

Lab Exercise 1- Structure of a Modelica Model & Acausal vs Causal Modeling

1. Aim

To understand:

1. Structure of a Modelica model
 - Parameters
 - Variables
 - Equations
 2. Difference between acausal and causal modeling
 3. How equation-based modeling works in OpenModelica
-

2. Learning Outcomes

After completing this lab, students will be able to:

- Create a Modelica model
 - Differentiate parameters and variables
 - Write physical equations
 - Understand acausal modeling
 - Compare causal vs acausal approach
-

3. Software Required

- OpenModelica (OMEdit)
-

4. PART A – Structure of a Modelica Model

We will create a **Mass-Spring-Damper System**, commonly used in aerospace and defense vibration systems.

STEP 1: Open OpenModelica

1. Launch OMEdit
2. Click File → New Model
3. Name the model: **MassSpringSystem**

Click OK.

STEP 2: Understand Basic Model Structure

Basic Modelica structure:

```
model ModelName
```

```
  // Parameters
```

```
  parameter Real p;
```

```
  // Variables
```

```
  Real x;
```

```
equation
```

```
  // Equations
```

```
x = p;  
  
end ModelName;
```

Modelica has 3 main parts:

1. Parameters
2. Variables
3. Equations

STEP 3: Add Parameters

Parameters are constants defined before simulation.

Add:

```
parameter Real m = 10;  // mass (kg)  
  
parameter Real k = 200; // spring constant (N/m)  
  
parameter Real c = 20;  // damping coefficient
```

Explanation:

- $m \rightarrow$ mass of object
- $k \rightarrow$ spring stiffness
- $c \rightarrow$ damping factor

These values remain constant during simulation.

STEP 4: Add Variables

Variables change during simulation.

Add:

```
Real x(start=0.1);  // displacement  
Real v(start=0);    // velocity
```

Explanation:

- $x \rightarrow$ position
 - $v \rightarrow$ velocity
 - start value helps initialize simulation
-

STEP 5: Add Equations

Add physics equations:

```
equation  
  
der(x) = v;  
  
m*der(v) + c*v + k*x = 0;
```

Explanation:

- $\text{der}(x) = v \rightarrow$ velocity is derivative of position
- $m\text{der}(v) + cv + kx = 0 \rightarrow$ Newton's law

This describes vibration motion.

COMPLETE CODE

```
model MassSpringSystem

// Parameters
parameter Real m = 10;
parameter Real k = 200;
parameter Real c = 20;

// Variables
Real x(start=0.1);
Real v(start=0);

equation

der(x) = v;

m*der(v) + c*v + k*x = 0;

end MassSpringSystem;
```

STEP 6: Simulate

1. Click Check Model
2. Click Simulate
3. Plot:
 - x
 - v

You will observe oscillation with damping.

PART B – Understanding Each Section in Detail

1. Parameters

Defined using:

```
parameter Real name = value;
```

Properties:

- Constant during simulation
- Used for physical constants
- Improves model flexibility

If you change m from 10 to 20, behavior changes.

2. Variables

Defined using:

```
Real variableName;
```

Properties:

- Solved by equation solver
 - Change over time
 - Represent system states
-

3. Equations

Defined under:

equation

Important:

This is NOT assignment like C or MATLAB.

It is a mathematical relationship.

Example:

$$m \cdot \text{der}(v) + c \cdot v + k \cdot x = 0;$$

Means:

All variables must satisfy this equation simultaneously.

PART C – Acausal vs Causal Modeling

STEP 7: Understand Causal Modeling

Causal modeling defines direction.

Example in algorithm style:

```
acceleration = (-c*v - k*x)/m;
```

```
v = v + acceleration*dt;
```

```
x = x + v*dt;
```

Here:

- Input/output defined
- Order matters

- Step-by-step execution

This is used in MATLAB or C.

STEP 8: Acausal Modeling (Modelica)

Modelica version:

$$m \cdot \text{der}(v) + c \cdot v + k \cdot x = 0;$$

No input/output specified.

The solver:

- Determines unknowns
- Solves equations simultaneously

You define physics, not computation order.

KEY DIFFERENCE

Causal → Algorithm

Acausal → Physical law

PART D – Defense-Based Example

Consider a **Tank Suspension System**.

Physics:

$$m \text{der}(v) + cv + k \cdot x = \text{TerrainForce}$$

You write:

```
model TankSuspension

  parameter Real m = 20000;
  parameter Real k = 500000;
  parameter Real c = 5000;

  Real x(start=0.2);
  Real v(start=0);
  Real terrainForce;

equation

  terrainForce = 10000*sin(time);

  der(x) = v;

  m*der(v) + c*v + k*x = terrainForce;

end TankSuspension;
```

Simulation shows vibration under rough terrain.

Defense Use:

- Improve shock absorption
- Increase crew safety
- Optimize suspension design