, 2, 5] = 3 + 4 + 1 + 2 = \boxed{10}$  selected

swap  $[3, 2]$

$[1, 4, 2, 3, 5] = 3 + 3 + 1 + 2 = \boxed{9}$  selected

swap  $[3, 5]$

$[1, 4, 2, 5, 3] = 3 + 3 + 2 + 2 = 10$  not selected

swap  $[4, 2]$

$[1, 2, 4, 3, 5] = 5 + 3 + 4 + 2 = 14$  not selected

swap  $[4, 5]$

$[1, 5, 2, 3, 4] = 1 + 2 + 1 + 4 = \boxed{8}$  selected

swap  $[2, 5]$

$[1, 2, 5, 3, 4] = 5 + 2 + 2 + 4 = 13$  not selected

Final solution

$[1, 5, 2, 3, 4]$  with 8  
 as best.

Q5 1. The search space will be  $2^{100}$ . The agent has two choices <sup>for</sup> ~~at~~ each item. for example 3 items will have  $8 = (2^3)$  combinations. Similarly 100 items will have  $2^{100}$  combinations.

2. Max successors =  $n - \text{numbers of items already picked}$   
~~picked~~

3. Assuming it is a minimization it can be represented as

$$V_{\text{total}} = \sum_{i=1}^n v_i \cdot s_i$$

where  $v$  is the cost assigned to the item and  $s$  is whether it is picked or not. (0 or 1)