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Assignment 1:

monte.hall<-function(N,n=3){ # This is a function name Monte and arguments N=no. of games or trials and n=no. of doors

winswitch<-NULL # A variable named winswitch with initial value = NULL. Stores the outcomes when we switch

winstay<-NULL # A variable named winstay with initial value = NULL. Stores the outcomes when we stay

for(i in 1:N){ # a for loop running N times. Hence we are playing the game N times and inside this loop is the code for the game

true.door<-sample(n,n) # true.door is a variable that stores sample(n,n) i.e. choosing from n values and choosing exactly n values. #For ex. Sample(10,2) selecting 2 values between 1 to 10. 10 specifies upper bound.

choice.door<-sample(n,1) # choice.door is a variable that stores sample(n,1) i.e. choosing from n values and choosing exactly 1 values.

#For ex. Sample(10,1) selecting 1 value1 between 1 to 10. 10 specifies upper bound.

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Mdoor<-sample(true.door,1) # Monte hall opens a door and we assign it to Mdoor if(choice.door==true.door[1]){ # here if our choice == prize door winswitch<-c(winswitch,0) # then add 0 to winswitch vector winstay<-c(winstay,1) # and add 1 to winstay vector }

else {
winswitch<-c(winswitch,1/(n-2)) # Else add 1 to winswitch vector winstay<-c(winstay,0) # add 0 to winstay vector }
}

m1<-cbind(winswitch,winstay) # combining the two vectors winstay and winswitch apply(m1,2,sum)/N # here we are finding the probabilities of winning.
```

#Hence, dividing the individual wins of winstay and winswitch vectors by N and getting the win percentage for each case

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}
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Results: