Code the below question in c++

Given two integer array A and B of size N each.

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A sum combination is made by adding one element from array A and another element of array B.

Return the maximum K valid sum combinations from all the possible sum combinations.

Note: Output array must be sorted in non-increasing order.

Example 1:

Input:

N = 2

K = 2

 $A[] = {3, 2}$

B [] = $\{1, 4\}$

Output: {7, 6}

Explanation:

7 -> (A:3) + (B:4)

6 -> (A:2) + (B:4)

Example 2:

Input:

N = 4K = 3

 $A[] = \{1, 4, 2, 3\}$ $B[] = \{2, 5, 1, 6\}$

Output: {10, 9, 9}

Explanation:

10 -> (A:4) + (B:6)

9 -> (A:4) + (B: $^{\downarrow}$

9 -> (A:3) + (B:6)

Your Task:

You don't need to read input or print anything. Your task is to complete the function maxCombinations() which takes the interger N,integer K and two integer arrays A [] and B [] as parameters and returns the maximum K valid distinct sum combinations .

Expected Time Complexity: O(Nlog(N))

Expected Auxiliary Space: O(N)

Constraints:

 $1 \le N \le 105$

 $1 \le K \le N$

1 ≤ A [i], B [i] ≤ 104



To solve this problem, we can use the following approach:

Approach:

- 1. Sort both arrays A and B: This will allow us to efficiently generate the largest sum combinations, as the largest sums will come from the largest elements of both arrays.
- 2. Use a Max-Heap (Priority Queue): The goal is to find the maximum κ sums. A max-heap will allow us to quickly extract the largest sums. In C++, the priority_queue is a max-heap by default.
- 3. **Generate sum combinations**: Start by adding the largest element of A with the largest element of B. After that, we will generate possible sum combinations by moving one element from A and one element from B while ensuring that the combinations are distinct.
- 4. Store the results in a heap: We will maintain a max-heap to keep track of the largest combinations. As we generate combinations, we insert them into the heap and extract the top κ largest combinations.

Steps:

- 1. Sort arrays A and B in descending order.
- 2. Push the sum of the largest elements of A and B into the heap.
- 3. For each combination, push the next possible combinations into the heap, and track the already visited indices to avoid duplicates.
- 4. Extract the top κ sums from the heap.

Code Implementation:

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#include <queue>
#include <set>
using namespace std;
vector<int> maxCombinations(int N, int K, vector<int>& A, vector<int>& B) {
    // Sort both arrays in descending order
    sort(A.begin(), A.end(), greater<int>());
    sort(B.begin(), B.end(), greater<int>());
    // Max-Heap to store the combinations
    priority_queue<pair<int, pair<int, int>>> maxHeap;
    // Set to track visited pairs of indices
    set<pair<int, int>> visited;
    // Insert the first combination (A[( ullet B[0]) into the max-heap
    maxHeap.push({A[0] + B[0], {0, 0}});
    visited.insert({0, 0});
    vector<int> result;
    while (K--) {
        auto top = maxHeap.top();
        maxHeap.pop();
        int sum = top.first;
        int i = top.second.first;
        int j = top.second.second;
        // Add the sum to the result
        result.push_back(sum);
        if (i + 1 < N \&\& visited.find(\{i + 1, j\}) == visited.end()) {
            maxHeap.push({A[i + 1] + B[j], {i + 1, j}});
            visited.insert({i + 1, j});
        if (j + 1 < N \&\& visited.find({i, j + 1}) == visited.end()) {
            maxHeap.push({A[i] + B[j + 1], {i, j + 1}});
            visited.insert({i, j + 1});
    return result;
                                         \downarrow
int main() {
    vector<int> A1 = \{3, 2\};
    vector<int> B1 = \{1, 4\};
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int N1 = 2;
int K1 = 2;

vector<int> result1 = maxCombinations(N1, K1, A1, B1);

for (int val : result1) {
    cout << val << " ";
}

cout << endl; // Output: 7 6

// Example 2

vector<int> A2 = {1, 4, 2, 3};

vector<int> B2 = {2, 5, 1, 6};

int N2 = 4;

int K2 = 3;

vector<int> result2 = maxCombinations(N2, K2, A2, B2);

for (int val : result2) {
    cout << val << " ";
}

cout << endl; // Output: 10 9 9

return 0;
}</pre>
```

Explanation:

- 1. **Sorting**: Both A and B are sorted in descending order so that the largest elements are considered first when generating combinations.
- 2. Max-Heap: We use a max-heap (priority queue) to store the sum of elements from A[i] + B[j], along with the indices (i, j) to track which elements from A and B were used to form the sum. This allows efficient extraction or the maximum sum combination.
- 3. Visited Set: A set is used to ensure that we don't revisit the same index pair (i, j) multiple times, avoiding duplicate combinations.
- 4. Main Logic:
 - Initially, we push the largest combination (A[0] + B[0]) into the heap.
 - Then we generate new sums by incrementing either the index in A or in B and push these combinations into the heap.
 - The top K largest sums are extracted from the heap and returned as the result.

Time Complexity:

- Sorting both arrays takes O(N log N).
- The priority queue operations (insertions and deletions) take O(log N), and we perform at most K such operations.
- Overall, the time complexity is dominated by o(N log N) due to the sorting step.

Space Complexity:

• We use a priority queue and a set to store combinations, so the space complexity is O(N).

Edge Cases:

- If $\kappa = 1$, we should return just the single largest combination.
- If N = 1, only one sum combination will be possible.

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