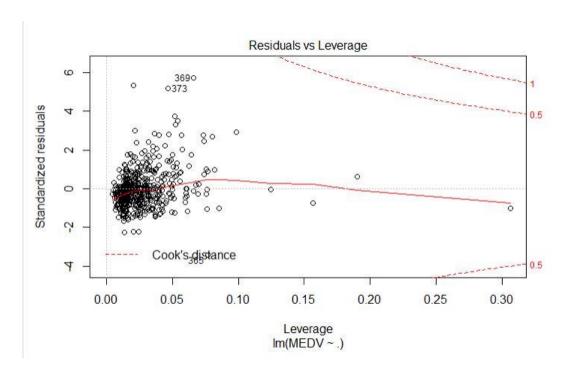
1. Code for regression and resulting model (note houseData.txt contains the data with manually added header):

```
\label{eq:file} \begin{split} &\text{file} = \text{"houseData.txt"} \\ &\text{houseData} = \text{read.table(file, sep} = \text{"", header} = \text{T)} \\ &\text{modelWithOutlier} = \text{lm(MEDV} \sim ., \text{data} = \text{houseData)} \end{split}
```

## 2. Screenshot of diagnostic plot and explanation for outliers removal:



Indexes of outliers to be removed due to absolute value of standardized residual > 4 are: 369 372 373

Indexes of outliers to be removed due to cook's distance > 4 \* (mean of all cook's distance):

(Note that some convention use 4/(rows of dataset) as threshold, in this case it will remove too many datapoints and thus is not used here)

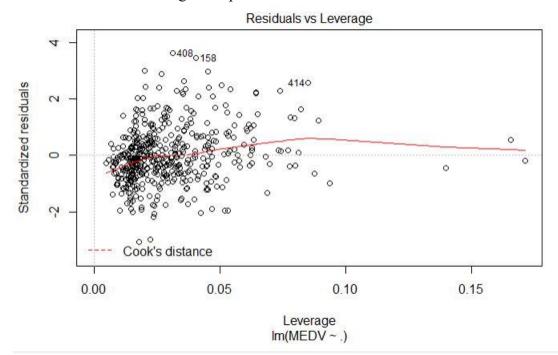
65 142 162 163 164 167 187 215 226 229 254 365 366 368 369 370 371 372 373 375 381 413 415

Indexes of outliers to be removed due to leverage > 0.1 are: 381 406 411 419

Hence, all indexes of outliers to be removed are (Union of above three): 369 372 373 65 142 162 163 164 167 187 215 226 229 254 365 366 368 370 371 375 381 413 415 406 411 419

Total outliers removed: 26

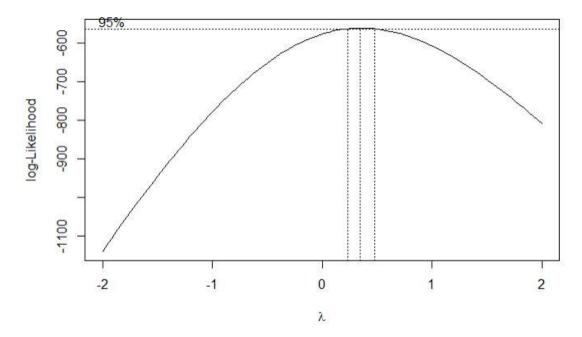
## 3. Screenshot of new diagnostic plot:



4. Screenshot of code for subproblem 2:

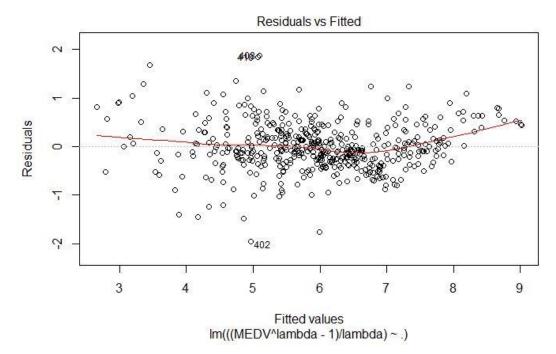
```
#remove outliers
#find all outliers indexes
largeRStandardIndexes = which(T == ( (rstandard(modelWithOutlier) > 4) | (rstandard(modelWithOutlier) < -4) ))
largeCookDistanceIndexes = which(T == (cooks.distance(modelWithOutlier) > (4*mean(cooks.distance(modelWithOutlier))) )
largeLeverageIndexes = which(T == (hatvalues(modelWithOutlier) > 0.1))
#union all outliers
outliers = union(union(largeRStandardIndexes, largeCookDistanceIndexes), largeLeverageIndexes)
#build new model with outliers removed
houseData_outliersRemoved = houseData[-outliers, ]
modelWithOutOutlier = lm(MEDV ~., data = houseData_outliersRemoved)
plot(modelWithOutOutlier)
summary(modelWithOutOutlier)
```

## 5. Screenshot of Box-Cox transformation plot and best value for lambda



The best value for lambda is **0.4**, it is calculated by find the lambda maximize log-likelihood, R code to achieved this is attached at the end.

## 6. Result of the standardized residuals of the regression after Box-Cox transformation:



a plot of fitted house price against true house price:



```
Code for part 3:
    #apply boxcox transformation
        library(MASS)
    #plot the box-cox transformation
        boxcox(modelWithOutOutlier)
    #find the best lambda value:
        lambda = with(boxcox(modelWithOutOutlier, plotit = F), x[which.max(y)])
  Code for part 4:
    #apply transformation to dependant variable and fit the model again
      modelWithoutOutlierTransformed = lm( ((MEDV^lambda - 1) / lambda) ~ ., data
= houseData outliersRemoved)
    plot(modelWithoutOutlierTransformed)
    #plot fitted house price against true house price
                         (predict(modelWithoutOutlierTransformed,
    fittedValue
                                                                      newdata
houseData outliersRemoved) * lambda + 1) ^ (1/lambda)
plot(fittedValue ~ houseData outliersRemoved$MEDV, xlab = "true house price", ylab
= "fitted value")
```