

My Project

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Chapter 1

Namespace Index

1.1 Namespace List

Here is a list of all documented namespaces with brief descriptions:

all_digraphs	3
net_sym	3
sym_conjecture	5

Chapter 2

Namespace Documentation

2.1 all_digraphs Namespace Reference

Variables

- dictionary **graph_list** = {}
- int **n** = 6
- **f** = open("/Users/kumarharsha/thesis/graph_data/graph"+str(n)+"cd.txt", "r")
- **g** = nx.DiGraph()
- bool **accept** = True
- **e** = np.array([int(j) for j in str.split(l)])
- int **r** = n - np.linalg.matrix_rank([net_sym.out_degree_laplacian](#)(g))

2.1.1 Detailed Description

Created on Tue May 7 12:10:36 2019

@author: kumarharsha

Generate all digraphs for a given number of nodes (n)
with the following properties:

- No bi-directional edges.
- The underlying undirected graph ($L = A + A^T$) is connected.
- No isomorphic duplicates. (none found after the above conditions)

K_n has $n(n-1)/2$ edges, any more will give rise to self-loops and hence can be ignored in the loop.

2.2 net_sym Namespace Reference

Functions

- def [orth_matrix](#) (A)
- def [out_degree_laplacian](#) (g, node_list=None)
- def [symmetrised_laplacian](#) (g)
- def [effective_resistance](#) (g)
- def [separate_graphs](#) (eqL)
- def [graph_from_laplacian](#) (laplacian)
- def [hypothesis1](#) (g, node_list=None)
- def [hypothesis2](#) (g, node_list=None)
- def [get_strongly_connected_digraph](#) (n)
- def [draw_symmetrized_graph](#) (g)

Variables

- `precision`

2.2.1 Detailed Description

Functions for symmetrization of digraphs.

2.2.2 Function Documentation

2.2.2.1 `get_strongly_connected_digraph()`

```
def net_sym.get_strongly_connected_digraph (
    n )
```

Return a strongly connected digraph with the specified number of nodes

Arguments:

`n {integer}` -- The number of nodes required in the digraph.

Returns:

`networkx.DiGraph` -- A strongly connected digraph containing `n` nodes.
Edges are added by uniform sampling of integer pairs from `[0,n]` until the digraph is not strongly connected. Multiple edges between any pair of nodes and self-loops are not allowed.

2.2.2.2 `graph_from_laplacian()`

```
def net_sym.graph_from_laplacian (
    laplacian )
```

Create undirected graph from input Laplacian

Arguments:

`laplacian {numpy.matrix}` -- The Laplacian (N,N) of an undirected graph with N nodes.

Returns:

`networkx.Graph` -- An undirected graph whose signed Laplacian is `L`.

2.2.2.3 orth_matrix()

```
def net_sym.orth_matrix (
    A )
```

Return the orthogonal basis of the kernel of A using SVD

Arguments:

A {numpy.ndarray} -- the (N,N) input matrix

Returns:

numpy.ndarray -- (N-k,N) where $k = \dim(\ker(A))$.
The rows form the basis vectors of the subspace: $\text{perp}(\ker(A))$.

2.2.2.4 out_degree_laplacian()

```
def net_sym.out_degree_laplacian (
    g,
    node_list = None )
```

Return the out-degree Laplacian of a digraph

Arguments:

g {networkx.classes.digraph.DiGraph} -- A digraph $D = (V, E, W)$

Keyword Arguments:

node_list {numpy.ndarray} -- List of nodes in V prescribing the order of rows in the Laplacian L.
The default behavior is to take the order as the sorted
list of all nodes numbered 0 to N. (default: {None})

Returns:

numpy.matrixlib.defmatrix.matrix -- The out degree Laplacian L

2.2.2.5 symmetrised_laplacian()

```
def net_sym.symmetrised_laplacian (
    g )
```

Return the results of all steps of the symmetrization algorithm

Arguments:

g {networkx.DiGraph} -- A digraph $D = (V, E, W)$

Returns:

[type] -- [description]

2.3 sym_conjecture Namespace Reference

Functions

- def [draw_sym_both](#) (g, save_pdf=False)

Variables

- [graph_list4](#)
List of all digraphs with 4 nodes.
- [graph_list5](#)
List of all digraphs with 5 nodes.
- [graph_list6](#)
List of all digraphs with 6 nodes.

2.3.1 Detailed Description

Functions to draw figures for the symmetrization algorithm, to test the conjecture that the symmetrization definitely results in negative edges for digraphs with $\dim(\ker(L)) > 1$.

2.3.2 Function Documentation

2.3.2.1 draw_sym_both()

```
def sym_conjecture.draw_sym_both (
    g,
    save_pdf = False )

[summary]
```

Arguments:

```
g {[type]} -- [description]
```

Keyword Arguments:

```
save_pdf {bool} -- [description] (default: {False})
```

2.3.3 Variable Documentation

2.3.3.1 graph_list4

```
sym_conjecture.graph_list4
```

Initial value:

```
1 = pickle.load(
2     open("/Users/kumarharsha/thesis/graph_data/digraph_sym_4.pkl", "rb"))
```

List of all digraphs with 4 nodes.

2.3.3.2 graph_list5

`sym_conjecture.graph_list5`

Initial value:

```
1 = pickle.load(  
2     open("/Users/kumarharsha/thesis/graph_data/digraph_sym_5.pkl", "rb"))
```

List of all digraphs with 5 nodes.

2.3.3.3 graph_list6

`sym_conjecture.graph_list6`

Initial value:

```
1 = pickle.load(  
2     open("/Users/kumarharsha/thesis/graph_data/digraph_sym_6.pkl", "rb"))
```

List of all digraphs with 6 nodes.

