

### 39. Combination Sum

Medium

5326

142

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Given an array of **distinct integers** `candidates` and a target integer `target`, return a list of all **unique combinations** of `candidates` where the chosen numbers sum to `target`. You may return the combinations in **any order**.

The **same** number may be chosen from `candidates` an **unlimited number of times**. Two combinations are unique if the frequency of at least one of the chosen numbers is different.

It is **guaranteed** that the number of unique combinations that sum up to `target` is less than 150 combinations for the given input.

#### Example 1:

**Input:** `candidates = [2,3,6,7], target = 7`

**Output:** `[[2,2,3],[7]]`

**Explanation:**

2 and 3 are candidates, and  $2 + 2 + 3 = 7$ . Note that 2 can be used multiple times.

7 is a candidate, and  $7 = 7$ .

These are the only two combinations.

#### Example 2:

**Input:** `candidates = [2,3,5], target = 8`

**Output:** `[[2,2,2,2],[2,3,3],[3,5]]`

#### Example 3:

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#### Example 3:

Promotion till 02:22

## ☰ L8. Combination Sum | Recursion | Leetcode | C++ | Java

arr {} = [ 2, 3, 6, 7 ]      target = 7

2, 2, 3

TUF



3:01 / 26:59



All changes saved!

arr {} = [ 2, 3, 6, 7 ]    target = 7

2, 2, 3

P:

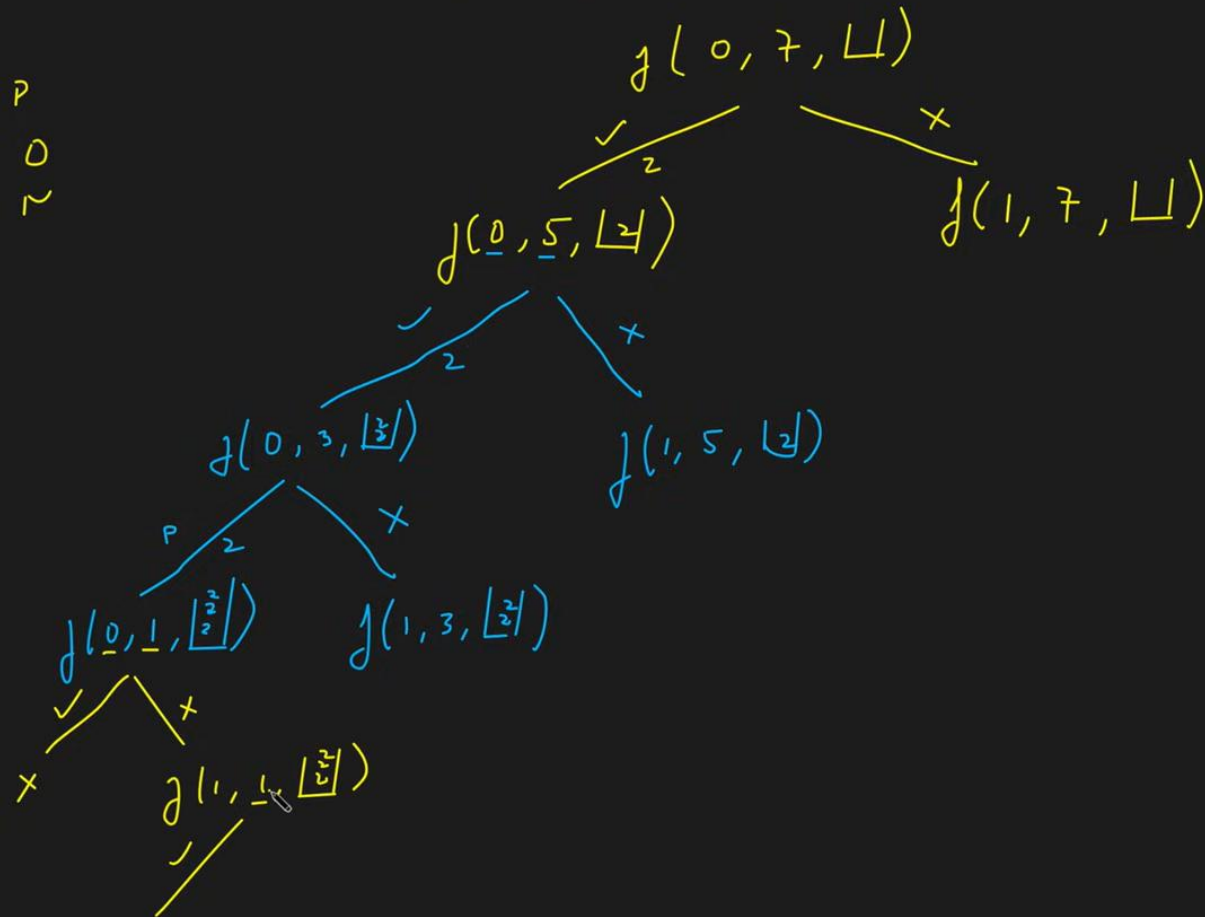
0   1   2   3

arr {} = [2, 3, 6, 7]    target = 7

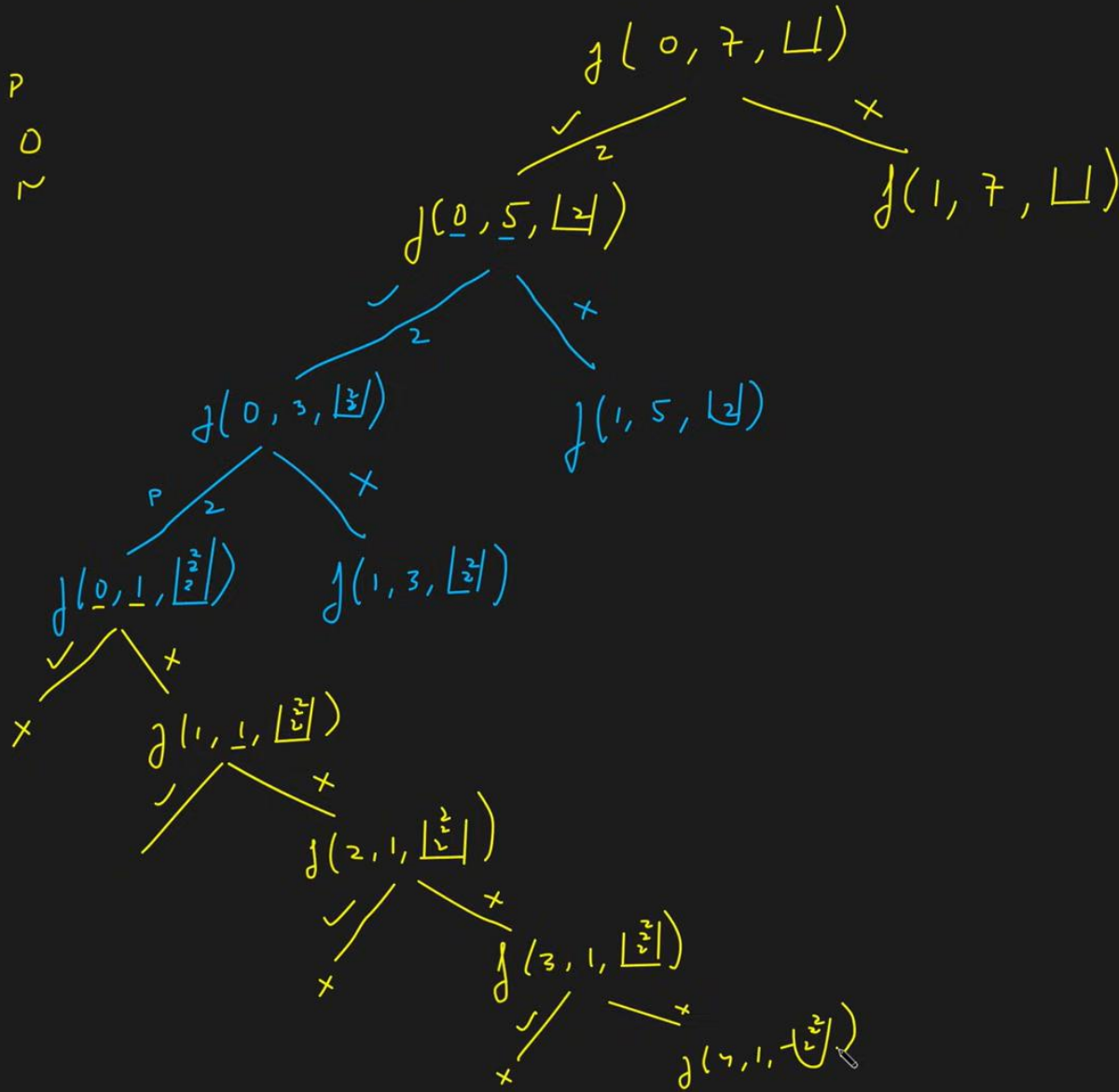
→ 2, 2, 3  
PP   P   X   X  
0   1   2   3

7  
N   N   N   P  
0   1   2   3

arr = [ 2, 3, 6, 7 ]    target = 7

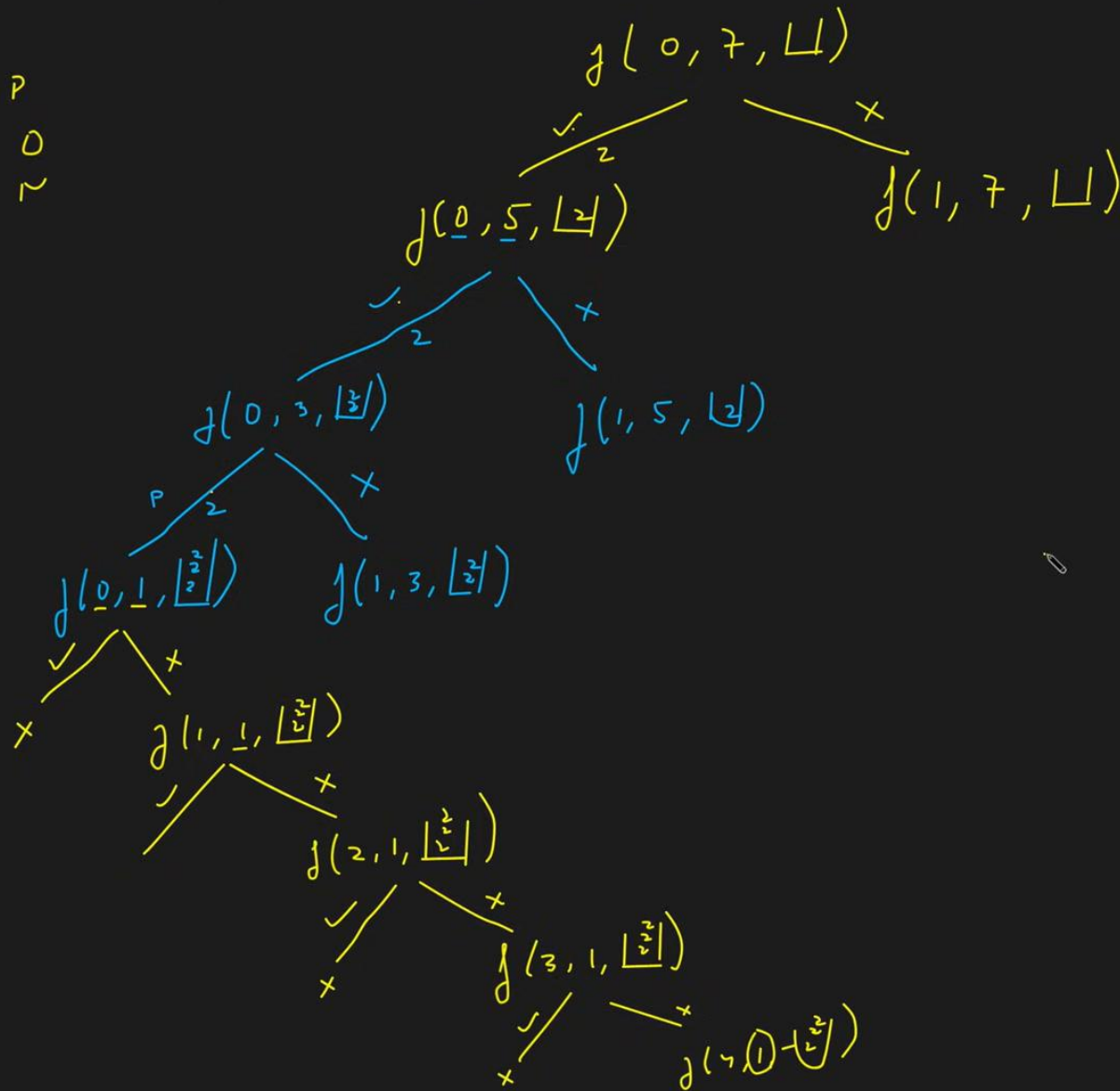


P  
0  
~



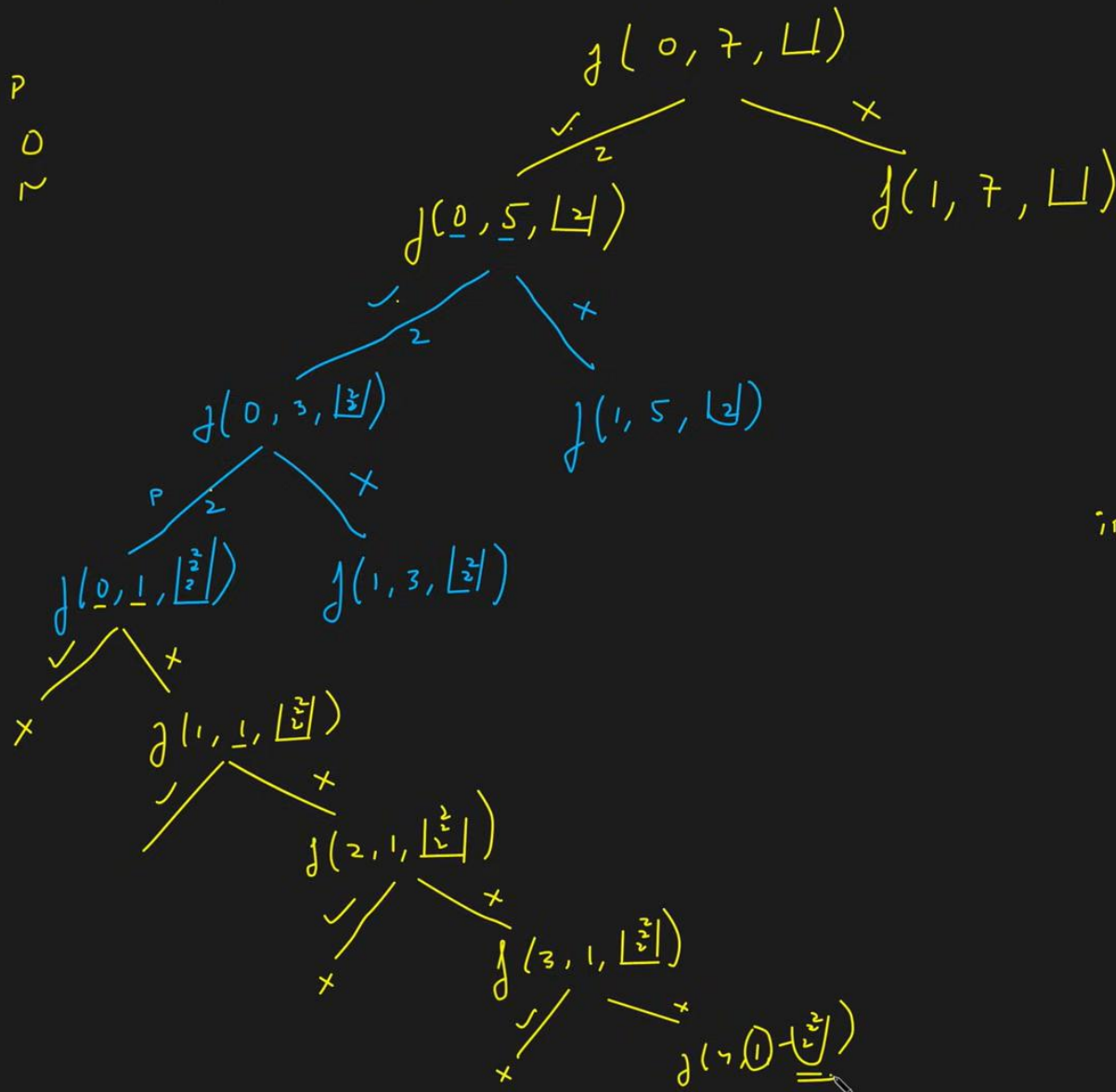


P  
0  
2



2, 2, 2 x

P  
0  
2

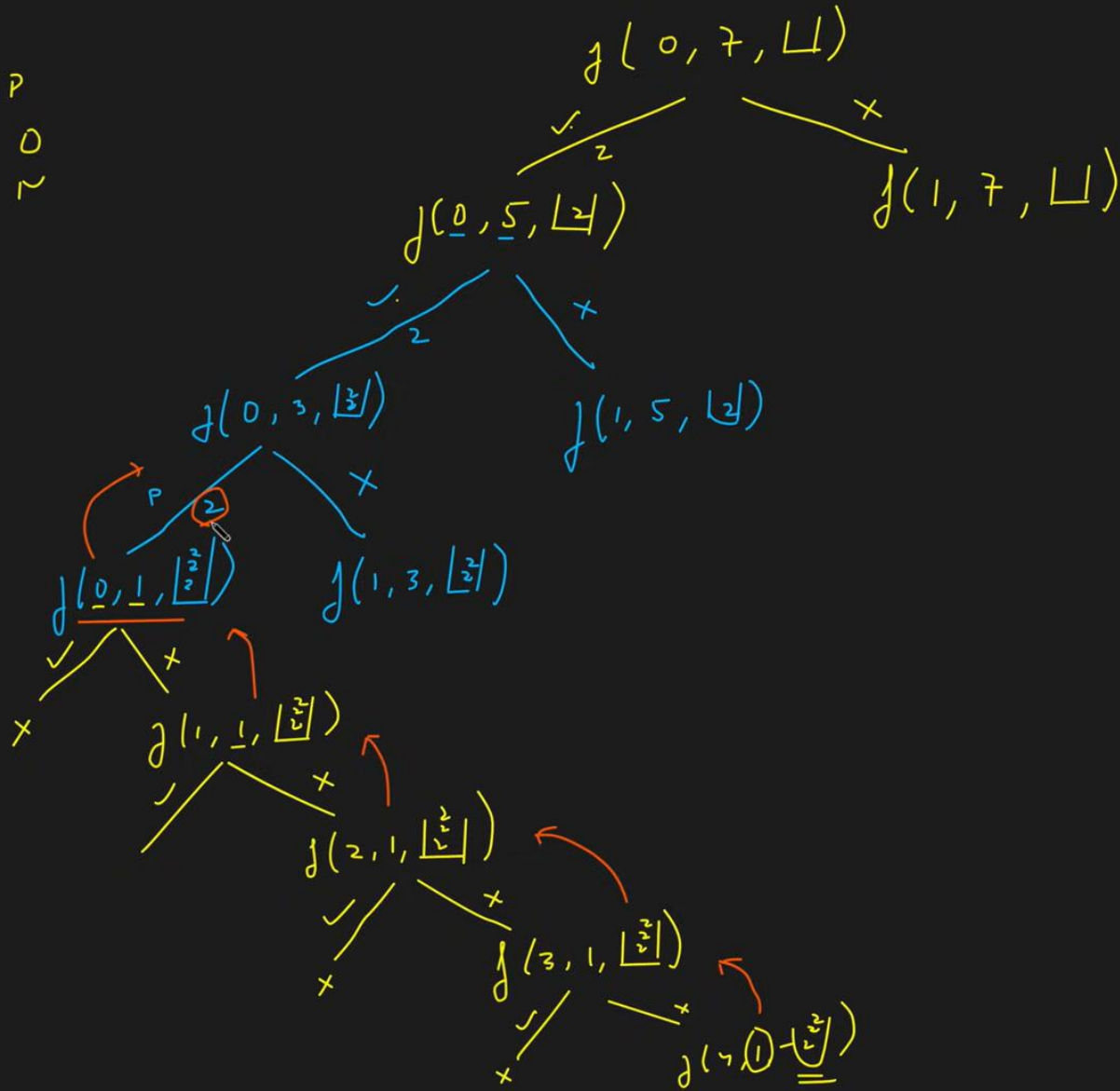


2, 2, 2 x

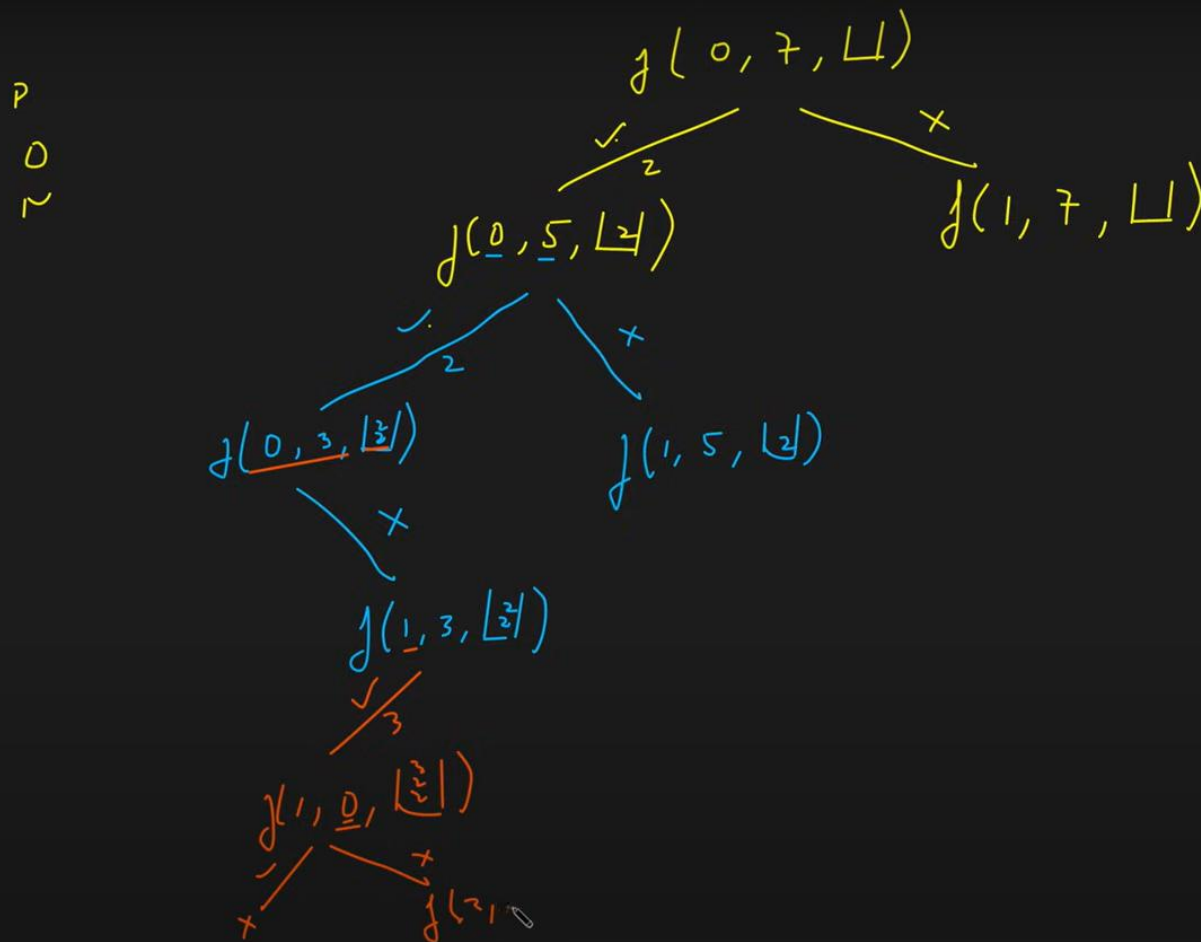
ind == n

target == 0

P  
0  
2



≡ L8. Combination Sum | Recursion | Leetcode | C++ | Java



TUF

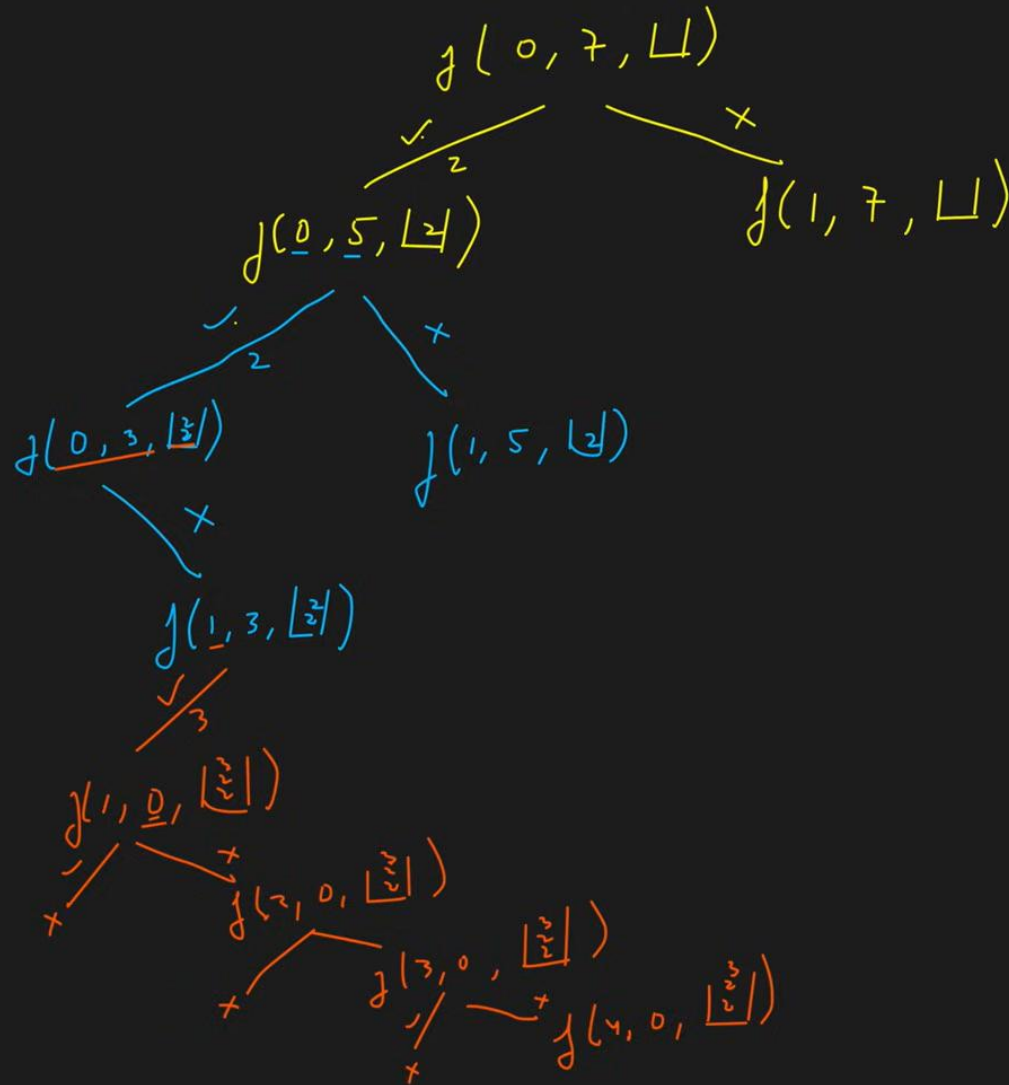
m showing a generalised version without adding too many conditions.

13:10 / 26:59



arr = [2, 3, 6, 7]  
target = 7

P  
0  
~



(2, 2, 3)

arr = [2, 3, 6, 7]     target = 7

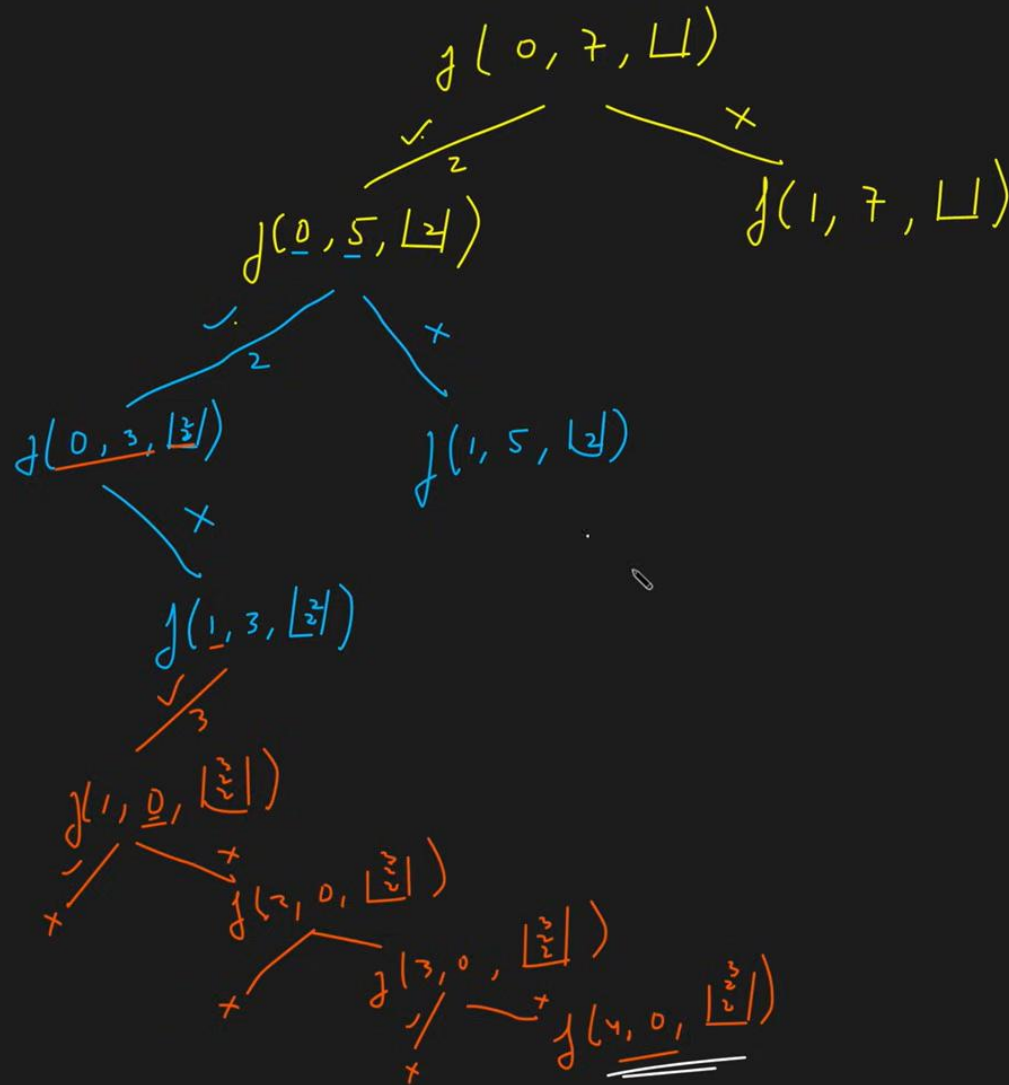
P  
O  
P

$$(2, 2, 3)$$

$\begin{matrix} & N & N & N \\ \text{PP} & & & \\ 0 & 1 & 2 & 3 \end{matrix}$

arr =  $\begin{bmatrix} 2 & 3 & 6 & 7 \\ 0 & 1 & 2 & 3 \end{bmatrix}$     target = 7

P  
0  
2



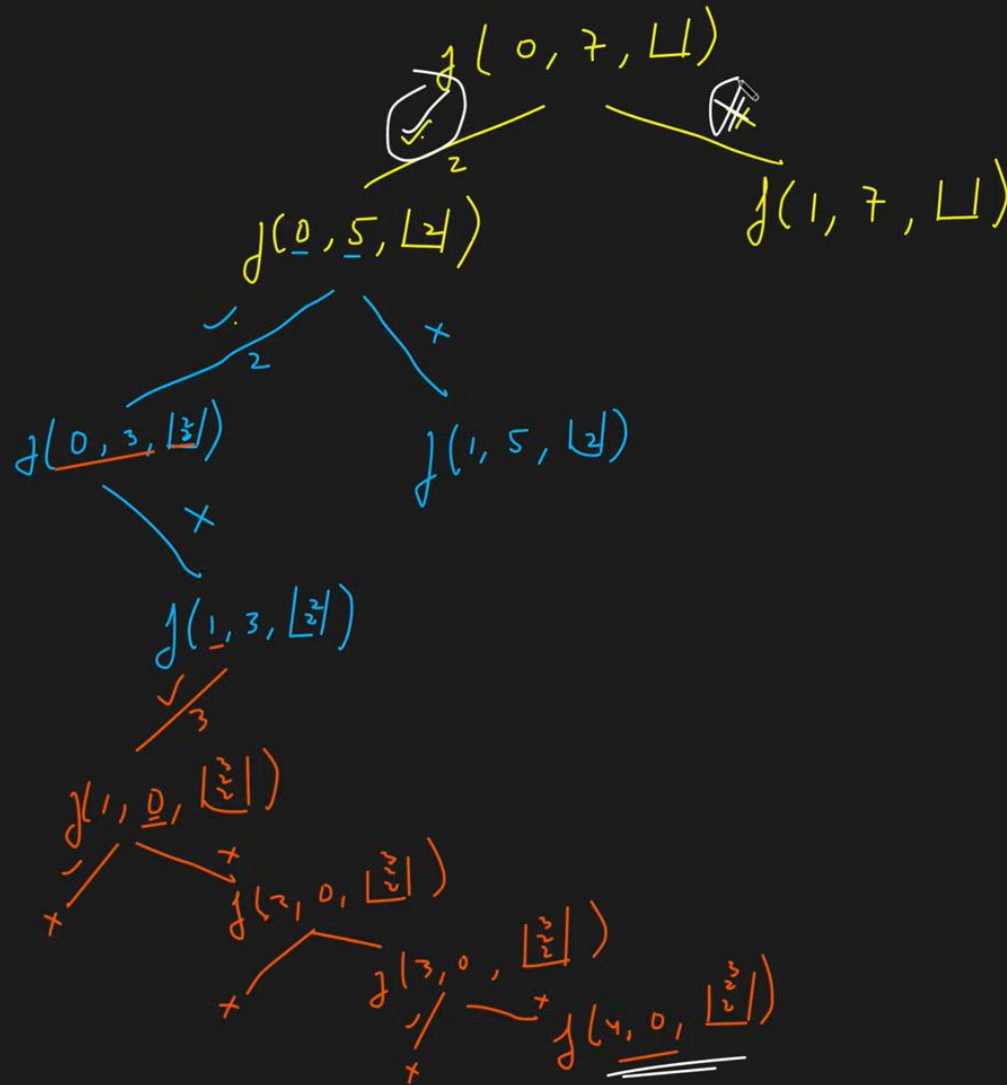
(2, 2, 3)

$\begin{bmatrix} PPP & N & N & N \\ 0 & 1 & 2 & 3 \end{bmatrix}$     222

$\begin{pmatrix} 2 & 4 & 2 & 2 \\ 0 & 1 & 2 & 3 \end{pmatrix}$

$$\text{arr} = \begin{bmatrix} 2 & 3 & 6 & 7 \\ 0 & 1 & 2 & 3 \end{bmatrix} \quad \text{target} = 7$$

P  
0  
2



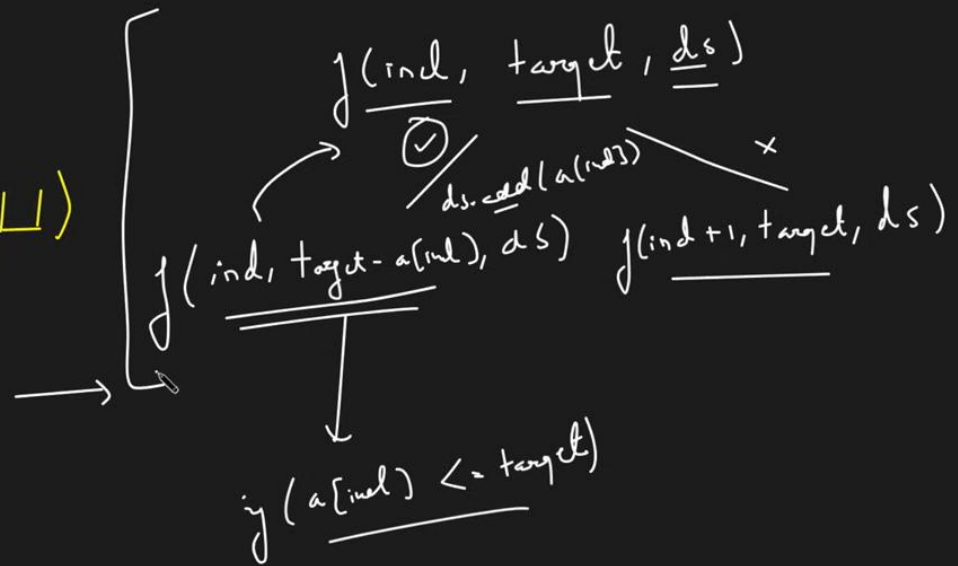
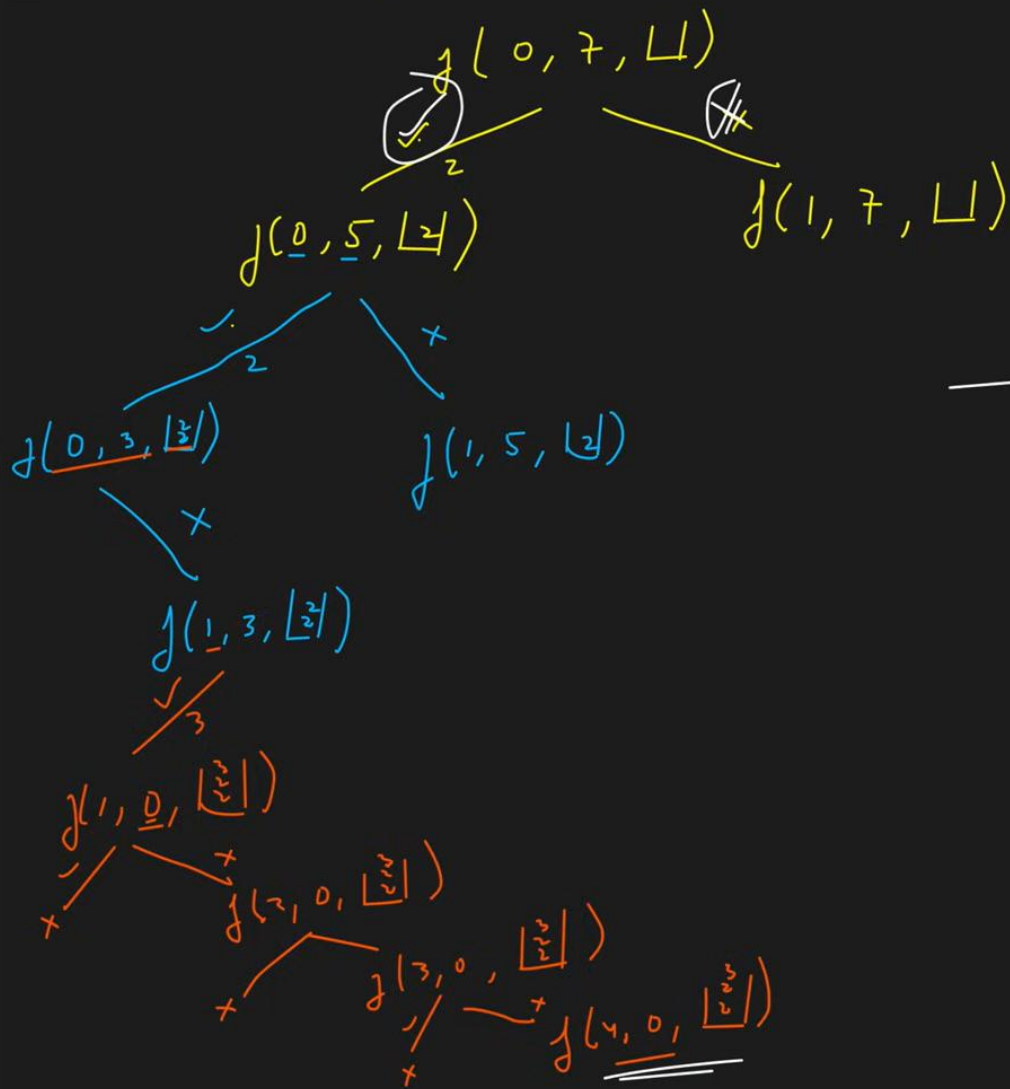
(2, 2, 3)

$$\begin{bmatrix} PPP & N & N & N \\ 0 & 1 & 2 & 3 \end{bmatrix} \quad \underline{222}$$

$$\begin{pmatrix} \frac{1}{0} & \frac{1}{1} & \frac{2}{2} & \frac{2}{3} \end{pmatrix}$$

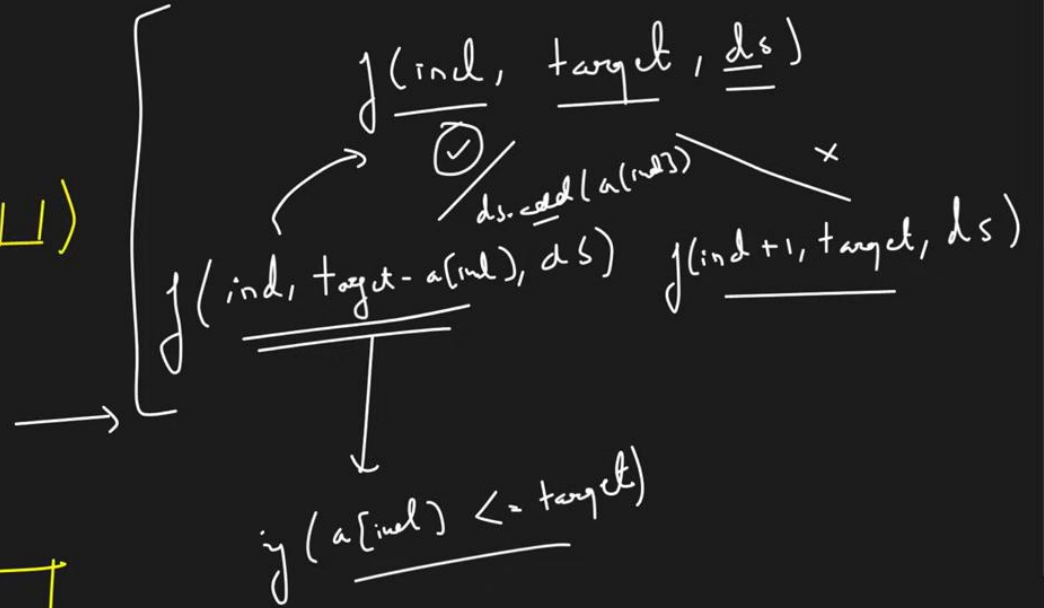
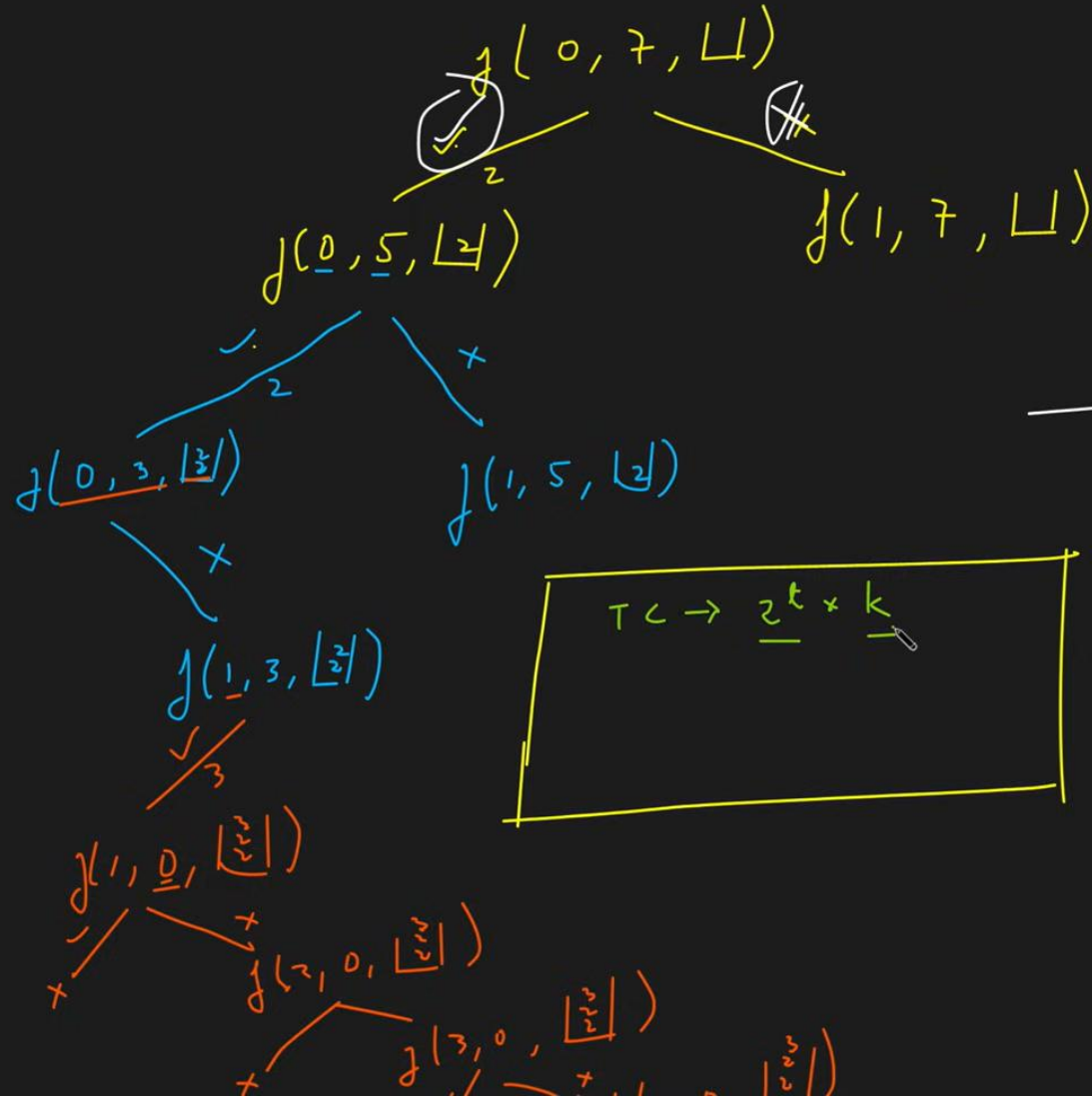


$\{ \} = [ \frac{2}{0}, \frac{3}{1}, \frac{6}{2}, \frac{7}{3} ]$



$$\left[ \begin{array}{l} \text{if } \text{ind} == n \\ \text{if } (\text{target} == 0) \text{ } \boxed{\text{ds}} \rightarrow \cup \\ \text{else return;} \end{array} \right.$$

arr = [2, 3, 6, 7]      target = 7

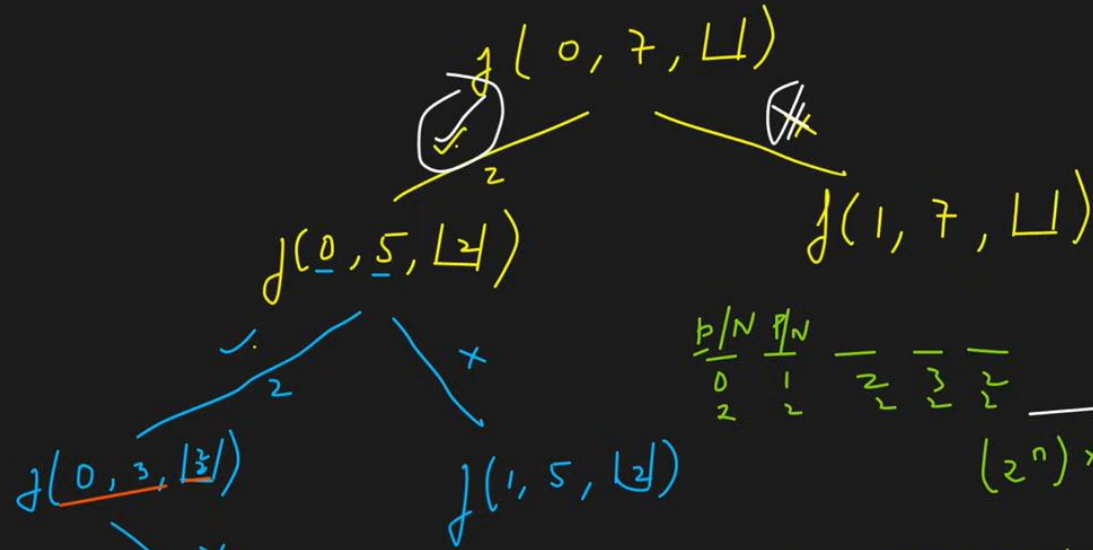


```

if (incl == n)
    if (target == 0)
        return true;
    else
        return false;
}

```

arr = [2, 3, 6, 7]      target = 7

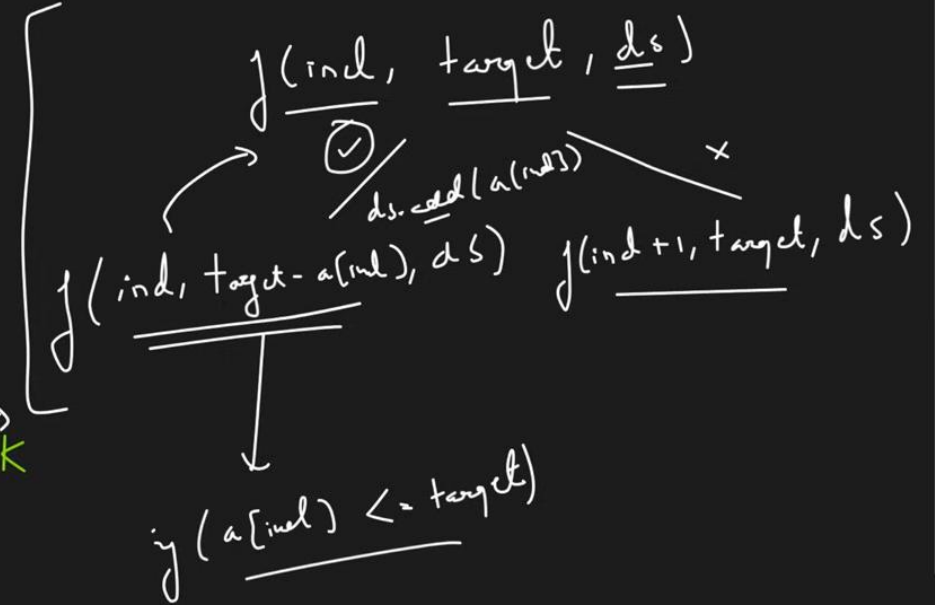


$$\frac{p}{0} \quad \frac{p}{1} \quad \frac{p}{2} \quad \frac{p}{3} \quad \frac{p}{2}$$

$$\frac{0}{2} \quad \frac{1}{2} \quad \frac{2}{2} \quad \frac{3}{2} \quad \frac{2}{2}$$

$$(2^n) \times K$$

$$T \subset \rightarrow \underbrace{2^t} \times \underbrace{k}$$



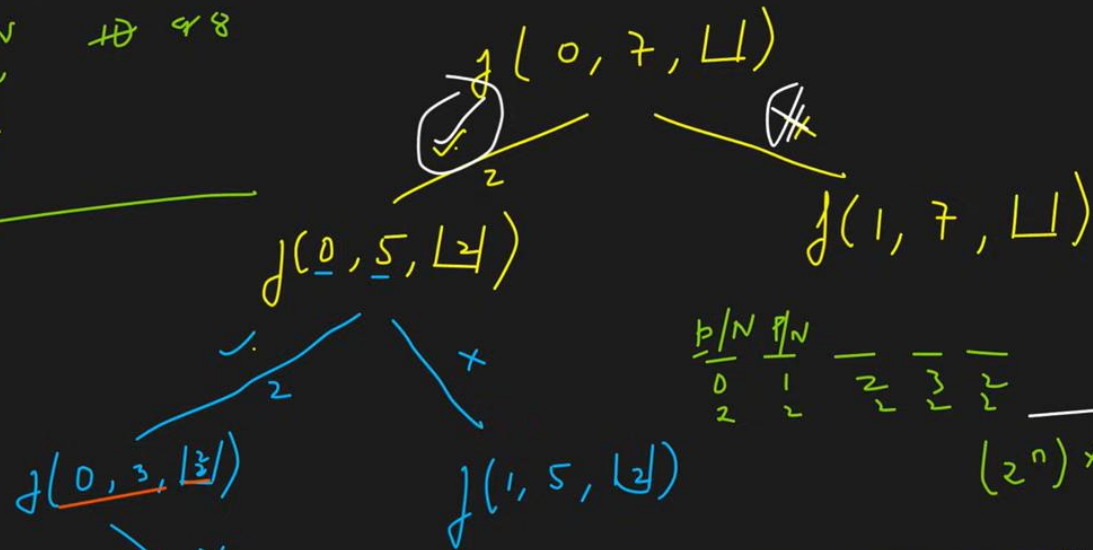
```

if (index == n)
    if (target == 0)
        return true;
    else
        return false;
}

```

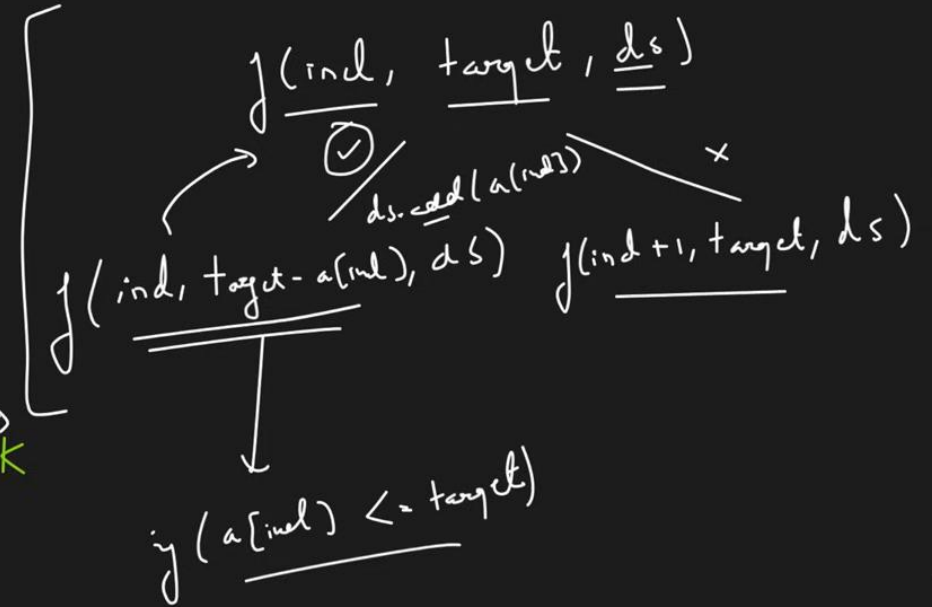
arr = [2, 3, 6, 7]    target = 7

{  
 P/N  
 1/2  
 ①  
 0  
 }



P/N    P/N  
 0    1    2    3    4  
 2    2    2    2    2  
 (2^n) \* k

$$T \rightarrow 2^t \times k$$

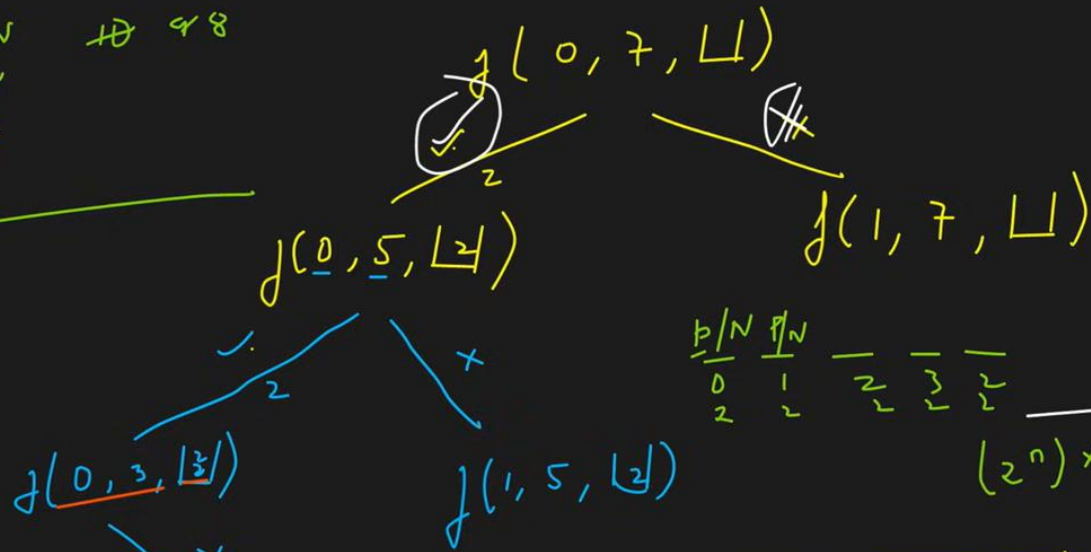


if (a[ind] <= target)

if (ind == n)  
 if (target == 0)    ds → U  
 else return;

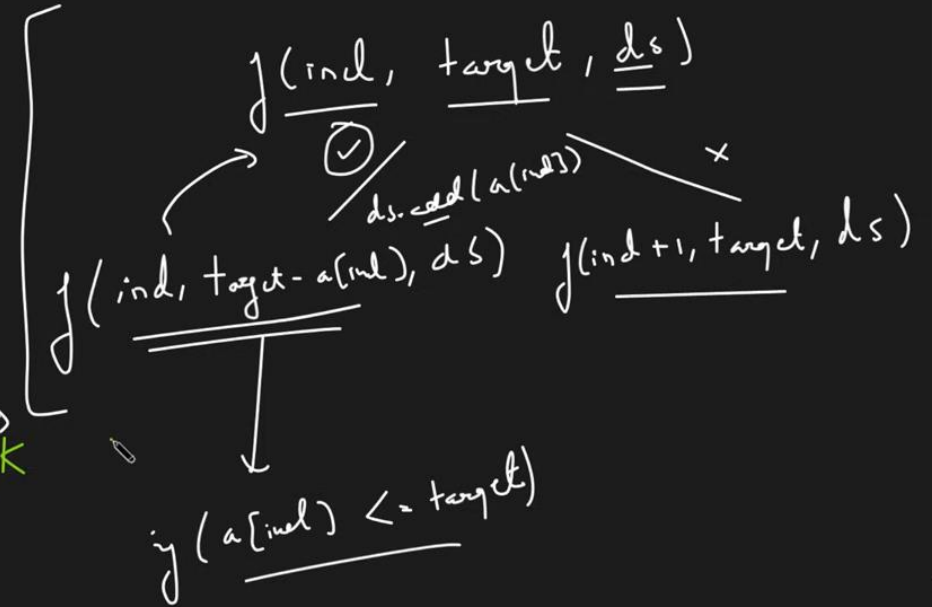
arr[] = [2, 3, 6, 7]    target = 7

{  
 P/N    10 9 8  
 1/2  
 ①  
 0



P/N    P/N    —    —    —  
 0    1    2    3    2  
 2    2    2    2    2  
 $(2^n) \times k$

$T \rightarrow 2^t \times k$   
 $S \rightarrow$



$if(a[ind] \leq target)$

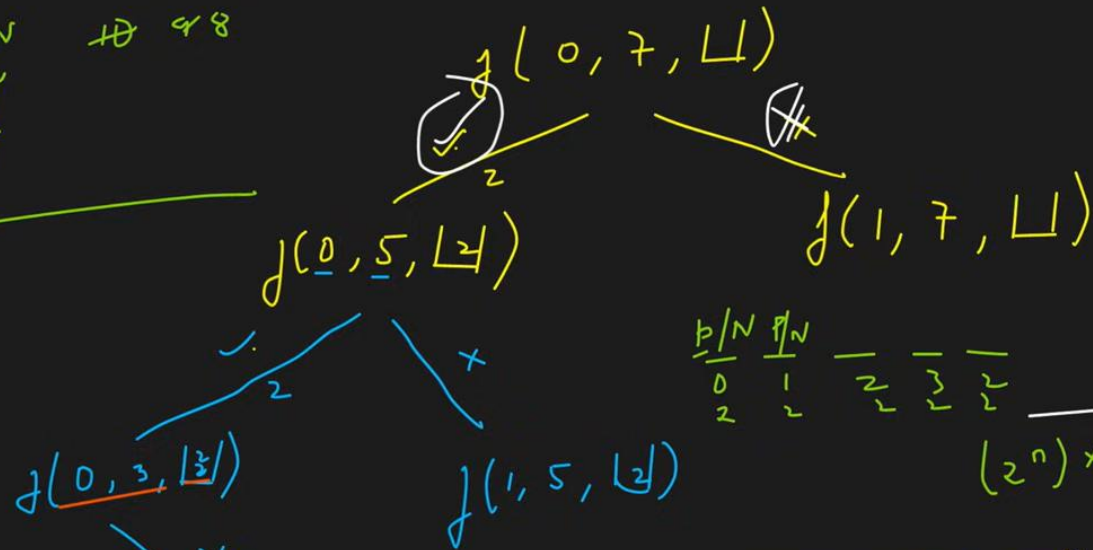
$if(ind == n)$   
 $if(target == 0)$   
 else return;

$ds \rightarrow$



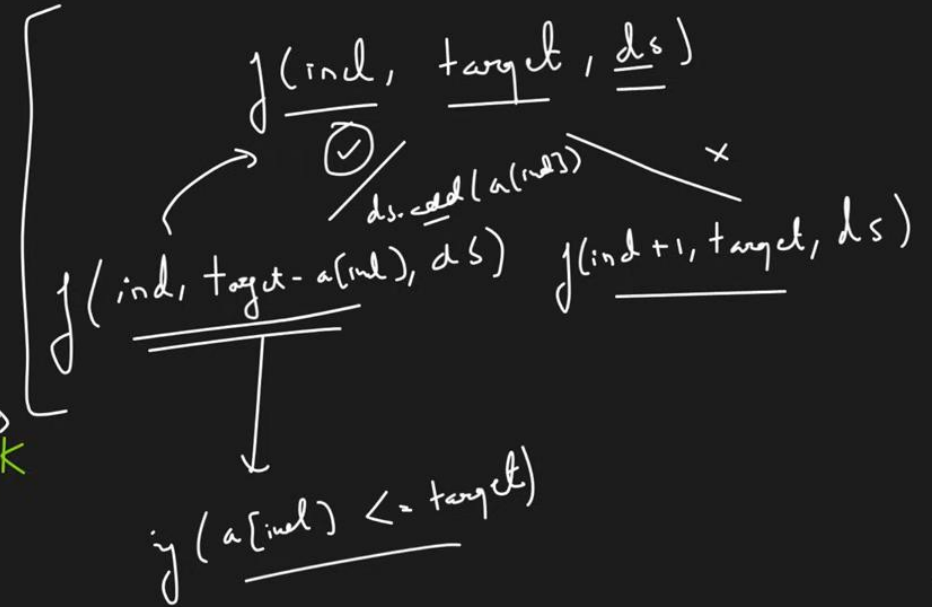
arr = [2, 3, 6, 7]    target = 7

$\frac{P/N}{1/2}$  10 9 8  
 $\frac{1}{0}$



$\frac{P/N}{0}$   $\frac{P/N}{1}$   $\frac{P/N}{2}$   $\frac{P/N}{3}$   $\frac{P/N}{4}$   
 $2$   $2$   $2$   $2$   $2$   
 $(2^n) \times k$

$T \rightarrow 2^t \times k$   
 $S \rightarrow k \times n$



$\text{if } (ind == n)$   
 $\text{if } (target == 0)$   
 $\text{else return}$   
 $ds \rightarrow \cup$

```
1 class Solution {  
2  
3     private void findCombinations(int ind, int[] arr, int target, List<List<Integer>> ans, List<Integer> ds) {  
4         if(ind == arr.length) {  
5             if(target == 0) {  
6                 ans.add(new ArrayList<>(ds));  
7             }  
8             return;  
9         }  
10  
11         if(arr[ind] <= target) {  
12             ds.add(arr[ind]);  
13             findCombinations(ind, arr, target - arr[ind], ans, ds);  
14             ds.remove(ds.size() - 1);  
15         }  
16         findCombinations(ind + 1, arr, target, ans, ds);  
17     }  
18     public List<List<Integer>> combinationSum(int[] candidates, int target) {  
19         List<List<Integer>> ans = new ArrayList<>();  
20         findCombinations(0, candidates, target, ans, new ArrayList<>());  
21         return ans;  
22     }  
23 }
```

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14             ds.remove(ds.size() - 1);  
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19         List<List<Integer>> ans = new ArrayList<>();  
20         findCombinations(0, candidates, target, ans, new ArrayList<>());  
21         return ans;  
22     }  
23 }
```

i C++

Autocomplete

i {} ↺ ⚙️ [ ]

```
1 class Solution {
2 public:
3     void findCombination(int ind, int target, vector<int> &arr, vector<vector<int>> &ans, vector<int>&ds) {
4         if(ind == arr.size()) {
5             if(target == 0) {
6                 ans.push_back(ds);
7             }
8             return;
9         }
10        // pick up the element
11        if(arr[ind] <= target) {
12            ds.push_back(arr[ind]);
13            findCombination(ind, target - arr[ind], arr, ans, ds);
14            ds.pop_back();
15        }
16
17        findCombination(ind+1, target, arr, ans, ds);
18
19    }
20 public:
21     vector<vector<int>> combinationSum(vector<int>& candidates, int target) {
22         vector<vector<int>> ans;
23         vector<int> ds;
24         findCombination(0, target, candidates, ans, ds);
25         return ans;
26     }
27 };
```