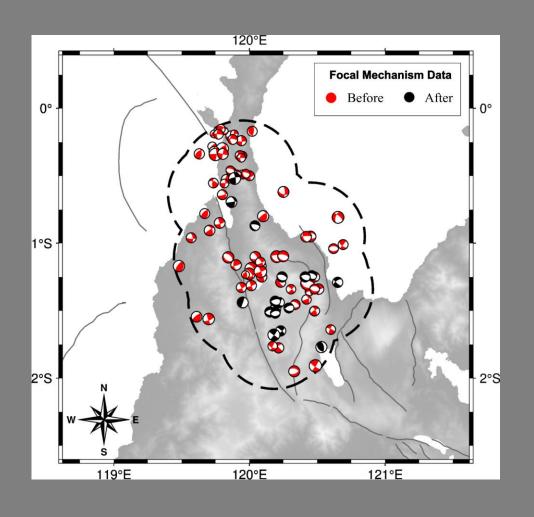
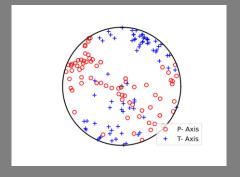
# Stress Orientation Rotation of the 2018 Mw 7.5 Palu Earthquake

# **Focal Mechanisms Data**

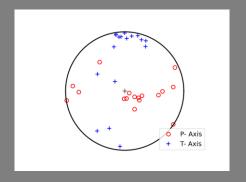


#### Before 2018 Mw7.5 Palu



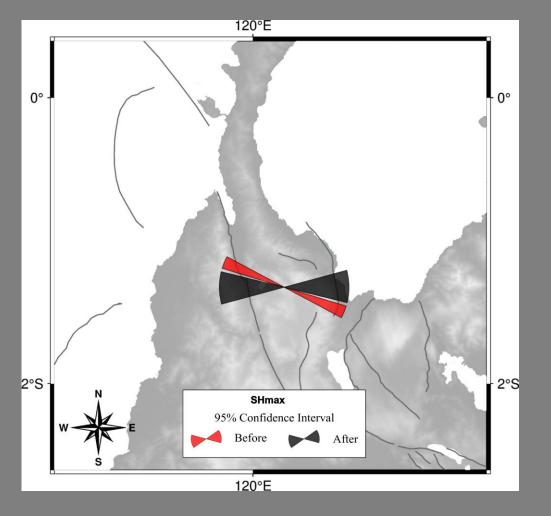
76 events May 1977 – Sep 2018

#### After 2018 Mw7.5 Palu

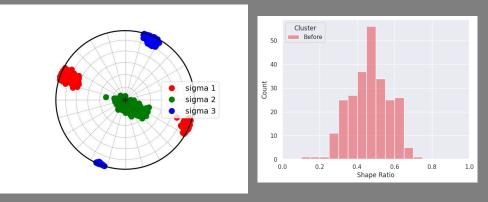


17 events Sep 2018 – Nov 2021

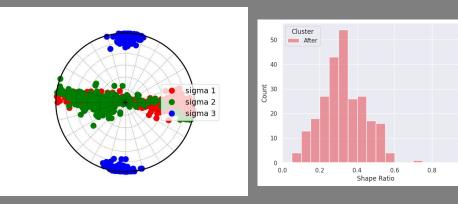
### **Stress Inversion Result**



#### Before 2018 Mw7.5 Palu



#### After 2018 Mw7.5 Palu



	σ1 Azimuth	σ1 Plunge	σ2 Azimuth	σ2 Plunge	σ3 Azimuth	σ3 Plunge	SHmax
Before	112.2 ± 5.7	$13.0 \pm 12.6$	141.2 ± 75.5	$75.7 \pm 12.1$	22.8 ± 5.7	6.3 ± 6.0	112.5 ± 5.5
After	97.1 ± 20.6	42.5 ± 39.7	98.8 ± 45.1	45.5 ± 39.1	3.4 ± 11.0	9.1 <u>+</u> 9.0	89.3 ± 14.5
Δ	-15.1	29.5	-42.4	-30.2	-19.4	2.8	-23.2

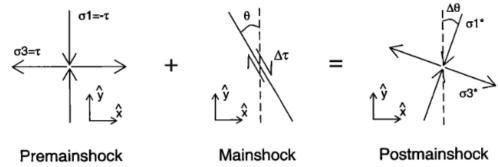
# Stress Drop Ratio $\left(\frac{\Delta \tau}{\tau}\right)$ Calculation

To calculate the stress drop ratio, we use equation (4) in Hardebeck 2001

$$\Delta\theta = \tan^{-1}\left(\frac{1 - \frac{\Delta\tau}{\tau}\sin 2\theta - \sqrt{\left(\frac{\Delta\tau}{\tau}\right)^2 + 1 - 2\frac{\Delta\tau}{\tau}\sin 2\theta}}{\frac{\Delta\tau}{\tau}\cos 2\theta}\right) \qquad \qquad \frac{\Delta\tau}{\tau} = -\frac{\sin(2\Delta\theta)}{\cos(2\theta + 2\Delta\theta)}$$

#### Calculation of $\theta$ and $\Delta\theta$

21,874 HARDEBECK AND HAUKSSON: CRUSTAL STRESS FIELD IN CALIFORNIA

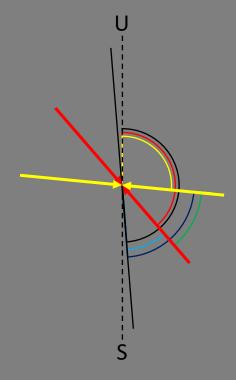


> Nodal plane 2018 Mw 7.5 Palu 348 · 57 · -15 87 · 77 · -146

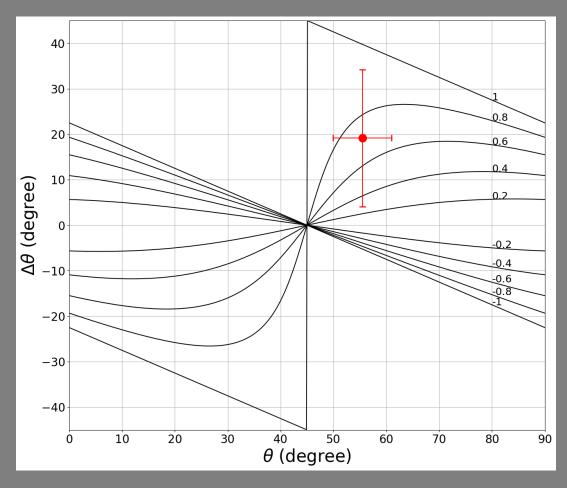
$$\theta = 168 - 113.51 = 54.48$$
 $\theta_a = 168 - 97.16 = 70.84$ 
 $\Delta \theta = 70.84 - 54.48 = 16.36$ 

Fault | Before | After |  $\theta + \Delta \theta$  |  $\theta$  |  $\Delta \theta$ 

Hardebeck & Hauksson 2001 say that  $\theta$  and  $\Delta\theta$  are calculated on the  $\sigma 1 - \sigma 3$  plane. Since the mechanism of the 2018 Mw7.5 Palu earthquake is strike-slip, the  $\sigma 1 - \sigma 3$  plane is horizontal, so the angle used is SHmax with respect to the strike of fault.



# Model Stress Drop 2018 Mw 7.5 Palu by SHmax



$$\theta_b = 55.5 \pm 5.5 (50.0 - 61.0)$$

$$\Delta\theta = 19.1 \pm 15.1 (4.0 - 34.2)$$

$$\frac{\Delta \tau}{\tau} = 0.72 \pm 0.31 \, (0.31 - 0.92)$$